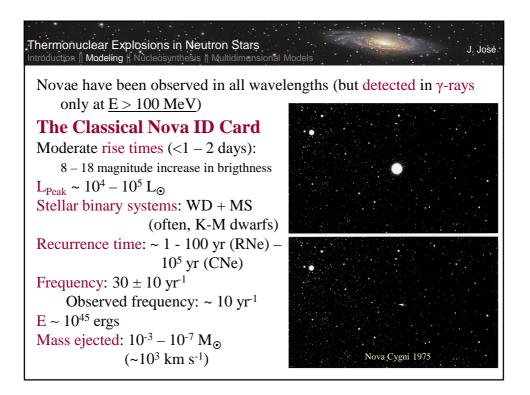
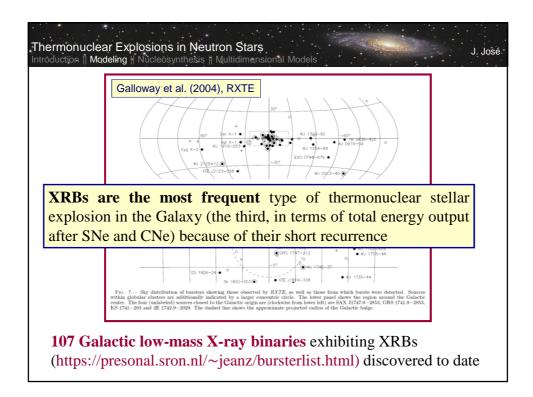
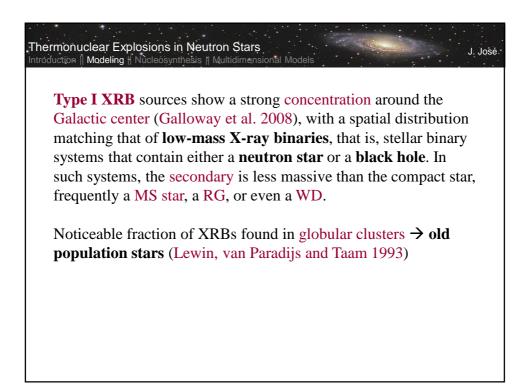
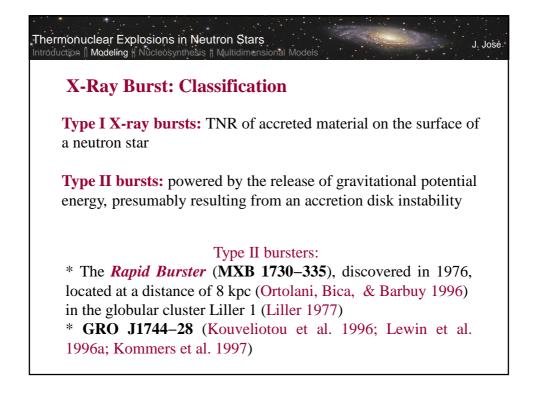


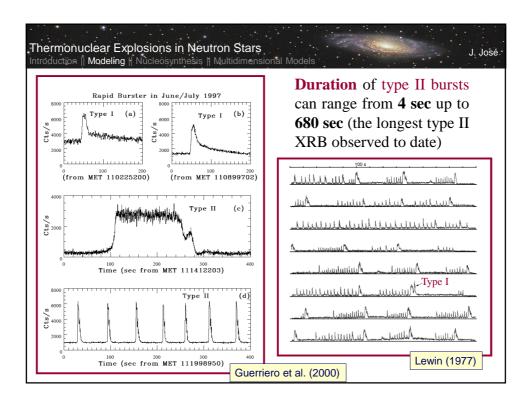
Thermonuclear Explosions in Neutron Stars ntroduction ∥ Modeling ∦ Núcleosynthesis ∦ Multidimensional Models The (Type I) X-Ray Burst ID Card
Prominent emitters in X-rays [discovered in the 1970s; Babushkina et al., Grindlay et al., Belian, Conner & Evans]
Very fast rise times $(1 - 10 \text{ s})$ $L_{\text{peak}} \sim 10^4 - 10^5 \text{ L}_{\odot}$ $E \sim 10^{39} - 10^{40} \text{ ergs} (\text{in } 10 - 100 \text{ s})$ Recurrence time: ~ hours – days
$\begin{array}{c} \textbf{GX 13+1 (P_{orb} = 592.8 hr), Cir X-1 (398.4 hr), and} \\ \textbf{Cyg X-2 (236.2 hr)} \end{array} \xrightarrow{Phase} 220 \ \textbf{230} \end{array}$
Orbital periods: mostly, 0.2 – 15 hr Stellar binary systems: NS + MS; Recurrence time: ~ hr – days Mass ejected? Unlikely (by the explosion)

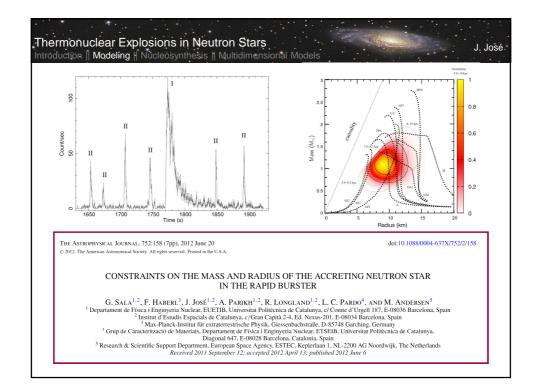












## Some Observational Constraints [Galloway et al. 2008]

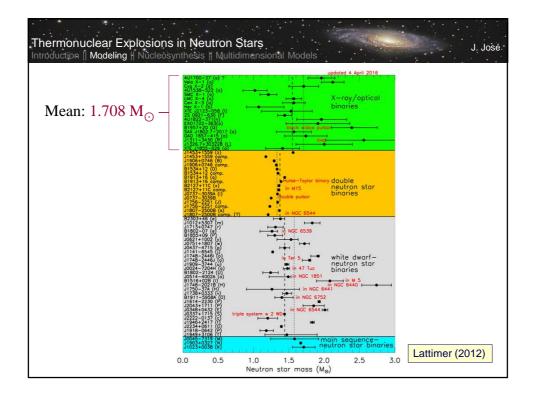
**Mass-accretion rates** can be inferred from the persistent X-ray flux between bursts,  $F_{per}$ :

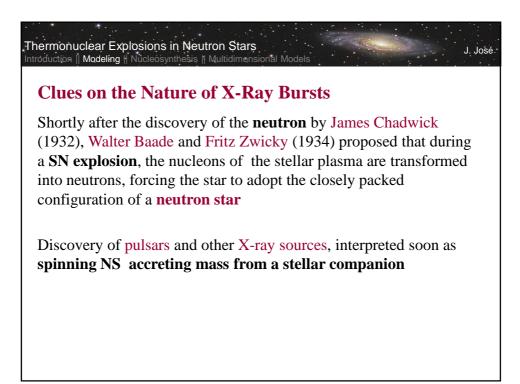
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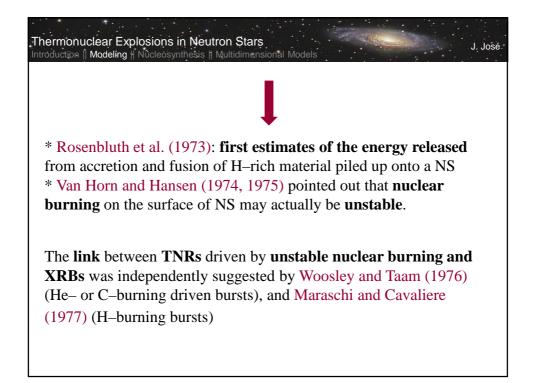
$$\dot{M}(M_{\odot}yr^{-1}) = 1.33 \times 10^{-11} \left(\frac{F_{\rm per} C_{\rm bol}}{10^{-9} \, {\rm erg} \, {\rm cm}^{-2} \, {\rm s}^{-1}}\right) \left(\frac{D}{10 \, {\rm kpc}}\right)^2 \left(\frac{M_{\rm ns}}{1.4 \, {\rm M}_{\odot}}\right)^{-1} \left(\frac{1+z}{1.31}\right) \left(\frac{R_{\rm ns}}{10 \, {\rm km}}\right),$$

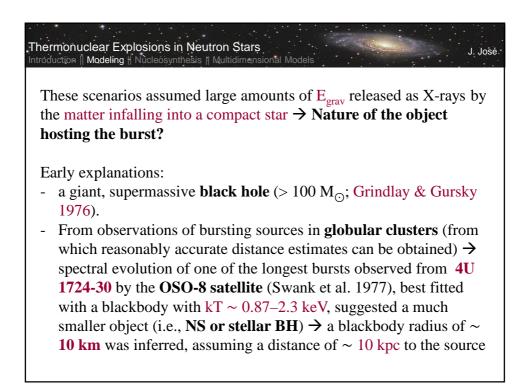
Maximum mass-accretion rate is set by the Eddington limit ( $M_{Edd} \sim 2 \times 10^{-8} M_{\odot} \text{ yr}^{-1}$ , for H-rich accretion onto a 1.4  $M_{\odot}$  NS).

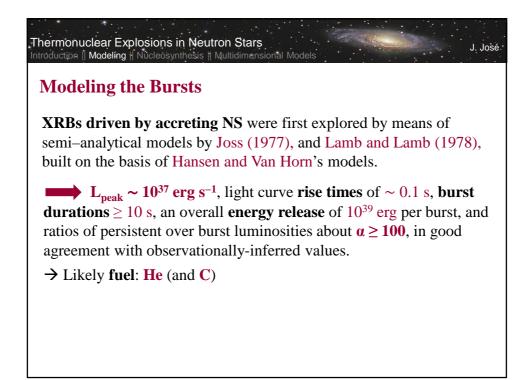
NS masses in XRBs are quite uncertain

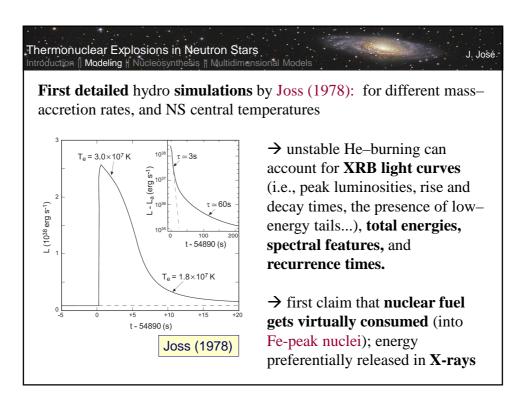


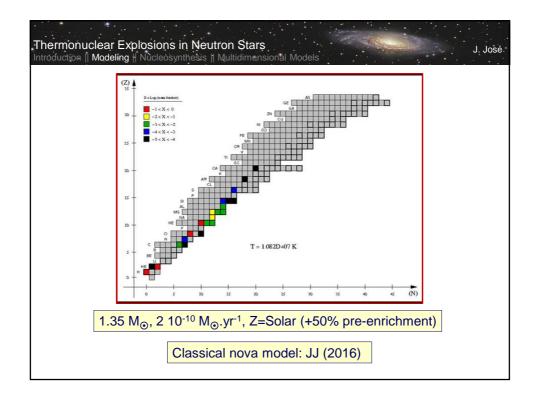


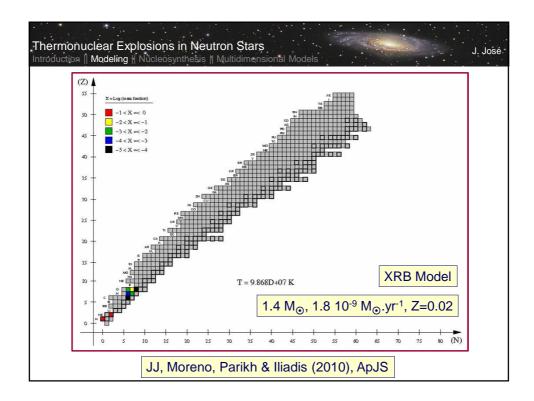


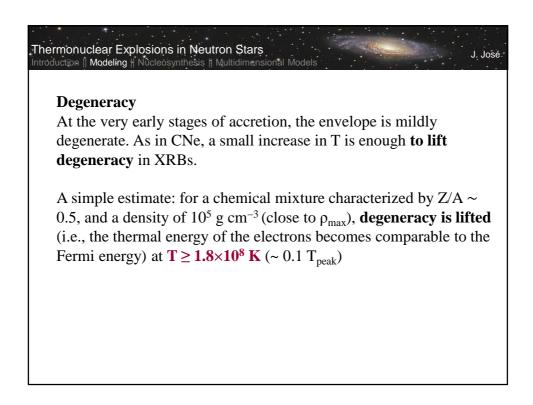


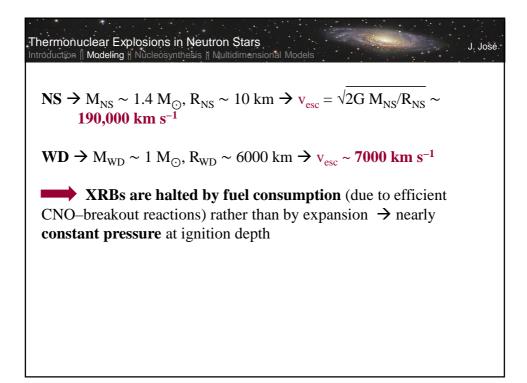


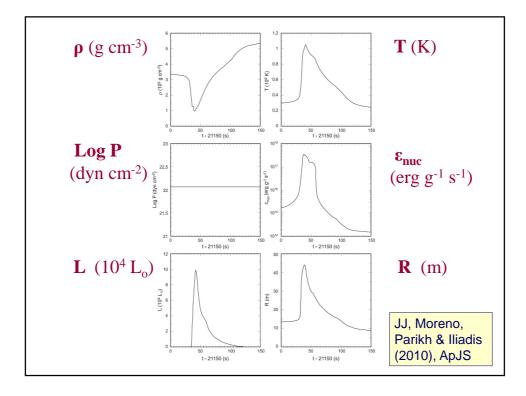


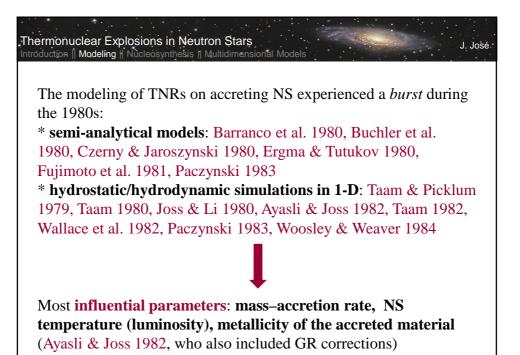


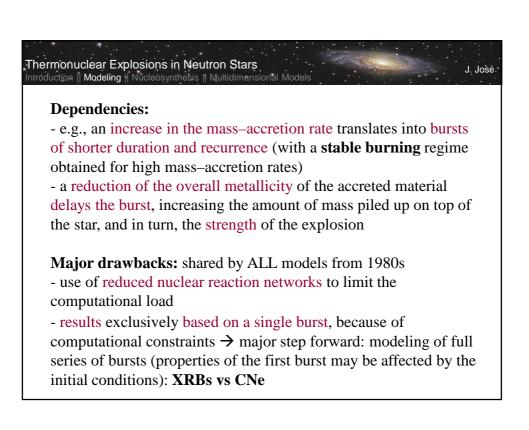


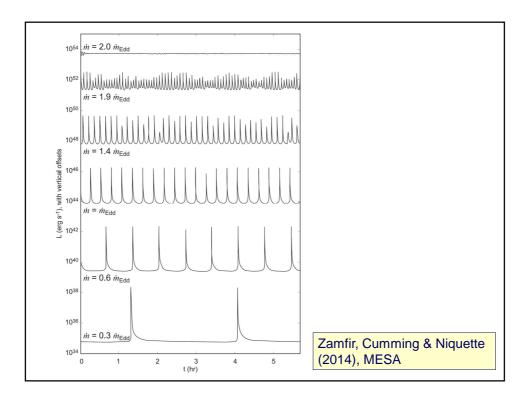


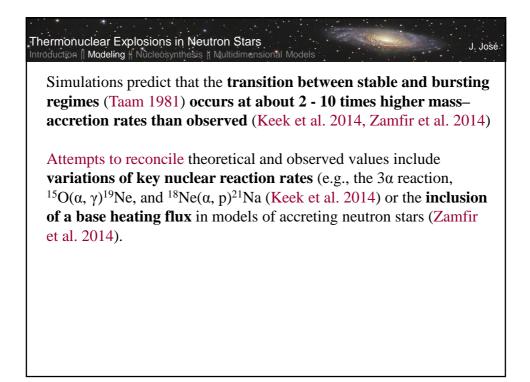








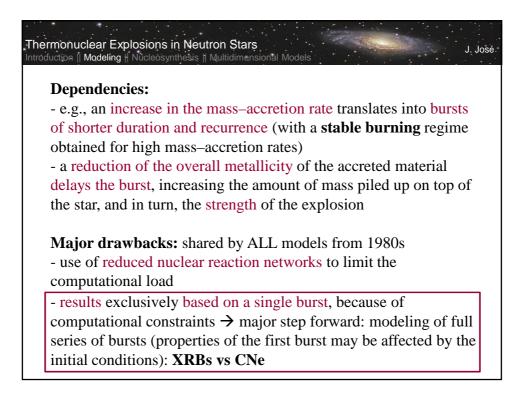


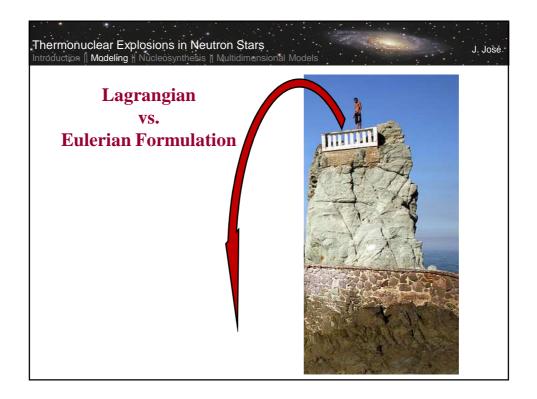


Marginally–stable nuclear burning (close to transition) → oscillations in the XRB light curve (Cumming & Bildsten 2000, Heger et al. 2007) identified with the mHz quasi–periodic oscillations discovered in NS accreting H–rich matter at rates in the range 0.05  $\dot{M}_{Edd}$  – 0.5  $\dot{M}_{Edd}$  (Revnivtsev et al. 2001, Altamirano et al. 2008, Linares et al. 2012).

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**Transition to stable burning** has also been invoked to account for the observed **quenching** of type I X–ray bursts following a superburst (Cumming & Bildsten 2001, Cumming & Macbeth 2004, Kuulkers et al. 2002, Keek et al. 2012)



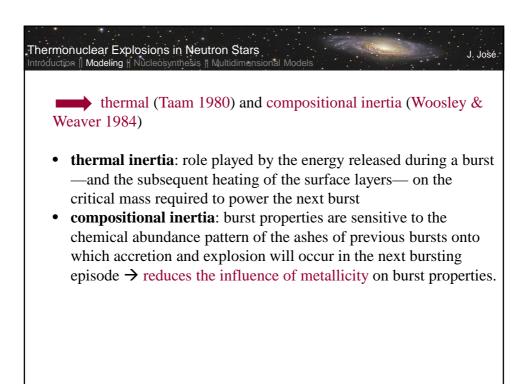






The simulation of a sequence of **XRBs** is relatively easy in a Lagrangian framework  $\rightarrow$  models suggest that <u>no mass is directly</u> <u>ejected</u> by the explosion (i.e., no numerical shell achieves escape velocity and therefore needs to be removed from the computational domain)  $\rightarrow$  In sharp contrast with other astrophysical scenarios (e.g., **CNe**), freshly accreted material continuously piles up on top of previously accreted layers.

J. José



	clear Explosions in Modeling    Núcleósyn	n Neutron Stars Ihesis ∦ Multidimensional Models
	0	unstable burning on NS have also been
$\rightarrow$ larg	, U	combined H/He bursts and pure He flashes rst properties (Fujimoto et al. 1981, Taam 1981, dsten 2006)
	TABLE 6.1	
-		regimes in accreting neutron stars
	$\dot{M}/\dot{M}_{Edd} \le 0.005 \ \sim 0.005 - 0.03 \ \sim 0.03 - 1 \ge 1$	Burning regime Mixed H/He flashes (initiated by H–ignition) He flashes (with stable H–burning) Mixed H/He flashes (initiated by He–ignition) Stable H/He burning
-		

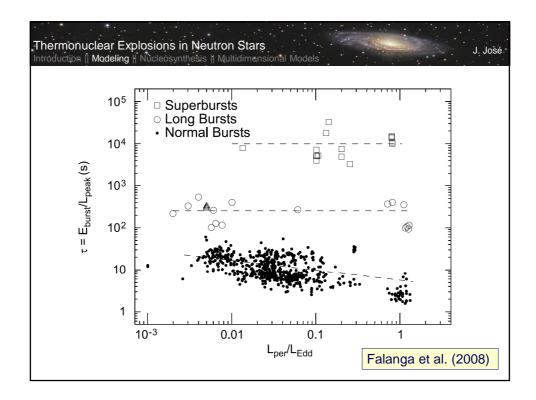
Observed spread in burst properties (explained by different fuels and ignition depths)  $\rightarrow$  **XRB subtypes**: normal and intermediate-duration bursts, and superbursts

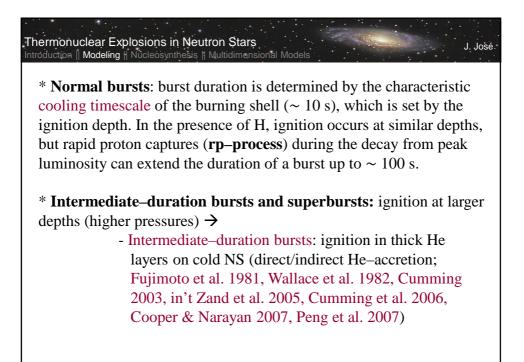
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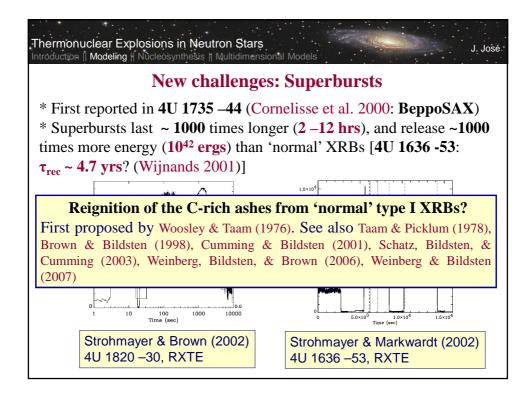
## **TABLE 6.2**

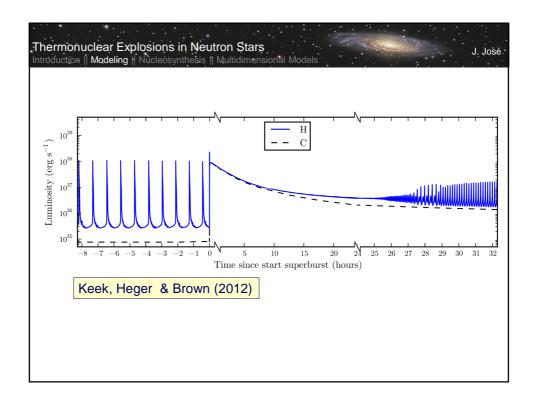
Characteristic features in normal and intermediate–duration bursts and superbursts

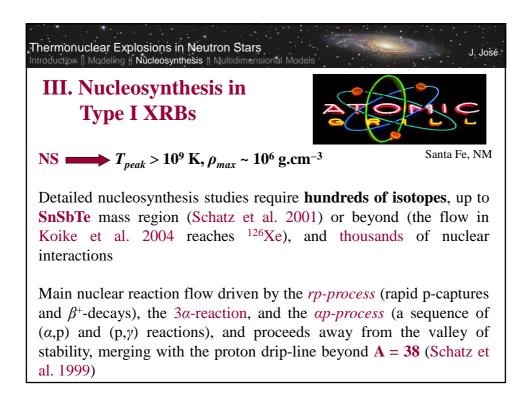
	Normal	Intermediate	Superbursts
	bursts	$\mathbf{bursts}$	
Duration	$10-100~{ m s}$	$15-40 \min$	1 day
Energy	$10^{39} \text{ erg}$	$10^{40} - 10^{41} \text{ erg}$	$10^{42}  {\rm erg}$
Recurrence period	hr - days	tens of days	1-2 yr
Observed bursts	$\sim 12,000$	20	22
	in 104 sources	in 8 sources	in 13 sources

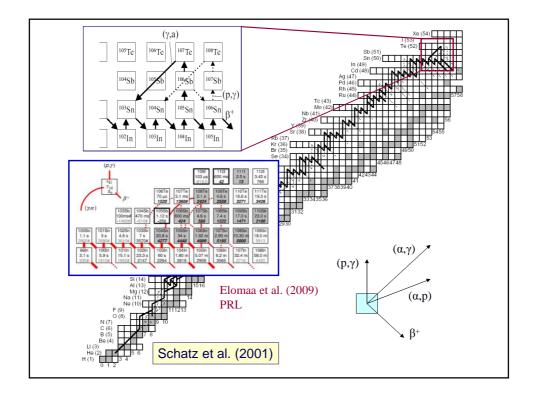


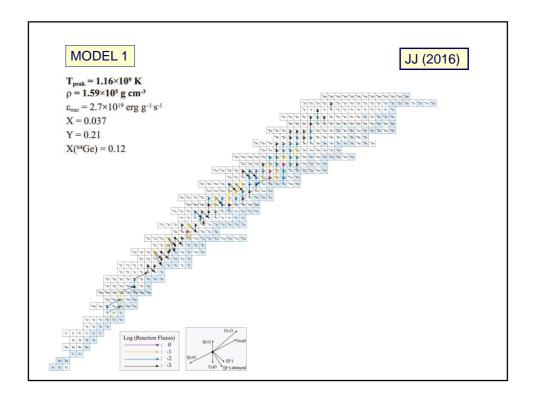






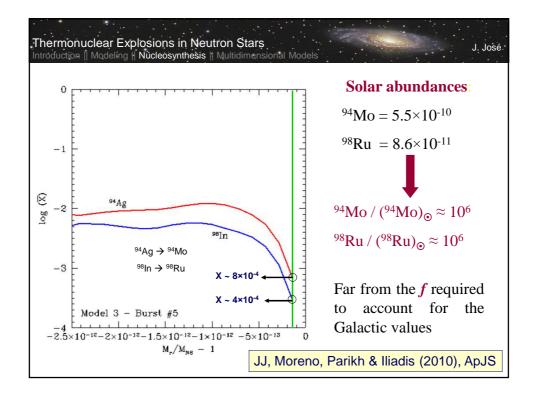






Thermonuclear Explosions in Neutron Stars Introduction [Modeling | Nucleosynthesis | Multidimensional Models The potential impact of XRB nucleosynthesis on Galactic abundances is still a matter of debate: Ejection from a NS unlikely because of its large gravitational potential (ejection from the surface a NS of mass *M* and radius *R* requires  $GMm_p/R \sim 200$  MeV/nucleon, whereas only a few MeV/nucleon are released from thermonuclear fusion) However, it has been suggested that radiation-driven winds during photospheric radius expansion may lead to the ejection of a

during photospheric radius expansion may lead to the ejection of a tiny fraction of the envelope (Weinberg et al. 2006a). Indeed, it has been suggested that XRBs might account for the Galactic abundances of the problematic light *p-nuclei* (Schatz et al. 1998)

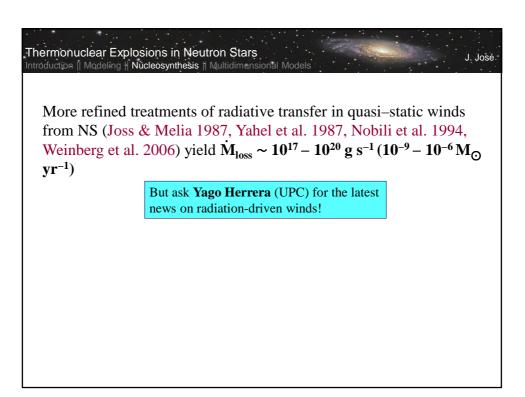


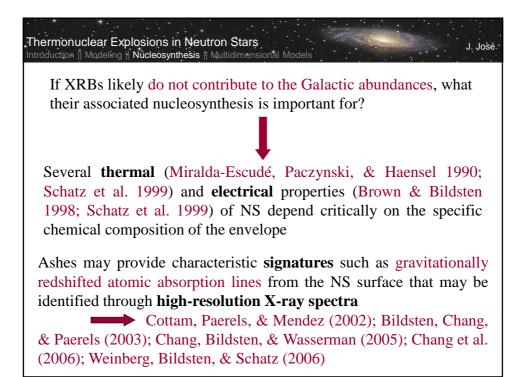


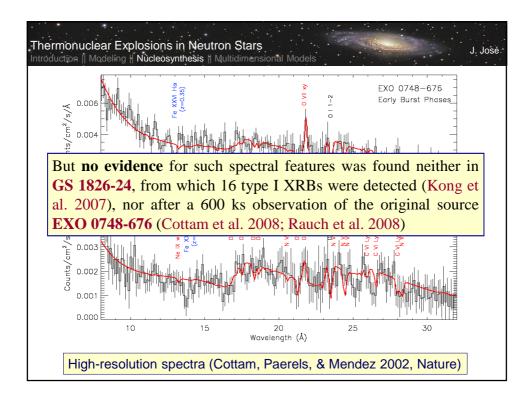
Some models achieve high pressures and densities at the envelope base  $\rightarrow$  strong bursts, with short periods of **super-Eddington luminosities**, frequently accompanied by the presence of precursors in the X-ray light curve, together with mass-loss episodes through radiation-driven winds

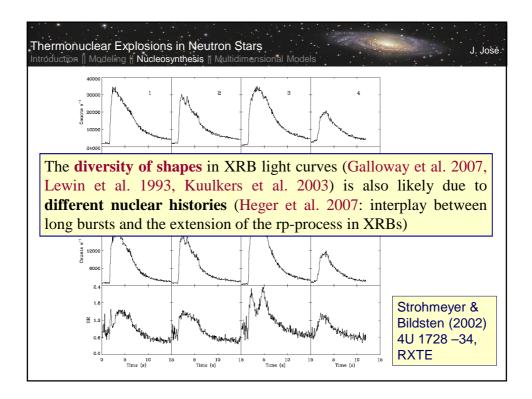
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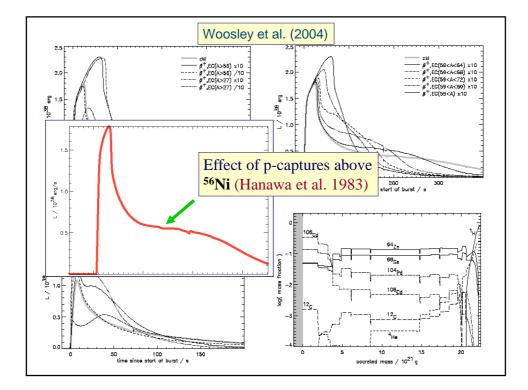
**Radiation–driven winds**: the radiation flux that difusses outwards from the burning regions may exceed the local Eddington limit in the outer, cooler layers of the star  $\rightarrow$  hydrostatic equilibrium is broken. Pioneering models: Kato (1983), Ebisuzaki et al. (1983), and Quinn and Paczynski (1985). GR effects were introduced by Paczynski and Proszynski (1986), and Turolla et al. (1986).

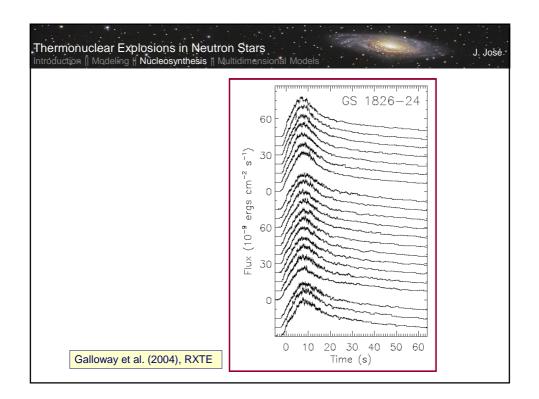


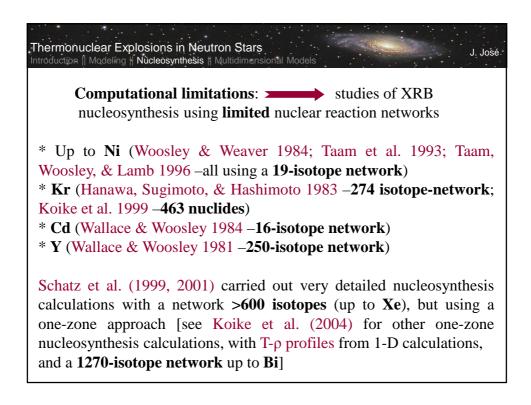


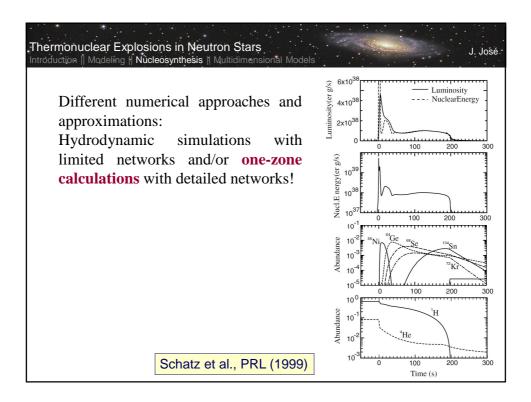


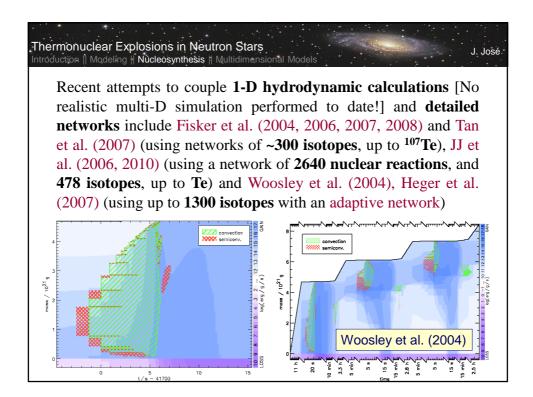


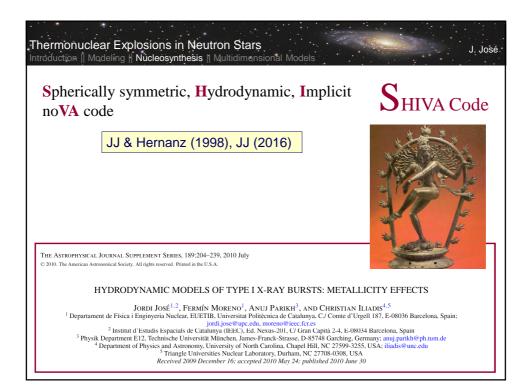




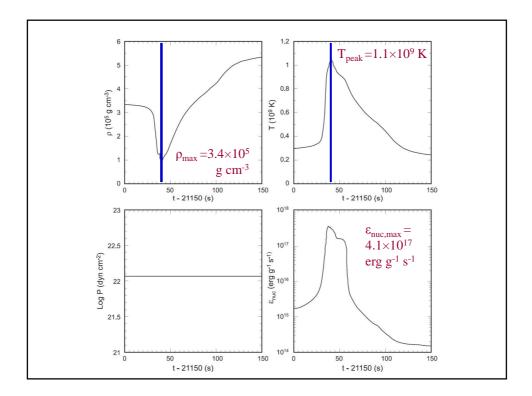


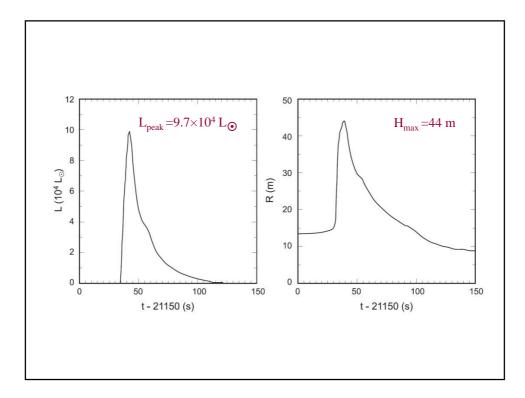


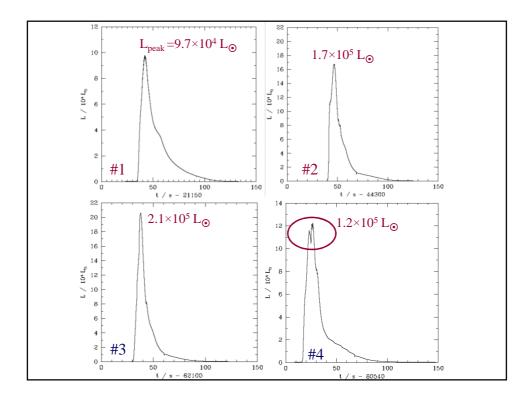


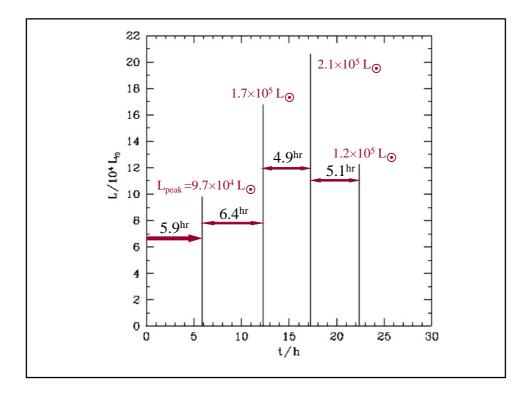


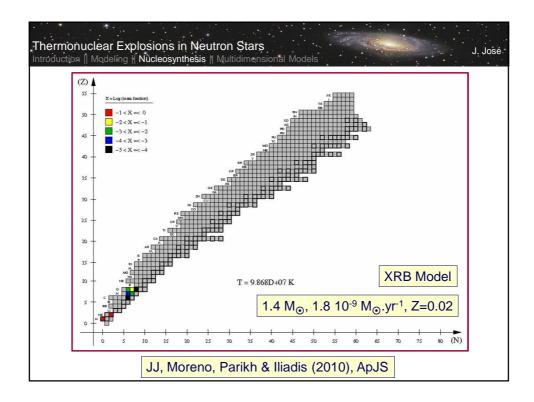
Burst #	T <sub>peak</sub> (GK)	τ <sub>rec</sub> (hr)	L <sub>peak</sub> (10 <sup>38</sup> erg·s <sup>-1</sup> )	t <sub>0.01</sub> (s)	α
1	1.06	5.9	3.8	75.8	60
2	1.15	6.4	6.6	62.3	40
3	1.26	4.9	8.2	55.4	34
4	1.12	5.1	4.7	75.7	36
* <b>GS</b> 18		= 5.74 ±	perties $(\tau_{rec}, \alpha)$ of s <b>0.13 hr,</b> $\alpha = 41.7$ $\alpha = 38 \pm 3$	' <b>±</b> 1.6]	source

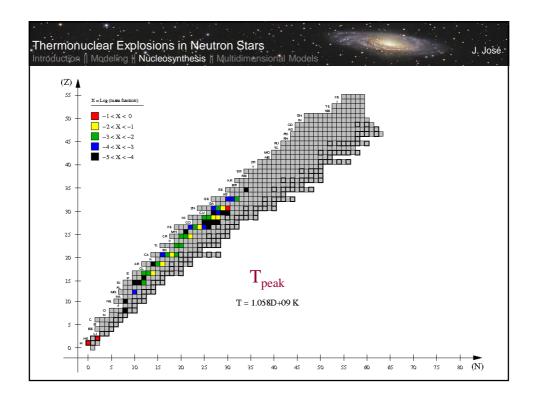


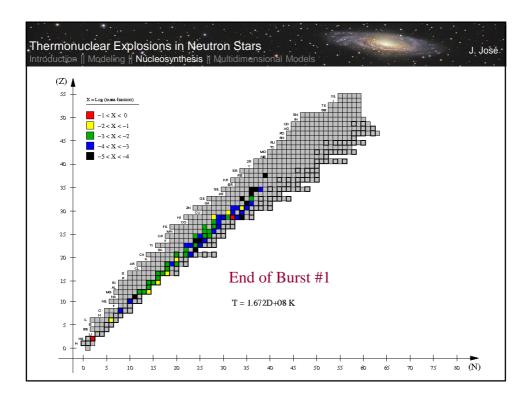


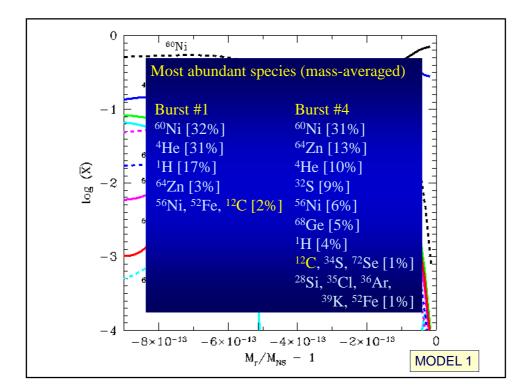




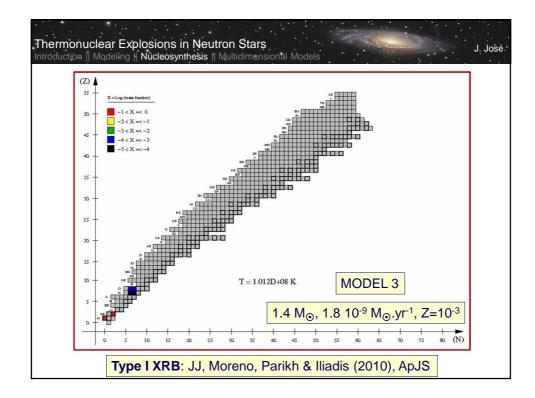


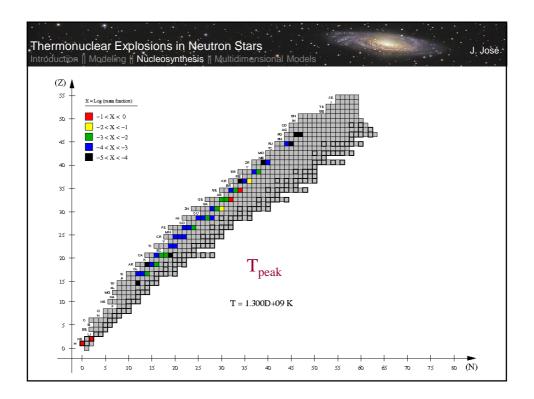


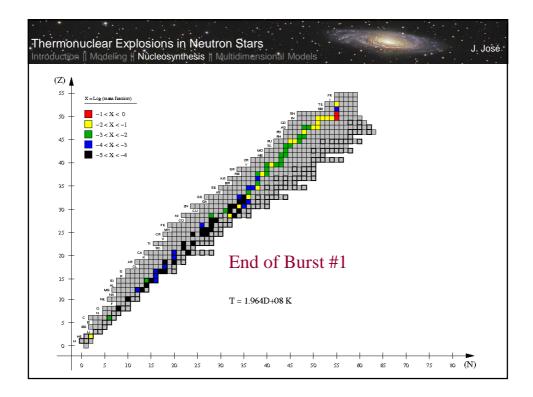


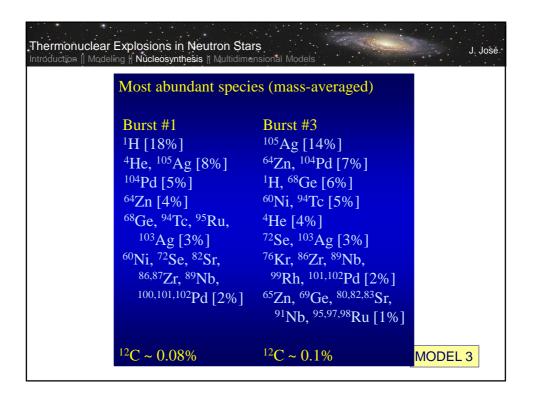


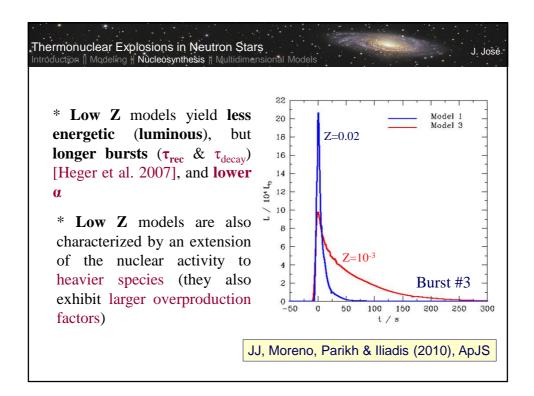
Burst #	T <sub>peak</sub> (GK)	τ <sub>rec</sub> (hr)	L <sub>peak</sub> (10 <sup>38</sup> erg·s <sup>-1</sup> )	t <sub>0.01</sub> (s)	α
1	1.40	18.1	3.9	423	34
2	1.39	9.4	4.3	296	24
3	1.32	8.9	3.8	281	24
4	1.30	8.9	3.9	252	27
5	1.26	8.9	3.9	250	30











## Thermonuclear Explosions in Neutron Stars Introduction || Modeling || Nucleosynthesis || Multidimensio

## **Nuclear Cross Sections**

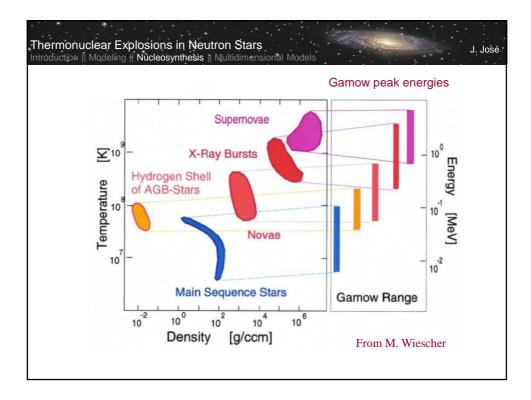
The **cross section**,  $\sigma$ , of a nuclear reaction characterizes the probability that a specific nuclear reaction can occur, quantified in terms of "characteristic area" (a larger area means a larger probability of interaction). It is defined as the number of interactions per time, divided by the number of incident particles per area and time, and divided by the number of target nuclei within the beam (unit: 1 barn =  $10^{-24}$  cm<sup>2</sup>).

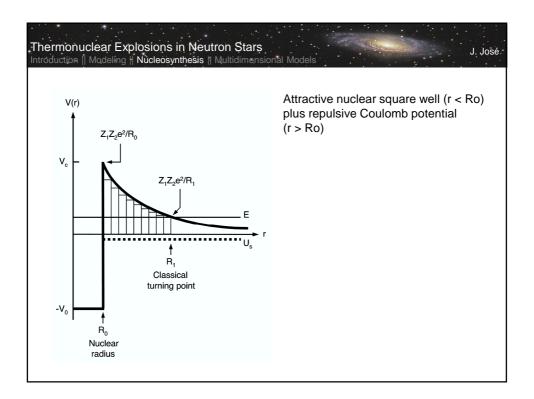
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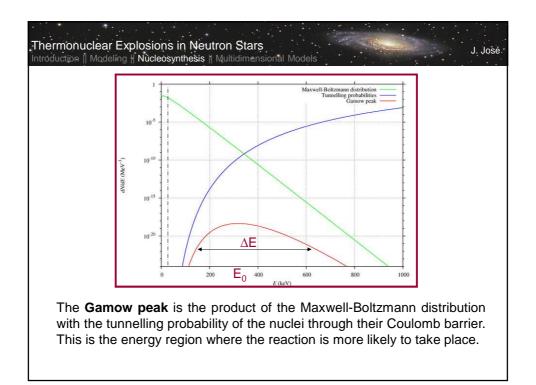
$$\sigma = \frac{N_{int}/t}{N_i/(t\,S_i)N_i}$$

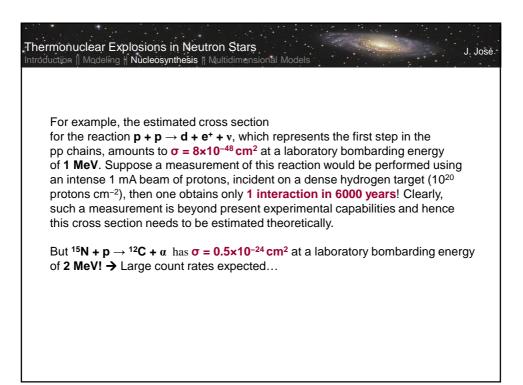
If products are the same as incident particles this is an elastic/inelastic scattering; if they are different, we refer to reactions. The cross section can be expressed in terms of a particle density flux,  $J_i = (N_i/t)/S_i$ , and the ratio of the number of emitted interaction products over the number of target nuclei,  $N_{rat} = N_e/N_i$ , as

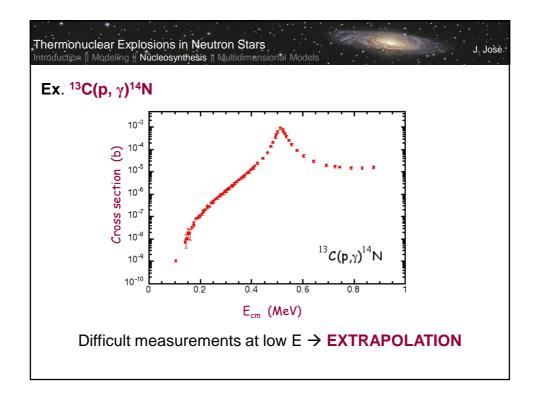
$$\sigma = \frac{N_{rat}/t}{J_i}$$

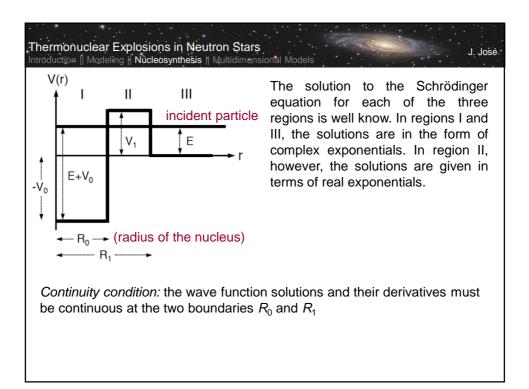


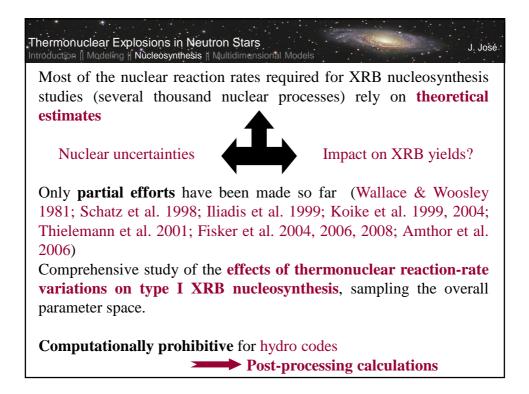




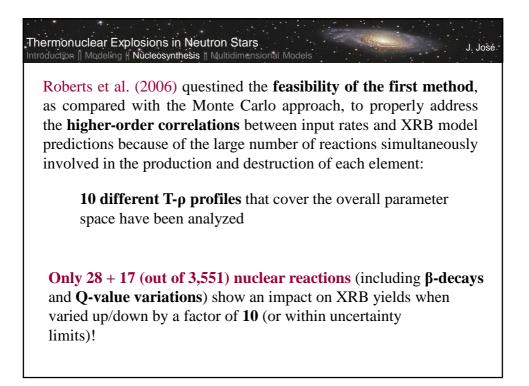






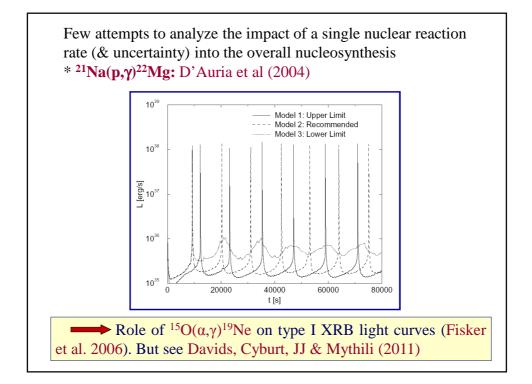


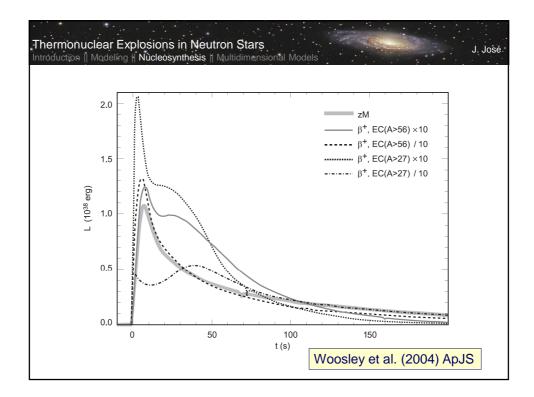
Thermonuclear Explosions in Neutron Stars J. José troduction || Modeling || Nucleosynthesis || Multidiment Two different, complementary approaches, based on postprocessing calculations with T-p profiles from literature: \* Individual variation of all rates within uncertainty limits so as to check the impact of each nuclear process on the final yields. This technique has been previously applied to a large number of astrophysical sites, including nucleosynthesis in the Sun (Bahcall et al. 1982), SN II (The et al. 1998; Hoffman, Woosley, & Weaver 2001, Jordan, Gupta, & Meyer 2003), CN (Iliadis et al. 2002), BBN (Coc et al. 2002, 2004), intermediate-mass AGB stars (Izzard et al. 2007), and XRBs (Amthor et al. 2006). \* Monte Carlo techniques: random variation factors applied to each nuclear process of the network simultaneously. This approach has been already applied to **BBN** (Krauss & Romanelli 1990; Smith et al. 1993), CN (Smith et al. 2002; Hix et al. 2002, 2003) and XRB (Roberts et al. 2006).

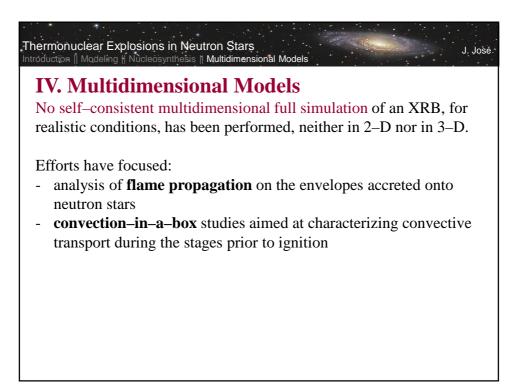


duction	uclear Explosions in Neutron Stars J.    Modeling    Nucleosynthesis    Multidimensional Models
Nucle	ear Uncertainties
THE ASTRO	PHYSICAL JOURNAL SUPPLEMENT SERIES, 178:110–136, 2008 September
	American Astronomical Society. All rights reserved. Printed in U.S.A.
	THE EFFECTS OF VARIATIONS IN NUCLEAR PROCESSES ON TYPE I X-RAY BURST NUCLEOSYNTHESIS
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	AND
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	~ <b>50,000</b> post-processing calculations [21 CPU months!]

	TABLE 19		
SUMMARY OF THE MOST I	IABLE 19 NFLUENTIAL NUCLEAR PROCESSES, AS COLLECTED FROM TABLES 1–10	TABLE 20 NUCLEAR PROCESSES AFFECTING THE TOTAL ENERGY OUTPUT BY MORE THAN 5% AND AT LEAST ONE ISOT	
Reaction	Models Affected		
$^{12}C(\alpha, \gamma)^{16}O^{a}$		Reaction	Models Affected
${}^{N}Nc(\alpha, p)^{21}Na^{n}$ ${}^{50}(\alpha, p)^{29}N$ ${}^{50}(\alpha, p)^{29}Si$ ${}^{50}(\alpha, p)^{29}Si$ ${}^{50}(\alpha, p)^{29}Si$ ${}^{50}(\alpha, p)^{29}Cl$ ${}^{50}(\alpha, p)^{21}Cl$ ${}^{50}(\alpha, p)^{21}Cl$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Cu$ ${}^{50}(\alpha, p)^{29}Sc$ ${}^{50}(\alpha, p)^{29}Sc$		$\label{eq:response} \begin{split} & {}^{15}\text{O}(\alpha,\gamma)^{19}\text{Ne}^{a} & \\ & {}^{18}\text{Ne}(\alpha,p)^{25}\text{Al} & \\ & {}^{22}\text{Mg}(\alpha,p)^{25}\text{Al} & \\ & {}^{24}\text{Mg}(\alpha,\rho)^{27}\text{Al}^{a} & \\ & {}^{24}\text{Mg}(\alpha,\rho)^{27}\text{Al}^{a} & \\ & {}^{26}\text{Al}(p,\gamma)^{27}\text{Si}^{a} & \\ & {}^{26}\text{Si}(\alpha,p)^{31}\text{P} & \\ & {}^{26}\text{Si}(\alpha,p)^{31}\text{P} & \\ & {}^{32}\text{Si}(\alpha,p)^{31}\text{P} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Al} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Al} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Al} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Al} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Cl} & \\ & {}^{32}\text{Si}(\alpha,p)^{32}\text{Cl} & \\ & {}^{35}\text{Cu}(\mu,\gamma)^{36}\text{Sc} & \\ & {}^{56}\text{Ni}(\alpha,p)^{56}\text{Cu} & \\ & {}^{56}\text{Ni}(\alpha,p)^{56}\text{Cu} & \\ & {}^{56}\text{Ni}(\rho,\gamma)^{56}\text{Cu} & \\ & {}^{56}\text{Ni}(\rho,\gamma)^{56}\text{Cu} & \\ & {}^{56}\text{Ni}(\rho,\gamma)^{56}\text{Sc} & \\ & {}^{16}\text{Br}(\rho,\gamma)^{27}\text{Kr} & \\ & {}^{10}\text{Si}(\alpha,p)^{166}\text{Sb} & \\ \end{array}$	K04, K04-B1, K04-B6 F08 K04-B1 K04-B2 F08 K04-B2 F08 K04-B2 K04-B2 K04-B3 K04-B3 K04-B3 K04-B2 S01 S01 K04, K04-B2, K04 S01 K04-B7 S01
${}^{6}Mo(p, \gamma)^{87}Tc$ ${}^{7}Mo(p, \gamma)^{88}Tc$ ${}^{2}Ru(p, \gamma)^{98}Tk$ ${}^{8}Rh(p, \gamma)^{97}Pd$ ${}^{6}Ag(p, \gamma)^{97}Cd$ ${}^{10}In(p, \gamma)^{105}Sn$ ${}^{30}Sn(a, p)^{106}Sb$	F08, K04-B6 K04-B6 K04-B2, K04-B6 K04-B2 K04-B2, K04-B3, K04-B7 K04, K04-B3, K04-B7 K04-B3, K04-B7	Parikh et al. 2009)	(2008,









**Pioneering studies** of thermonuclear flame propagation on neutron stars, in the framework of XRBs, were performed by Shara (1982)  $\rightarrow$  while localized runaways on WD yield volcanic–like eruptions rather than deflagrative spreads, a localized ignition on a NS would likely propagate as a deflagration front, incinerating the whole envelope in a timescale of ~ 100 s.

Fryxell and Woosley (1982a): two different propagation regimes are actually possible.

- ignition deep inside the envelope, at  $\rho \sim 10^8 \text{ g cm}^{-3}$ : a detonation front propagating at v ~ 9000 km s<sup>-1</sup> will likely occur.
- if the density is ρ < 10<sup>7</sup> g cm<sup>-3</sup> a subsonic front (i.e., a deflagration) will ensue (v ~ 5 km s<sup>-1</sup>) → the front would horizontally spread, with a characteristic timescale for a halfway propagation across the envelope of about 8 s.

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