

# Description of the stellar models grid v1.0

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**CSIC**  
CONSEJO SUPERIOR DE INVESTIGACIONES CIENTÍFICAS

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## To be used for PLATO core program stars with seismic data

Provide an initial basis for building fundamental stellar parameters pipeline

Not intended for 'professional' PLATO use

limited in parameter space.  $M$ ,  $[Fe/H]$ , age

missing (possibly) relevant physics: e.g. radiative levitation, extra mixing, semiconvection  
<3D> atmospheres,

better treatment of physics (e.g. overshooting)

Garstec models – 2000 mesh points

ADIPLS (v0.3) oscillations – re-meshed model to 7200 points

## What is available right now

	Range	Step
Mass	[0.6, 2.0] $M_{\odot}$	0.01 $M_{\odot}$
[Fe/H]	[-1.0, +0.60] ext. down to -2.5	0.05
Age	70 Gyr (priors later on) $\log g = 3.1$	max step scales as $10\text{Myr}/M^3$
N. steps & frequencies	2000-2500	$\Delta T_{\text{eff}} < 10\text{-}15\text{K}$ in SG
Structures	1/3 cadence	
Storage	190 Gb / 380 Gb 2.4 Tb / 4 Tb (w/structures)	

Grey T- $\tau$  relation - VAL-C (solar based, empirical, Vernazza et al. 1982, analytic fit – JCD & Sonoi et al.)  
intermediate between Eddington and Krishna Swamy  
good/decent job on RGB Teff with solar calibration

Solar Fusion II nuclear rates (low  $^{14}\text{N}+\text{p}$  from LUNA), weak and intermediate  $e^-$  screening

Wichita low-T opacities, OPAL opacities, (& Potekhin cond. opacities)

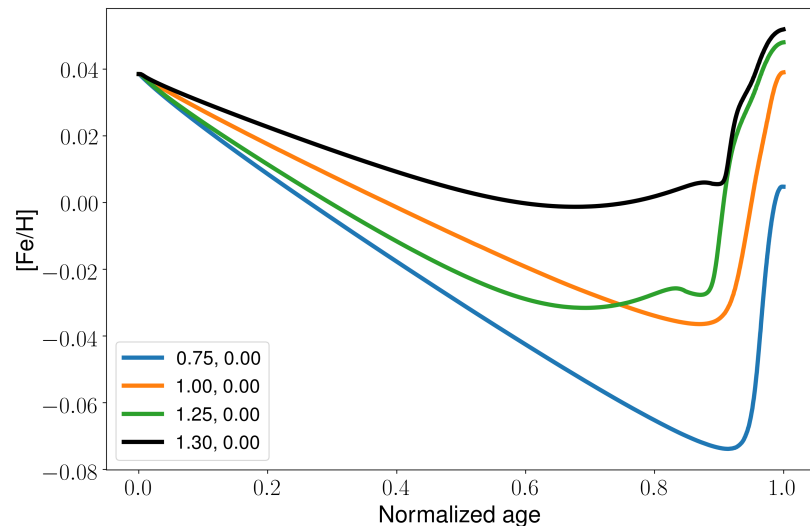
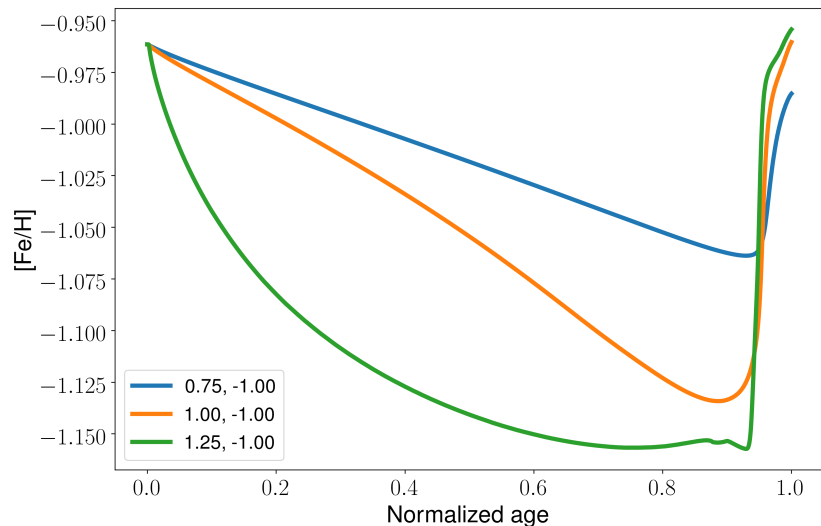
**MLT – solar calibrated**

**Z/Y from solar calibration  $\rightarrow \Delta Y/\Delta Z$  from SBBN**

**[Fe/H] = 0 @ Z/X= 0.02493 (GN93)**

Microscopic diffusion – Thoul 1994, fully ionized  
switched off smoothly from 1.25 to 1.35  $M_{\odot}$

Extra mixing below CZ – Vandenberg et al. 2012 (scales with envelope mass)  
calibrated to reproduce solar Li and (approximately) depletion in metal poor (globular) clusters



## Physics

Overshooting – at all boundaries (CC and CE)

Diffusive approach (Steffen, Herwig, Ludwig) with exponential decay –  $D_c = D_0 \exp(-\Delta r / (f_{ov} H_p))$   
problem for small CC:  $H_p > \Delta r \rightarrow \infty$

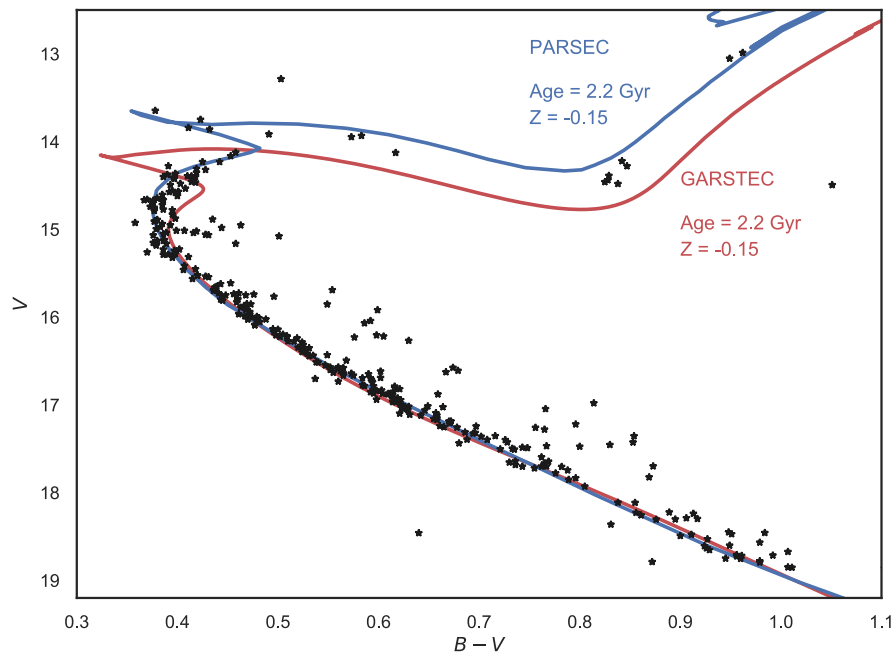
Garstec – geometric cut:  $H_p \rightarrow H_p \times \min[1, (R_{cc}/H_p)^2]$

**Too restrictive** (Higl et al 2018 – HZ Fornacis)

## Physics

Garstec – geometric cut:  $H_p \rightarrow H_p \times \min[1, (R_{cc}/H_p)^2]$

NGC 2420 – Semenova et al. in prep

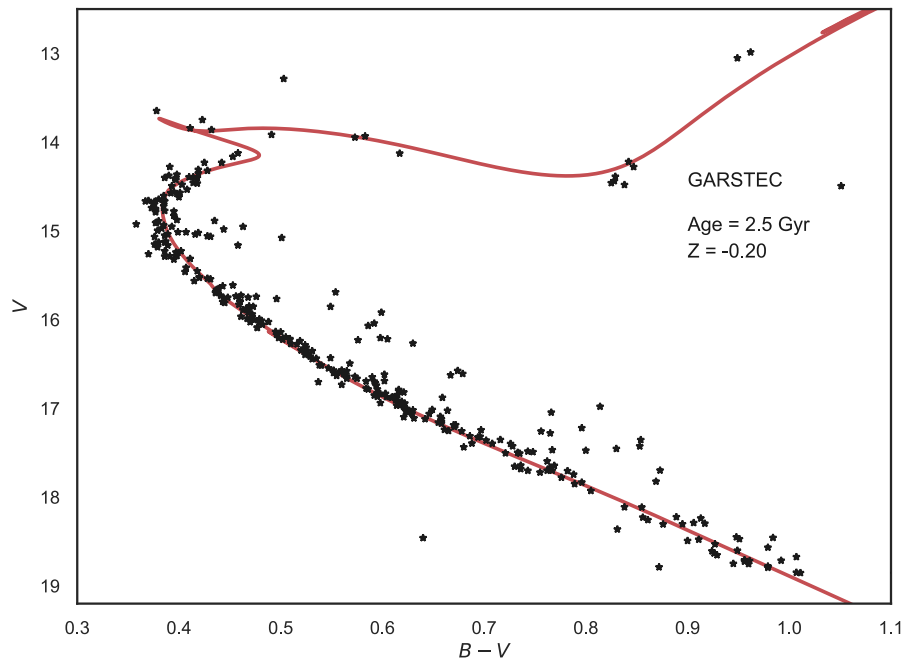


## Physics

Garstec – linear increase in  $f_{\text{ov}}$  from 1.1 to 1.4  $M_{\odot}$  in H-burning convective cores – geometric cut in other cases

$f_{\text{ov}} = 0.02$  ---  $0.20 - 0.25 H_p$

NGC 2420 – Semenova et al. in prep

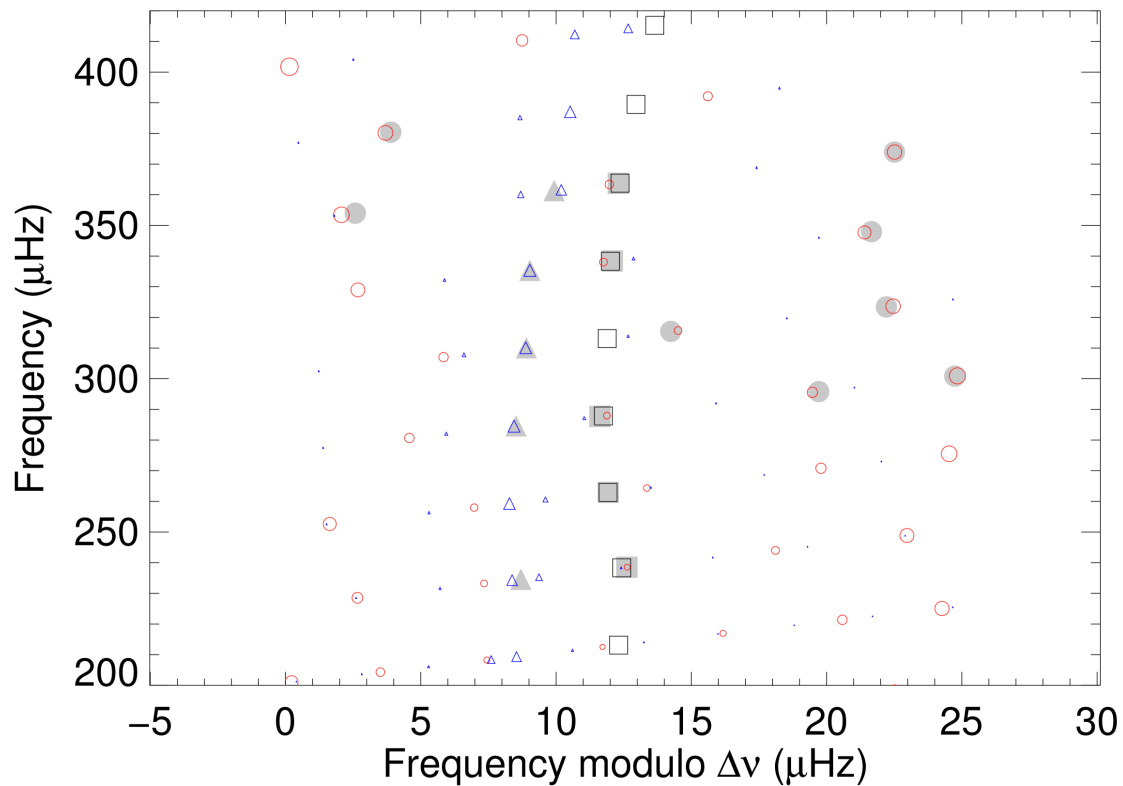




# Some tests

$\nu$  Indi,  $[\text{Fe}/\text{H}] = -1.50$ ,  $[\alpha/\text{Fe}] = +0.35$

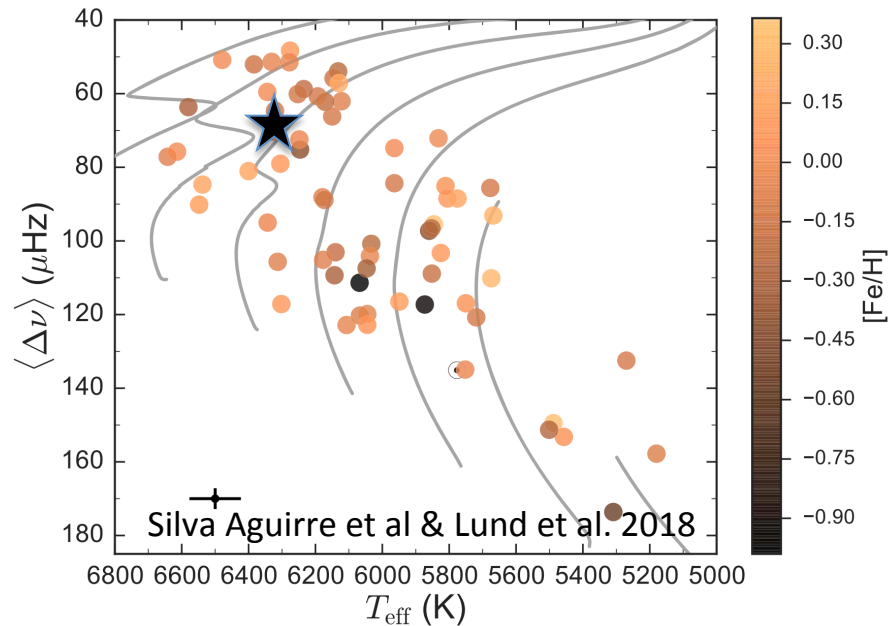
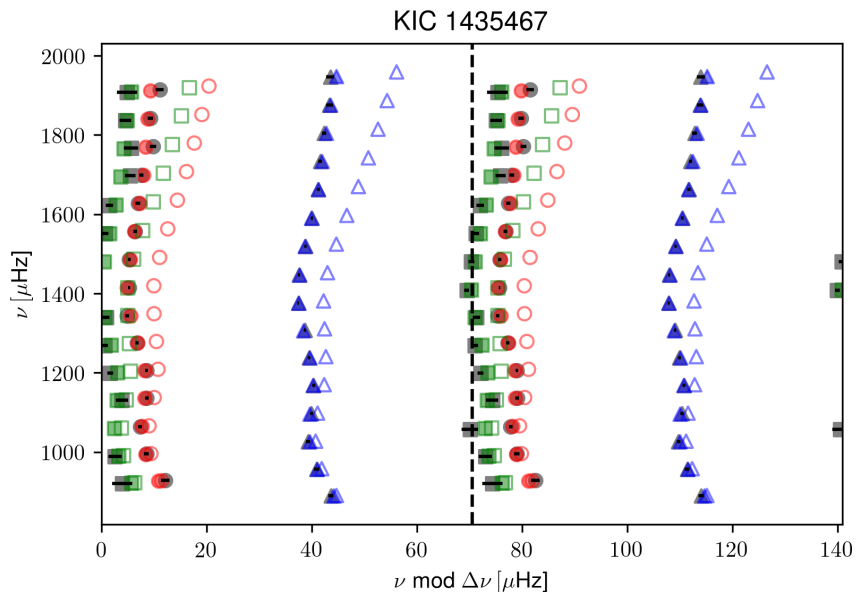
- $l=0$
- $l=1$
- △  $l=2$



# A few Legacy stars

KIC 1435467

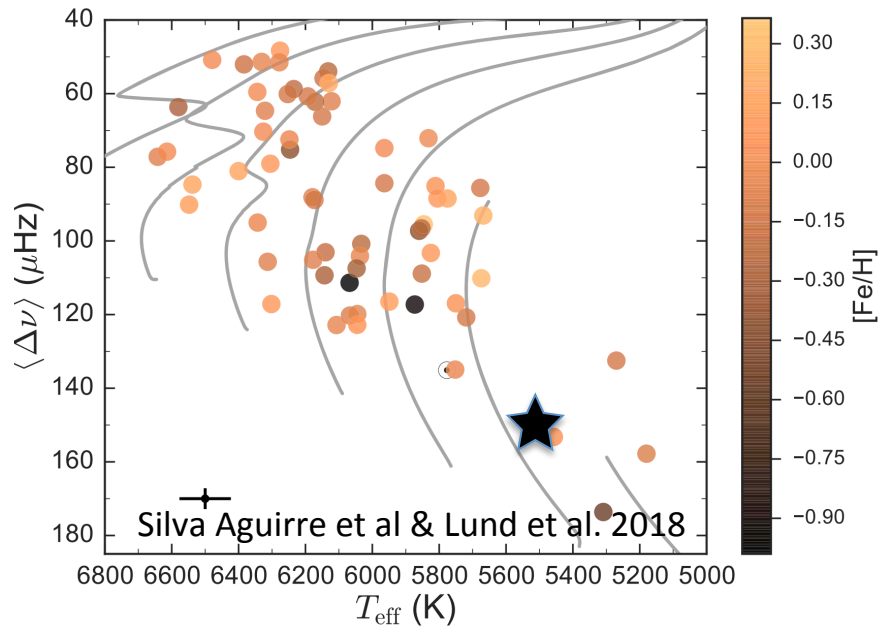
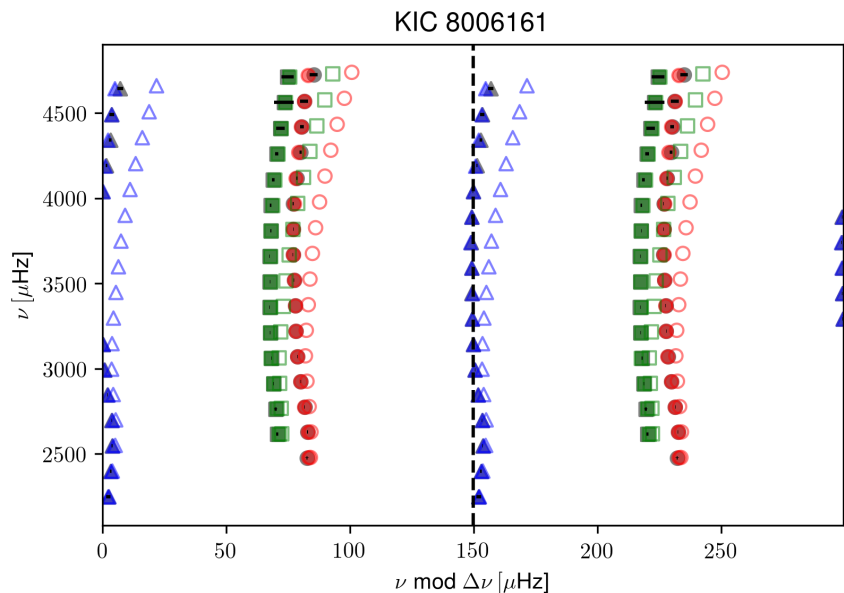
$$M = 1.33 M_{\odot} - [\text{Fe}/\text{H}] = 0.01 - \chi^2 = 71 (46) + 2.6$$



# A few Legacy stars

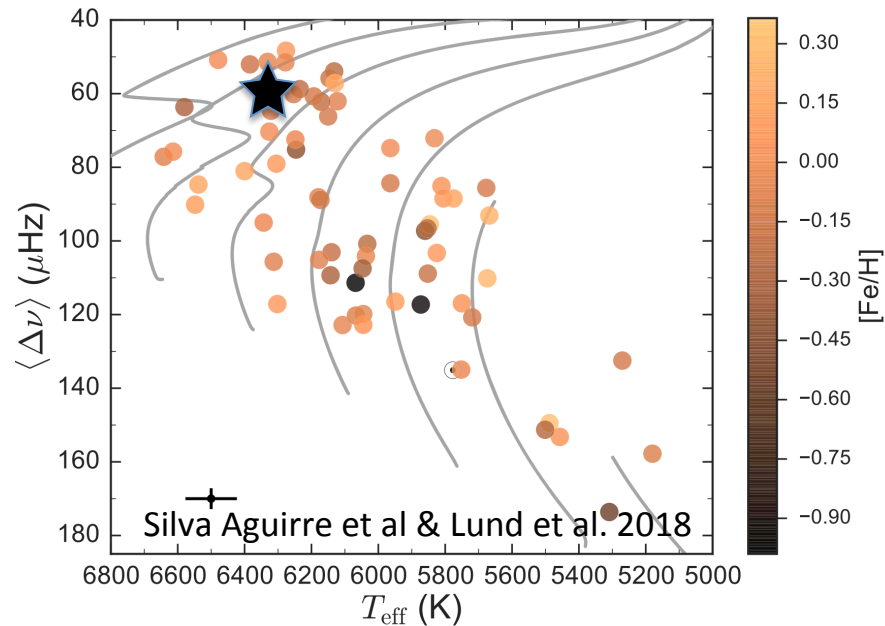
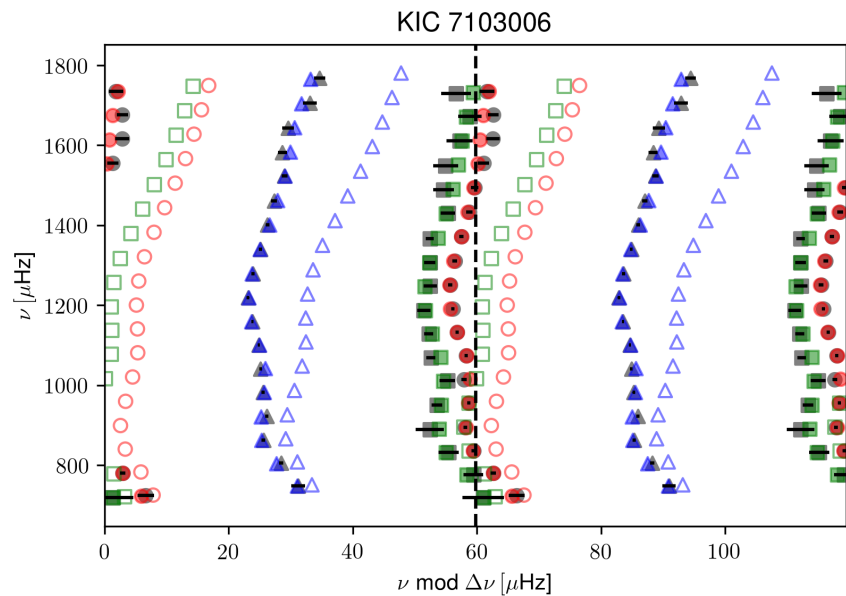
KIC 8006161

$$M = 0.98 M_{\odot} - [\text{Fe}/\text{H}] = 0.34 - \chi^2 = 100 (48) + 2.4$$



KIC 7103006

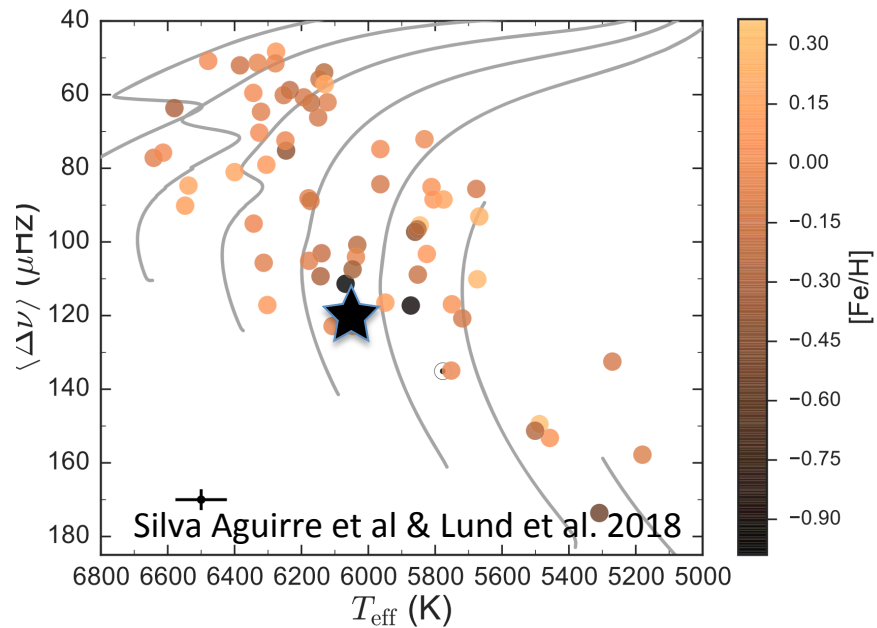
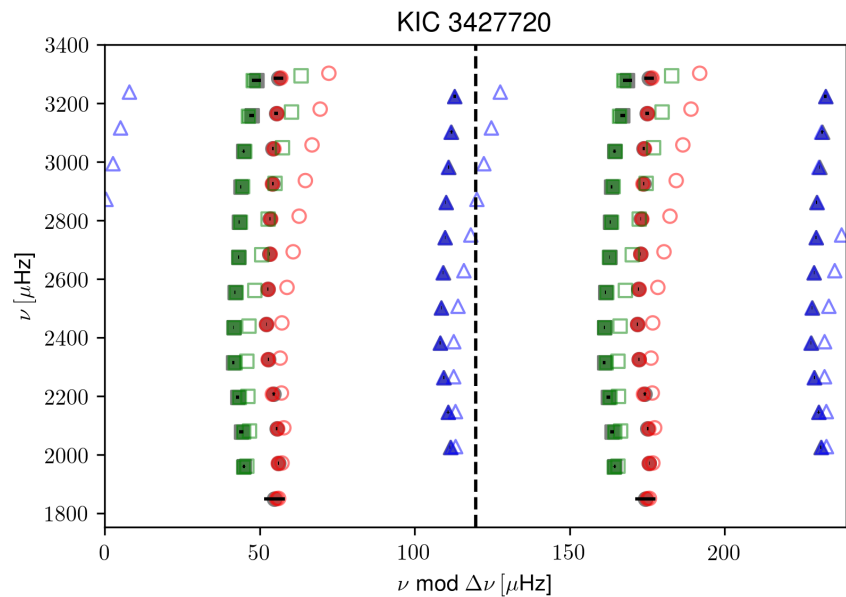
$$M = 1.41 M_{\odot} - [\text{Fe}/\text{H}] = 0.02 - \chi^2 = 80 (54) + 4.8$$



# A few Legacy stars

KIC 3427720

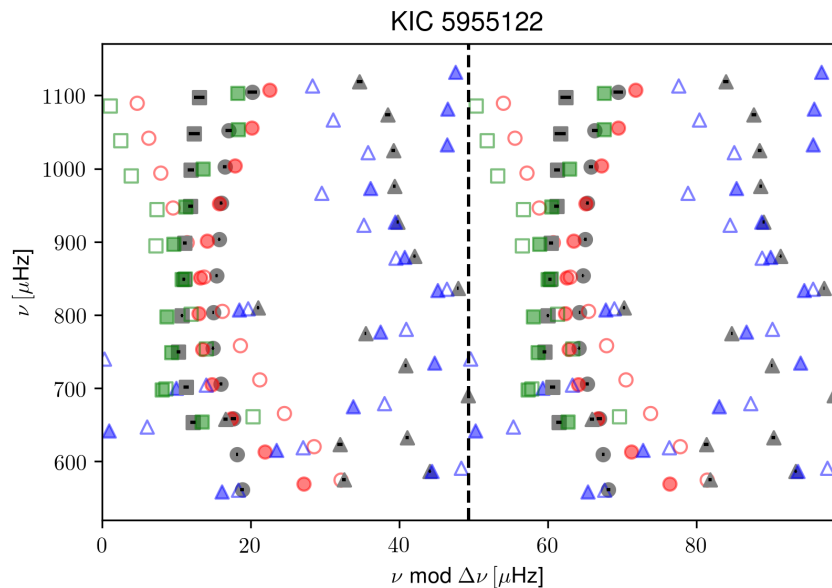
$$M = 1.10 M_{\odot} - [\text{Fe}/\text{H}] = 0.02 - \chi^2 = 44 (36) + 1.8$$



# A few subgiants

KIC 5955122 (Appourchaux et al. 2012)

$$M = 1.20 M_{\odot} - [\text{Fe}/\text{H}] = -0.22 - \chi^2 = 24818 (38)$$

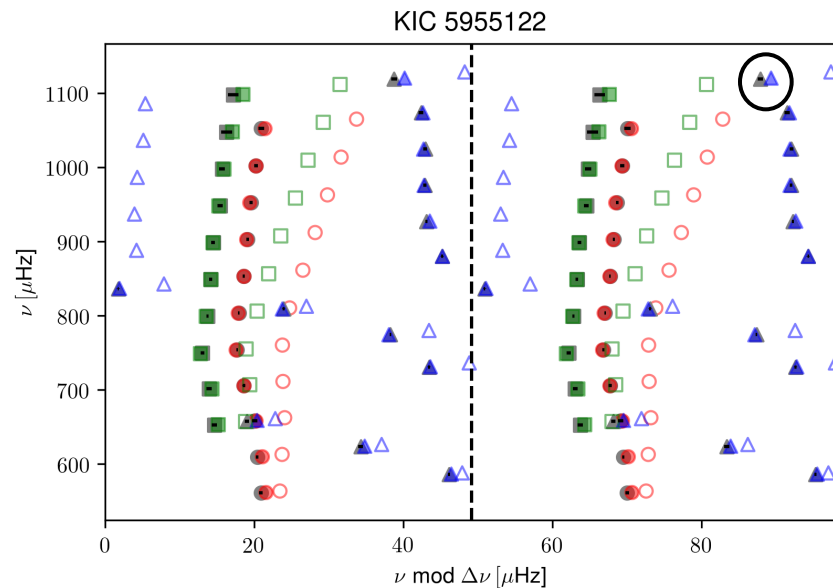
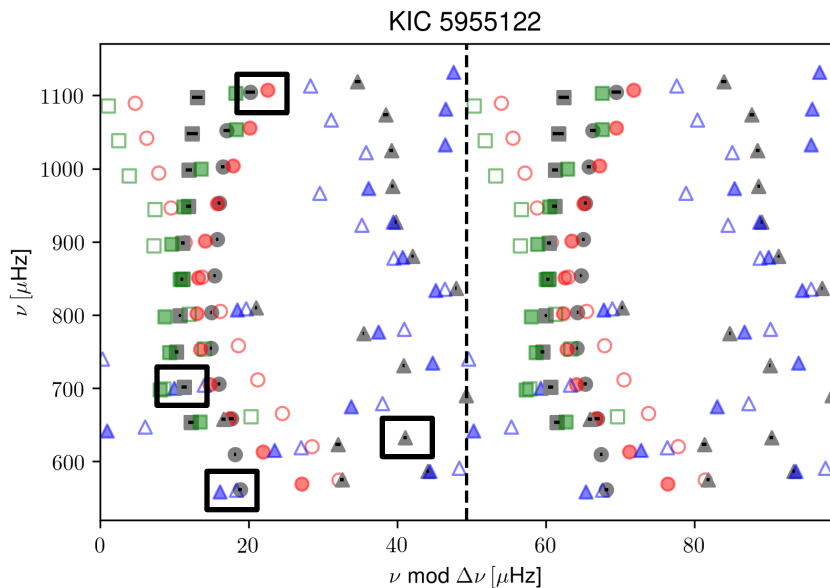


Terrible fit

# A few subgiants

KIC 5955122 (Appourchaux et al. 2012)

$$M = 1.20 M_{\odot} - [\text{Fe}/\text{H}] = -0.22 - \chi^2 = 106 (34)$$

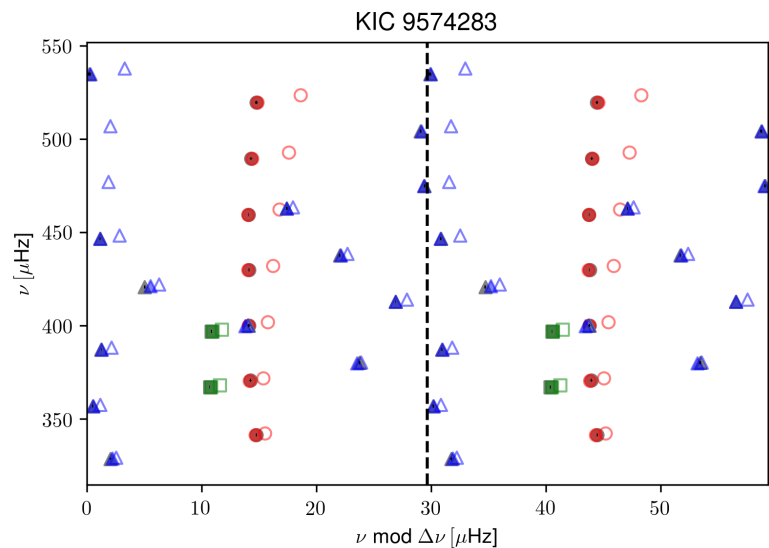


Pretty good fit

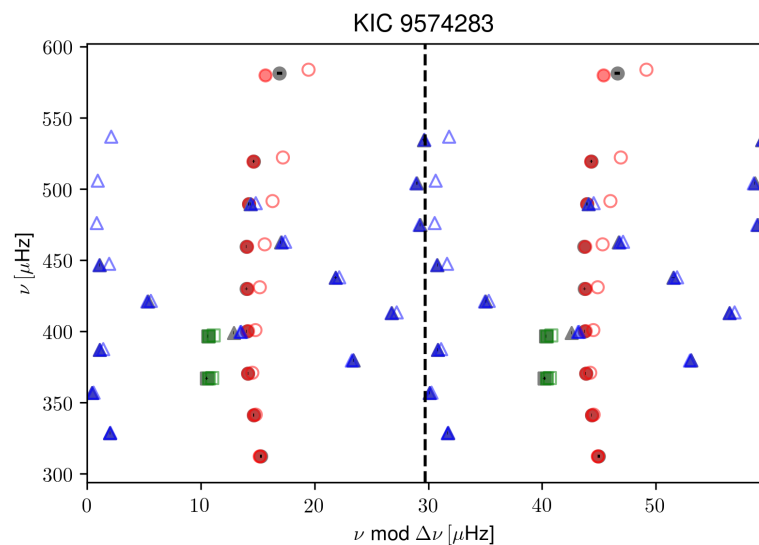
# A few subgiants

KIC 9574283 (Appourchaux et al. 2012, Deheuvels et al. 2014)

$M = 1.06 M_{\odot} - [\text{Fe}/\text{H}] = -0.40 - \chi^2 = 201$  (22)



$M = 1.08 M_{\odot} - [\text{Fe}/\text{H}] = -0.40 - \chi^2 = 1305$  (25)  
 $\langle \text{errors} \rangle \sim 0.03 \mu\text{Hz}$



How bad is this model for PLATO's goal?



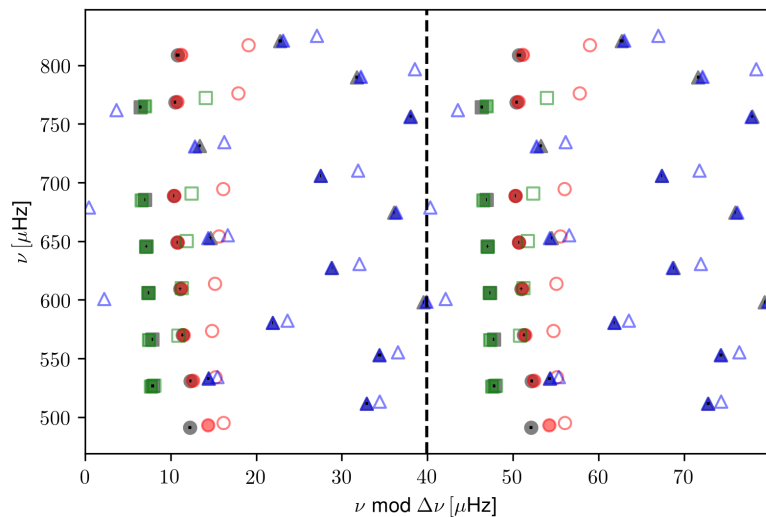
# A few subgiants

KIC 8702606 (Appourchaux et al. 2012, Deheuvels et al. 2014)

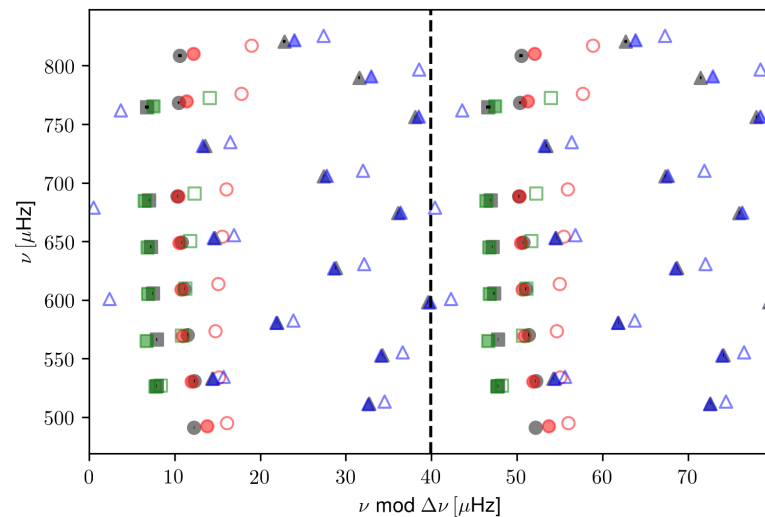
$$M = 1.25 M_{\odot} - [\text{Fe}/\text{H}] = -0.18 - \chi^2 = 398 (27)$$

$$M = 1.25 M_{\odot} - [\text{Fe}/\text{H}] = -0.16 - \chi^2 = 6685 (27)$$

KIC 8702606



KIC 8702606

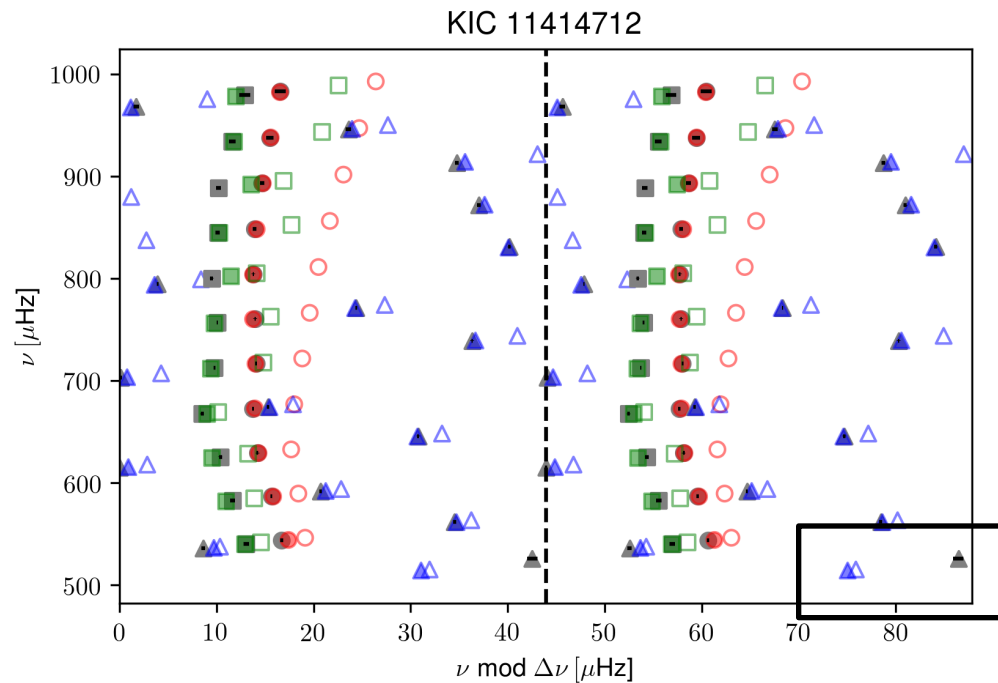


How bad is this model for PLATO's goal?

# A few subgiants

KIC 11414712 (Appourchaux et al. 2012)

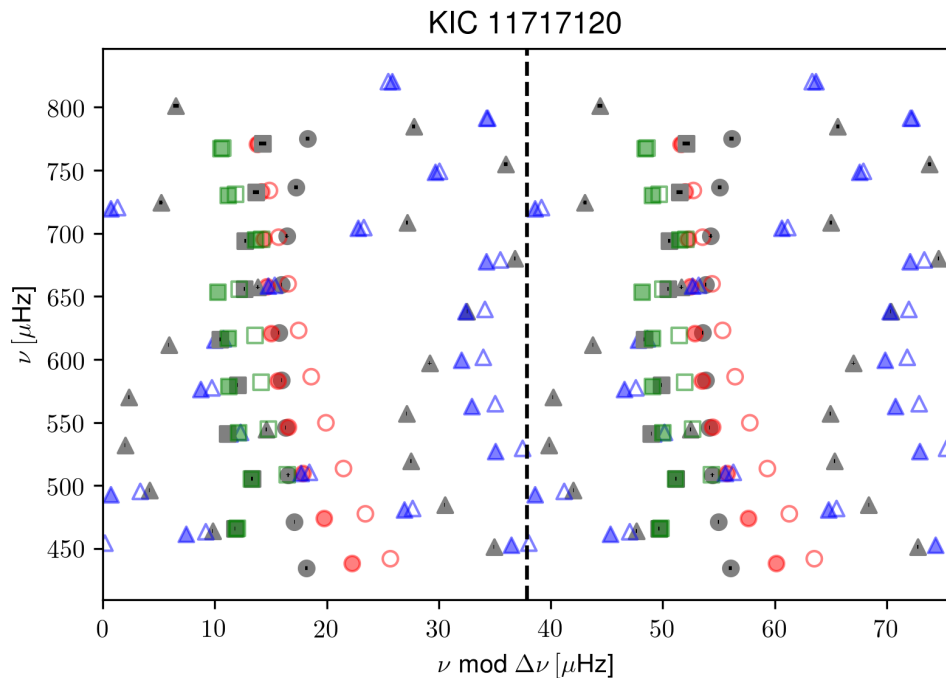
$M = 1.22 M_{\odot} - [Fe/H] = -0.15 - \chi^2 = 1123 (38)$



# A few subgiants

KIC 11717720 (Appourchaux et al. 2012)

$M \approx 0.85 M_{\odot}$  –  $[\text{Fe}/\text{H}] = -0.50$  –  $\chi^2 = 253000$  (38) – more in depth analysis TBD



# Summary

- 1<sup>st</sup> grid based on reasonably ok physics
- So far so good for stars with no mixed modes (but only partial testing)
- Good job for subgiants, generally speaking
- Easy to add synthetic photometry if needed (MARCS and ATLAS)
- For more realistic grids: additional dimensions Z-Y, OV, MLT?

Maybe seismic pipeline should include (given PLATO goals, not for very detailed stellar physics work):  
a criterion of when a fit is a good or bad fit (especially due to one or a few frequencies)  
removal of 'nasty' frequencies? – so maybe iterative seismic analysis

Do Hare & Hounds yield realistic measures of quality?

Guess is that stellar models do not hold surprises, but actual stars might do