

# THE LIFE CYCLE OF DUST: DUST AS A TRACER OF STAR FORMATION

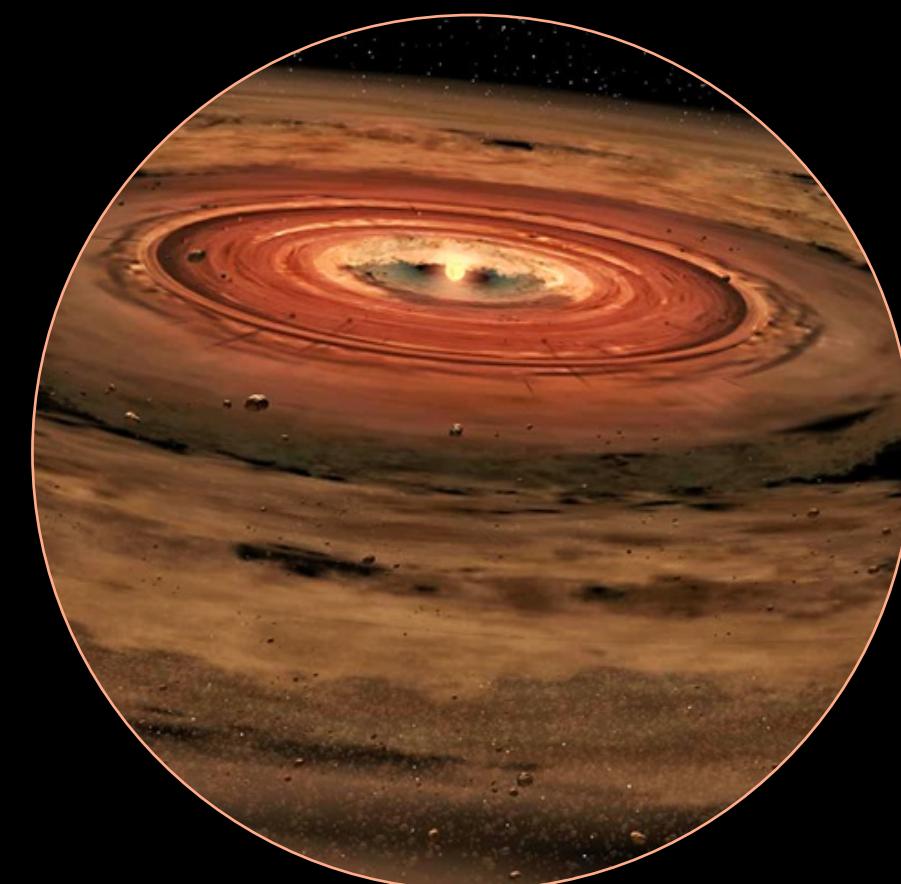
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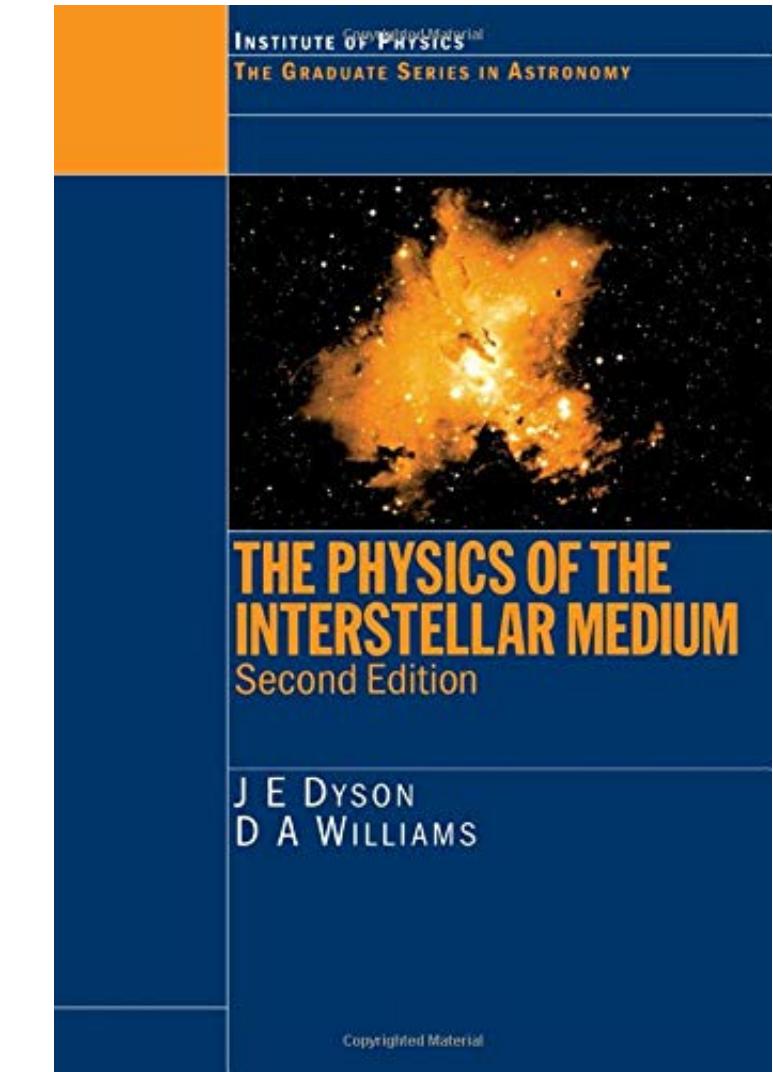
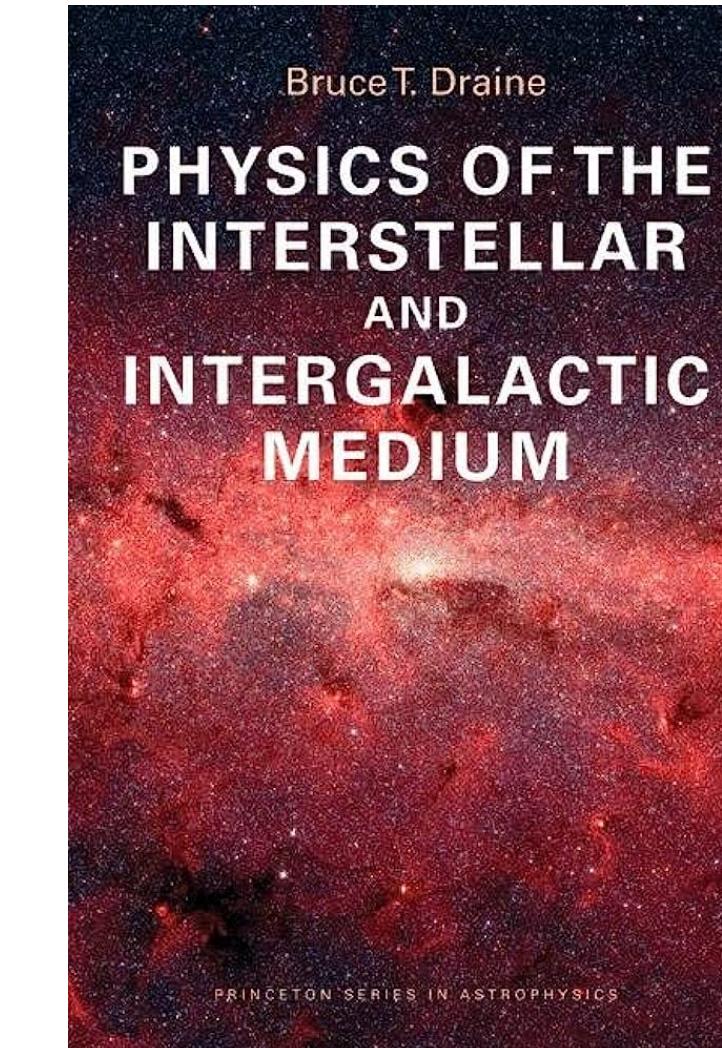
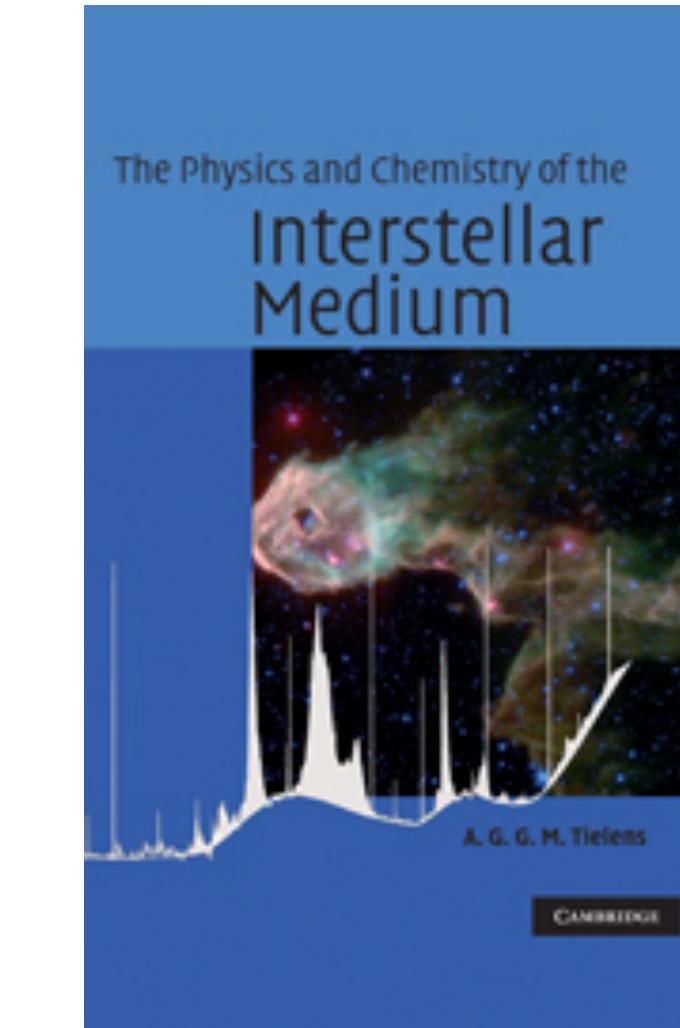
Institut de Ciències del Cosmos (ICCUB)

Institut d'Estudis Espacials de Catalunya (IEEC)

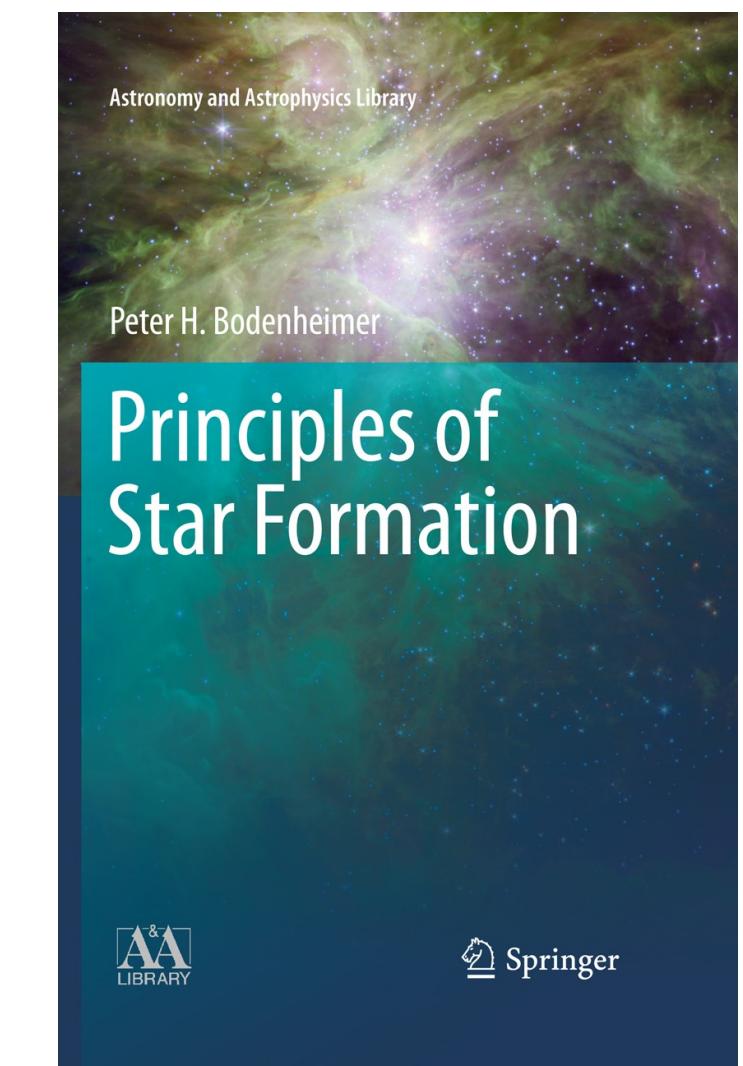
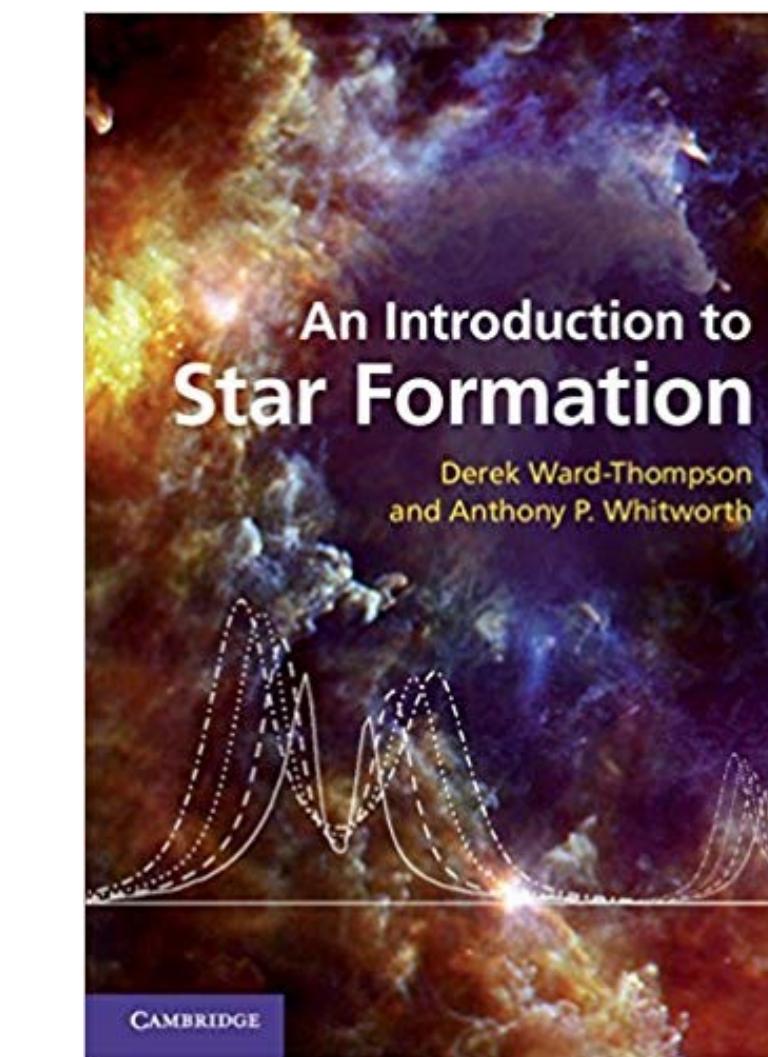


# INTERSTELLAR MEDIUM

## LITERATURE SUGGESTIONS



## STAR FORMATION



# OUTLINE

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**THE INTERSTELLAR  
MEDIUM**



**MOLECULAR CLOUDS:  
THE STELLAR NURSERIES**



**CLOUD FRAGMENTATION AND  
CLUSTER FORMATION**

# OUTLINE

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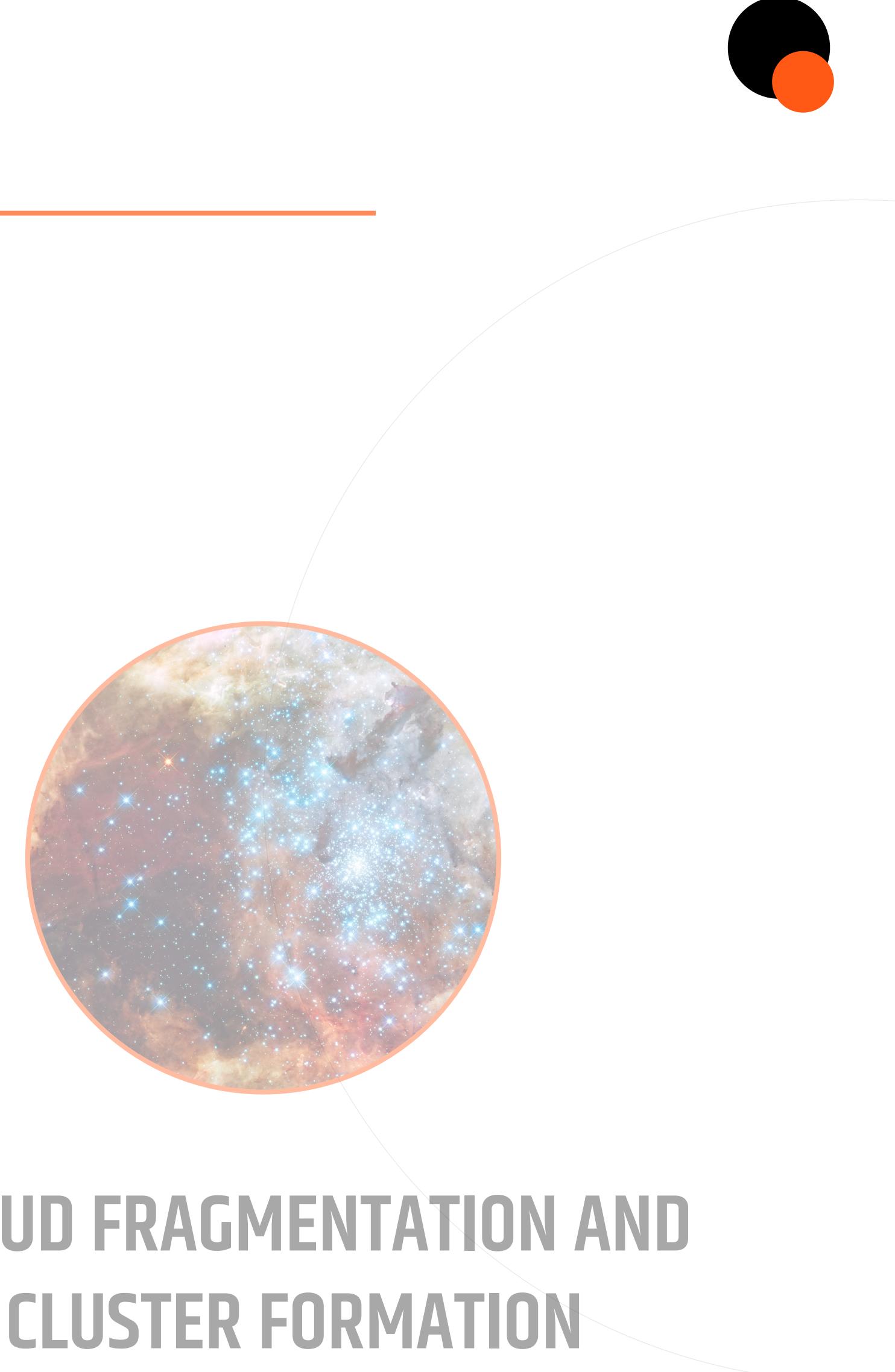


**THE INTERSTELLAR  
MEDIUM**

**MOLECULAR CLOUDS:  
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**CLOUD FRAGMENTATION AND  
CLUSTER FORMATION**



# THE MILKY WAY SEEN BY GAIA: 1.7 BILLIONS STARS

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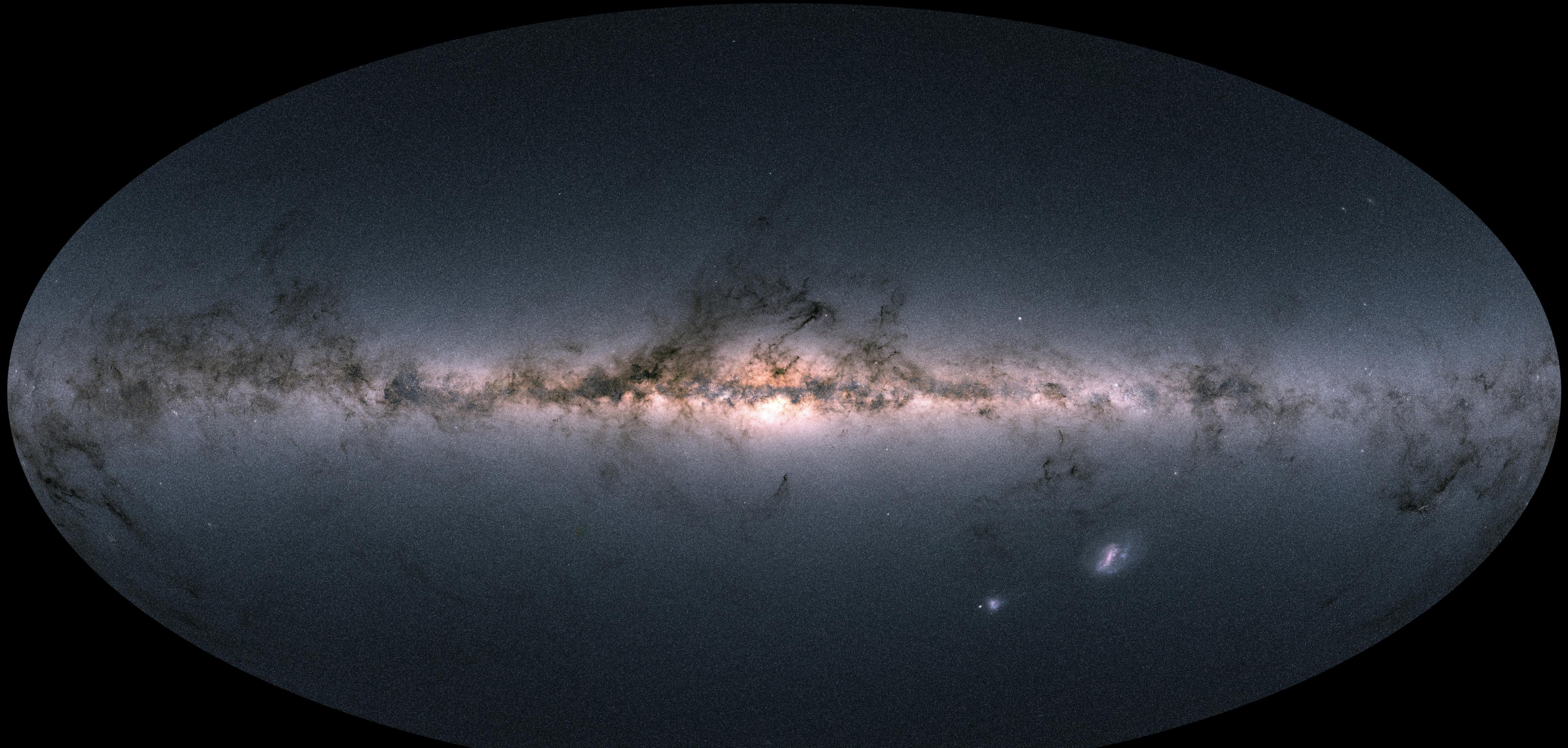


Image Credit: ESA/Gaia/DPAC; Credit Herschel images: ESA

# THE MILKY WAY SEEN BY GAIA: 1.7 BILLIONS STARS

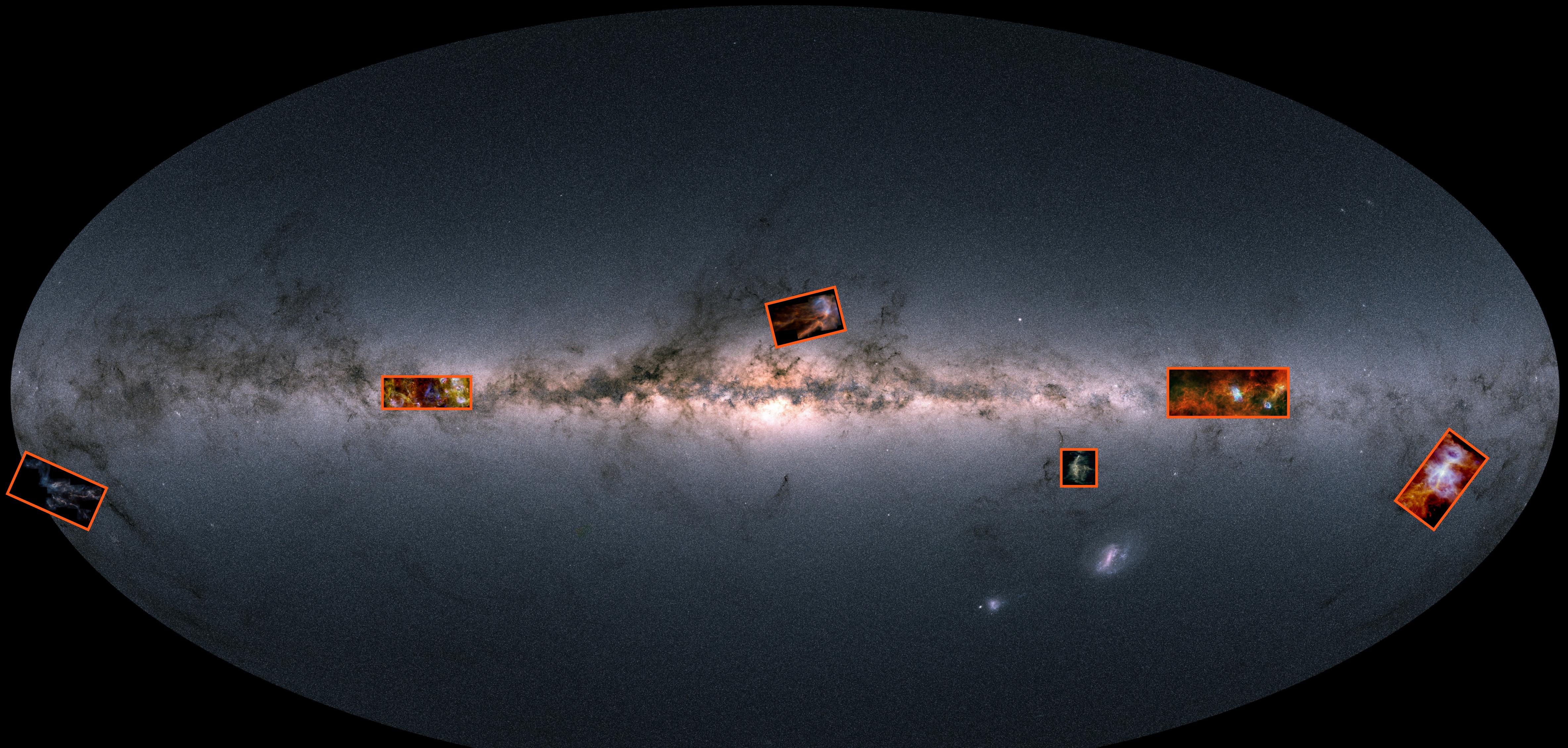
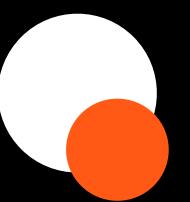
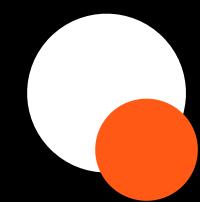
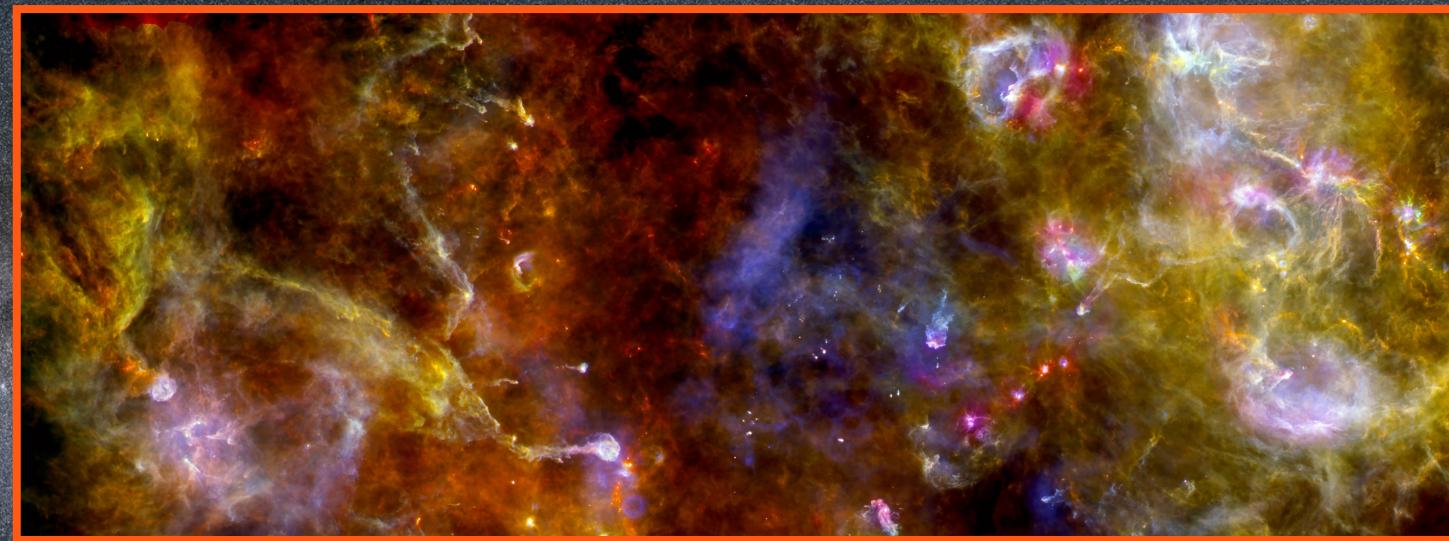


Image Credit: ESA/Gaia/DPAC; Credit Herschel images: ESA

# THE MILKY WAY SEEN BY GAIA: 1.7 BILLIONS STARS



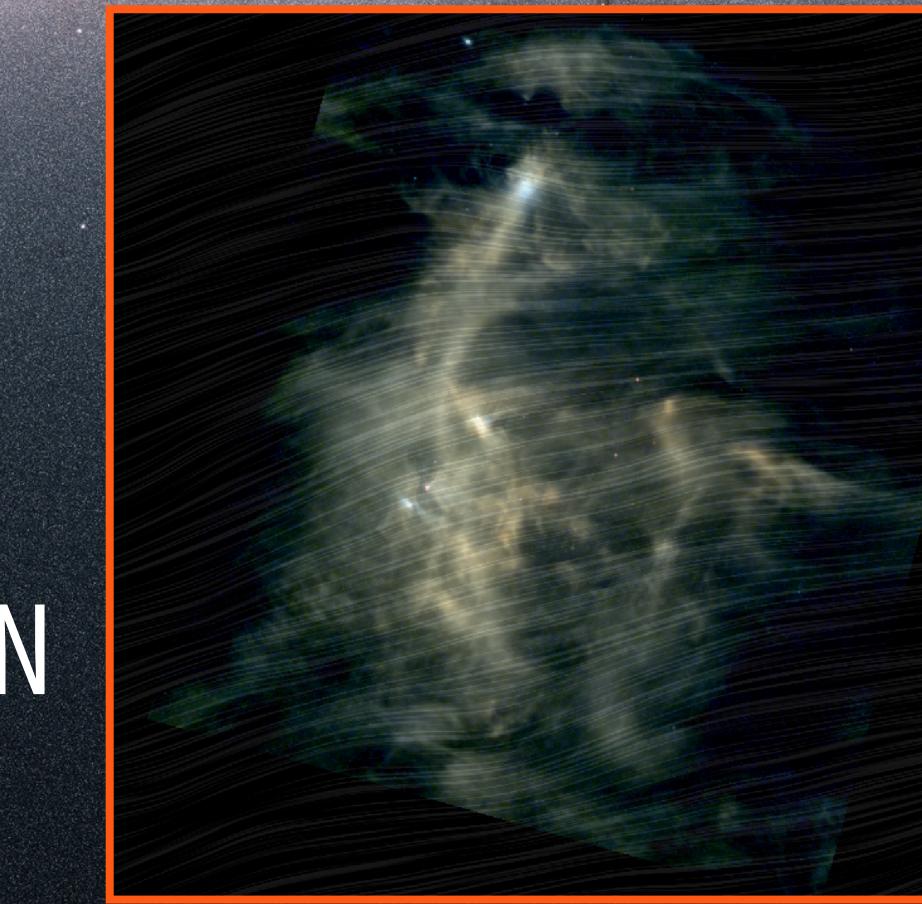
CIGNUS X



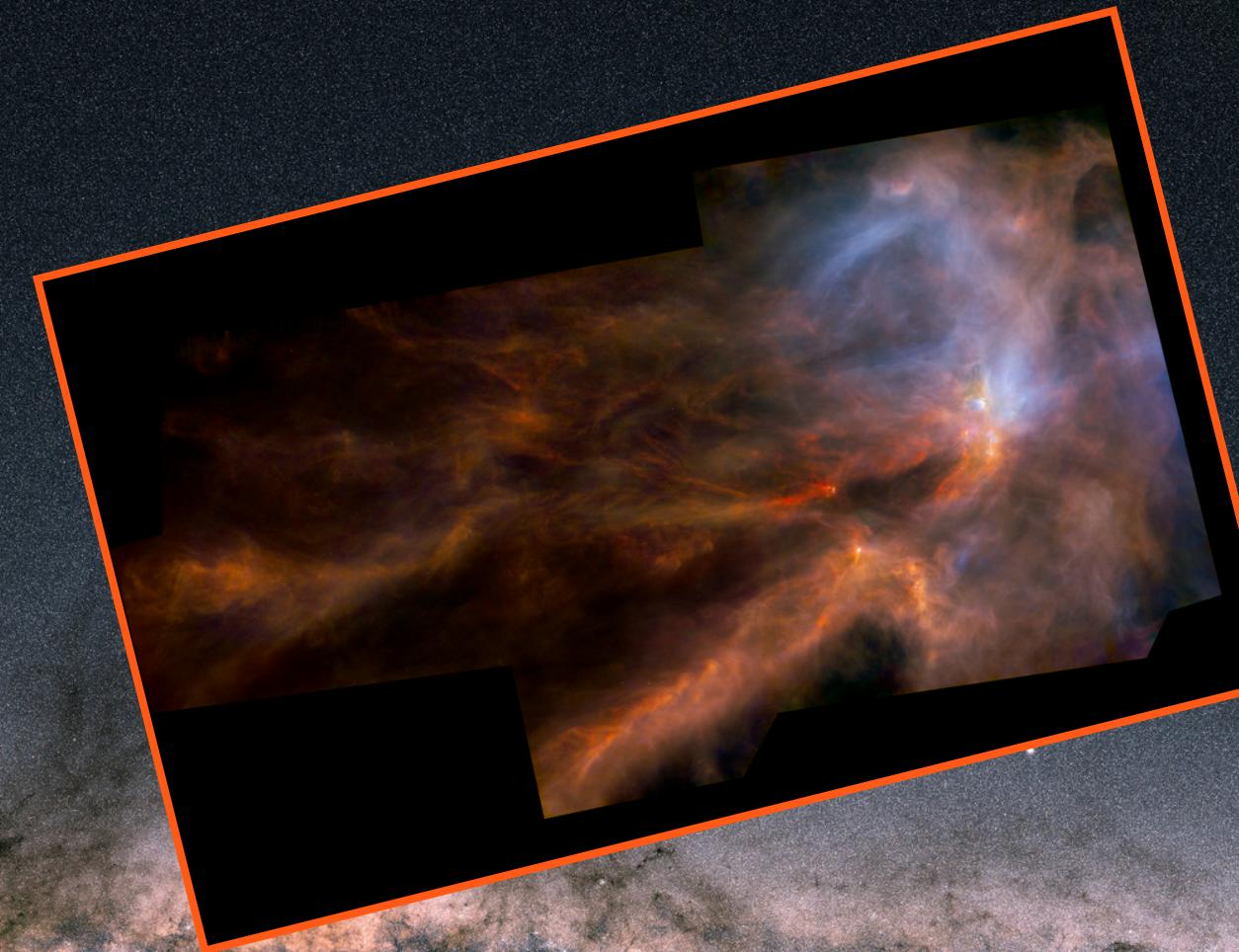
TAURUS



CHAMELEON



OPHIUCHUS



VELA



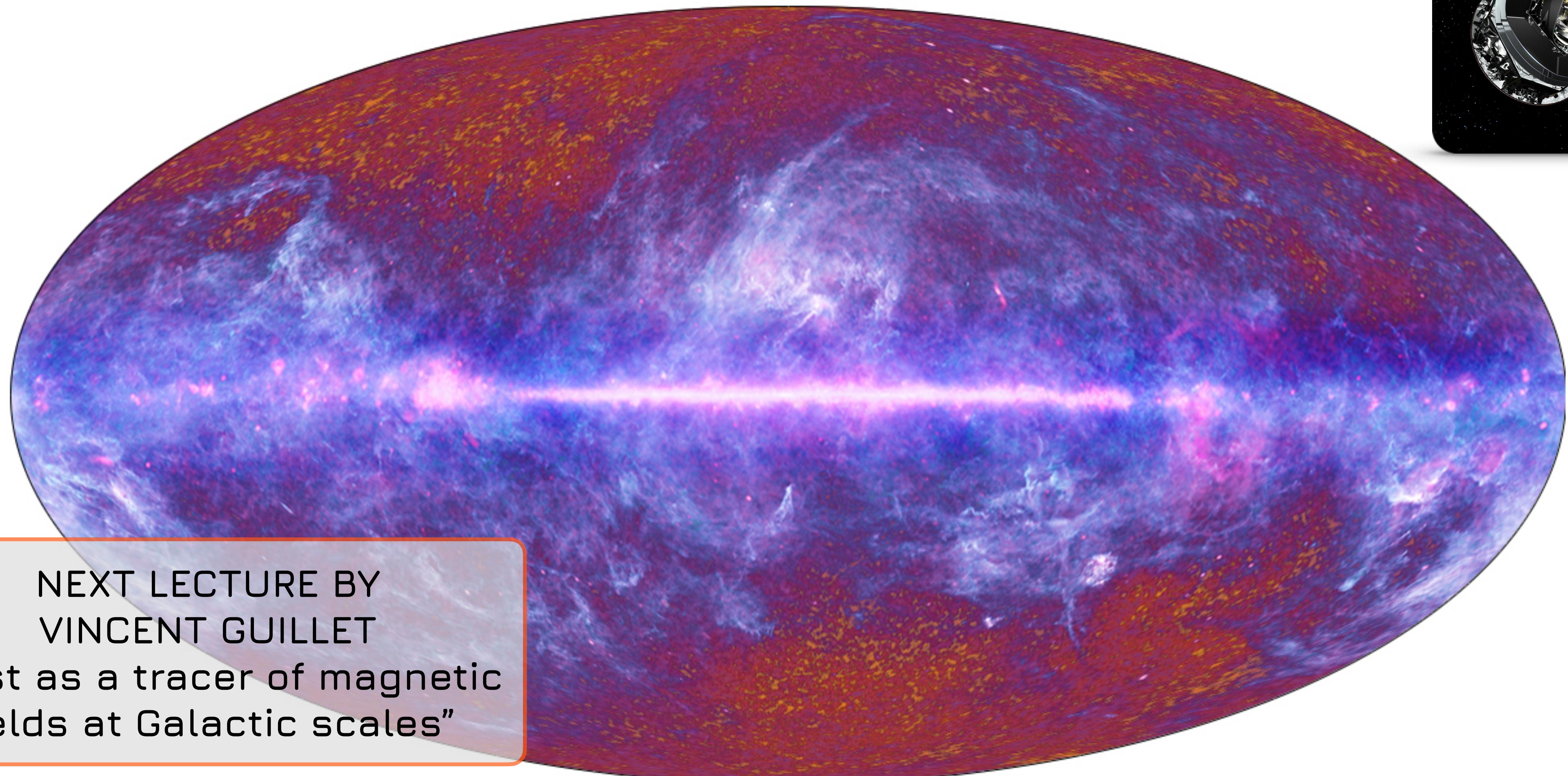
ORION



# GALACTIC DUST EMISSION MAP

PLANCK

30 GHz 40 GHz 70 GHz 100 GHz 143 GHz 217 GHz 353 GHz 545 GHz 857 GHz



NEXT LECTURE BY  
VINCENT GUILLET  
“Dust as a tracer of magnetic  
fields at Galactic scales”

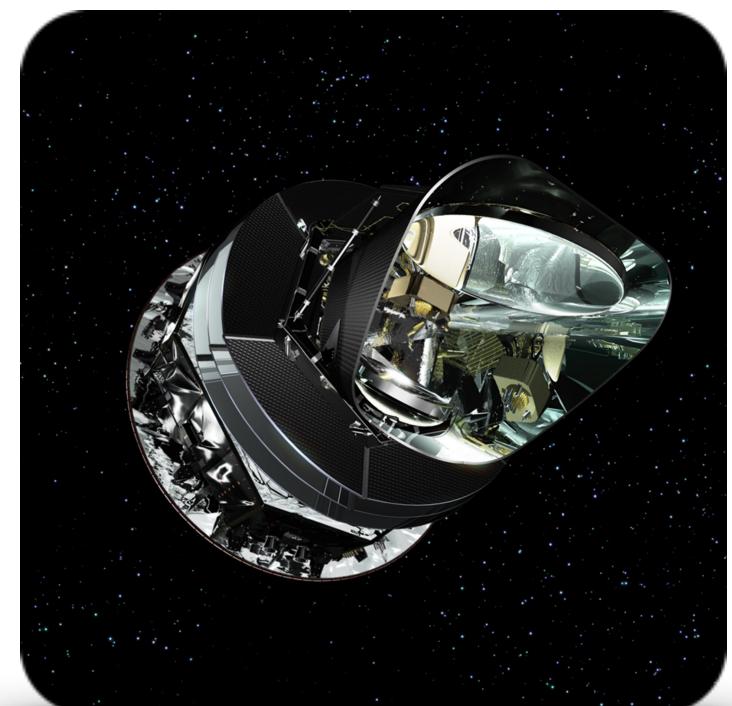
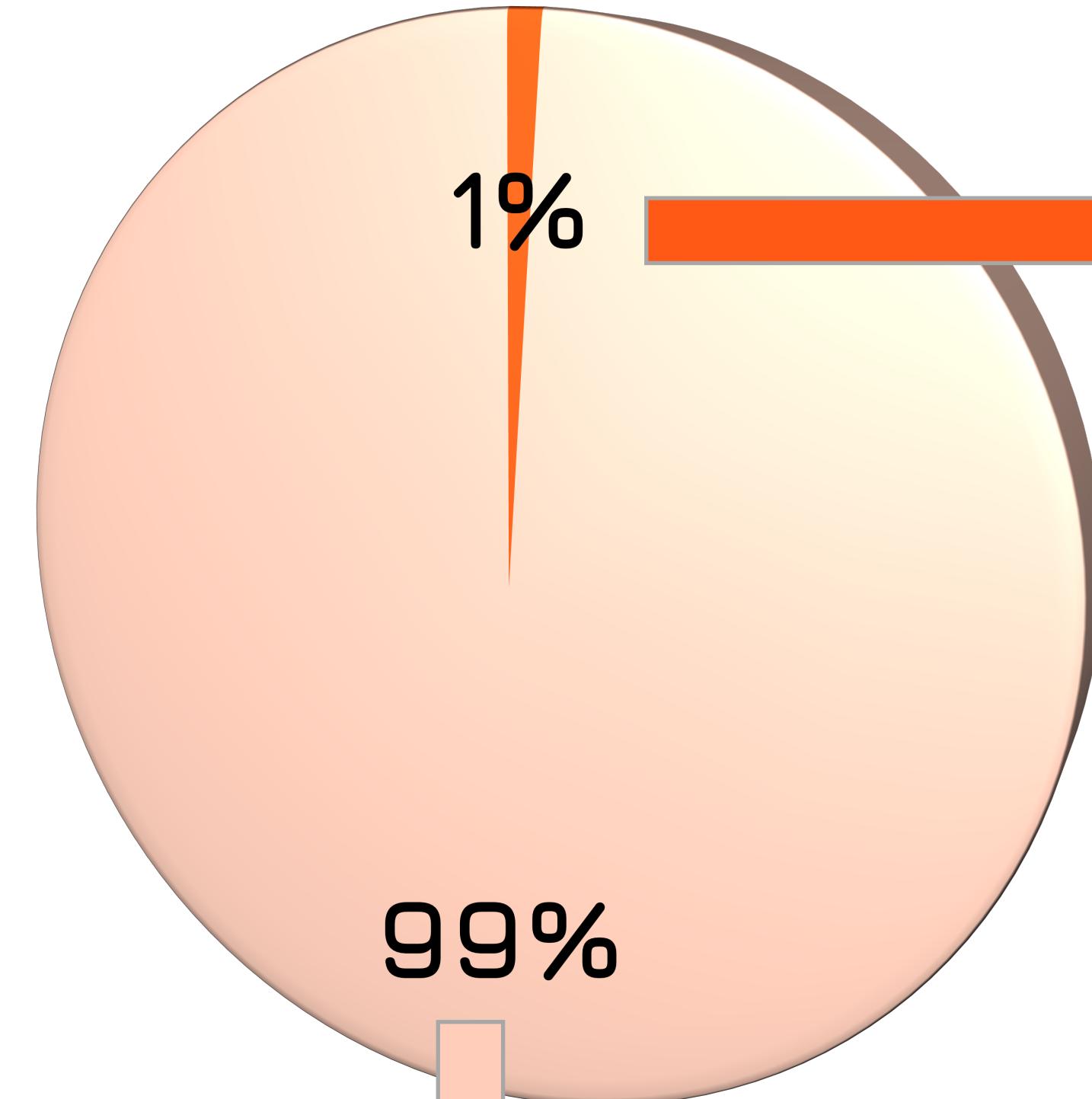


Image Credit: ESA/ LFI & HFI Consortia

# THE INTERSTELLAR MEDIUM: DUST

Very low density  $\sim 1 \text{ cm}^{-3}$  (compared to Earth's atmosphere  $\sim 10^{19} \text{ cm}^{-3}$ )



GAS: ions, atoms and molecules  
91% H, 8.9% He, 0.1% heavier elements

**DUST**  
Small solid particles ( $< 1 \mu\text{m}$ )

**Composition**  
Amorphous silicates and carbonaceous grains  
(in molecular clouds covered by icy mantles)

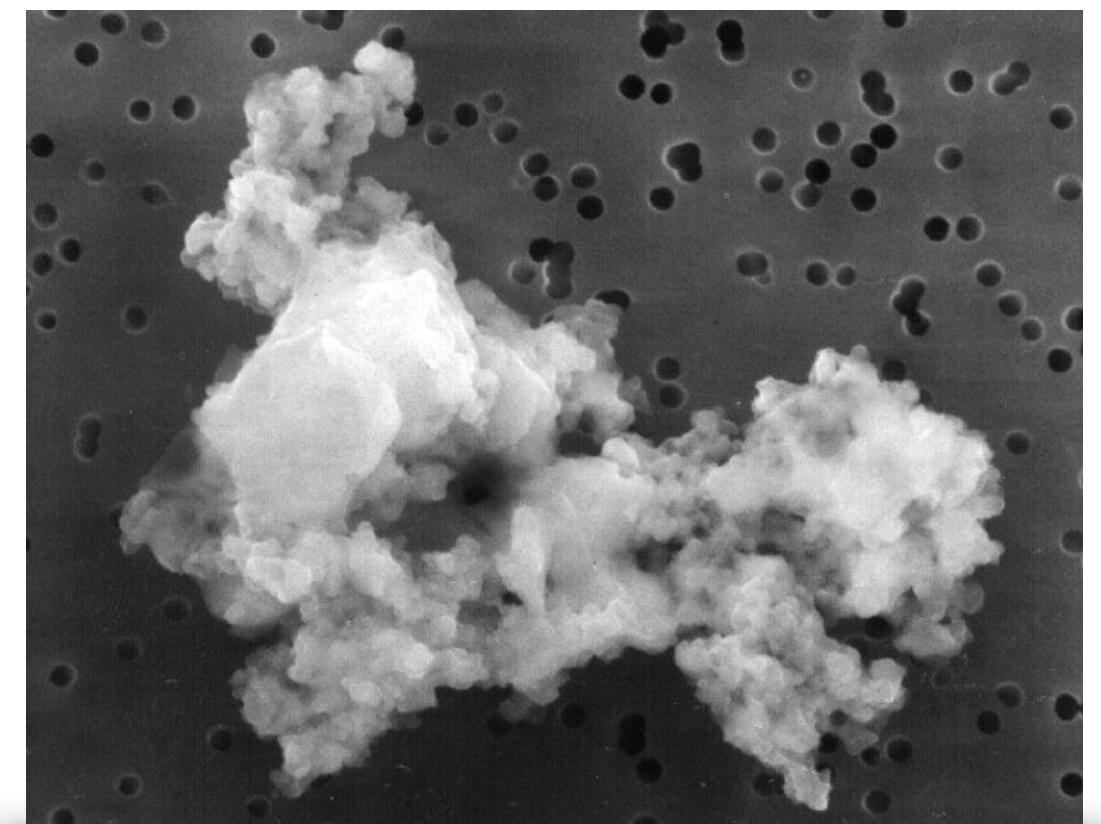


Image Credit: NASA

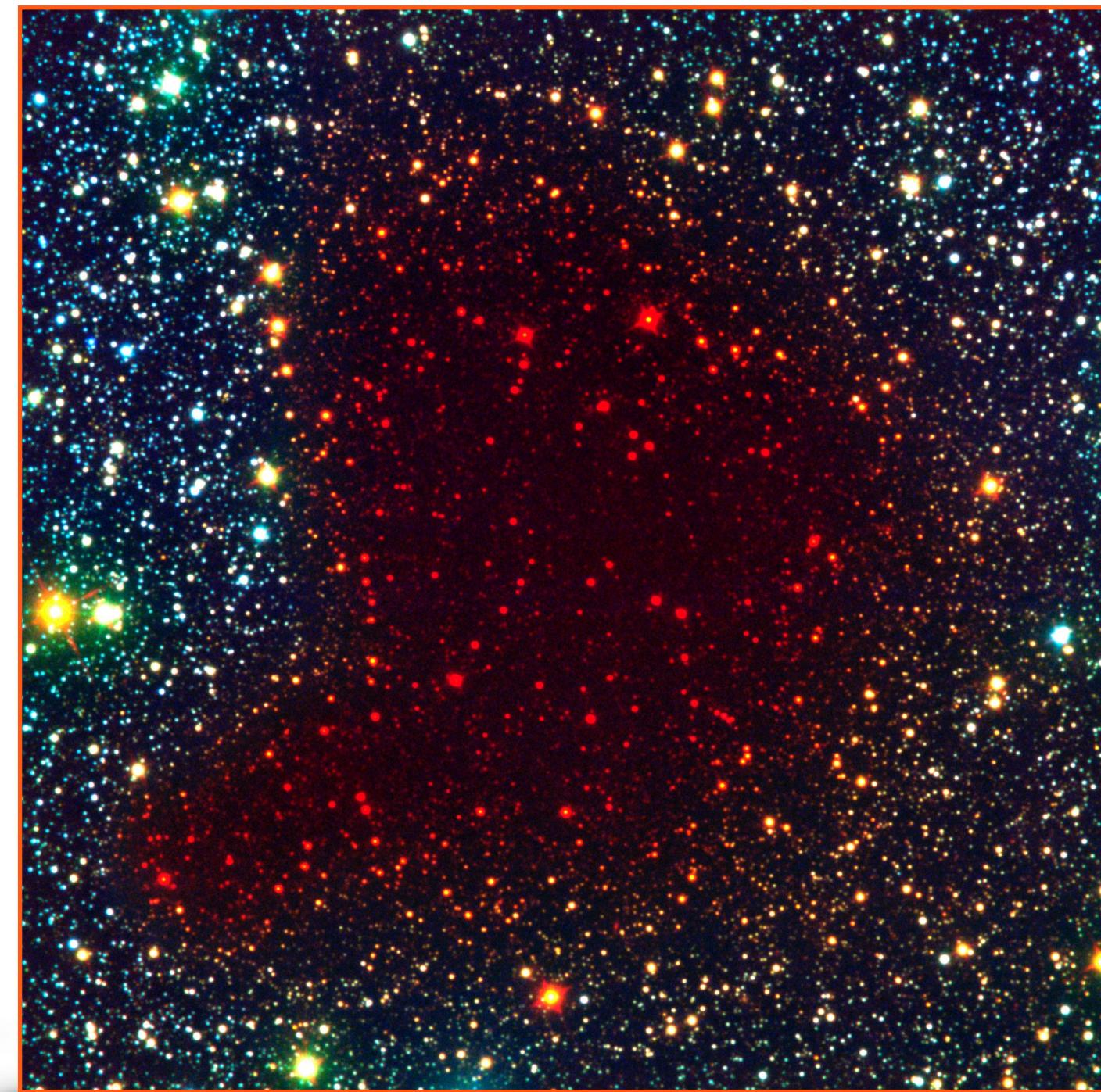
# THE INTERSTELLAR MEDIUM: DUST

OPTICAL

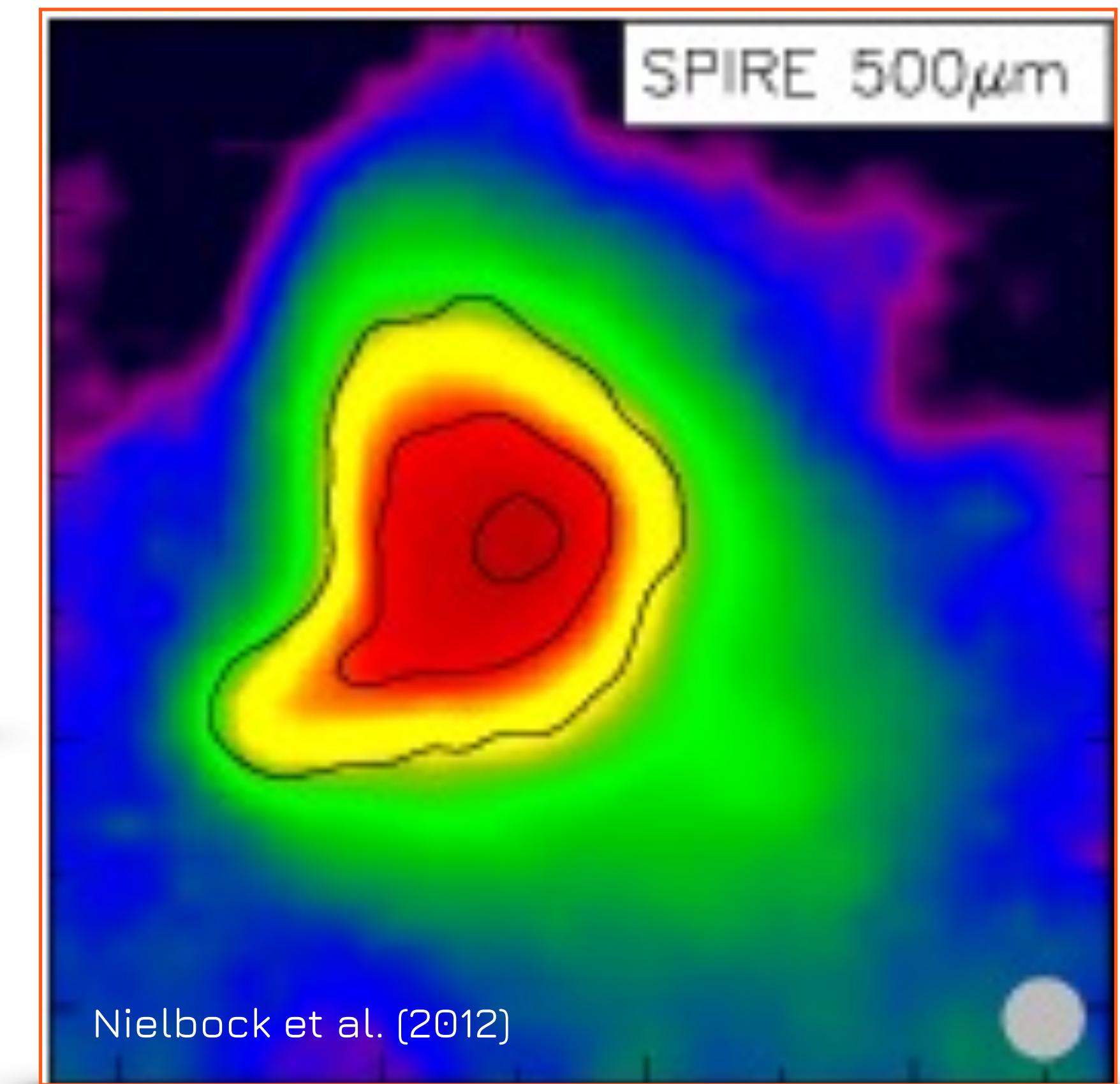
Image Credit: ESO



INFRARED



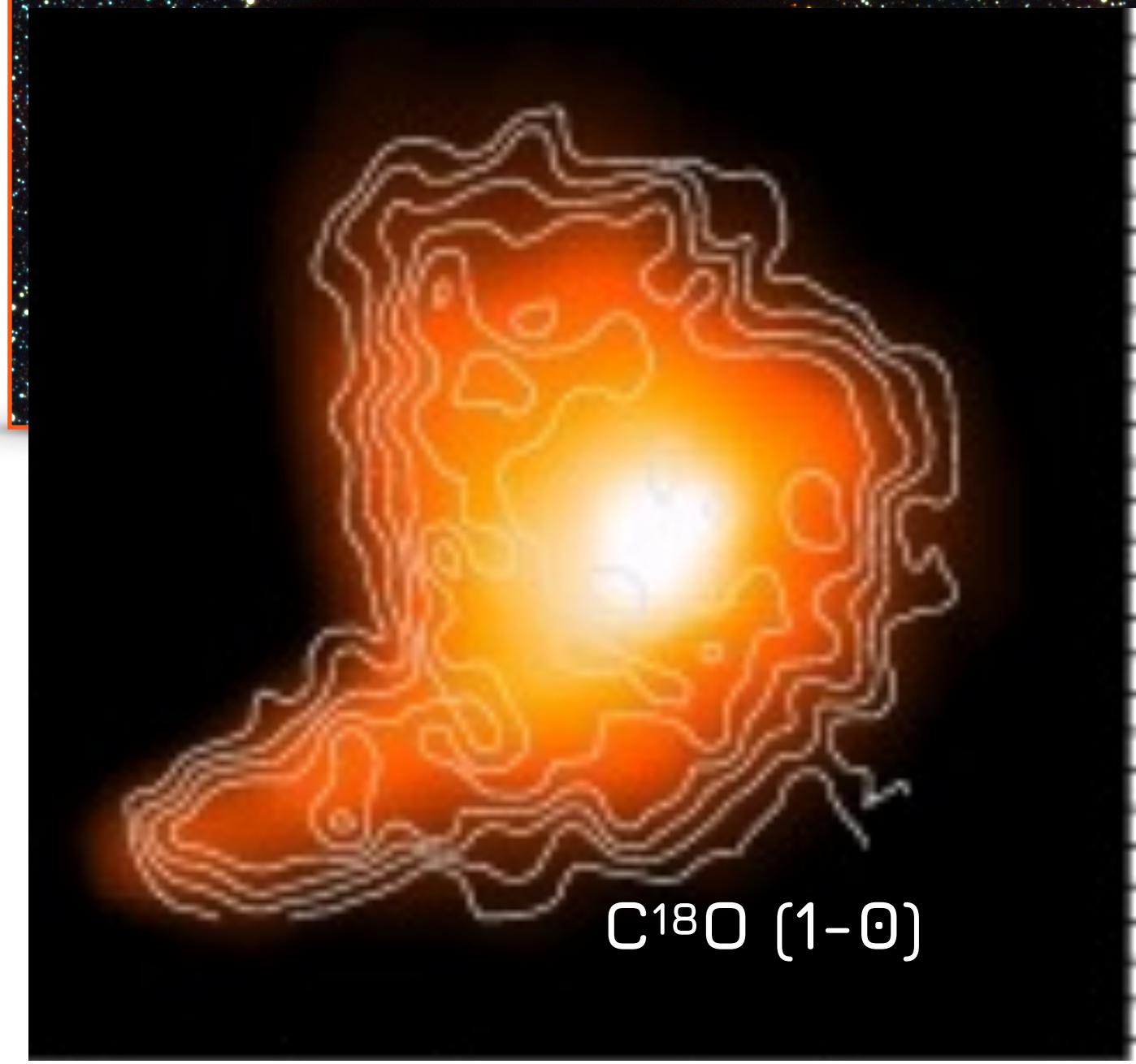
FAR-INFRARED/SUBMM



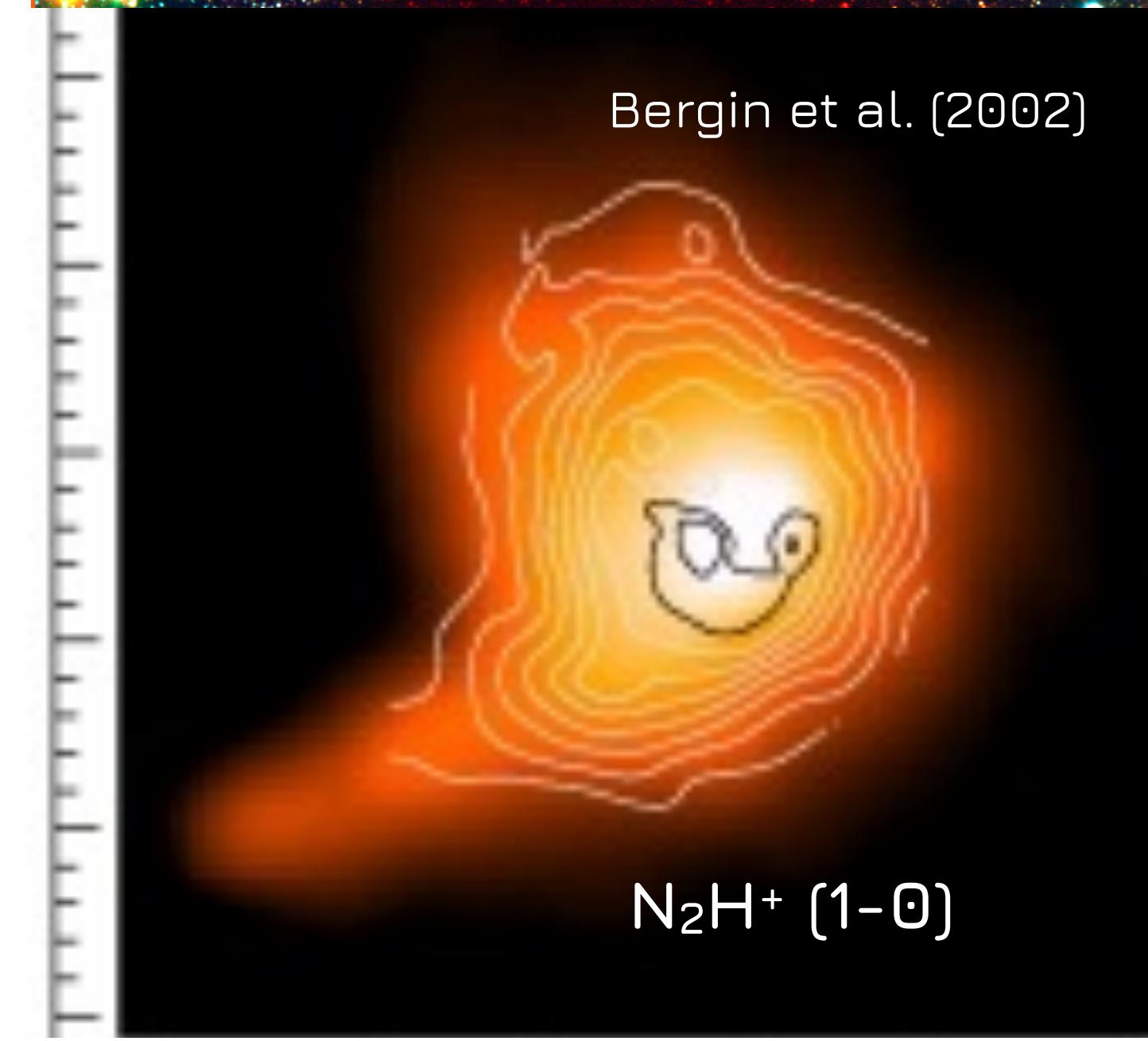
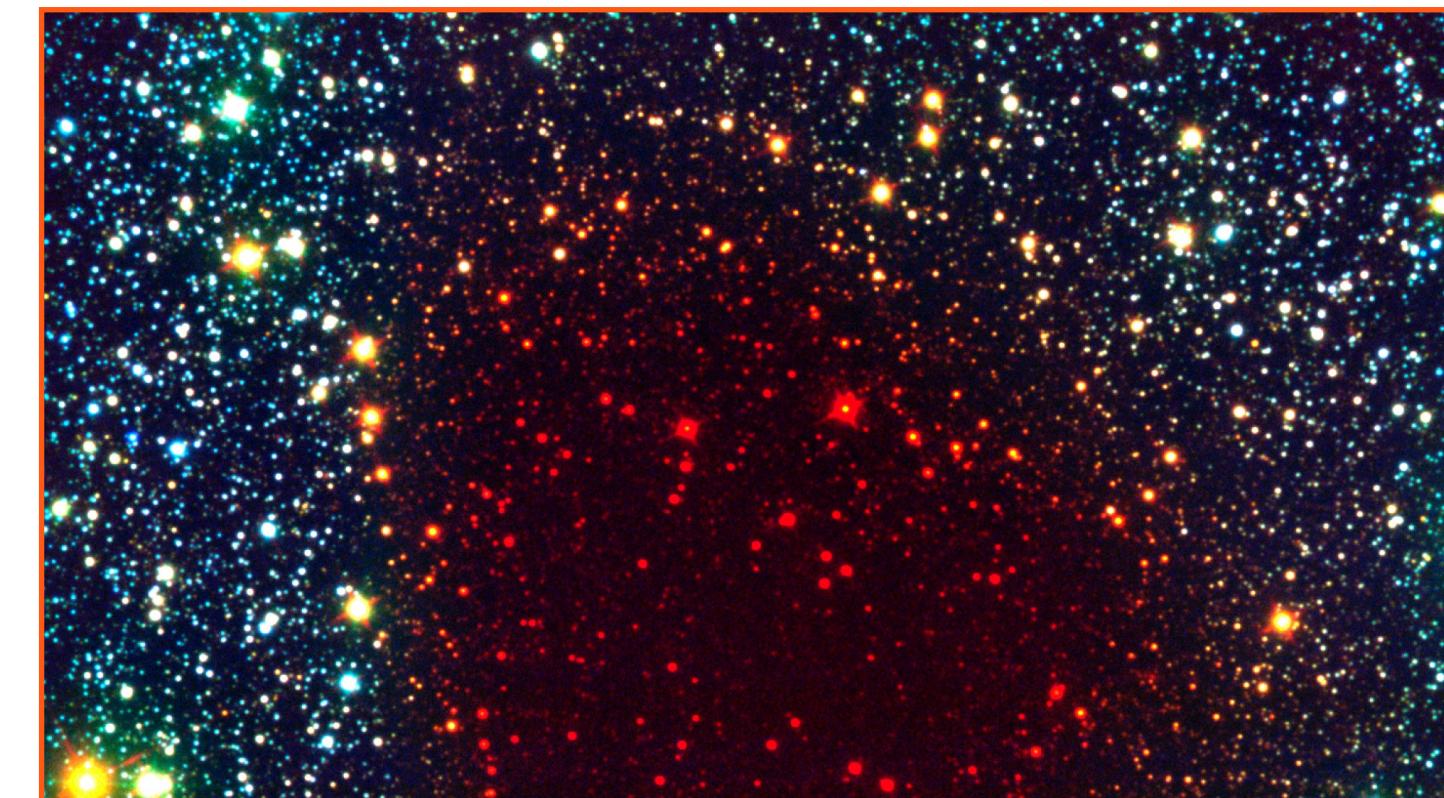
# THE INTERSTELLAR MEDIUM: DUST

## OPTICAL

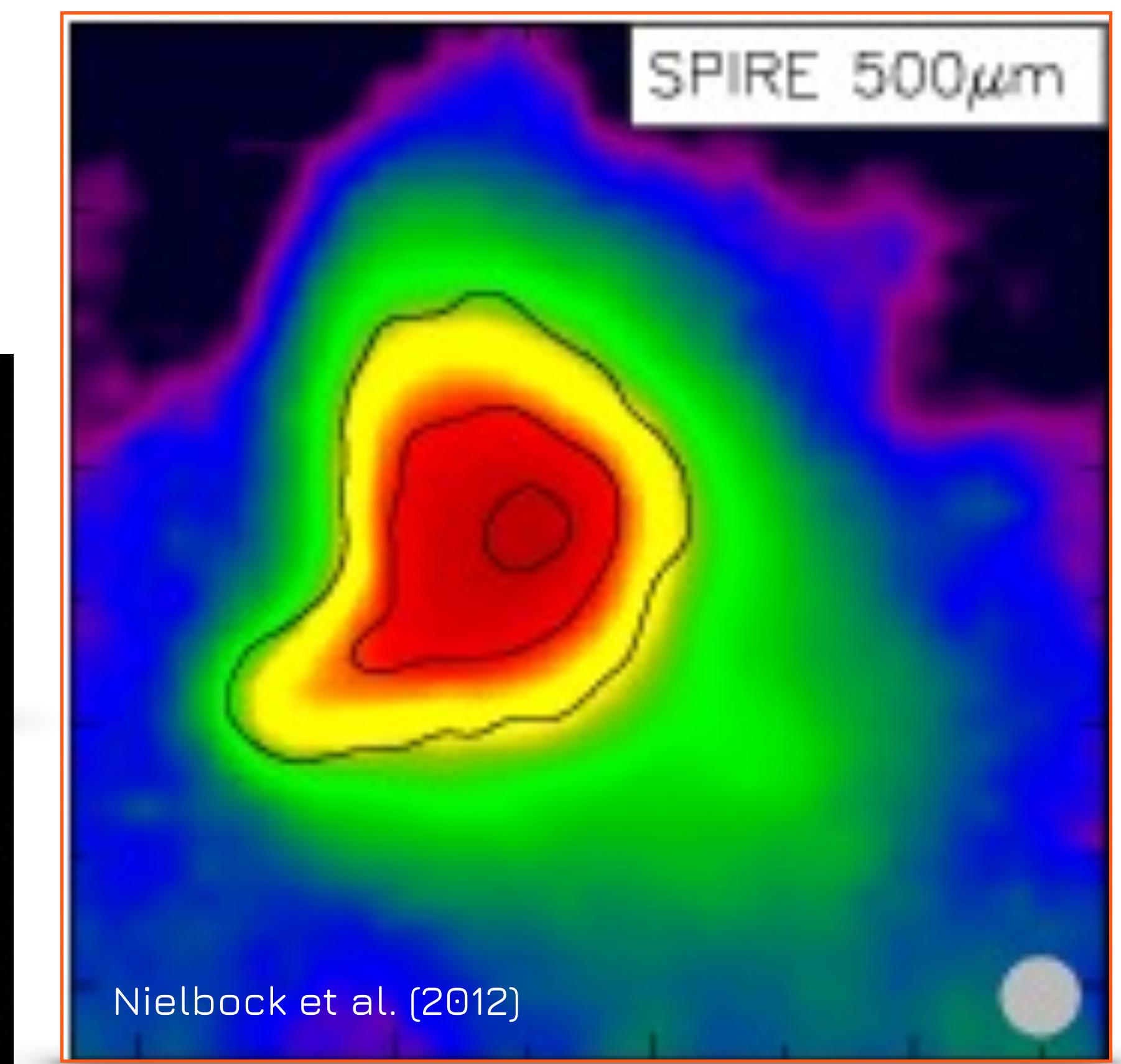
Image Credit: ESO



## INFRARED

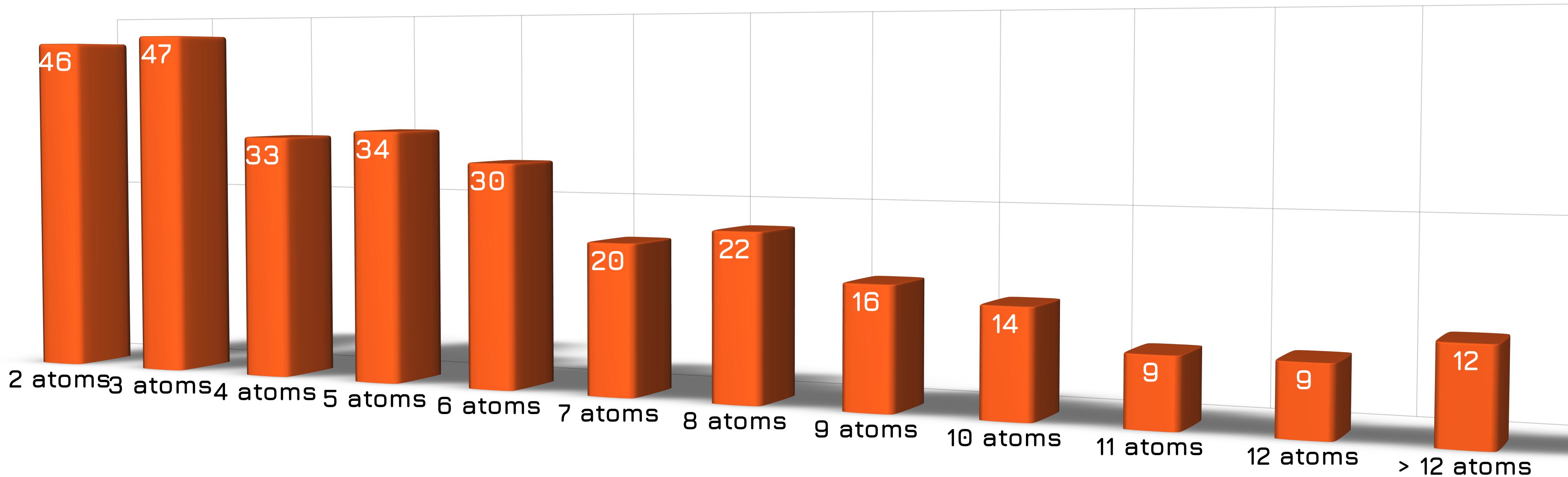


## FAR-INFRARED/SUBMM



# MOLECULES IN SPACE

From Cologne Database for Molecular Spectroscopy (CDMS):  
<https://cdms.astro.uni-koeln.de>



About 300 molecules have been detected in the ISM including > 60 complex (6 or more atoms)

→ First interstellar Complex Organic Molecule (iCOM)\* detected in the interstellar medium: Methanol ( $\text{CH}_3\text{OH}$ ) in 1970

\* iCOMs are carbon-based compounds with > 6 atoms (Herbst & van Dishoeck 2009)

# THE ROLE OF DUST IN THE ISM

Extinction

$$m_\lambda = M_\lambda + 5 \log\left(\frac{r}{10 \text{ pc}}\right) + A_\lambda$$

Reddening

$$(m_{\lambda_1} - m_{\lambda_2}) = (M_{\lambda_1} - M_{\lambda_2}) + (A_{\lambda_1} - A_{\lambda_2})$$

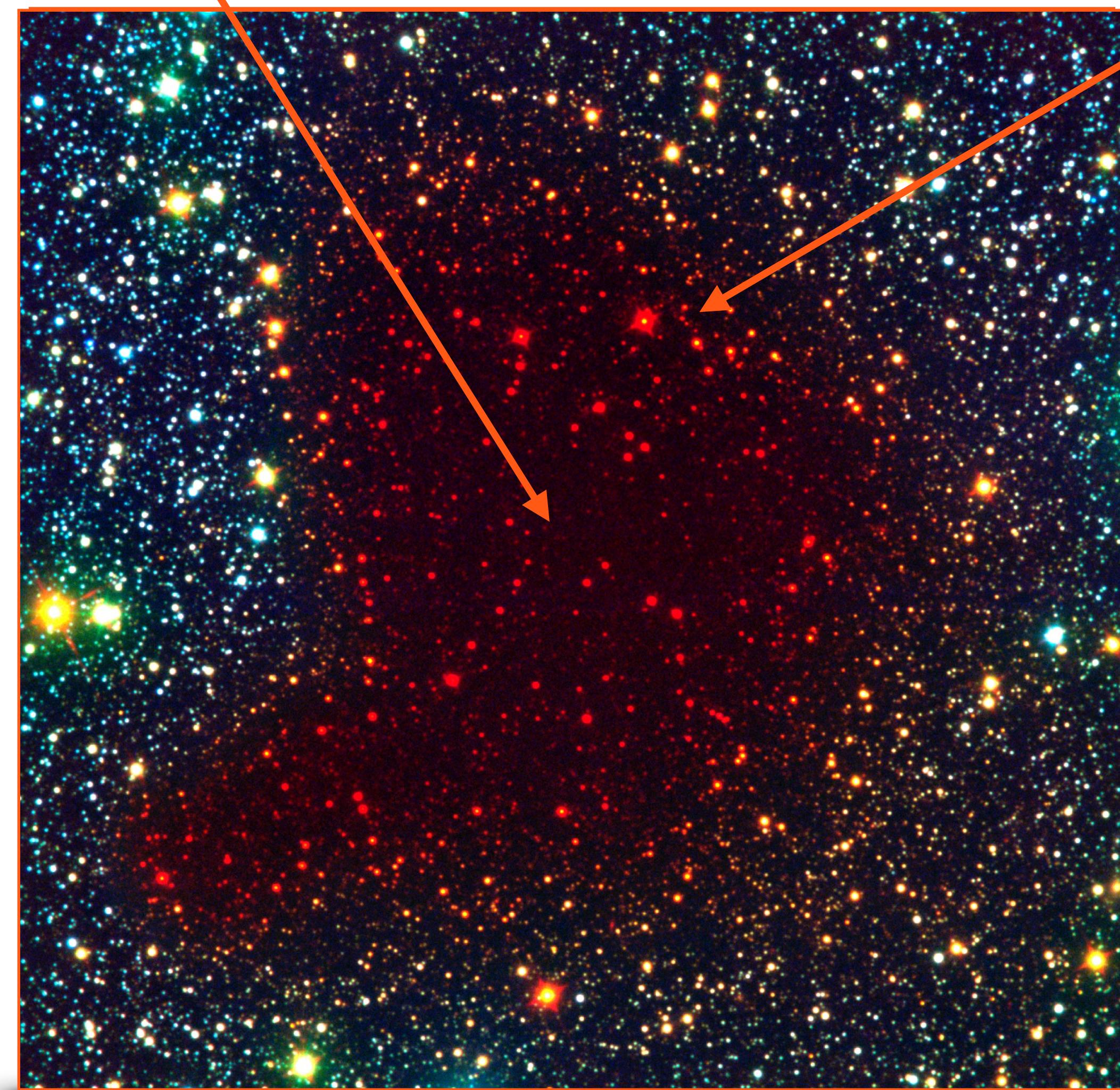


Image Credit: ESO

$$E_{12} = A_{\lambda_1} - A_{\lambda_2}$$

→ Extinction and color excess are proportional to the column density of dust grains along the line of sight

$$A_V/N_H = 5.3 \times 10^{-22} \text{ mag cm}^2$$

→ Reflect light from nearby stars  
(Reflection Nebula)

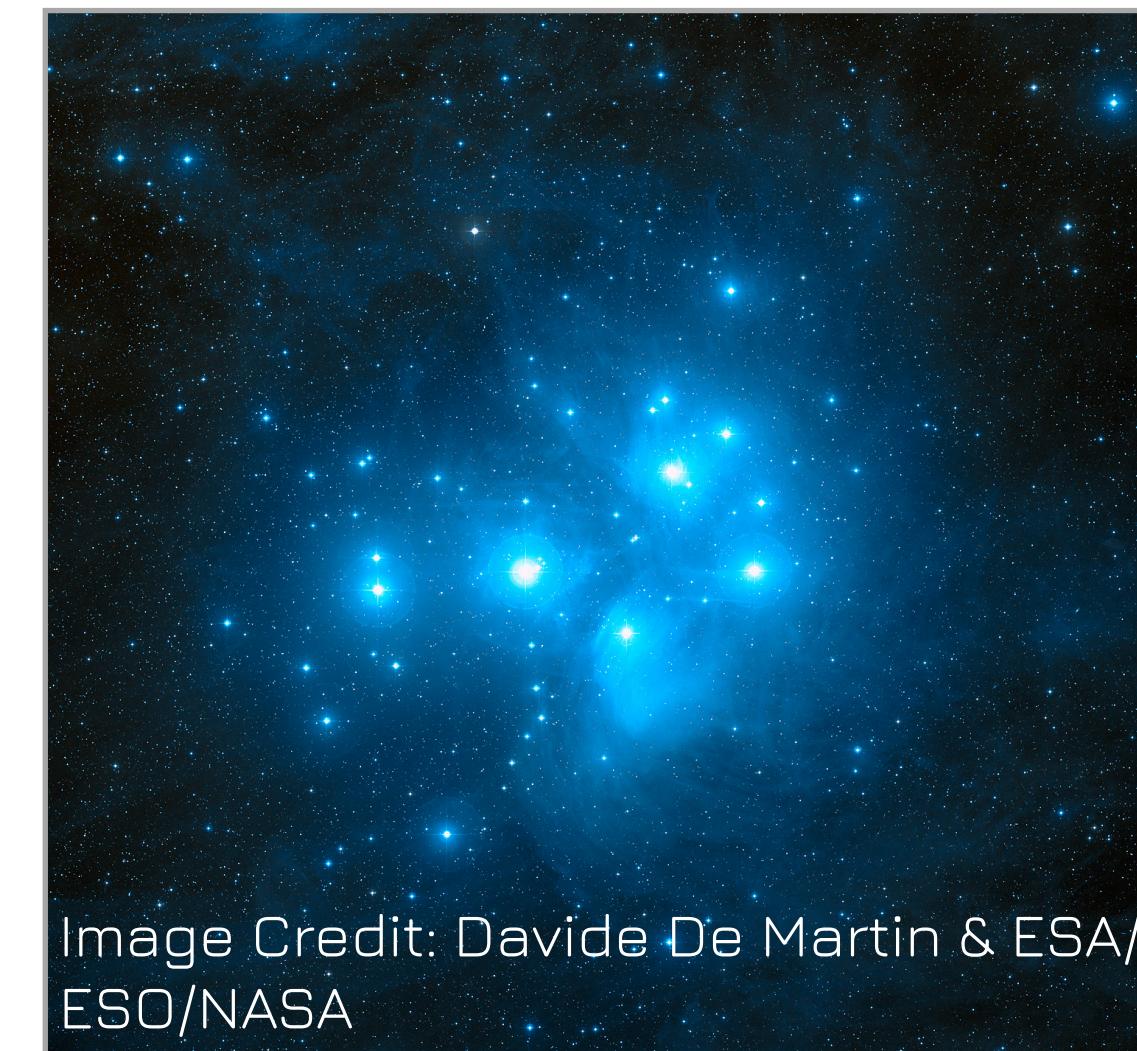
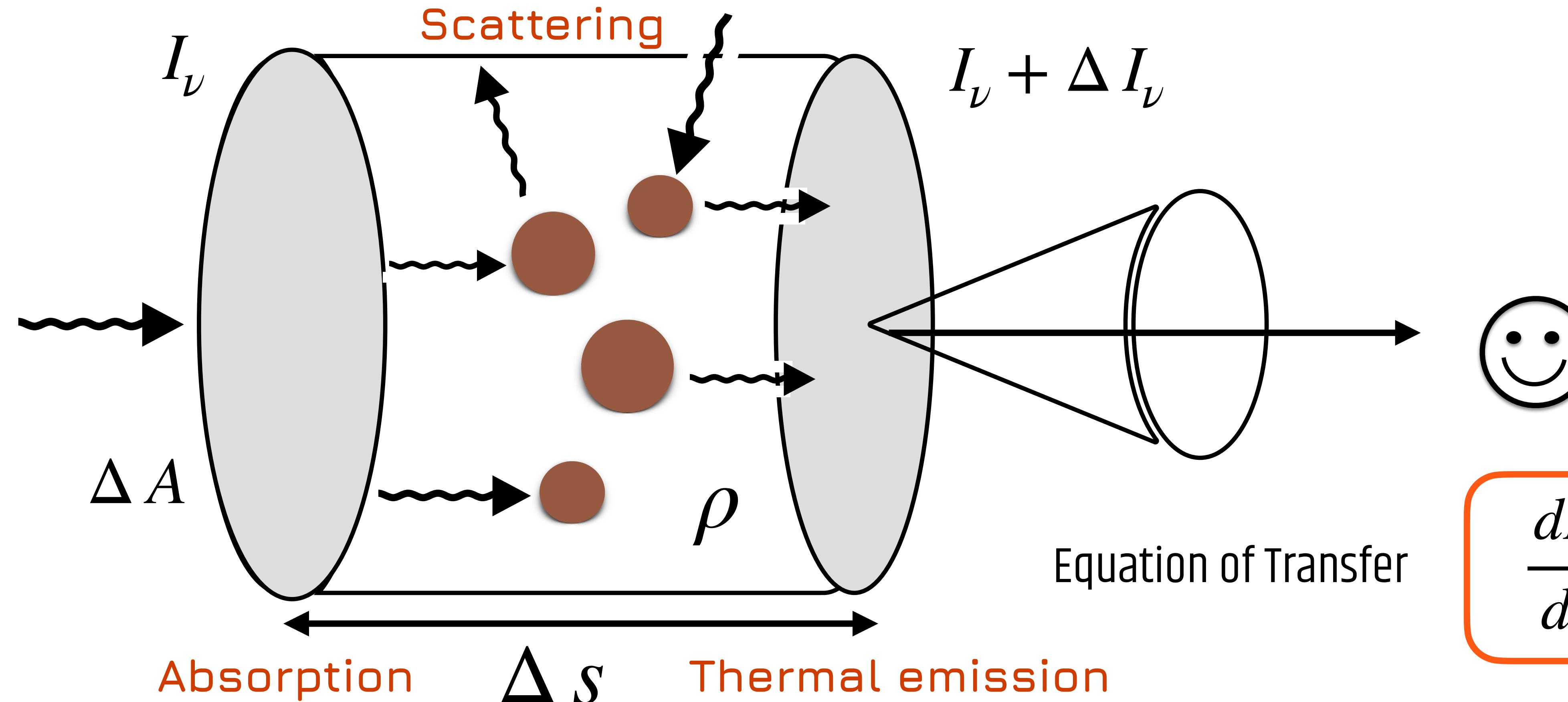


Image Credit: Davide De Martin & ESA/  
ESO/NASA

# THE ROLE OF DUST IN THE ISM



Equation of Transfer

$$\frac{dI_\nu}{ds} = -\rho \kappa_\nu I_\nu + j_\nu$$

Optical depth

$$\rho \kappa_\nu \Delta s = \Delta \tau_\nu$$

Optically-thick medium:

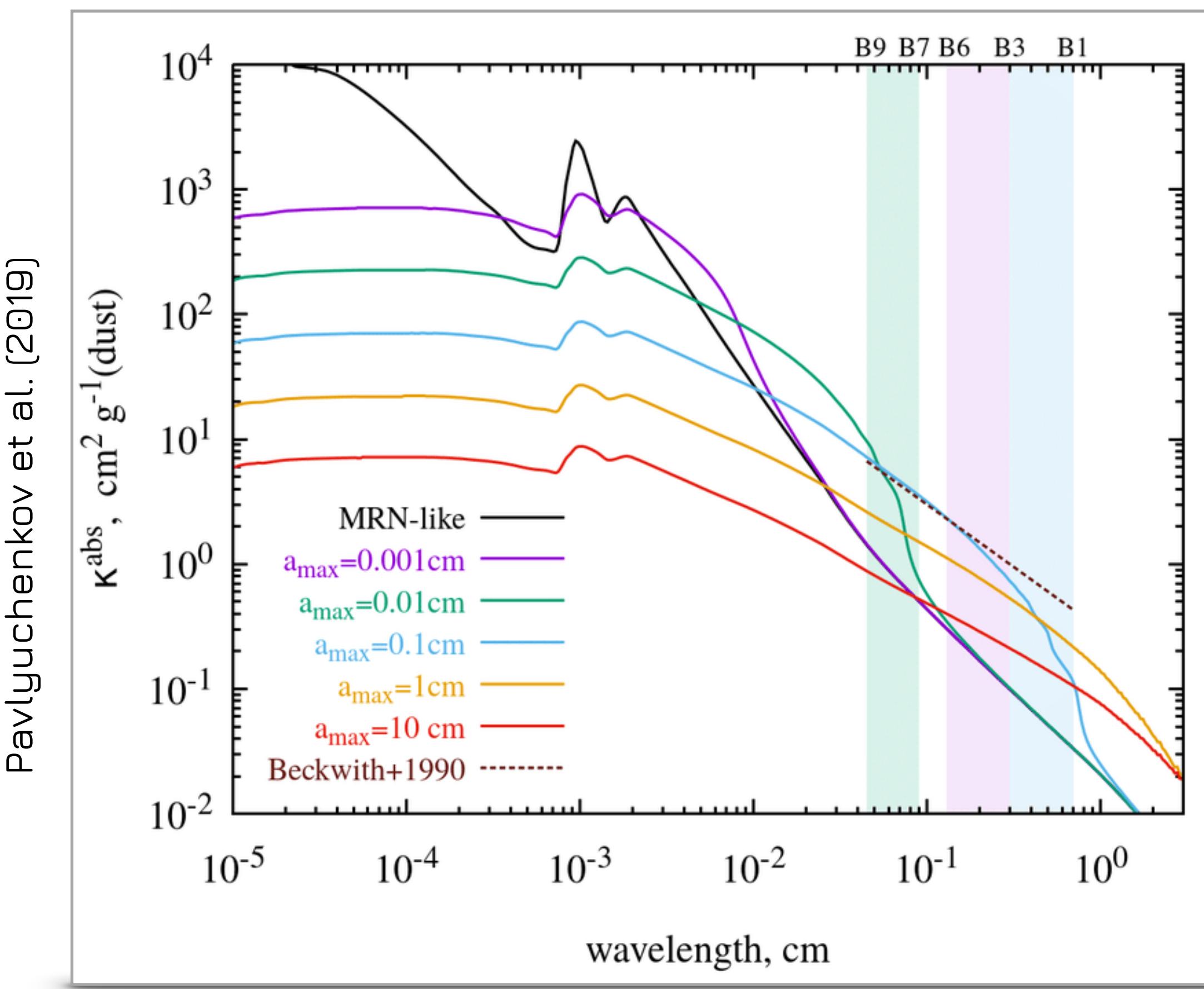
$$\Delta \tau_\nu \gg 1$$

Optically-thin medium:

$$\Delta \tau_\nu \ll 1$$

# THE ROLE OF DUST IN THE ISM

- Polarization: starlight is, in general, partially linearly polarized by a few per cent (proportional to the amount of extinction)
- Dust absorption coefficient (opacity):  $\kappa_\nu \propto \nu^\beta$  with **dust emissivity index**  $\beta \sim 1 - 2$  ( $\sim 1.6$  for the diffuse ISM) but it can be  $< 1$  in the envelopes of Young Stellar Objects (YSOs) and in Protoplanetary disks



Tomorrow's Lectures  
Anaëlle Maury, Carlos Carrasco-González & François Ménard

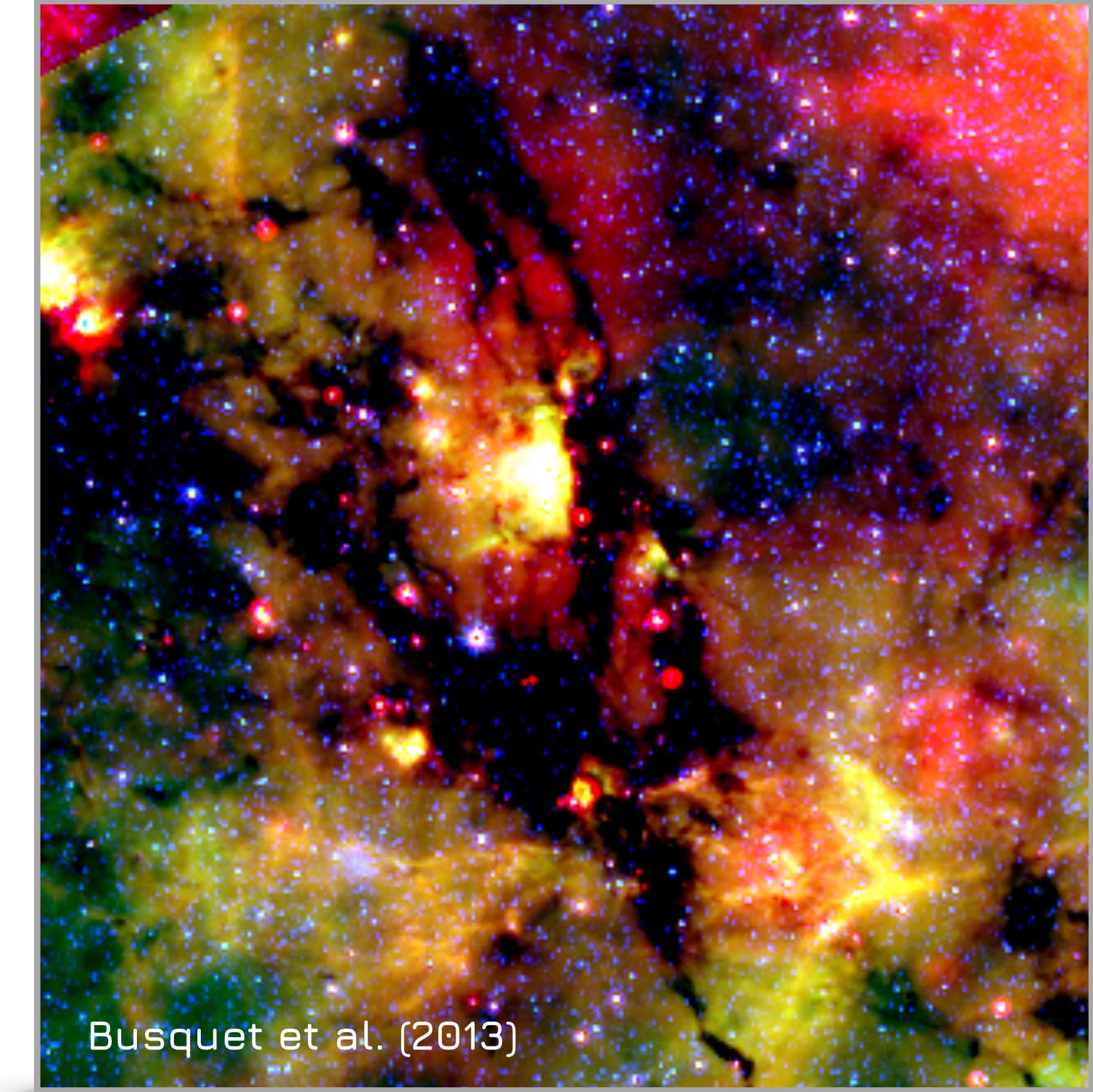
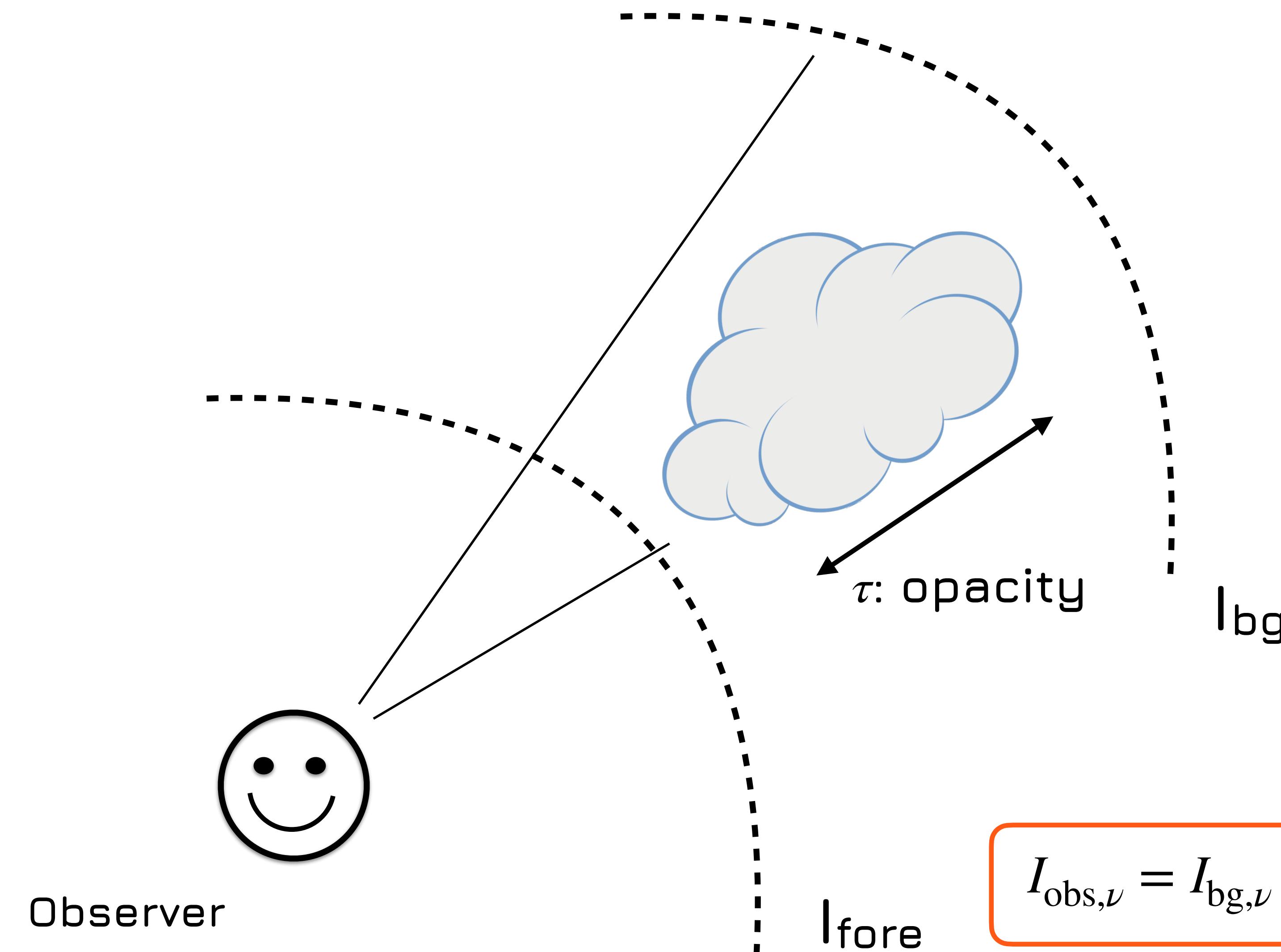
## Opacity:

Measurement of the dust absorption cross sections.  
Depends on the frequency and physical properties  
of dust grains (composition, mass and size)

$$\kappa_\nu = 10 \left( \frac{\nu}{10^{12} \text{Hz}} \right)^\beta \text{cm}^2 \text{g}^{-1} \text{ with } \beta = 1$$

# THE ROLE OF DUST IN THE ISM

IRDC G14.225-0.506: Spitzer composite image



$$\tau_\nu = N_{H_2} \kappa_\nu$$

# THE ROLE OF DUST IN THE ISM

- Thermal emission: Energy from starlight absorbed by dust heats the grains and is then re-emitted thermally at the temperature of dust (continuum emission). Emitting dust is described as a blackbody  $\times$  opacity term (modified blackbody or grey-body)



$$I_\nu = B_\nu(T)(1 - e^{-\tau_\nu})$$

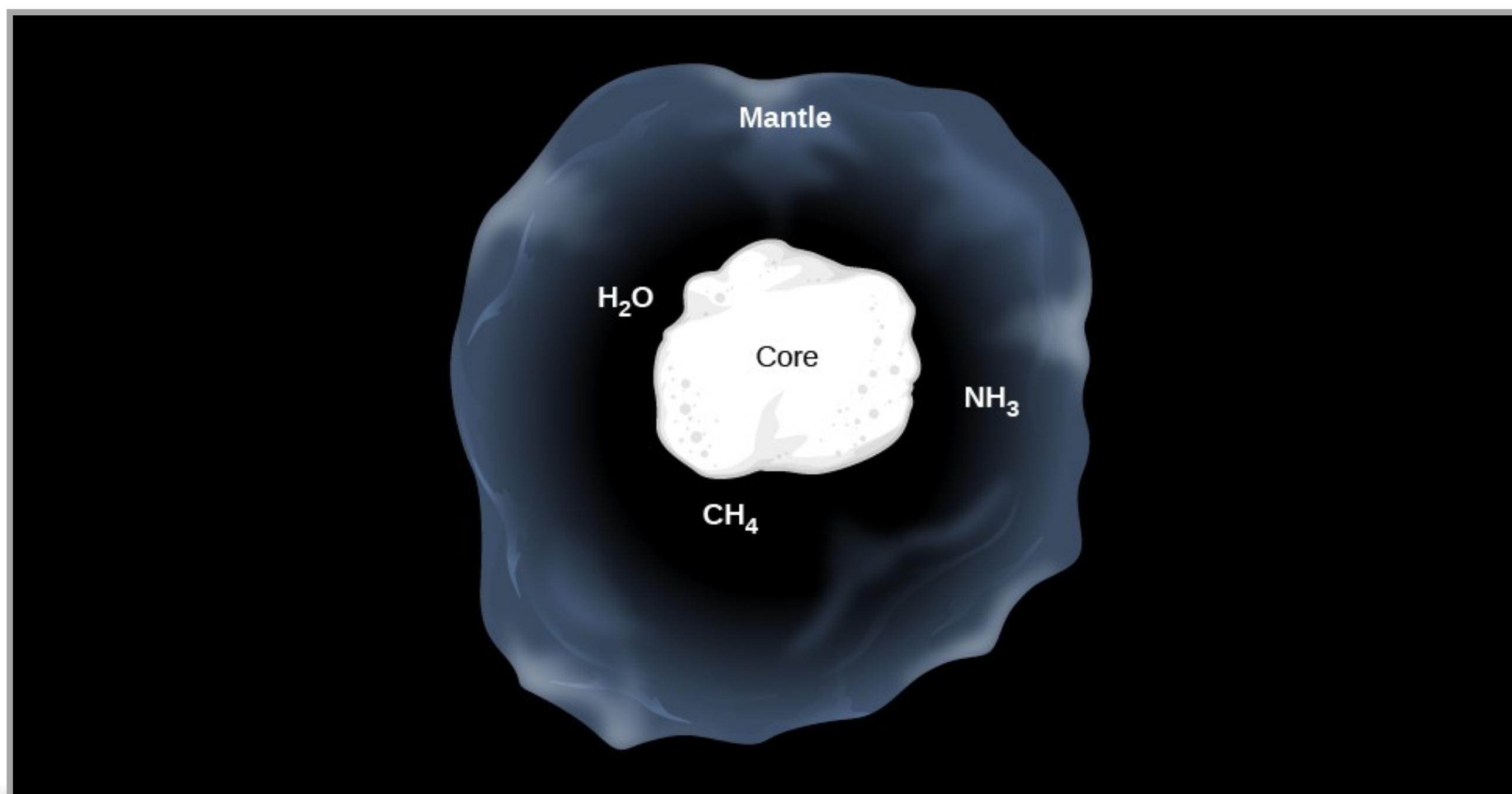
$$I_\nu \approx B_\nu(T) \tau_\nu$$

Planck's law:

$$B_\nu(T) = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/kT} - 1}$$

# THE ROLE OF DUST IN THE ISM

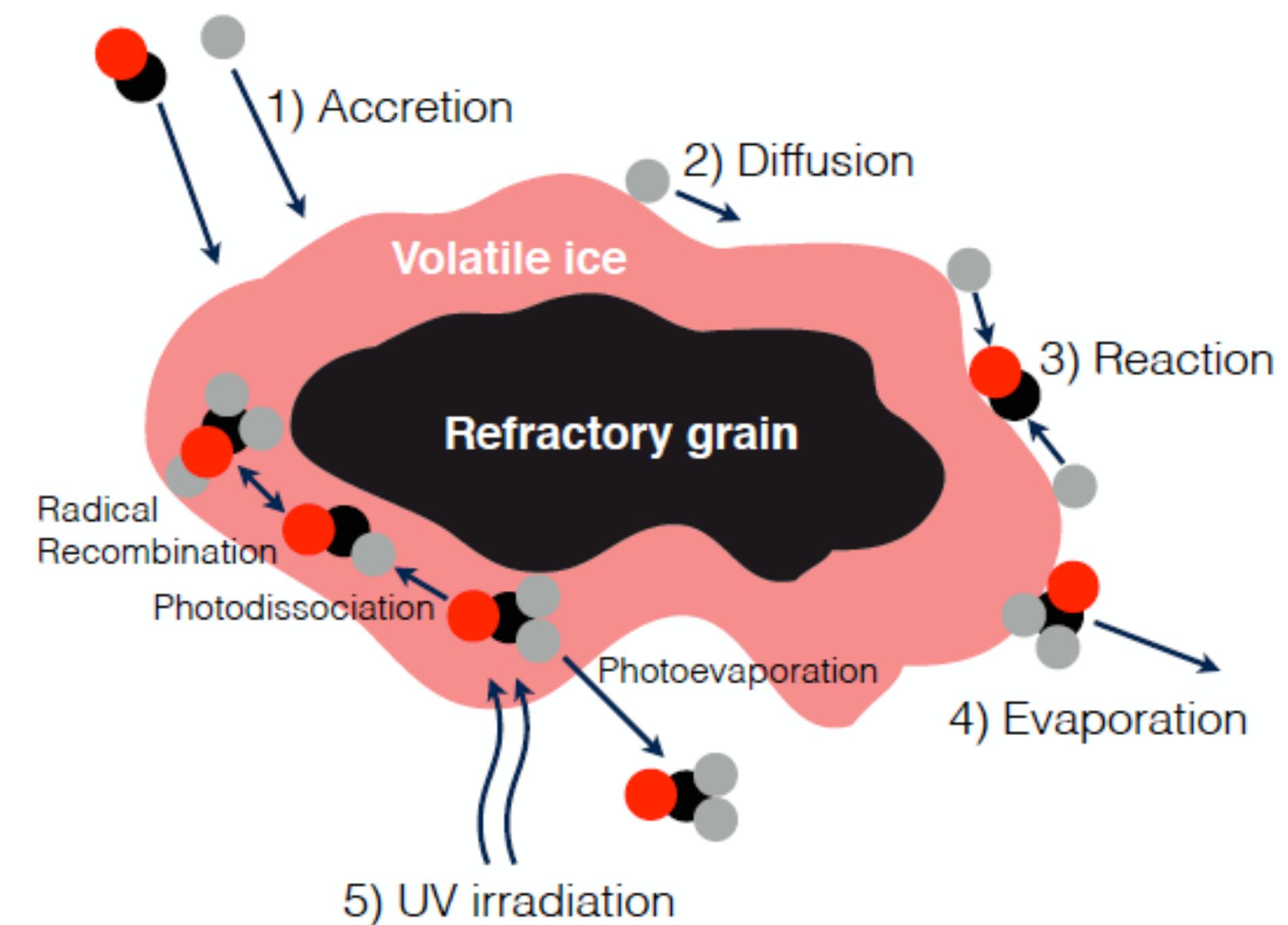
- Dust plays a crucial role in cooling down the interstellar material and is at the center of molecule formation process such as H<sub>2</sub> (grain surface chemistry) and in the preservation of molecules once they are formed (prevents the destruction from UV radiation)



Dominant ice species:

H<sub>2</sub>O, CO, CO<sub>2</sub>, CH<sub>4</sub>, NH<sub>3</sub> and CH<sub>3</sub>OH

Wednesday Lecture by Albert Rimola  
“Chemistry on dust surfaces: H<sub>2</sub> formation and molecular diversity”

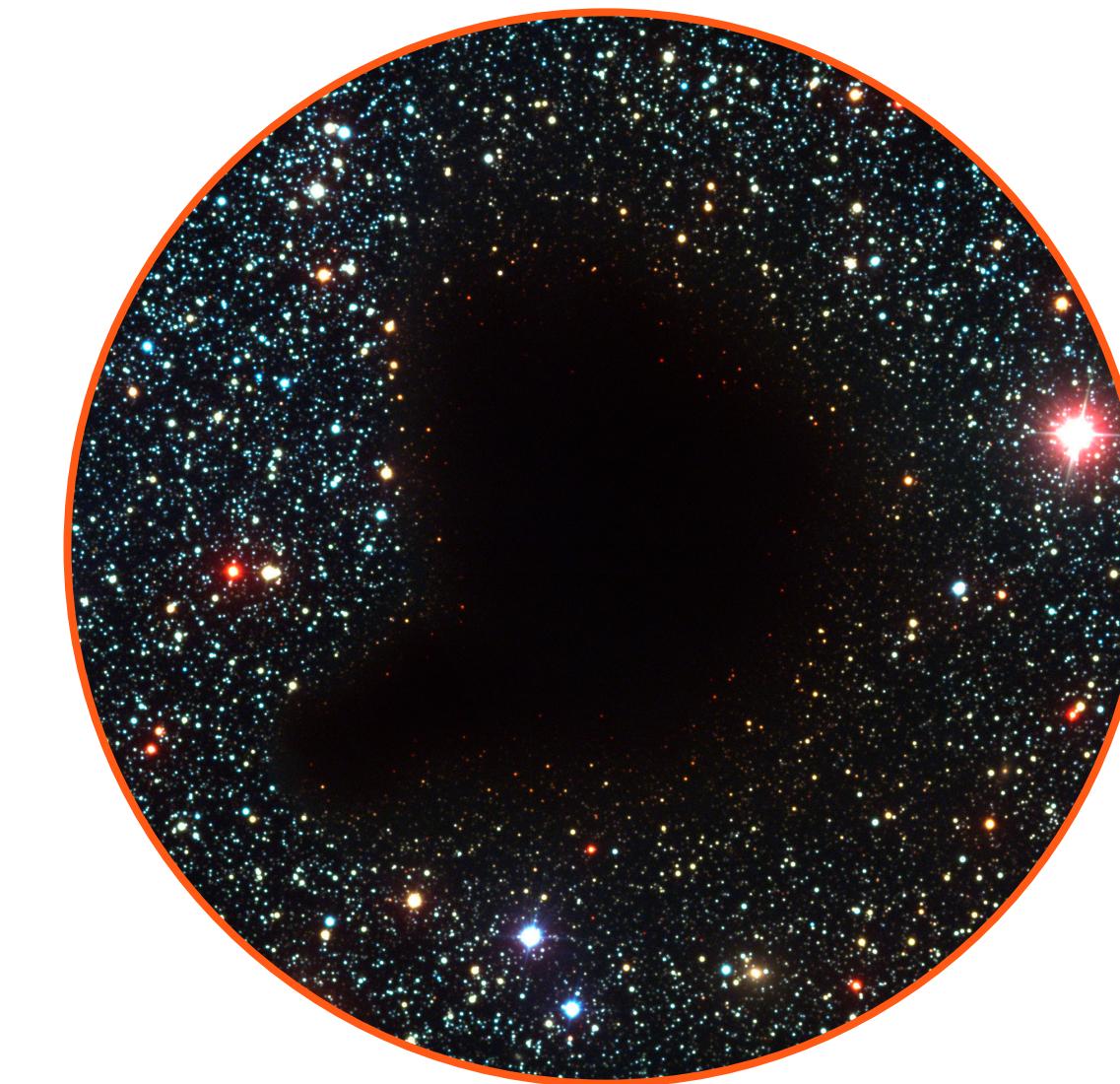


# OUTLINE

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**THE INTERSTELLAR  
MEDIUM**



**MOLECULAR CLOUDS:  
THE STELLAR NURSERIES**



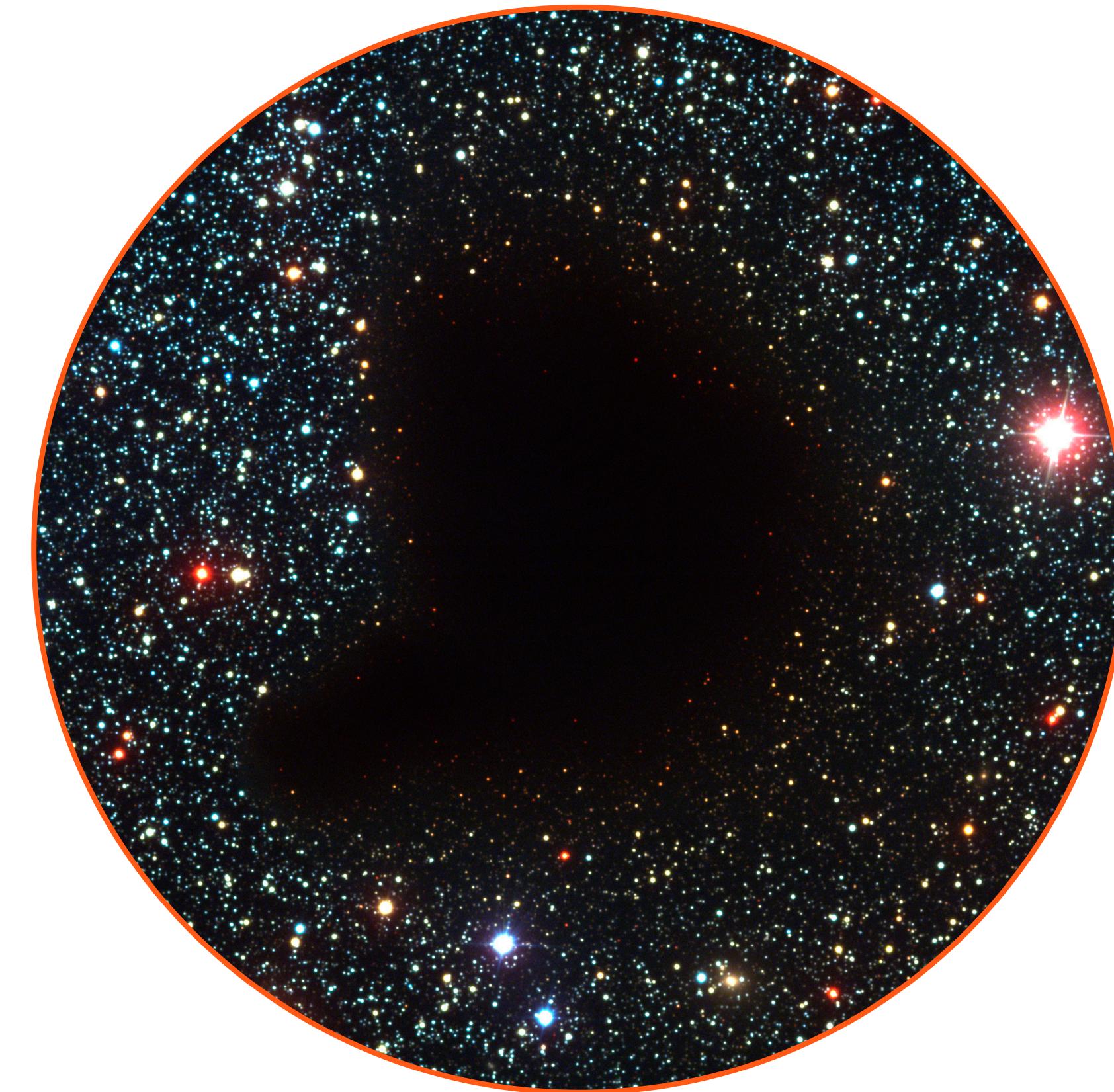
**CLOUD FRAGMENTATION AND  
CLUSTER FORMATION**

# OUTLINE

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THE INTERSTELLAR  
MEDIUM



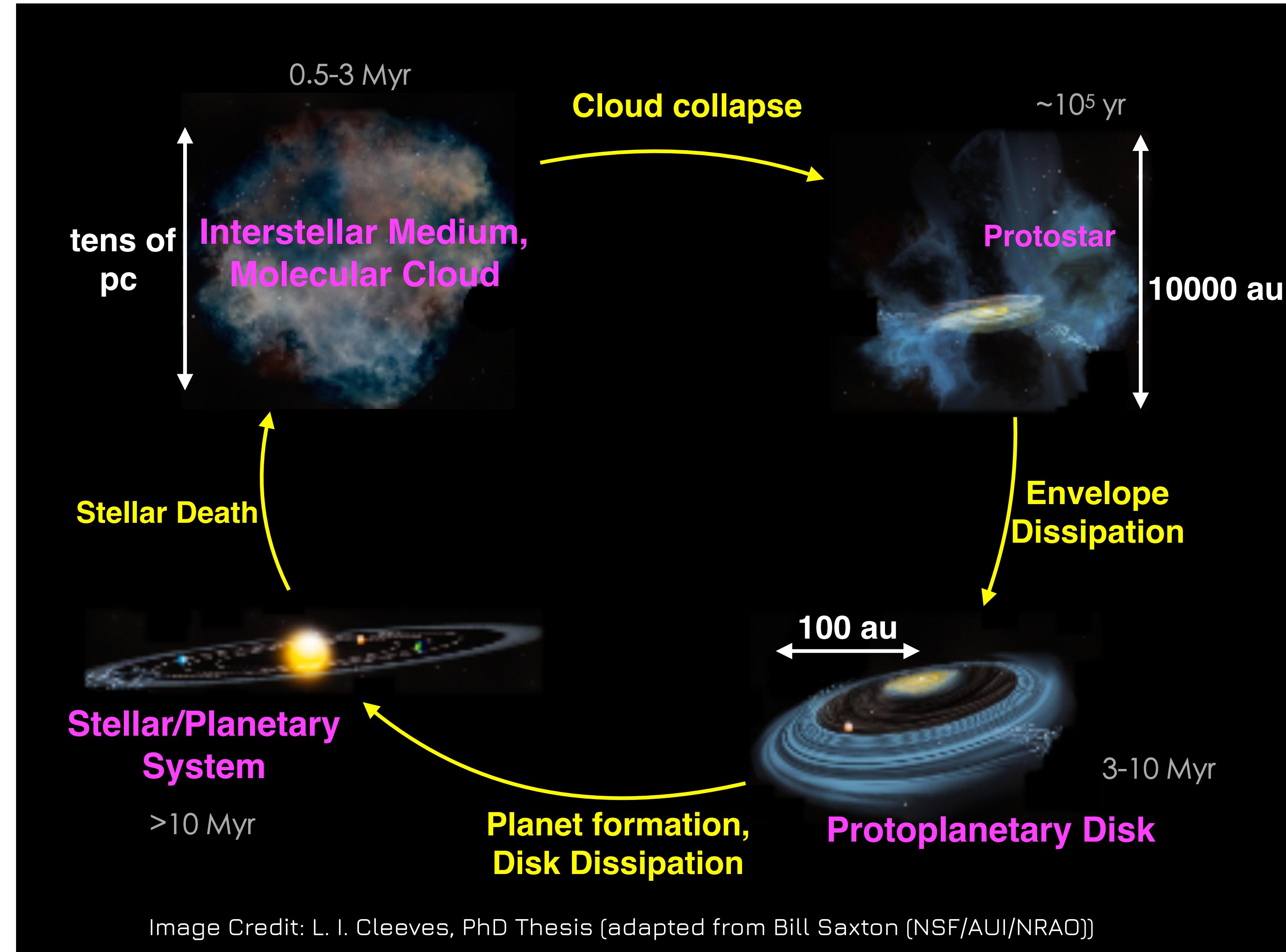
MOLECULAR CLOUDS:  
THE STELLAR NURSERIES



CLOUD FRAGMENTATION AND  
CLUSTER FORMATION

# THE STAR FORMATION CYCLE

- **GMC:**  $10^5\text{-}10^6 M_{\odot}$ ,  $T \sim 10$  K,  $n(H_2) \sim 10^2 \text{ cm}^{-3}$
- **Pre-stellar cores** [0.01-0.1 pc] onset of future star formation
- **Protostar** ( $0.1\text{-}1 M_{\odot}$ ) + **disk system**:  
powerful jets + a natal disk ( $0.01\text{-}0.1 M_{\odot}$ )  
+ large scale envelope [0.1 pc in size]
- **Protoplanetary disk**: envelope is dissipated. A young star (or stars) and a disk ( $1\text{-}10\% M_{\star}$ ) remain
- **Main sequence phase**: cessation of accretion on the star and dispersal of the molecular gas

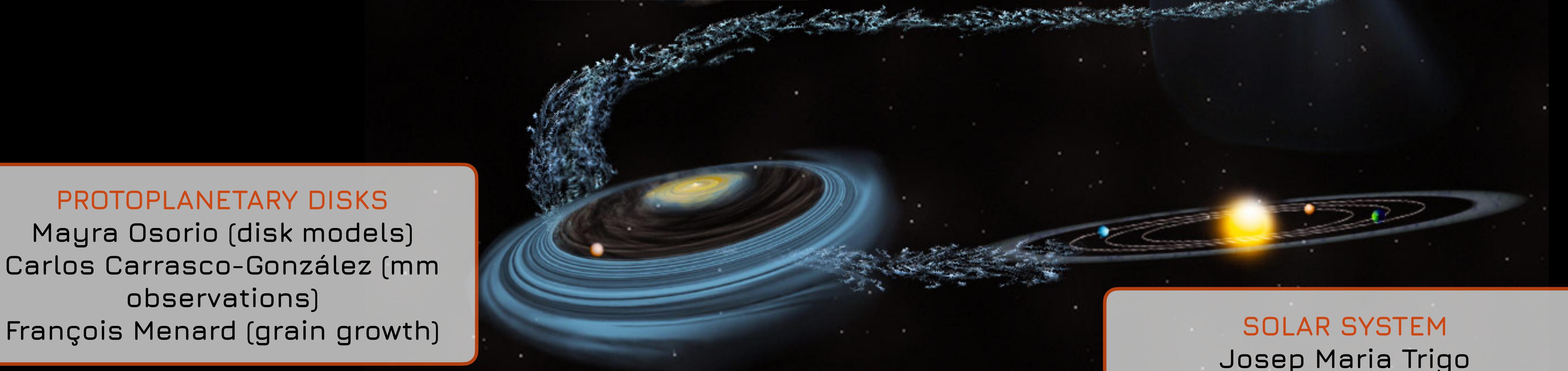


# MOLECULAR CLOUDS



## DENSE CORES

Josep Miquel Girart (B-field)  
Anaëlle Maury (mm observations)



## PROTOPLANETARY DISKS

Mayra Osorio (disk models)  
Carlos Carrasco-González (mm  
observations)  
François Menard (grain growth)

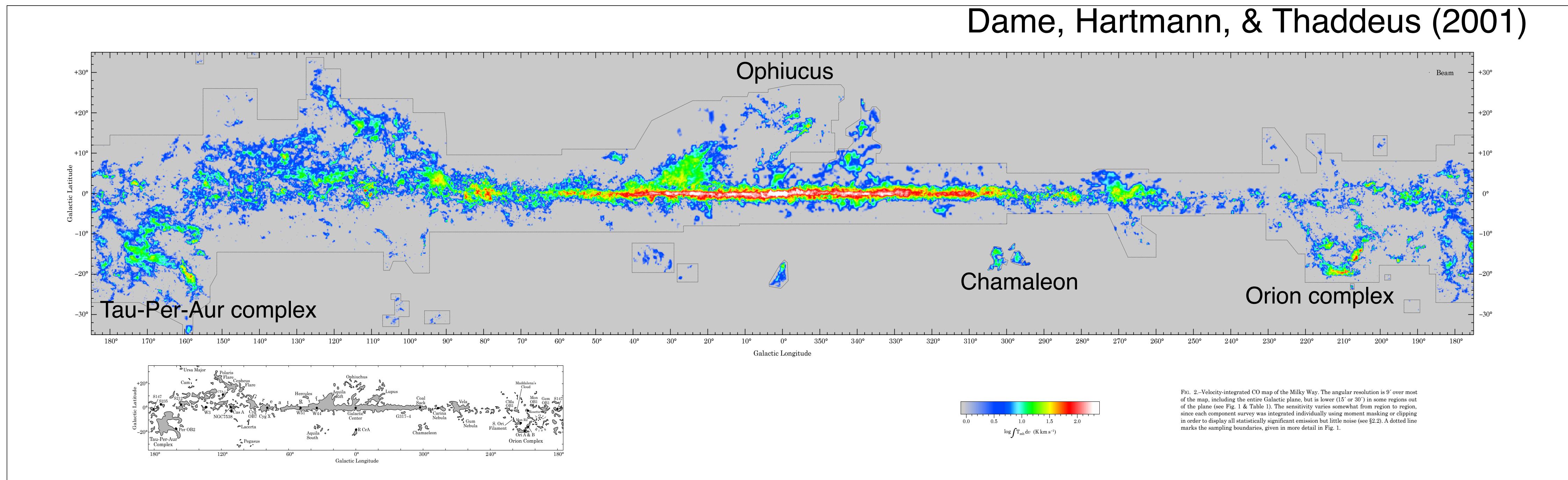
## SOLAR SYSTEM

Josep Maria Trigo  
(Meteorites, Solar system dust)

# THE STELLAR NURSERIES

Molecular clouds are the densest phase of the ISM.

- ★ FUV photons are absorbed at the surface in a region of  $Av \sim 1$ : PDR
- ★  $H_2$  can survive after it has formed on dust grains thanks to the PDR-shield
- ★ Dust effectively shields the interiors of a dense cloud from the UV radiation, which destroys molecules
- ★ Chemistry is initiated as other molecules form together with  $H_2$

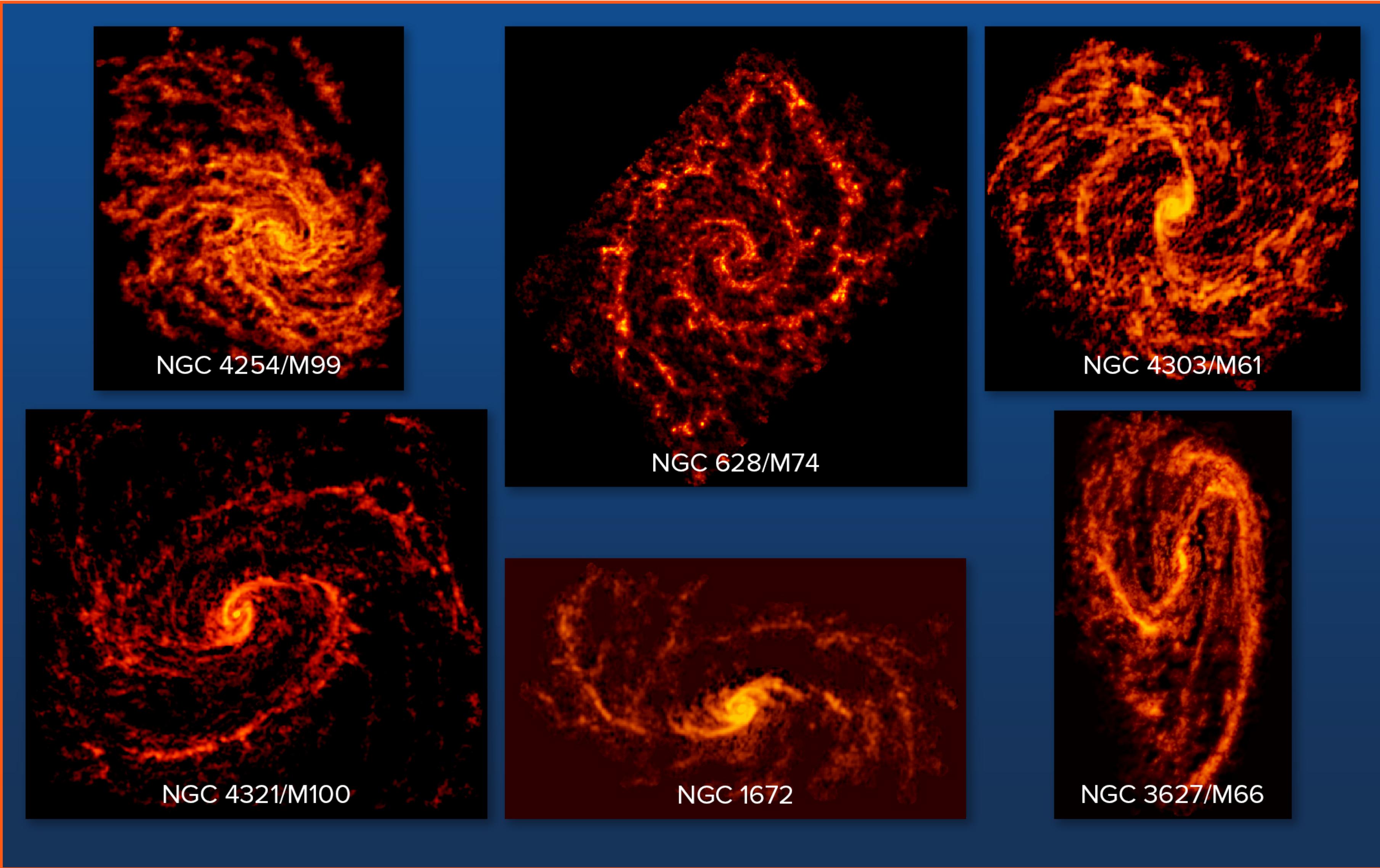


$$T_{\text{kin}}=10 \text{ K}, n(H_2)>10^3 \text{ cm}^{-3}, \text{size}\sim 50 \text{ pc}$$

# THE STELLAR NURSERIES

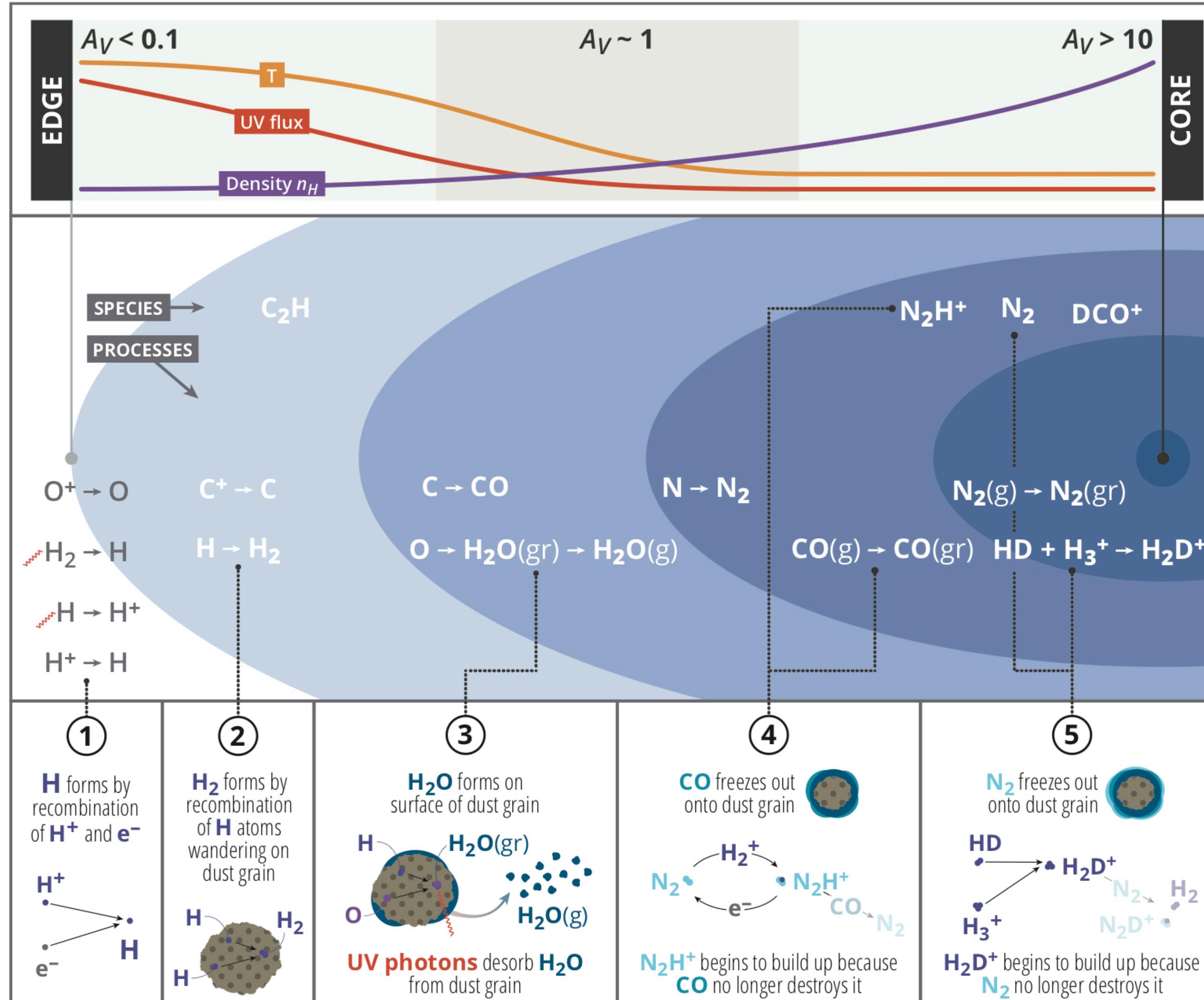
The Physics at High Angular resolution in Nearby GalaxiesS (PHANGS) ALMA Survey

Image Credit: ALMA (ESO/NAOJ/NRAO); NRAO/AUI/NRAO; B. Saxton



# SETTING THE CHEMICAL TRAJECTORY FOR STAR AND PLANET FORMATION

Image Credit: K. Peek (Öberg & Bergin 2021)



→ In Molecular Clouds: major volatile carriers of oxygen, carbon and nitrogen form:  $H_2O$ ,  $CO$ ,  $N_2$

→ Formation sites of most abundant volatile organics ( $CH_4$ ,  $CH_3OH$ ,  $NH_3$ ):

**Building blocks of any organic chemistry**

- 3 Inner surface layer: C is rapidly converted into CO, effectively locking in most of the volatile carbon budget. Remaining O is incorporated into the much less volatile  $H_2O$ .
- 4 Deepest molecular cloud region: all molecules except for  $H_2$ ,  $H_3^+$  rapidly freeze-out onto grains (efficient deuterium fractionation)
- 5

# SETTING THE CHEMICAL TRAJECTORY FOR STAR AND PLANET FORMATION

- Initial icy grain mantles are composed mainly of H<sub>2</sub>O and CO<sub>2</sub>. Main host of CH<sub>4</sub> and NH<sub>3</sub>.
- At Low Extinction where temperatures are warmer (T>10 K) and UV radiation is diluted but present.
- At High Extinction the gas and dust are cold with UV radiation extinguished. Elevated densities result in a CO freeze-out rate that is too high for H-atoms activated grain-surface reaction: CO containing outer ice mantle.

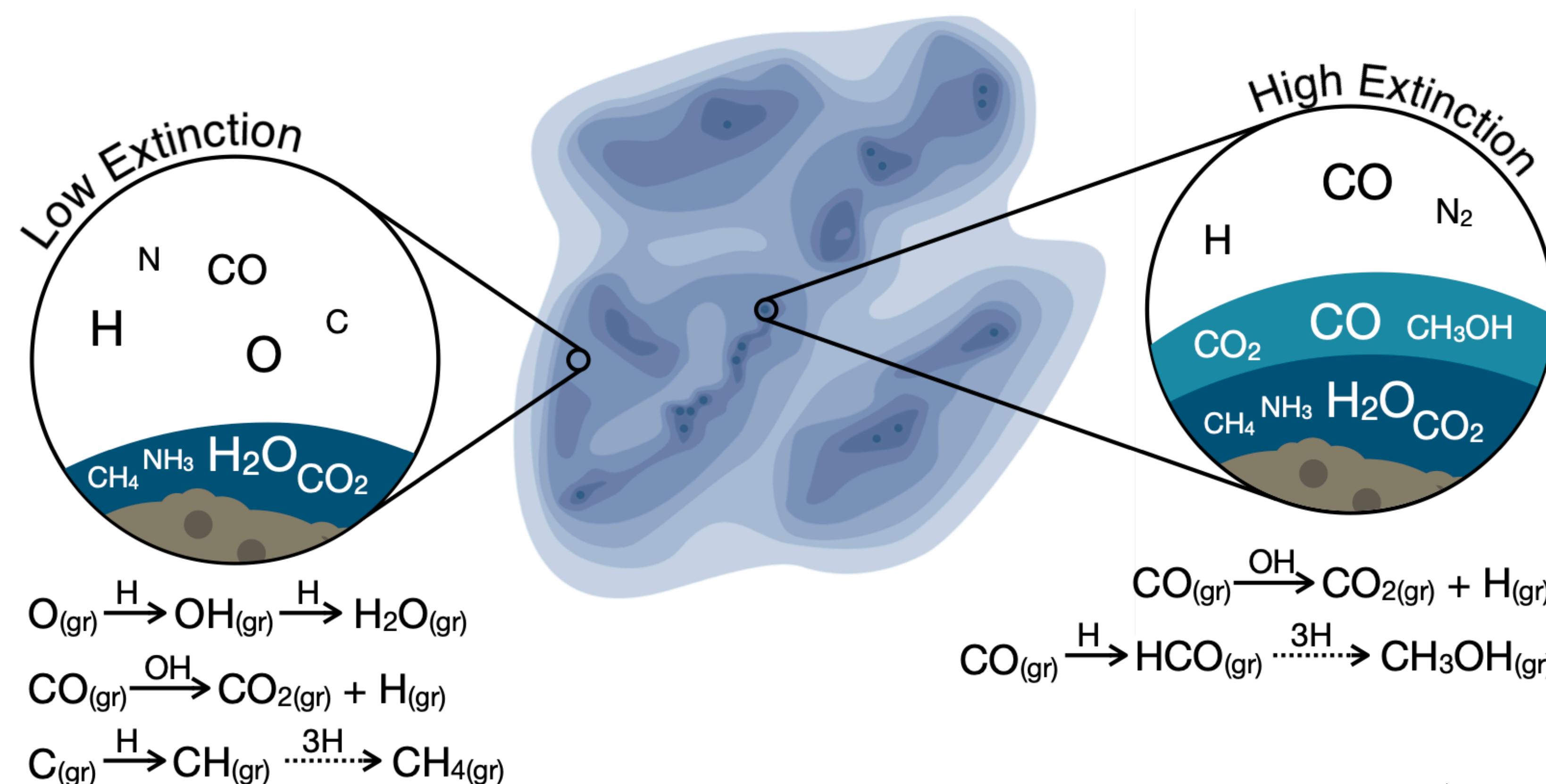
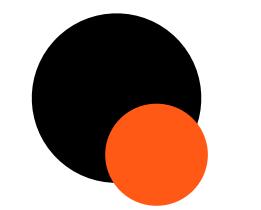


Image Credit: K. Peek (Öberg & Bergin 2021)



# PHYSICAL PROPERTIES OF MOLECULAR CLOUDS



- Solution of the radiative transfer equation for a medium with optical depth  $\tau_\nu$  and for a source function constituted by the Planck blackbody  $B_\nu$  at temperature T is:

$$I_\nu = B_\nu(T)(1 - e^{-\tau_\nu}) \quad \text{where} \quad B_\nu(T) = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/k_B T} - 1}$$

- Assuming  $I_\nu$  being uniform over the solid angle  $\Omega$ , the corresponding flux is:

$$F_\nu = \Omega(1 - e^{-\tau_\nu}) B_\nu(T)$$

- Empirical behaviour of  $\tau_\nu$  as a function of  $\nu$  for large interstellar dust grains is modelled as a power law:  $\tau_\nu = \left(\frac{\nu}{\nu_0}\right)^\beta$  where the cut-off frequency  $\nu_0 = c/\lambda_0$  is such that  $\tau_{\nu_0} = 1$

$$\rightarrow \text{In the limit of } \nu \ll \nu_0: (1 - e^{-\tau_\nu}) = \tau_\nu \quad \longrightarrow \quad I_\nu \approx \left(\frac{\nu}{\nu_0}\right)^\beta B_\nu(T)$$

Observations at three or more wavelengths this simple model can be used to determine both  $T$  and  $\beta$

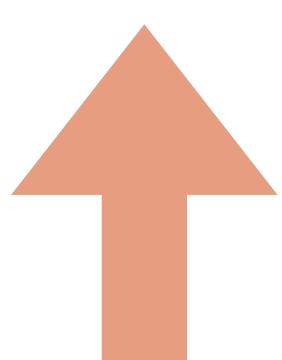
# PHYSICAL PROPERTIES OF MOLECULAR CLOUDS

→ Assumptions:

- 1) Single temperature for all dust particles within the beam.
- 2) Spectral index  $\beta$  is constant within the beam and over the observed wavelengths.
- 3) Emission is assumed to be optically thin, making the determination of temperature and spectral index independent of the column density.

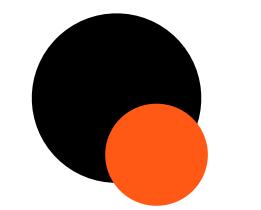
→ Obtain Mass/Column density:  $I_\nu \approx \left(\frac{\nu}{\nu_0}\right)^\beta B_\nu(T)$       Definition of optical depth:  $\tau_\nu \equiv \kappa_\nu \int \rho ds$

$$\tau_\nu \approx \kappa_{ref} \left(\frac{\nu}{\nu_{ref}}\right)^\beta \Sigma$$



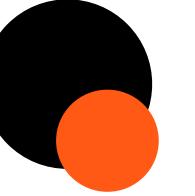
Surface/column density:

$$\Sigma = M/A$$



# PHYSICAL PROPERTIES OF MOLECULAR CLOUDS

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→ For a source located at a distance  $d$ :  $A = \Omega d^2$

$$\Omega = M/(\Sigma d^2) = M\kappa_{ref}/\tau d^2$$

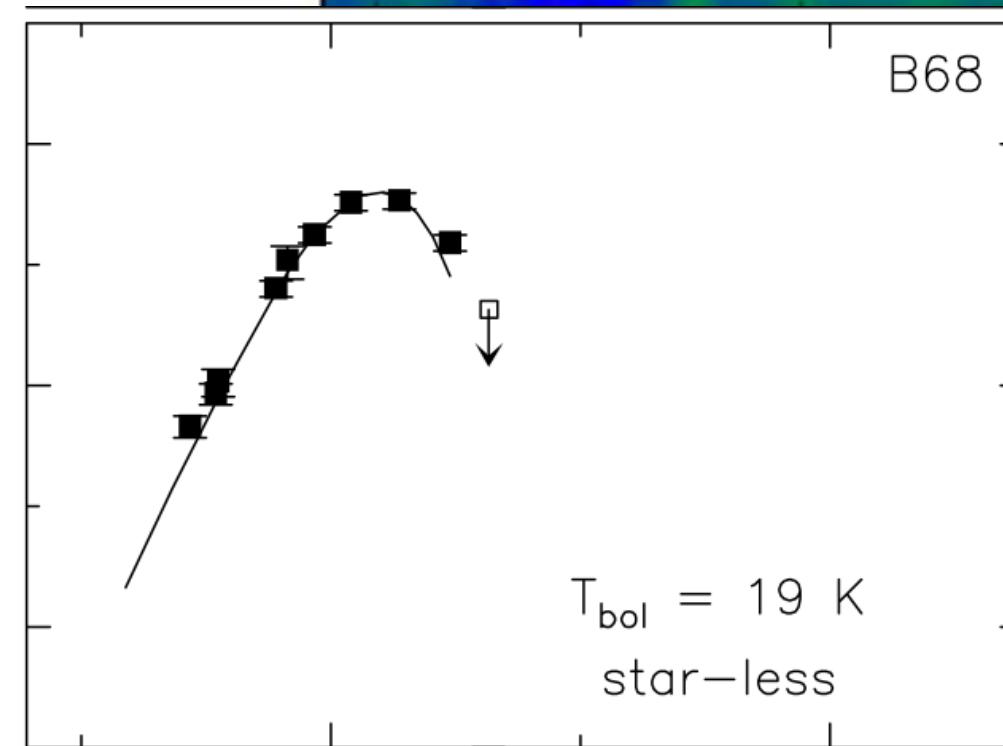
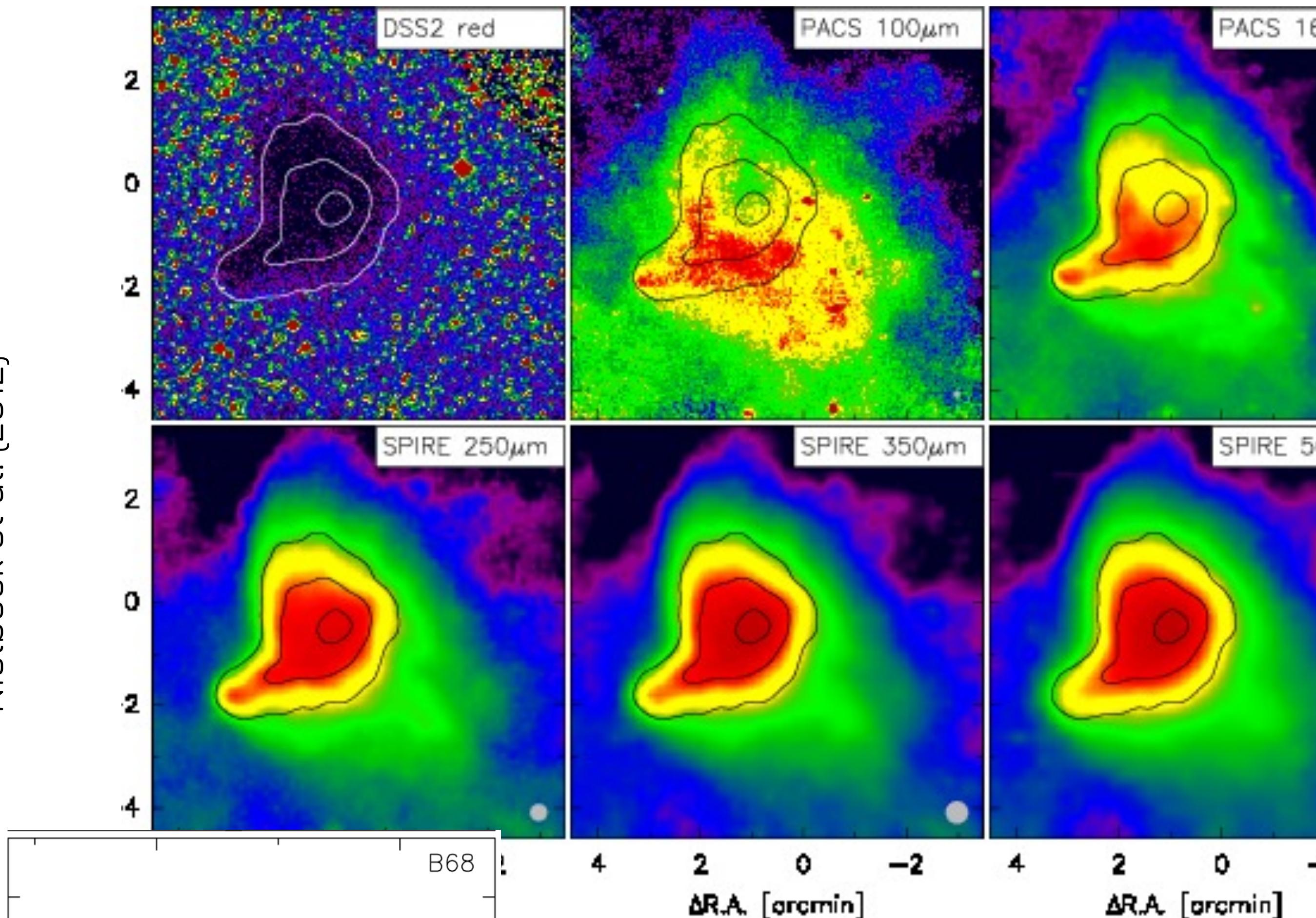
$$F_\nu = \Omega(1 - e^{-\tau_\nu}) B_\nu(T) = \frac{M\kappa_{ref}}{d^2} \left( \frac{\nu}{\nu_{ref}} \right) B_\nu(T)$$

→ Under the assumption that the emission at (sub)millimeter wavelengths is **fully optically thin** and in the **Rayleigh-Jeans regime**:

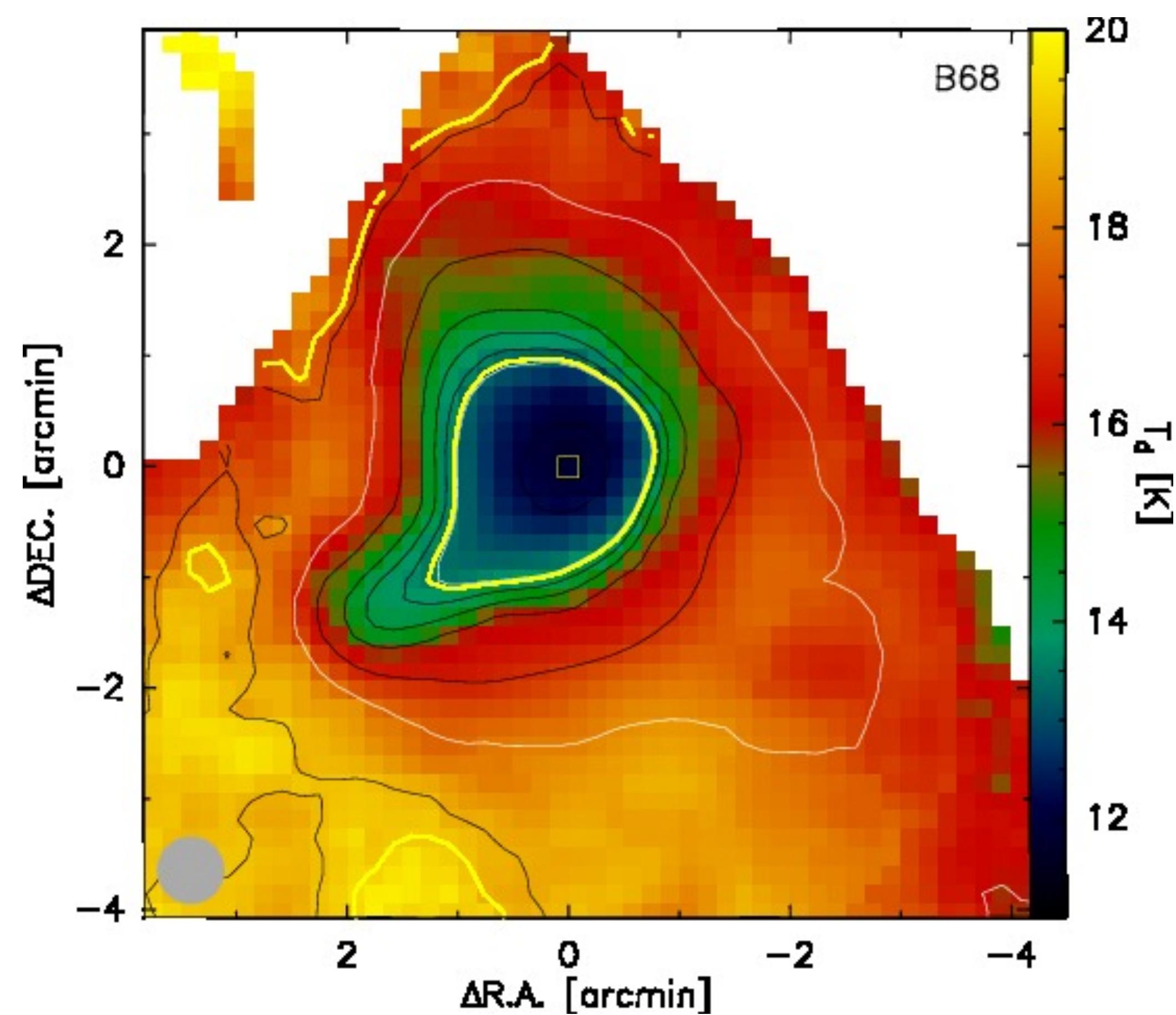
$$\left[ \frac{M}{M_\odot} \right] = 1.6 \times 10^{-6} \left[ \frac{\nu}{1000 \text{ GHz}} \right]^{-(2+\beta)} \left[ \frac{S_\nu}{\text{Jy}} \right] \left[ \frac{T_d}{\text{K}} \right]^{-1} \left[ \frac{d}{\text{pc}} \right]^2$$

# SED FITTING

Nielbock et al. (2012)

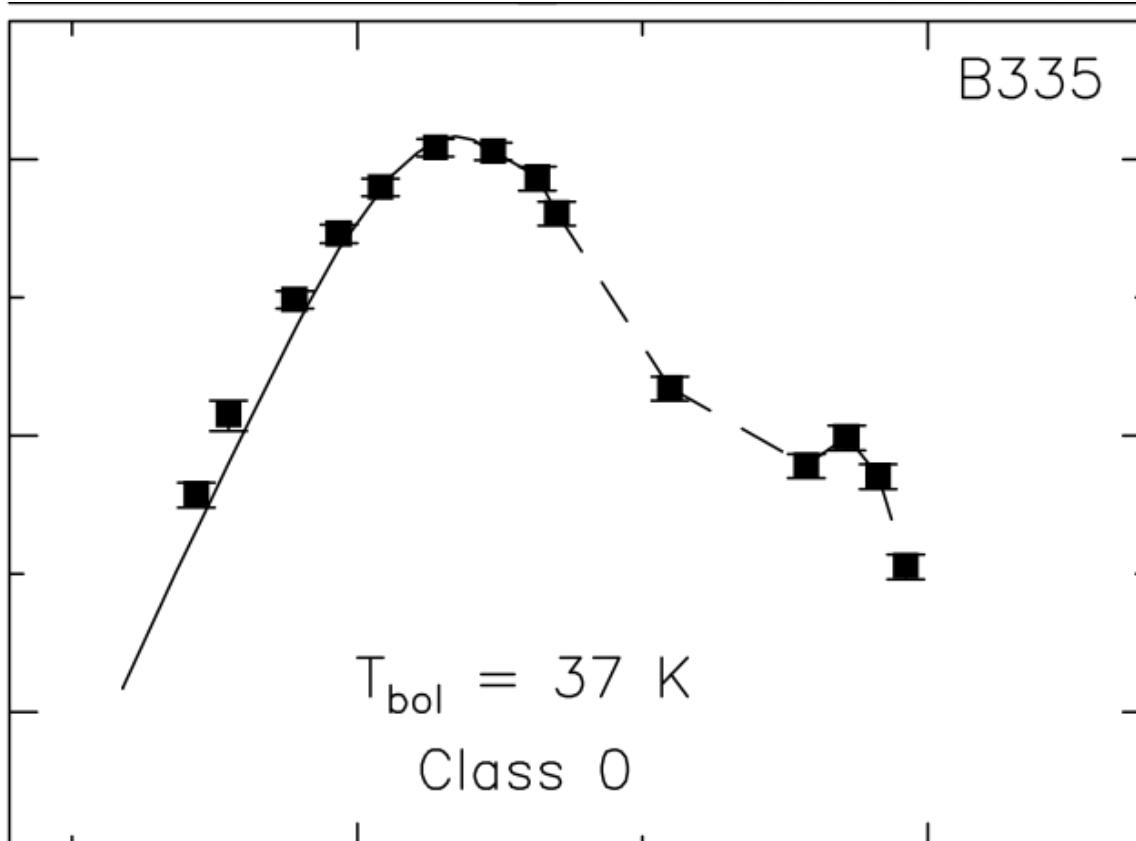
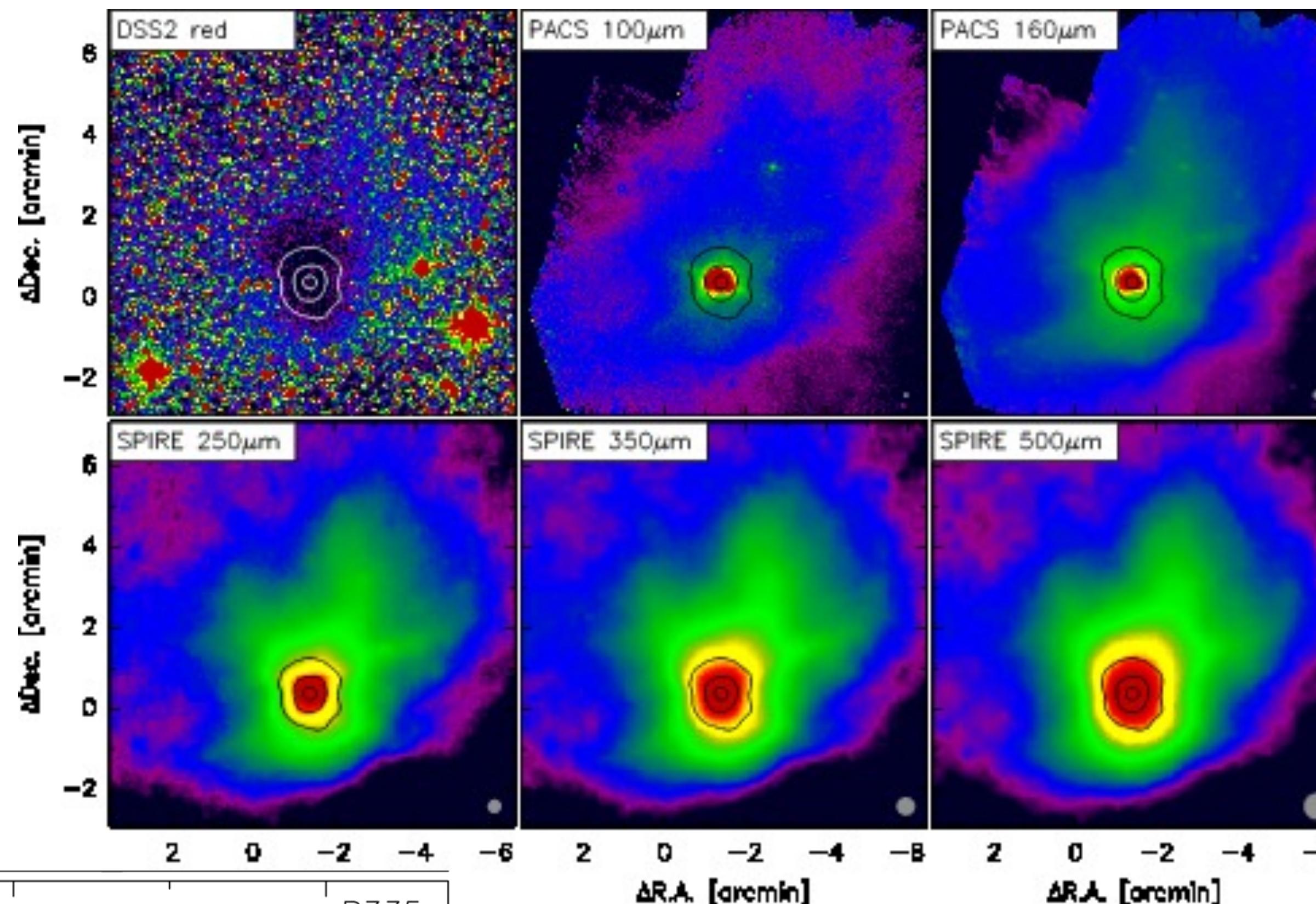


B68 TEMPERATURE MAP

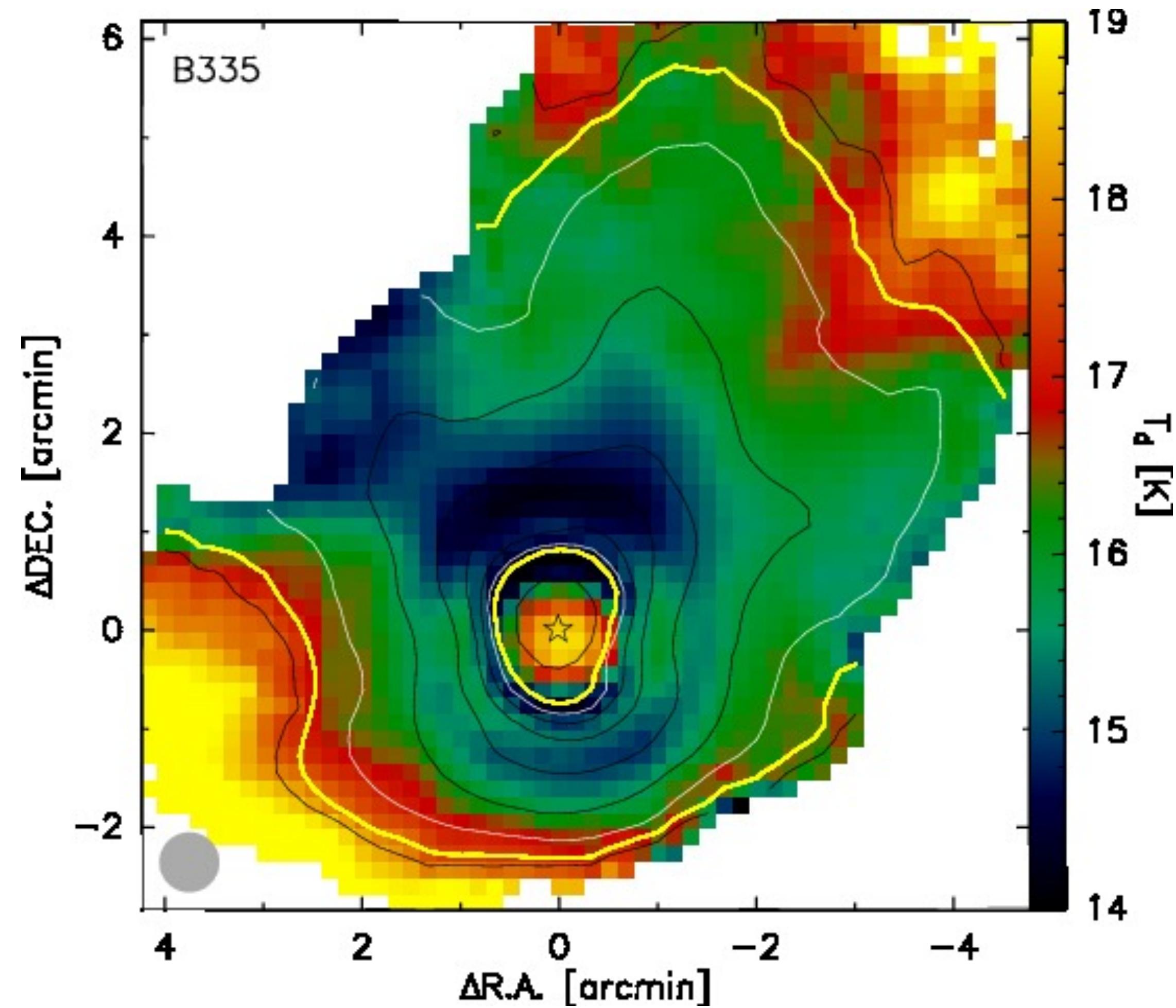


# SED FITTING

Launhardt et al. (2013)



B335 TEMPERATURE MAP

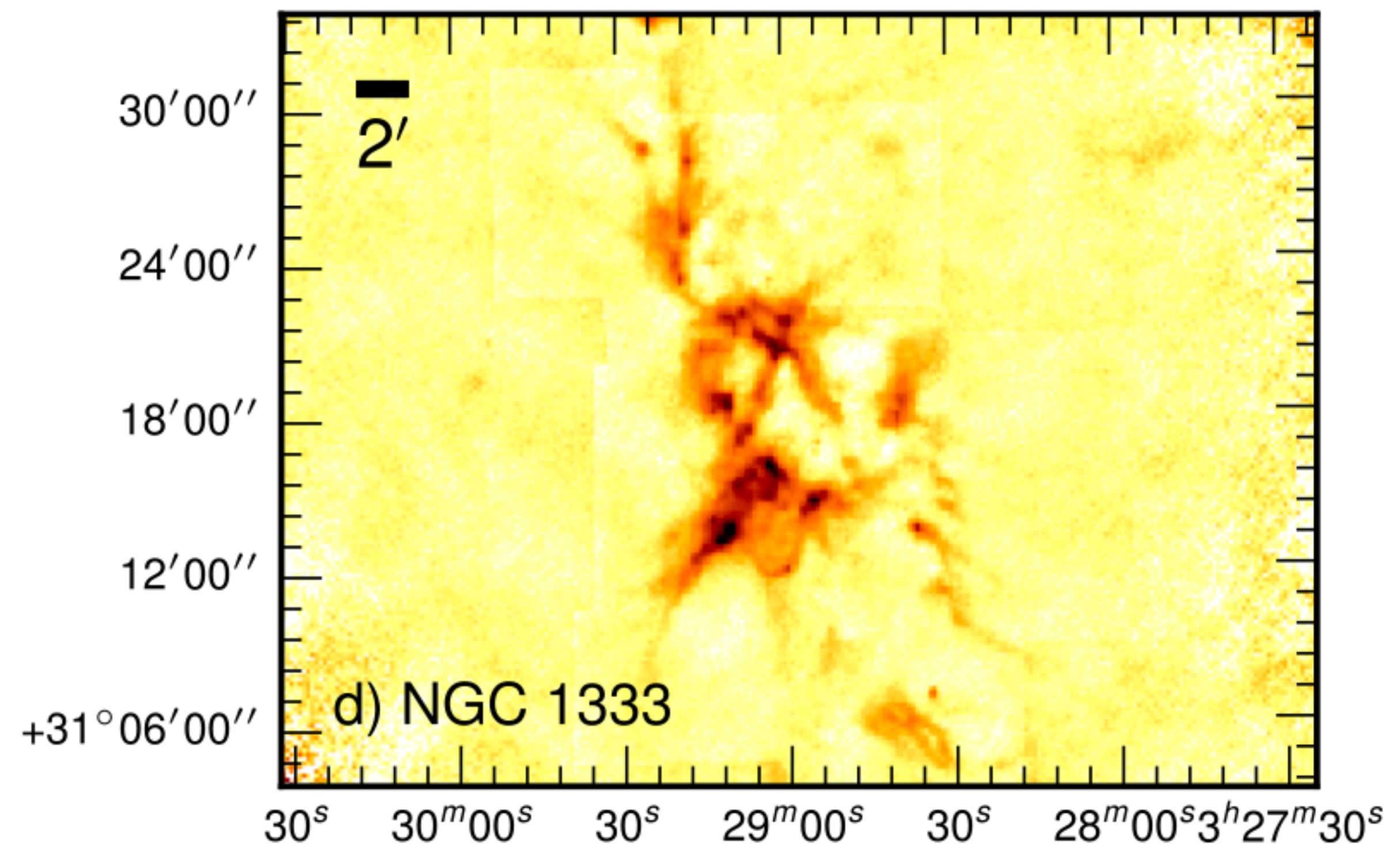


# SED FITTING

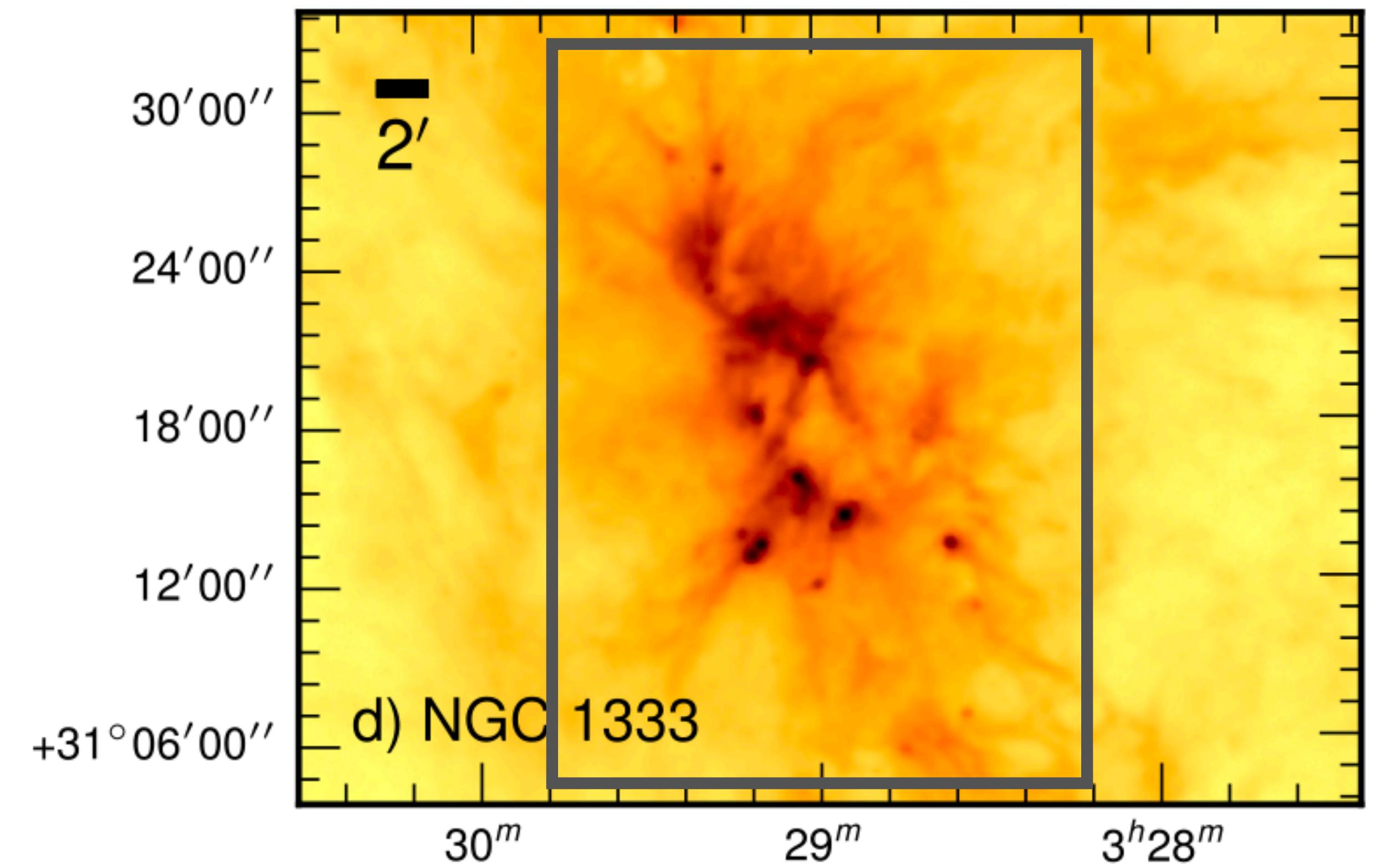
---

NGC1333 star-forming region in Perseus cloud

JCMT SCUBA-2 map at 850  $\mu\text{m}$



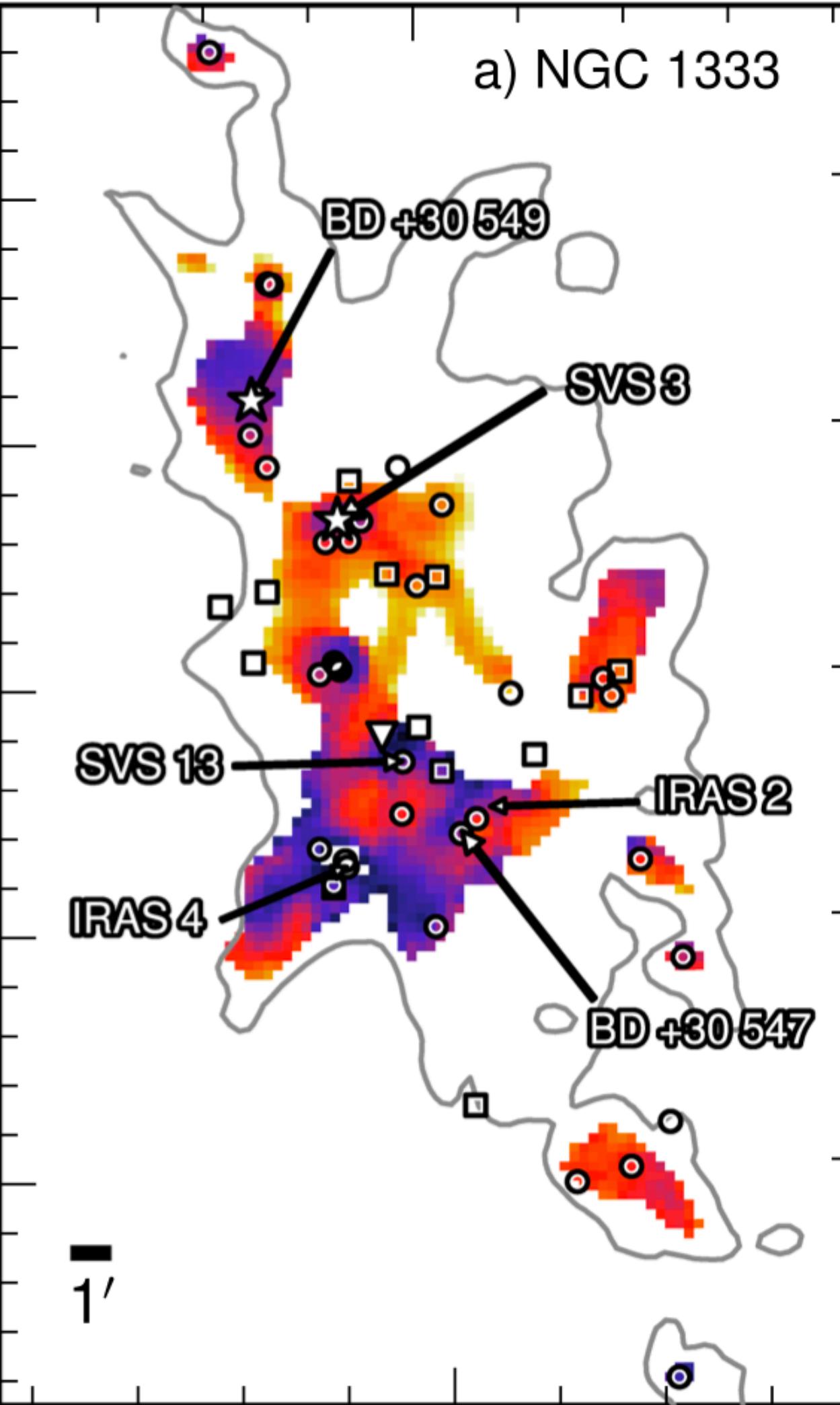
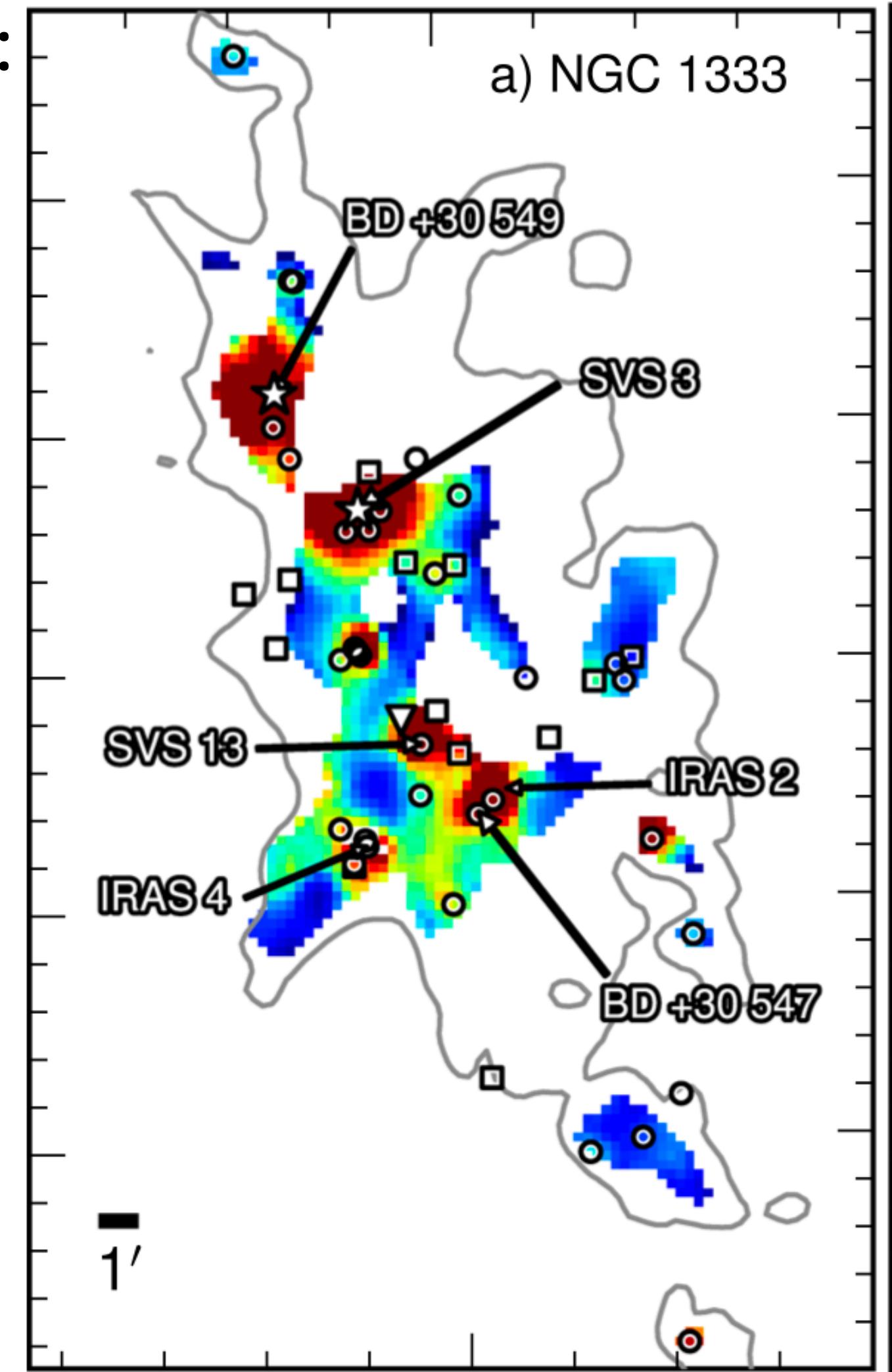
Herschel SPIRE map at 250  $\mu\text{m}$



# SED FITTING

## NGC1333 star-forming region in Perseus cloud

Temperature map:  
[9-18 K]

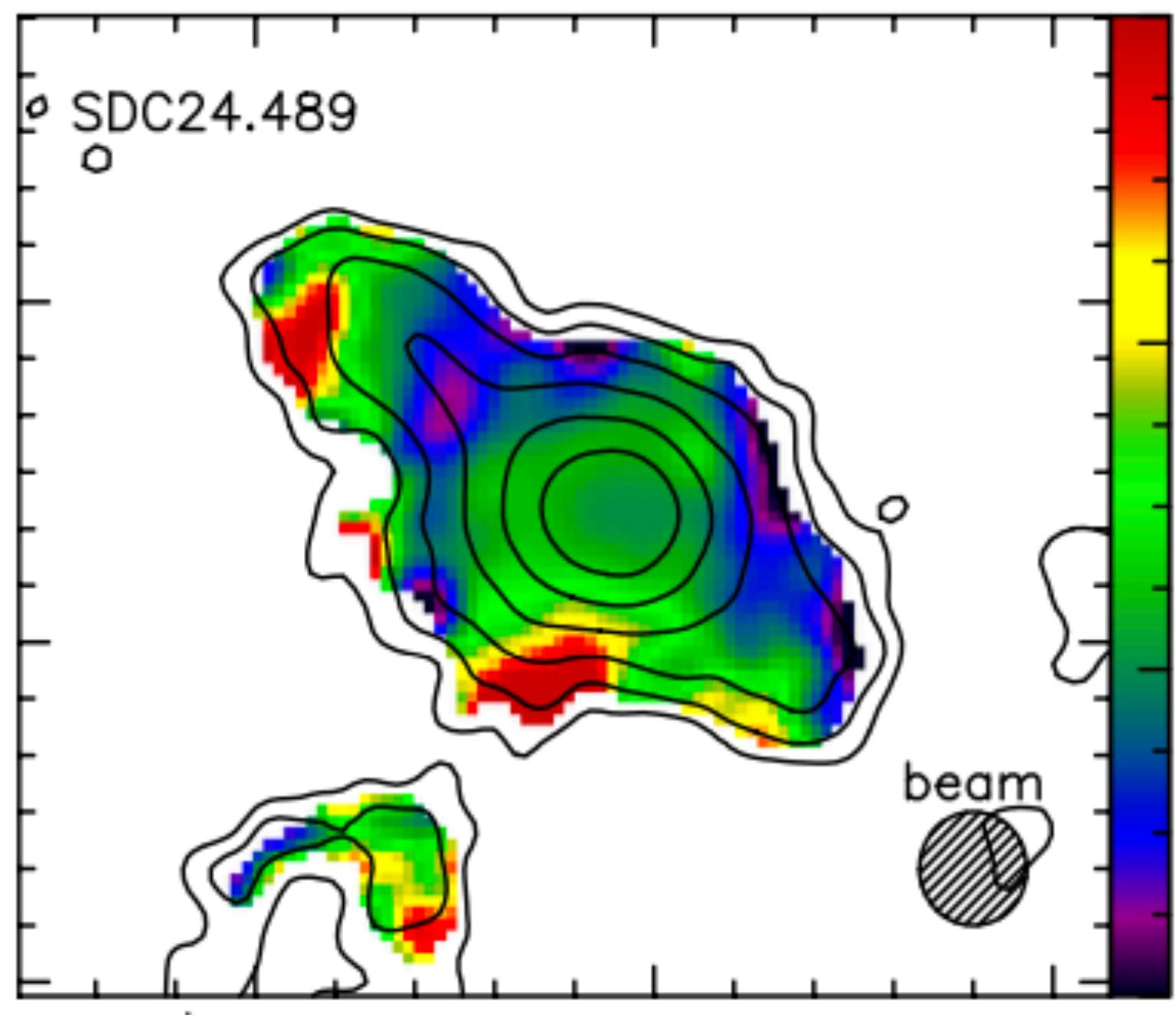
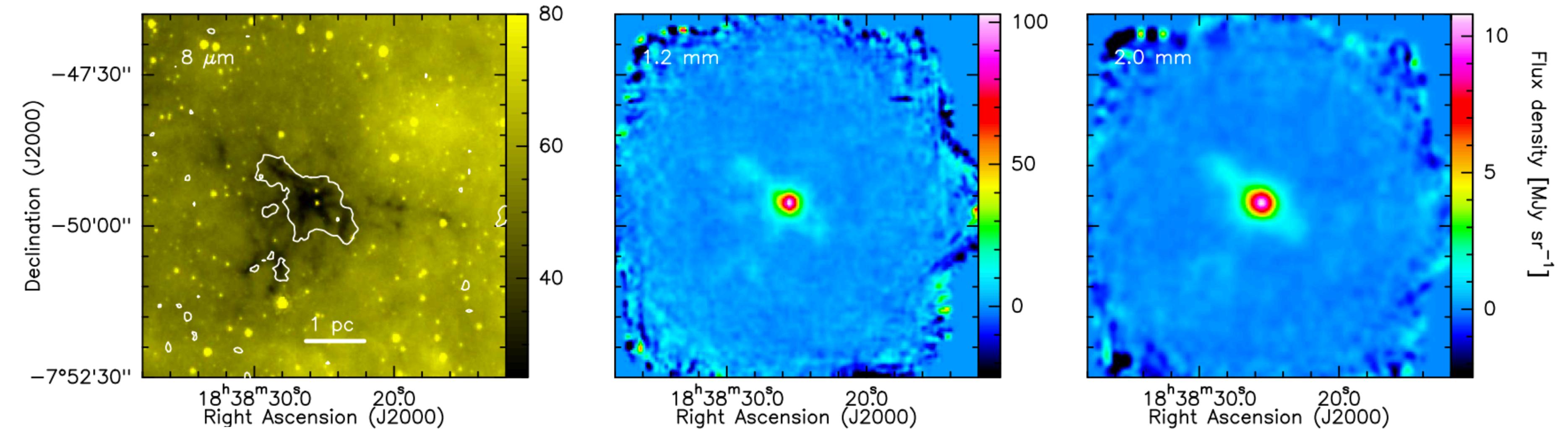


$\beta$  map: ranges from 1 to 3

- Low values tend to correlate with  $T_d$  peaks
- $\beta$  values can be intrinsically temperature dependent (Boudet et al. 2005)
- Grain growth can cause  $\beta$  values to decrease significantly

# SED FITTING

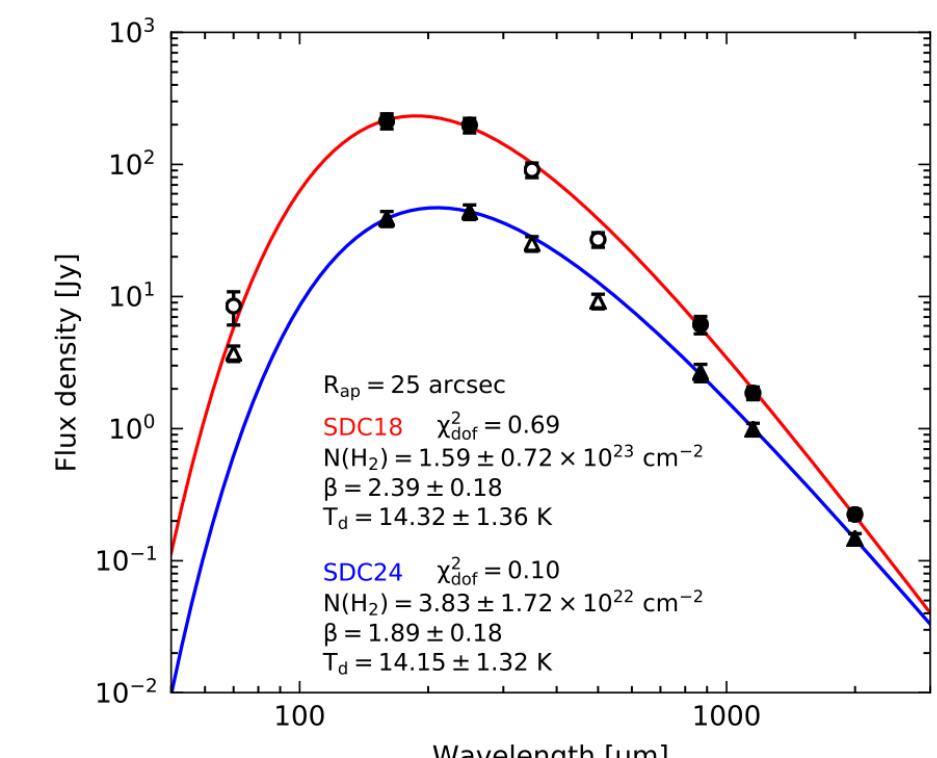
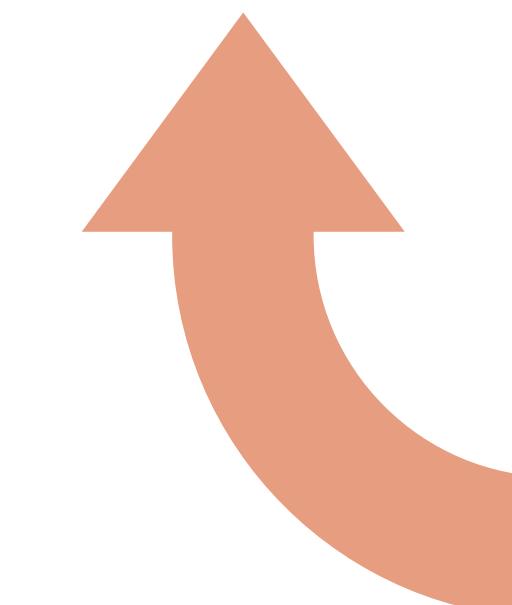
The Infrared Dark Cloud  
SDC24-489-0.689



$$\beta = \ln\left(\frac{I_1}{I_2} \frac{B_2(T_d)}{B_1(T_d)}\right) \times \left[\ln\frac{\nu_1}{\nu_2}\right]^{-1}$$

$$l_1=1.2 \text{ mm}$$

$$l_2=2 \text{ mm}$$

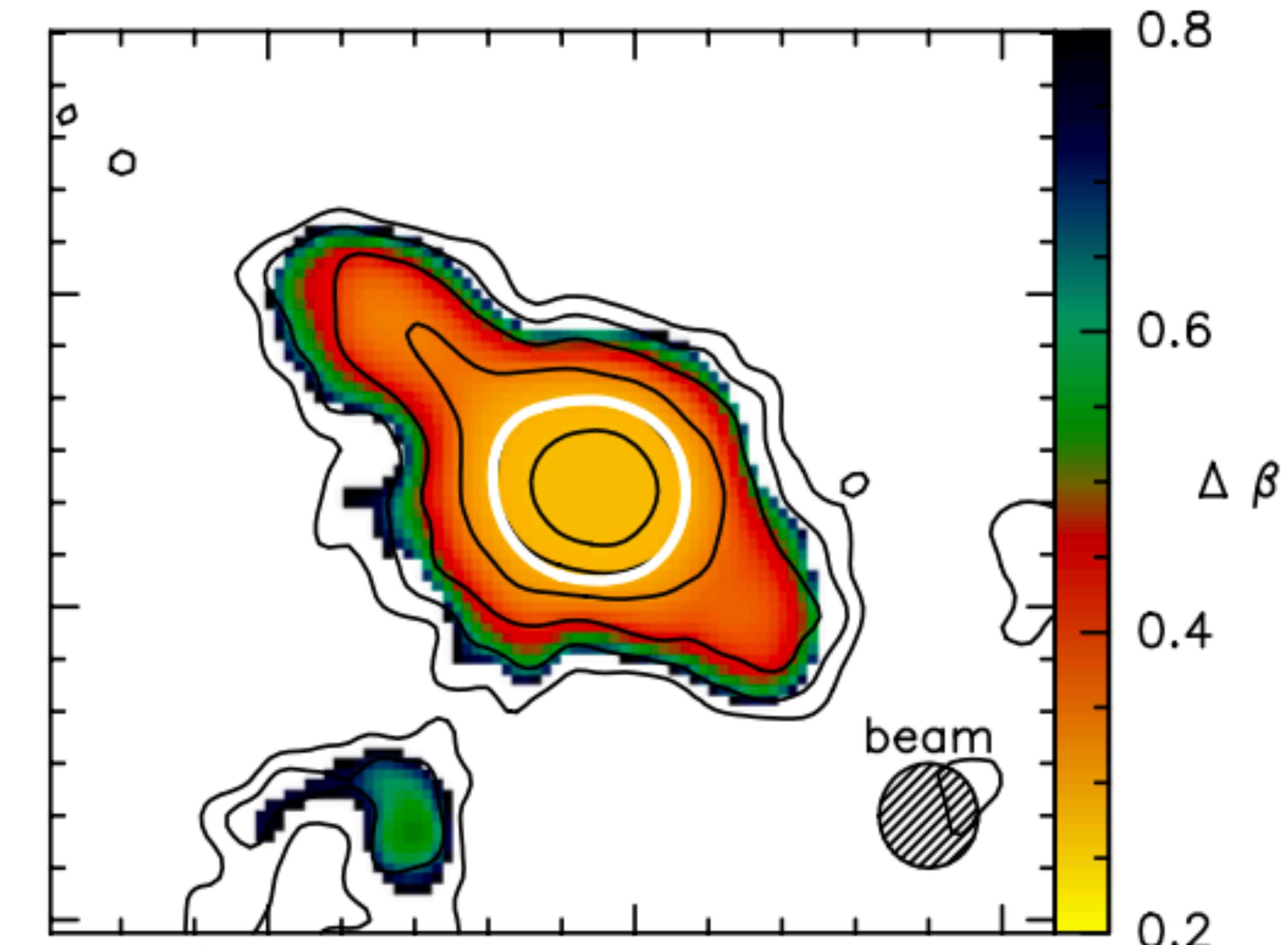
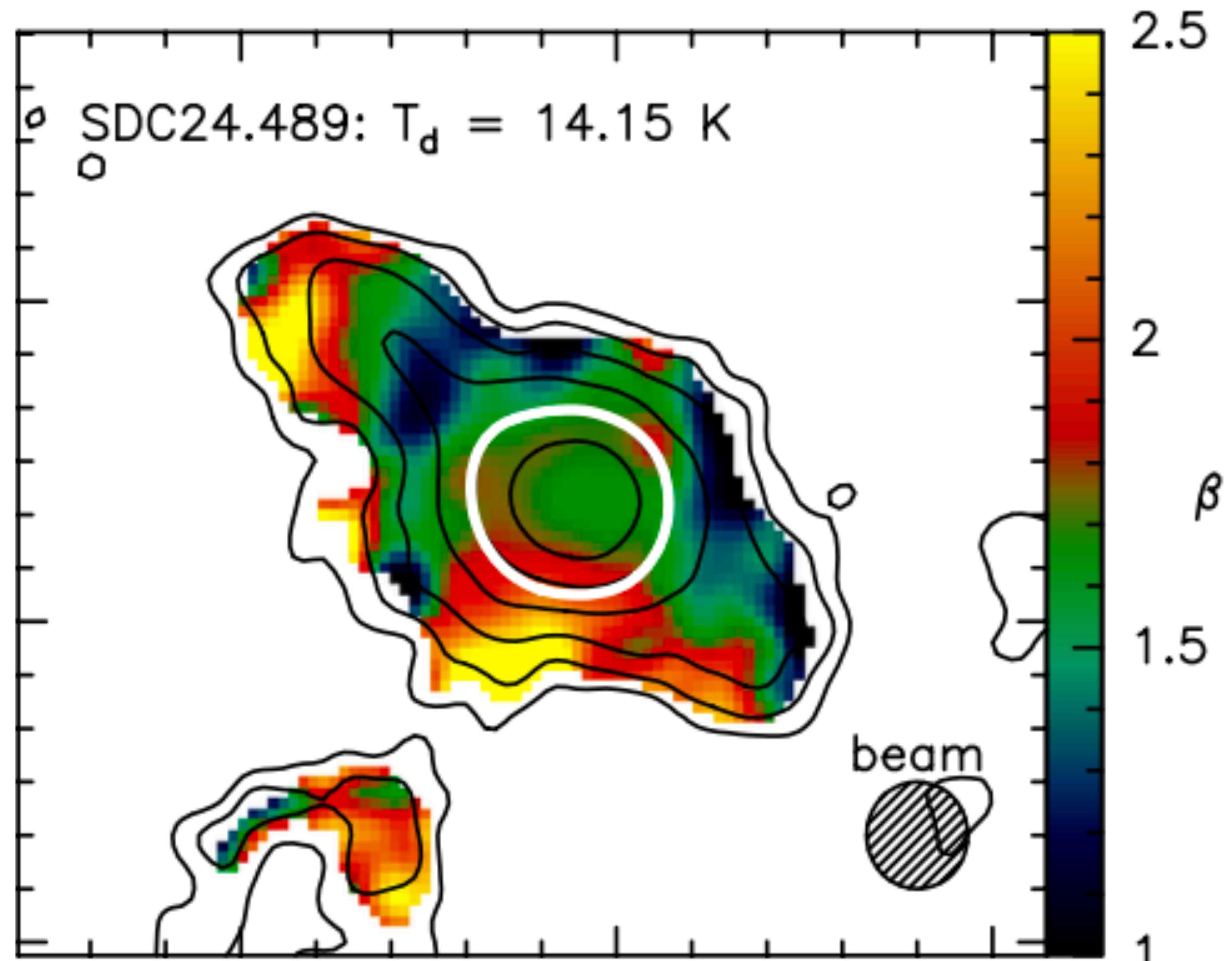


Rigby et al. (2018)

# SED FITTING

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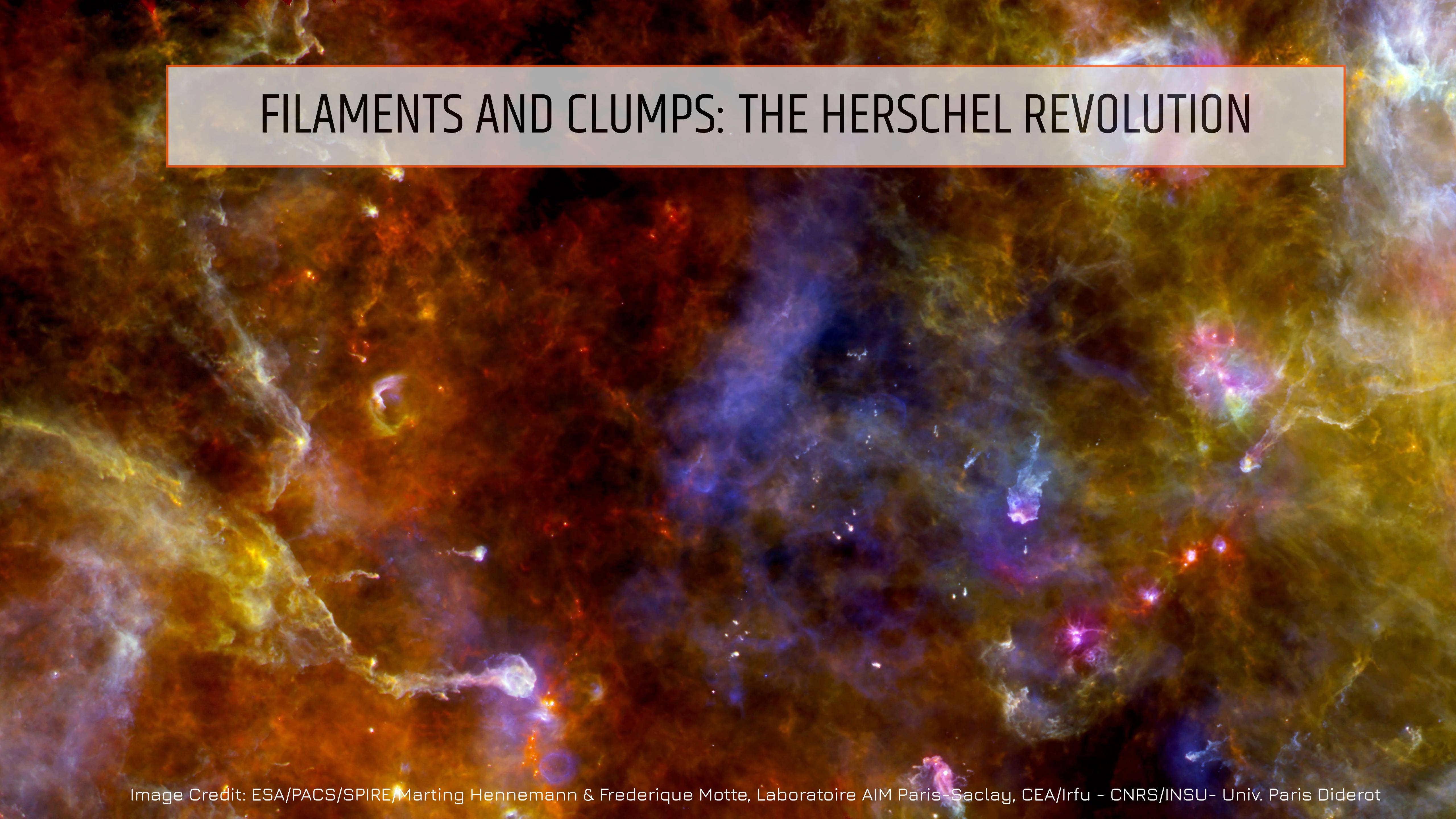
## The Infrared Dark Cloud SDC24-489-0.689



# SUMMARY

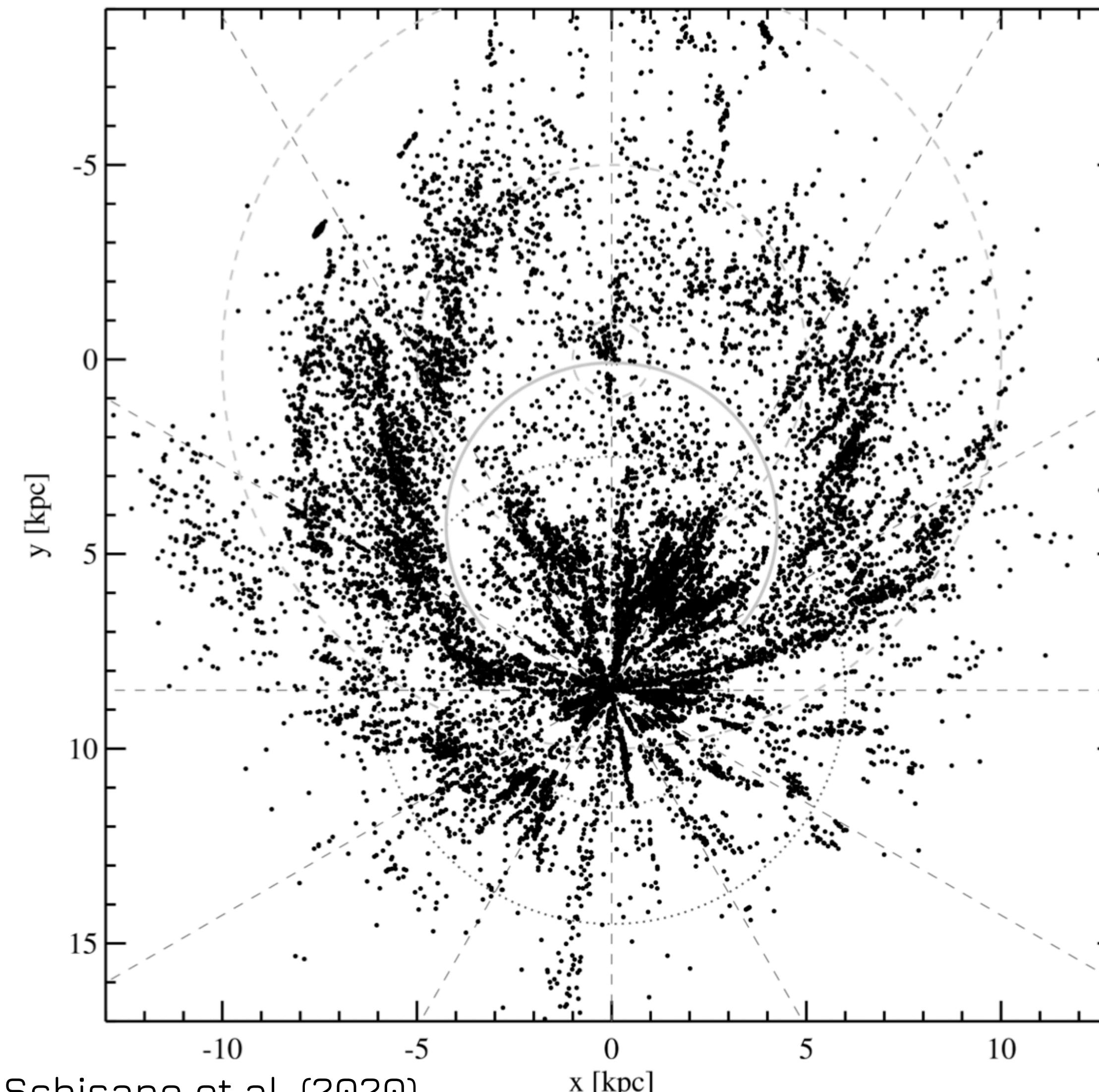
- Dust emissivity spectral index ( $\beta$ ) is a critical parameter to obtain Mass and dust Temperature ( $T_d$ ) of star forming regions → Gravitational stability
- $\beta$  depends on various grain properties: size, porosity, and surface composition
- Expected to vary as dust grains evolve
- Difficult to measure  $\beta$  (requires the SED)
- Wide range of  $\beta$  values ( $\beta \sim 1-3$ ) have been reported in star-forming regions  
(Friesen et al. 2005, Shirley et al. 2005, 2011, Chen et al. 2016, Rigby et al. 2018 and many many more!)

# FILAMENTS AND CLUMPS: THE HERSCHEL REVOLUTION



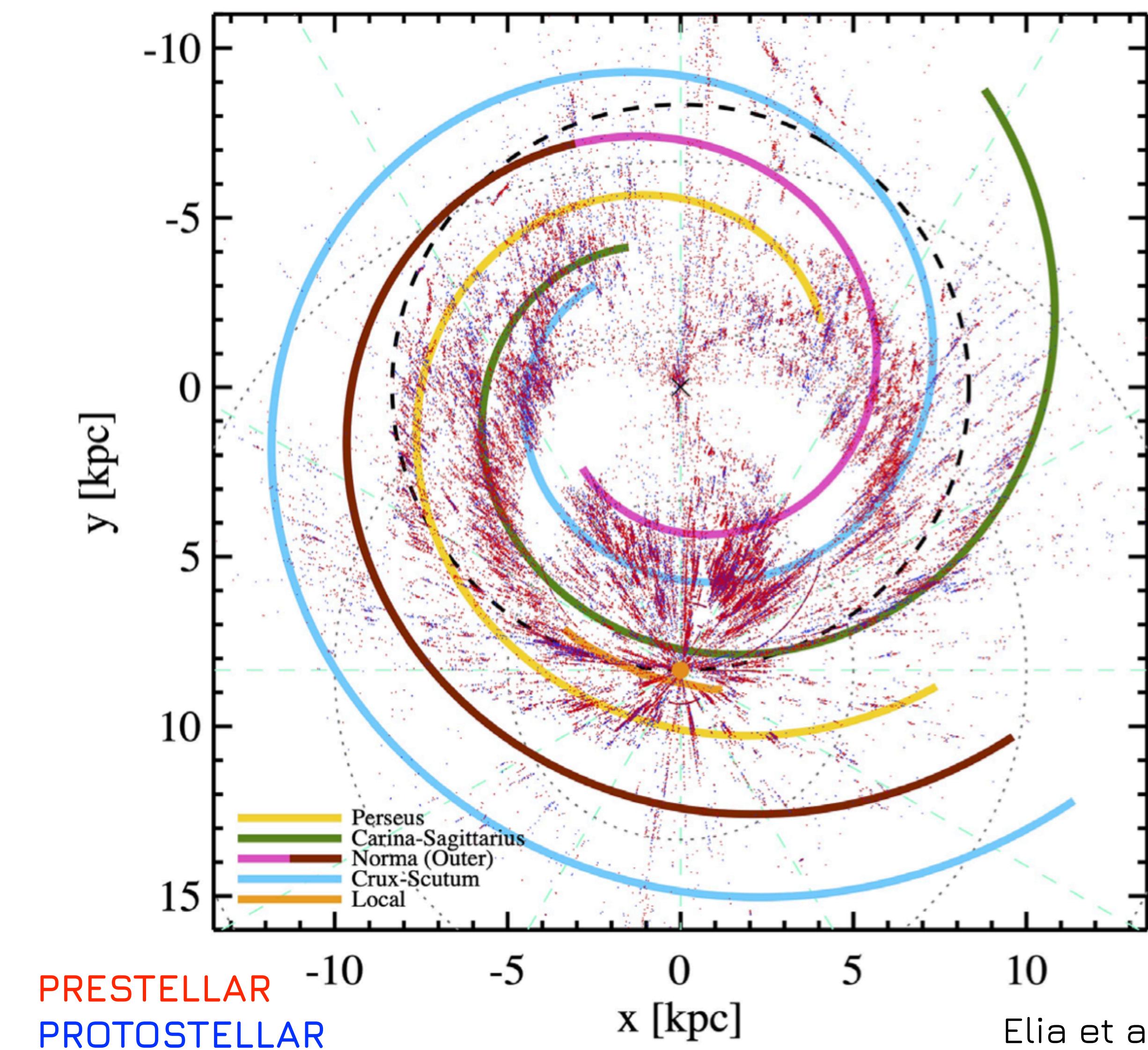
# FILAMENTS AND CLUMPS

Location of 16.861 candidate filaments from Hi-GAL survey



Schisano et al. (2020)

Location of Galactic plane Hi-GAL objects

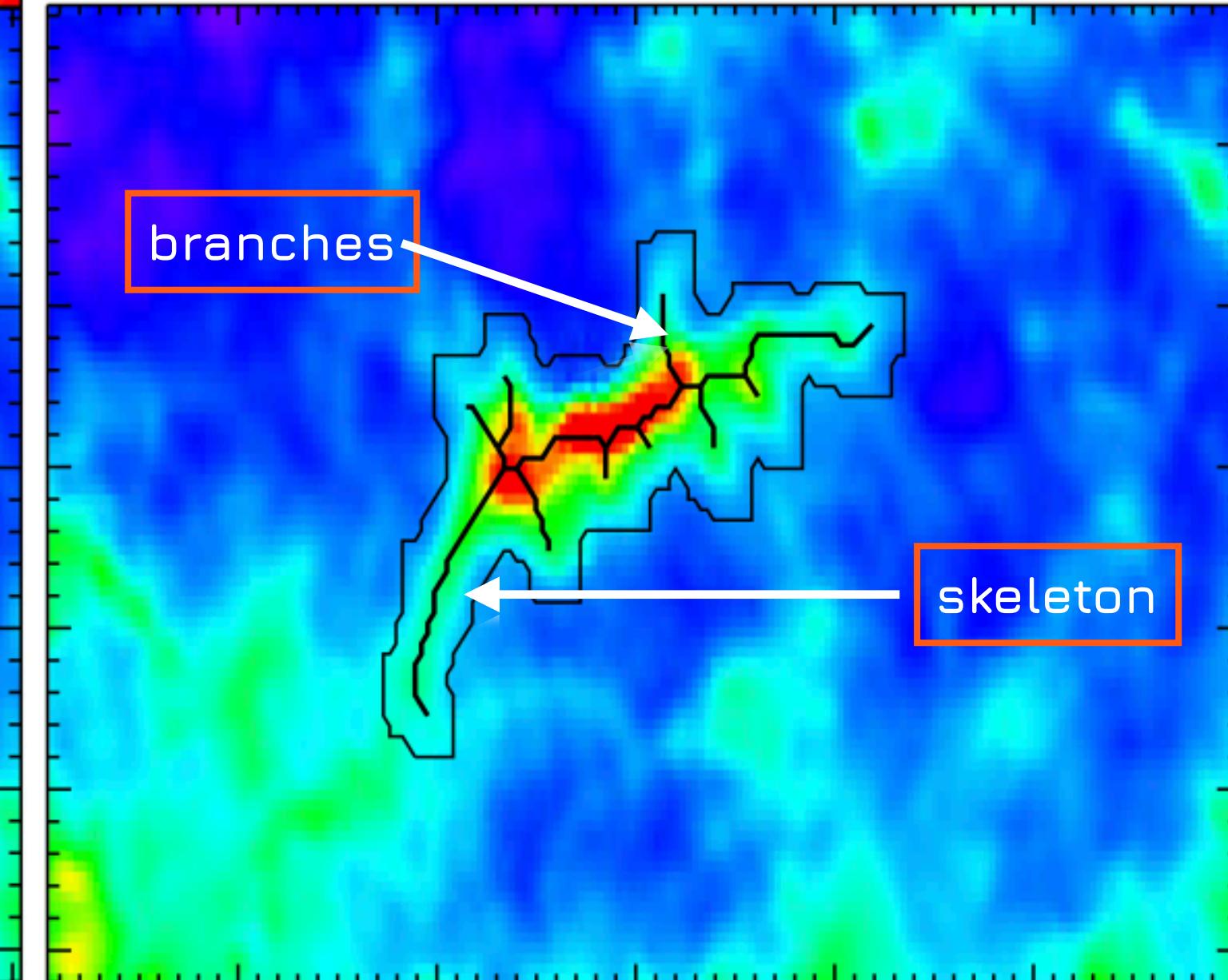
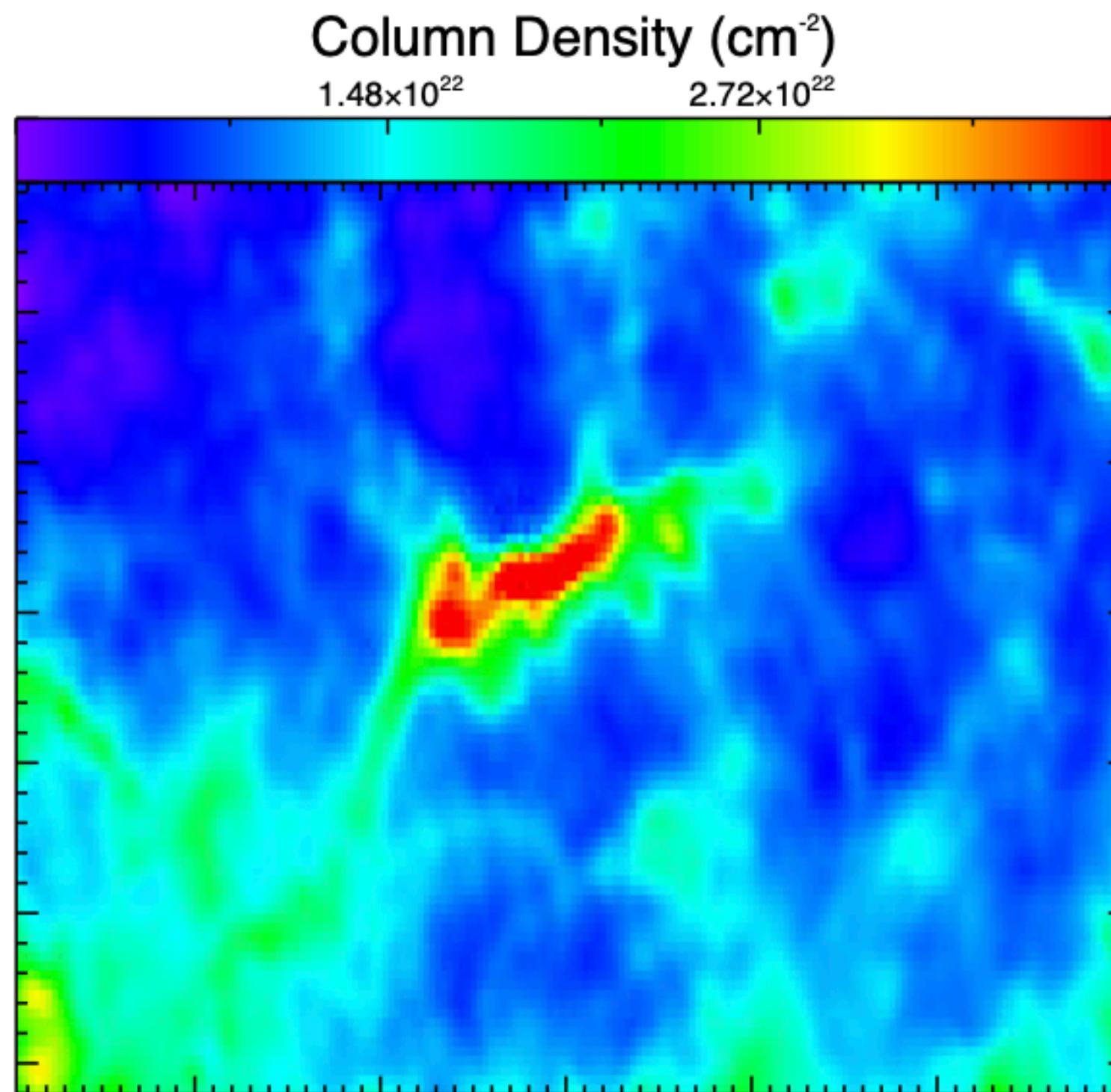


PRESTELLAR  
PROTOSTELLAR

Elia et al. (2021)

# FILAMENTS

Schisano et al. (2020)

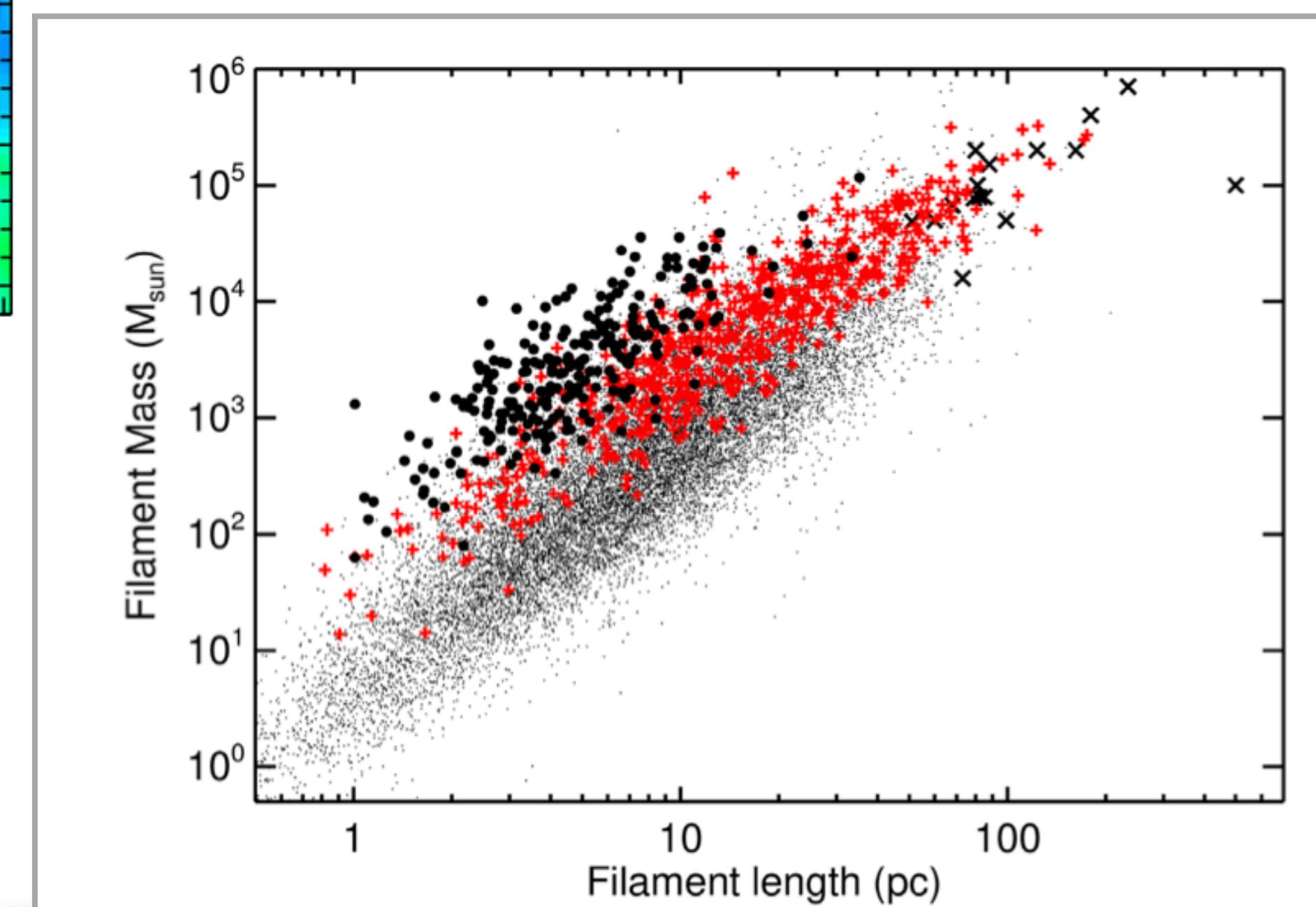


$$M^{\text{fil}} = \mu_{\text{H}_2} m_{\text{H}} (\theta d)^2 \sum_{i,j}^{\text{mask}} N_{\text{H}_2}^{\text{fil}}(i, j),$$

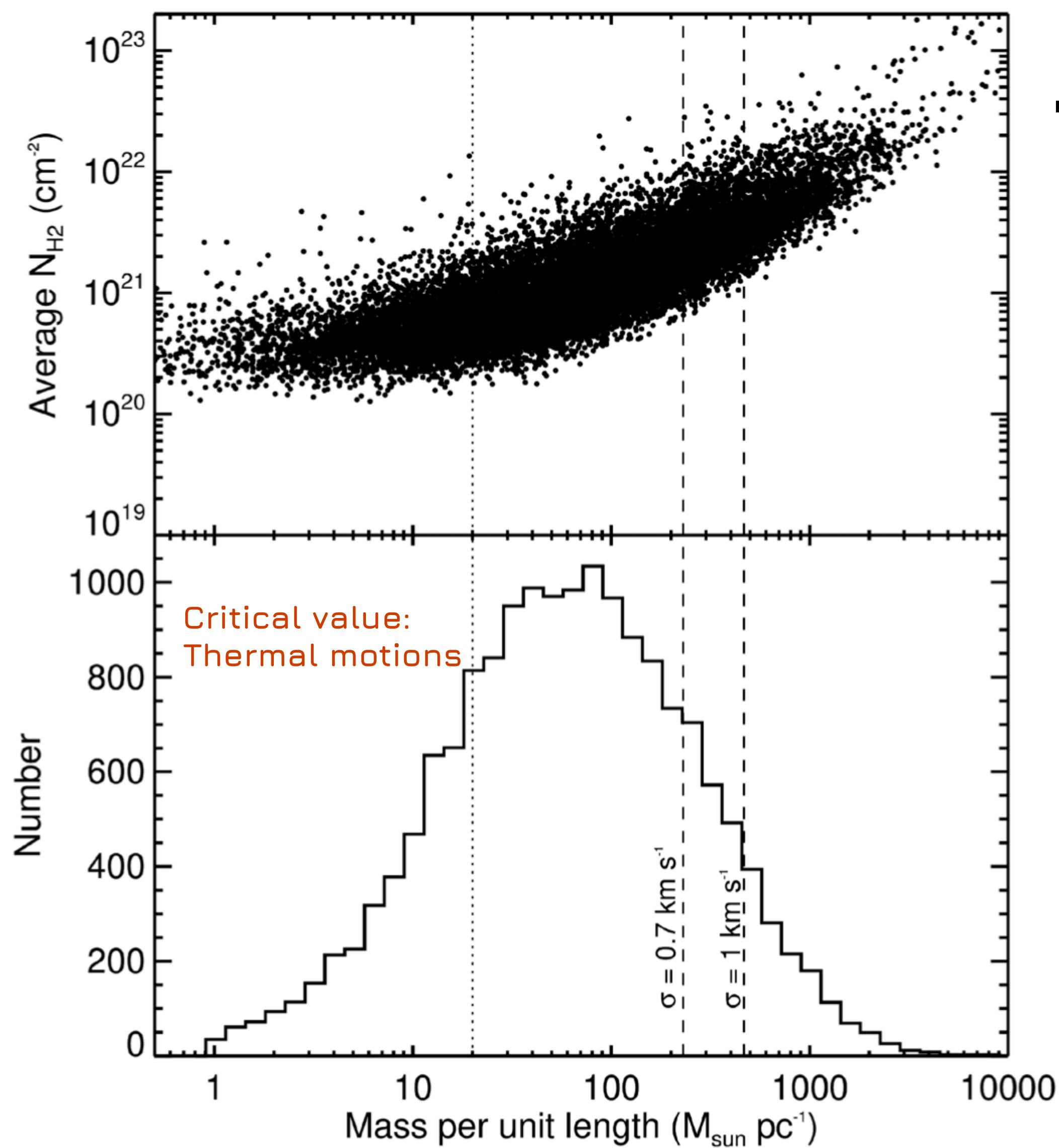
$\theta$ : angular pixel size

$\mu_{\text{H}_2}$ : mean molecular weight of the ISM with respect to hydrogen molecules (2.8)

Hi-GAL (small dots and crosses)  
ATLASGAL (large filled dots)  
Red crosses: Hi-GAL objects that match ATLASGAL



# FILAMENTS



→ Critical line mass (mass per unit length) of a filament:  
hydrostatic, isothermal cylinder model (Stodółkiewicz 1963,  
Ostriker 1964, see Hacar et al. 2022 for a review)

$$m_{\text{crit}}(T) = \frac{2 c_s^2}{G} \sim 16.6 \left( \frac{T}{10 \text{ K}} \right) M_{\odot} \text{ pc}^{-1}$$

$m_{\text{lin}} \lesssim m_{\text{lin}}^{\text{crit}}$



Subcritical filament:  
hydrostatic equilibrium

$m_{\text{lin}} \gtrsim m_{\text{lin}}^{\text{crit}}$

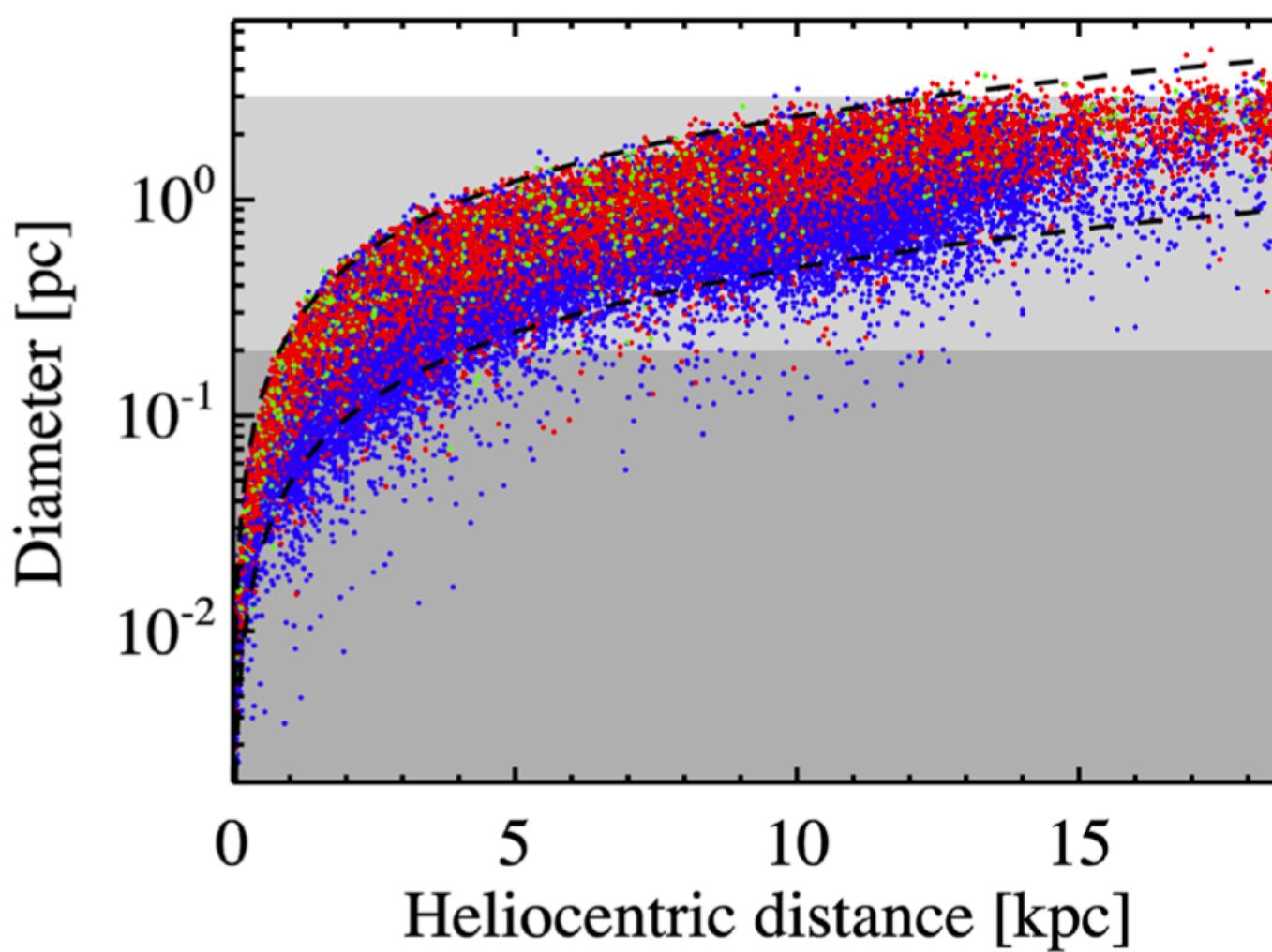


Supercritical filament:  
unstable and must  
collapse under their own  
gravity

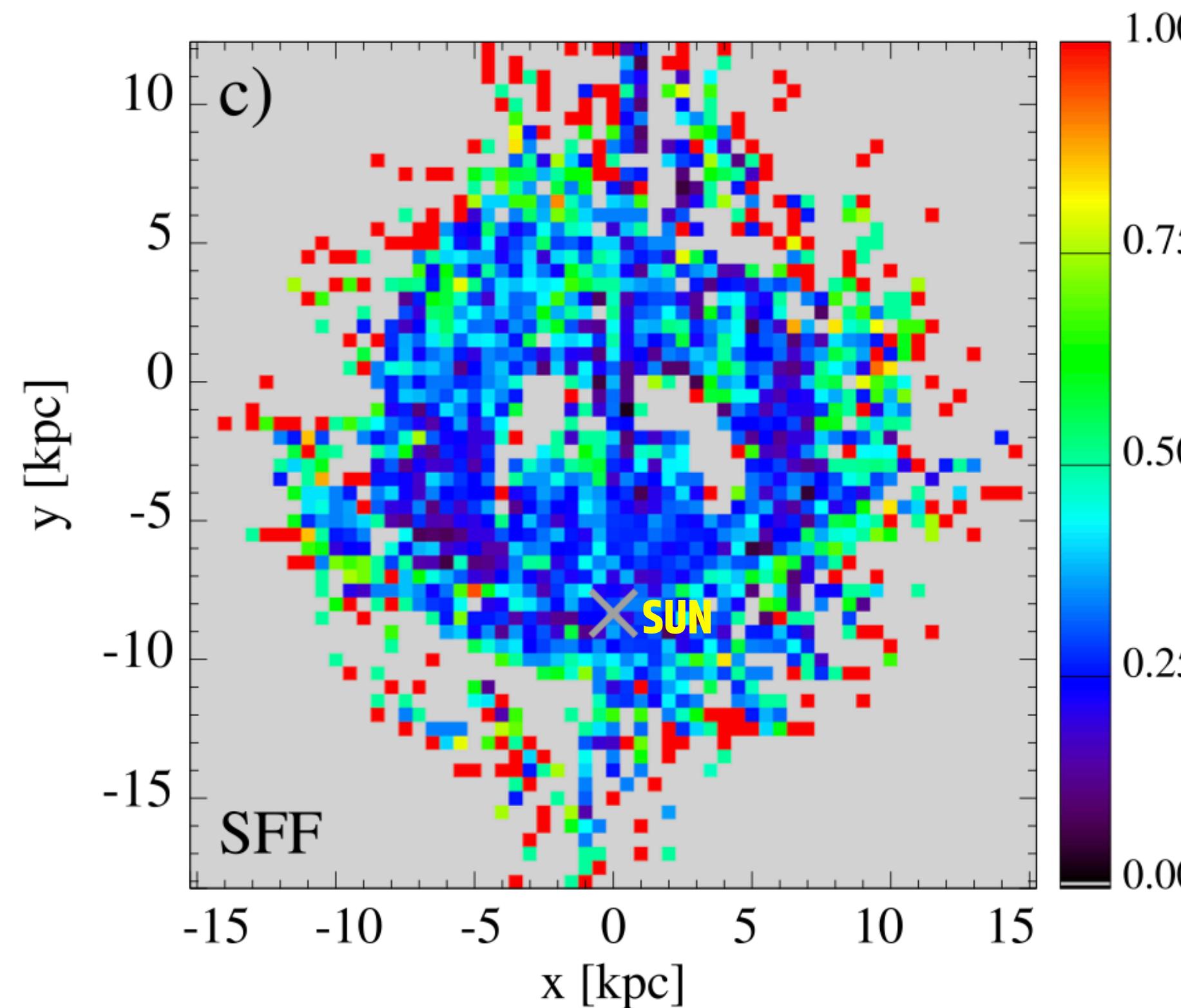
# STAR FORMATION RATE IN THE MILKY WAY

## Hi-GAL compact sources catalog

Elia et al. (2021)



CLUMPS: diameter ( $0.3 < D < 3$  pc)  
Bergin & Tafalla (2007)



$$SFR_{cl} = (5.6 \pm 1.4) \times 10^{-7} (M_{cl}/M_{\odot})^{0.74 \pm 0.03} M_{\odot} \text{ yr}^{-1}$$

→ Considering all clumps classified as protostellar and provided with heliocentric distance:

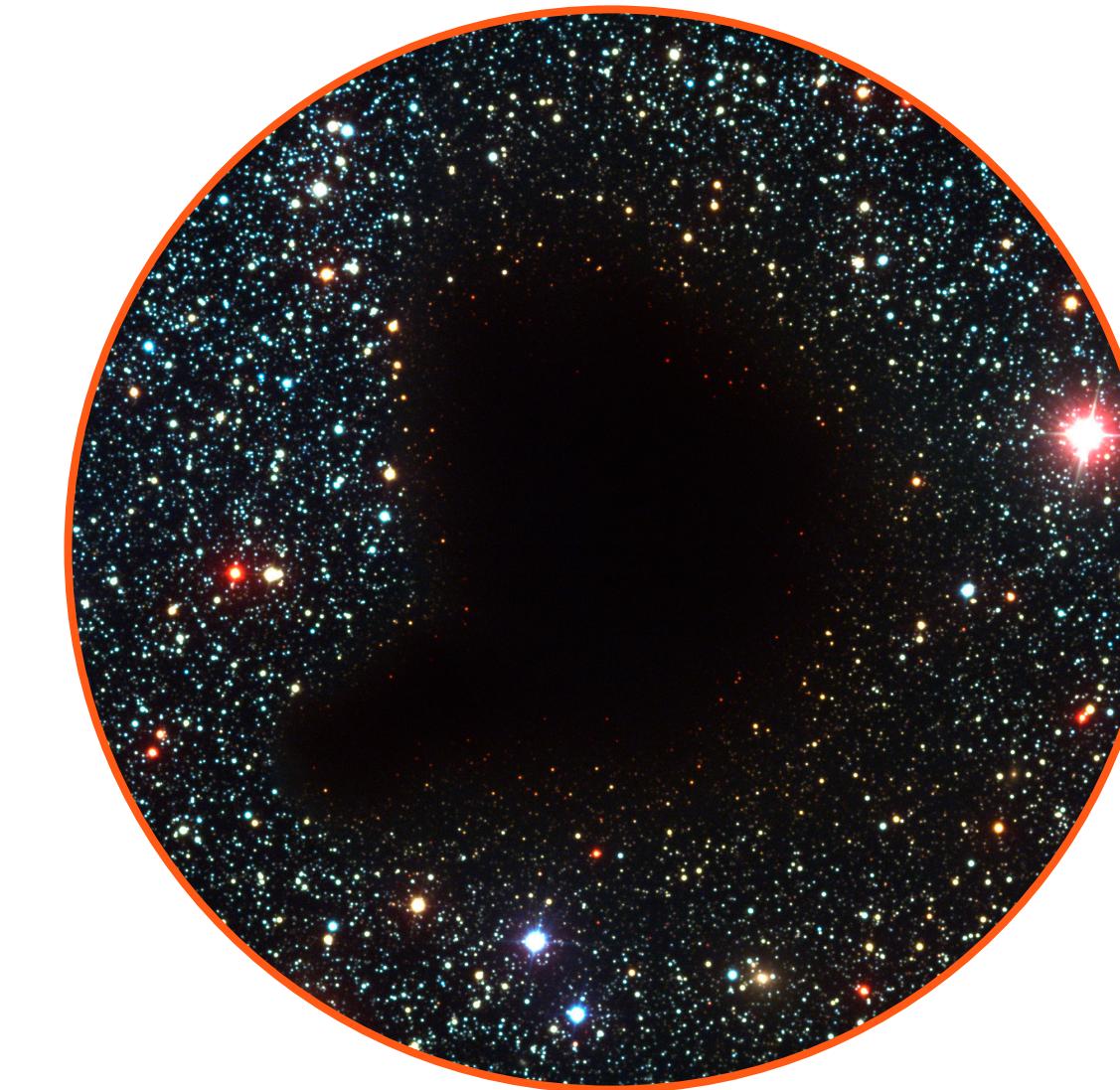
$$SFR = (1.7 \pm 0.6) M_{\odot} \text{ yr}^{-1}$$

# OUTLINE

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**THE INTERSTELLAR  
MEDIUM**



**MOLECULAR CLOUDS:  
THE STELLAR NURSERIES**



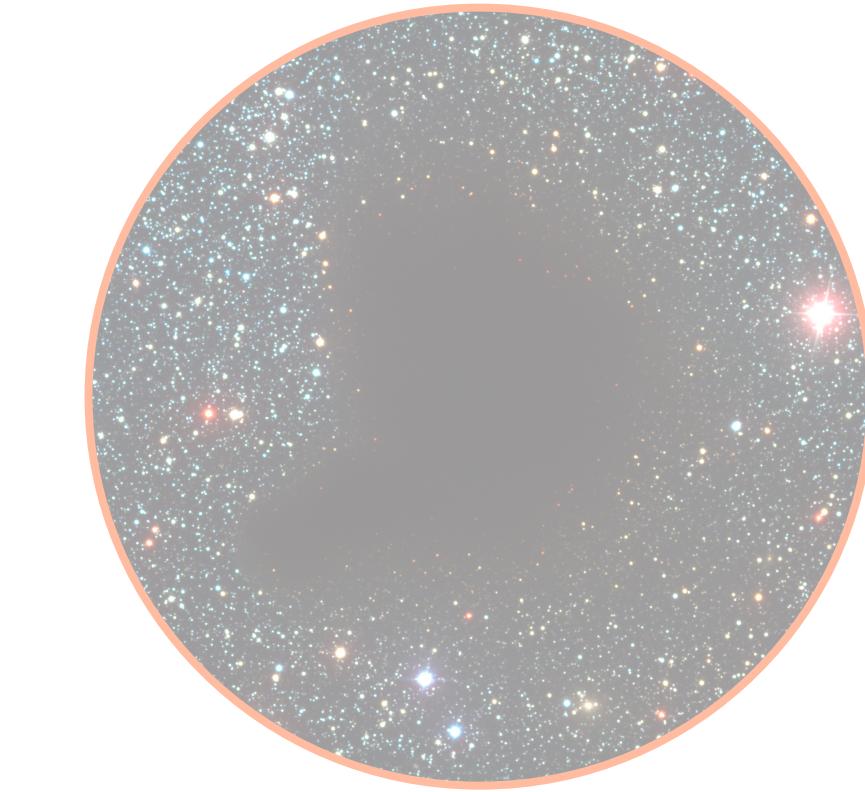
**CLOUD FRAGMENTATION AND  
CLUSTER FORMATION**

# OUTLINE

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THE INTERSTELLAR  
MEDIUM



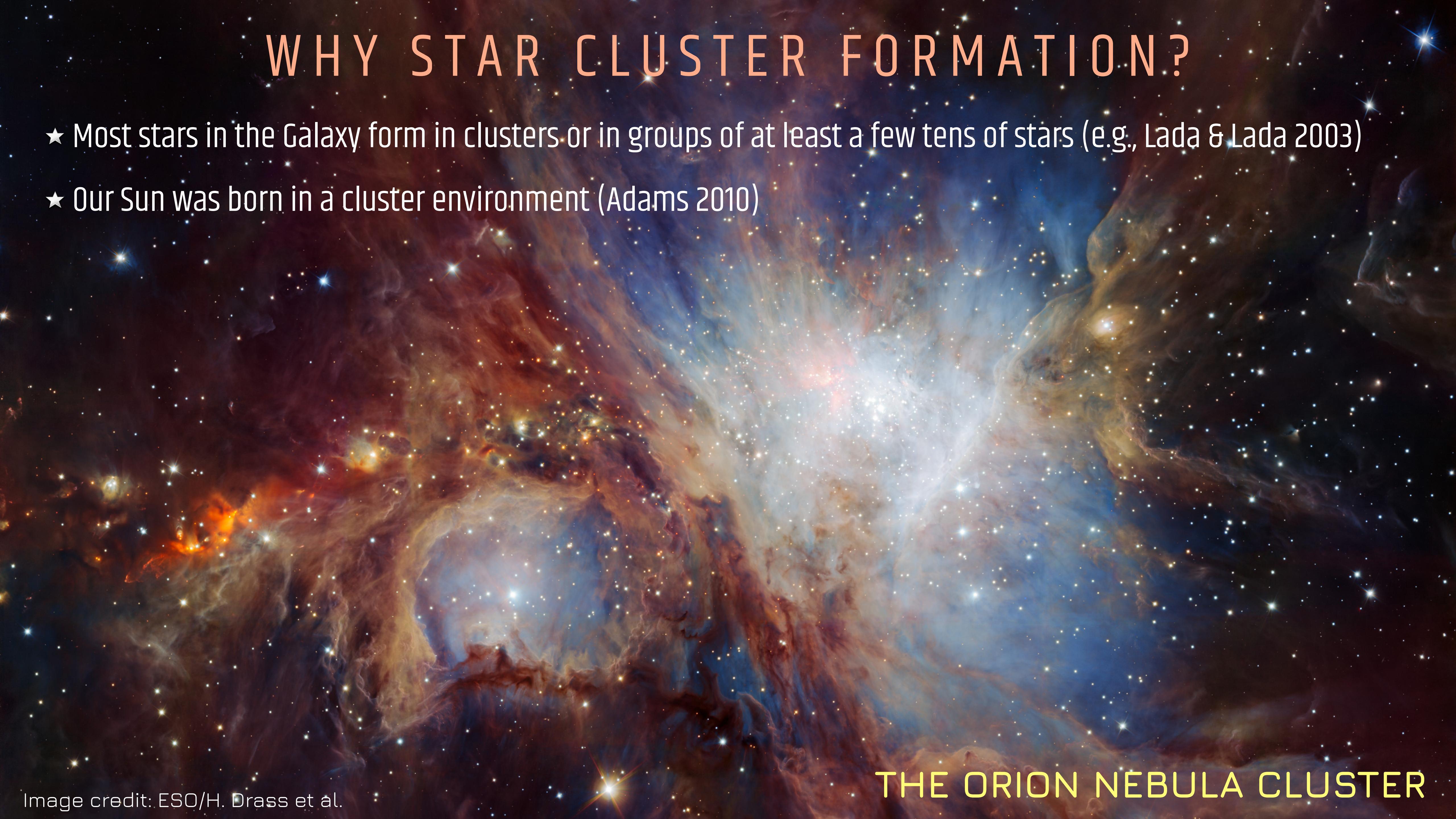
MOLECULAR CLOUDS:  
THE STELLAR NURSERIES



CLOUD FRAGMENTATION AND  
CLUSTER FORMATION

# WHY STAR CLUSTER FORMATION?

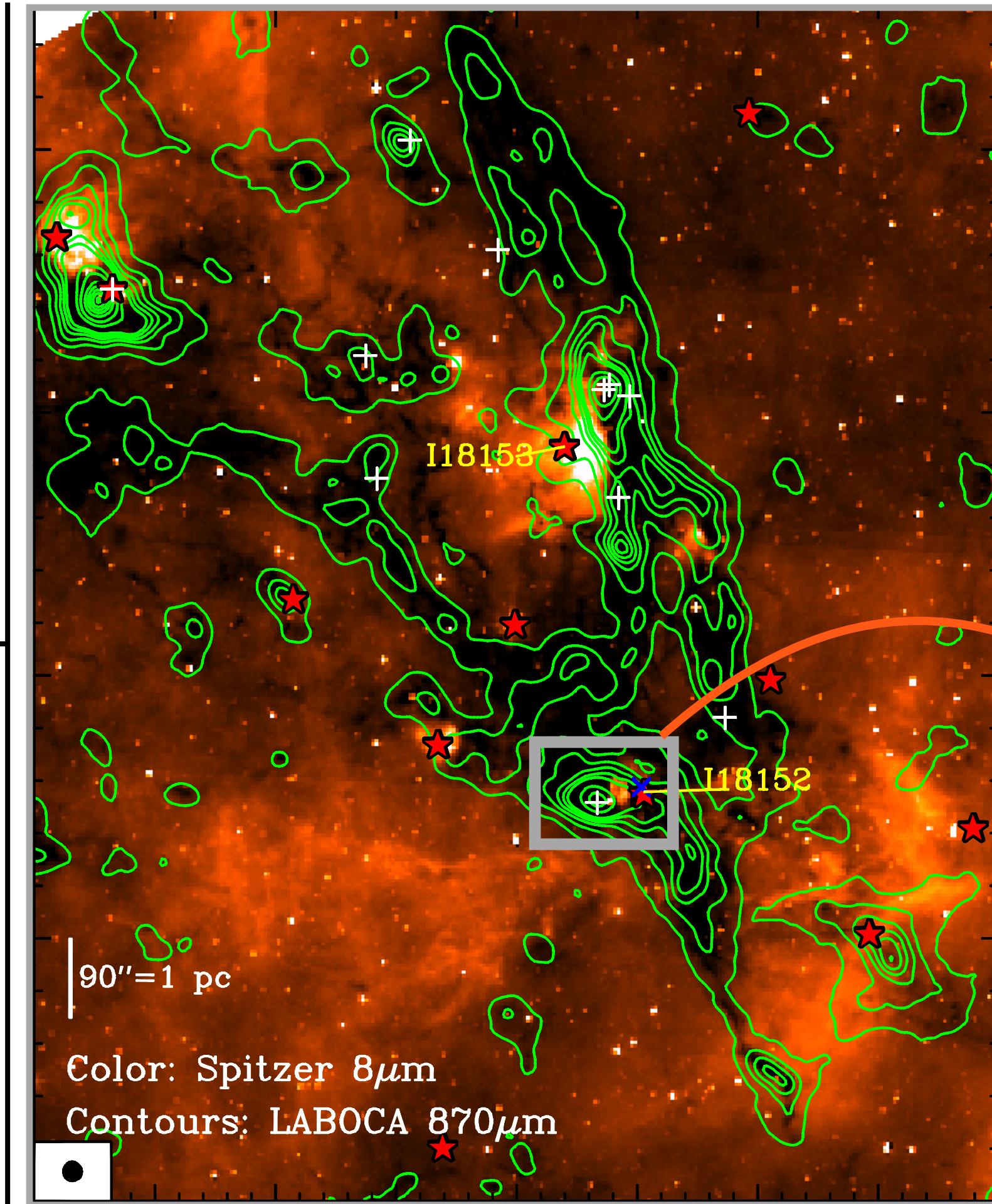
- ★ Most stars in the Galaxy form in clusters or in groups of at least a few tens of stars (e.g., Lada & Lada 2003)
- ★ Our Sun was born in a cluster environment (Adams 2010)



THE ORION NEBULA CLUSTER

# CLUMPS: PROGENITORS OF STAR CLUSTERS

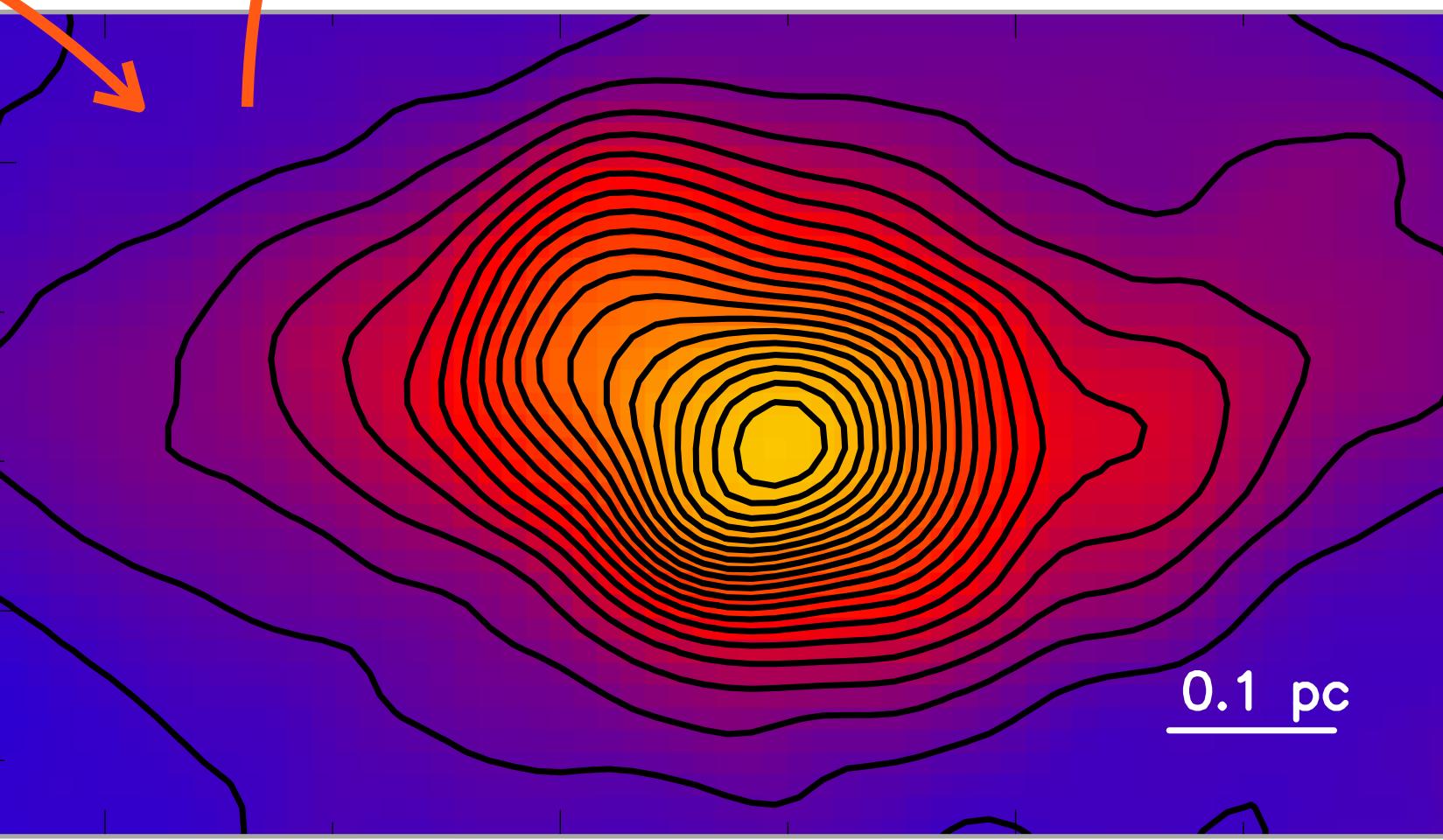
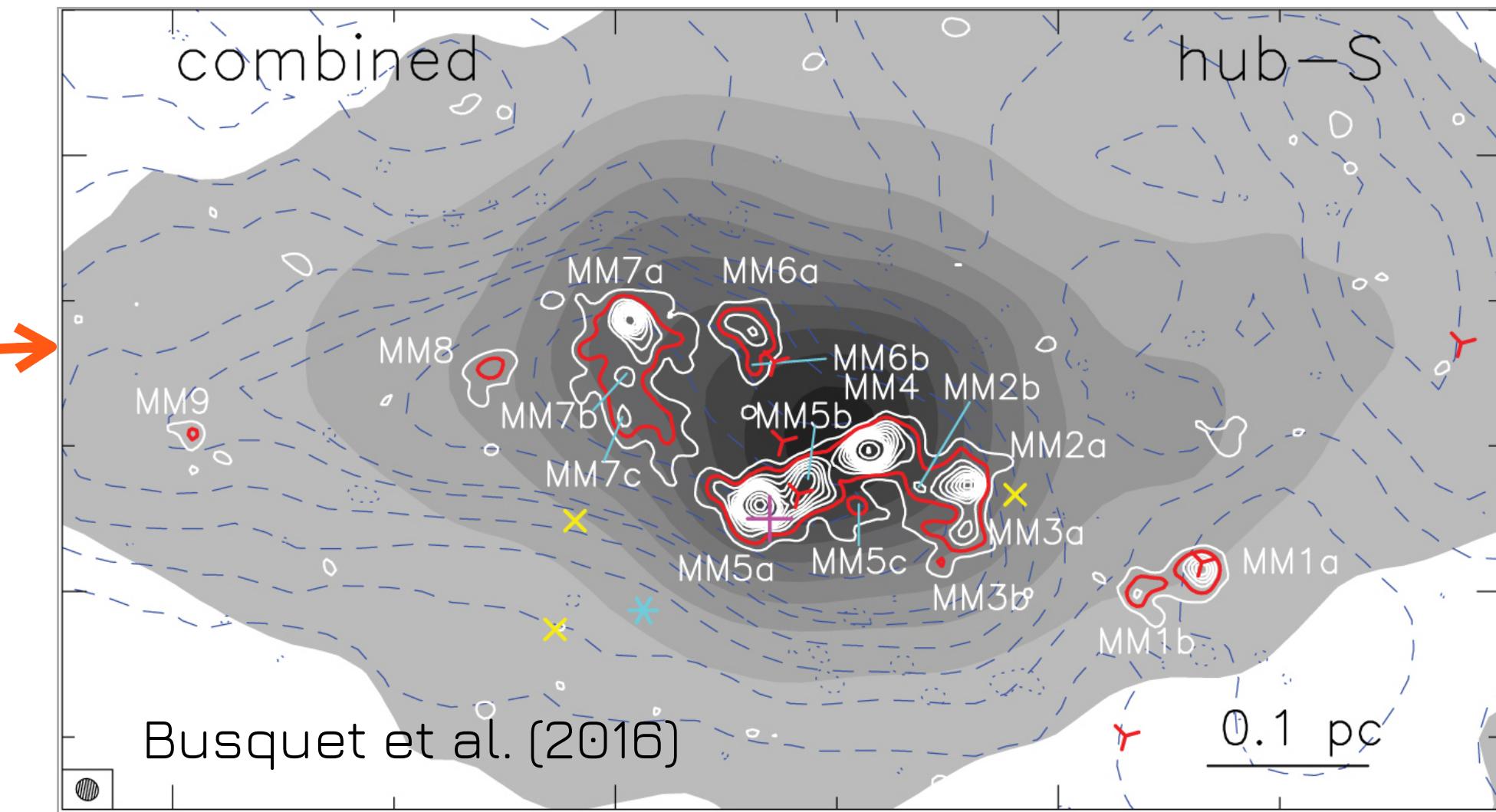
Cloud



High degree of Fragmentation

Hub/Clump

Protocluster



$\sim$ 1 pc

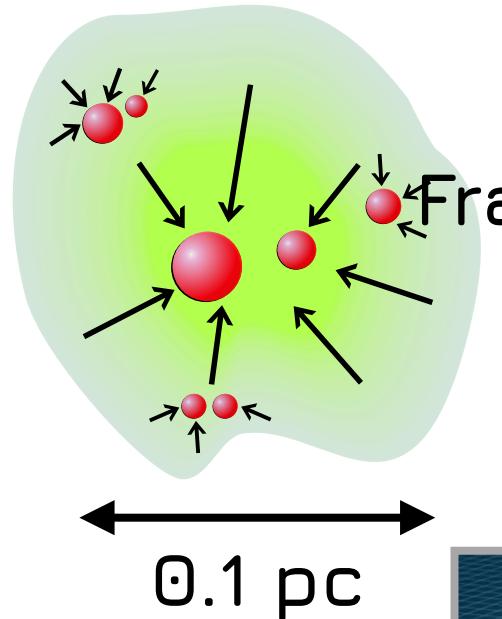
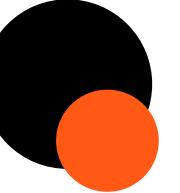
Stellar cluster



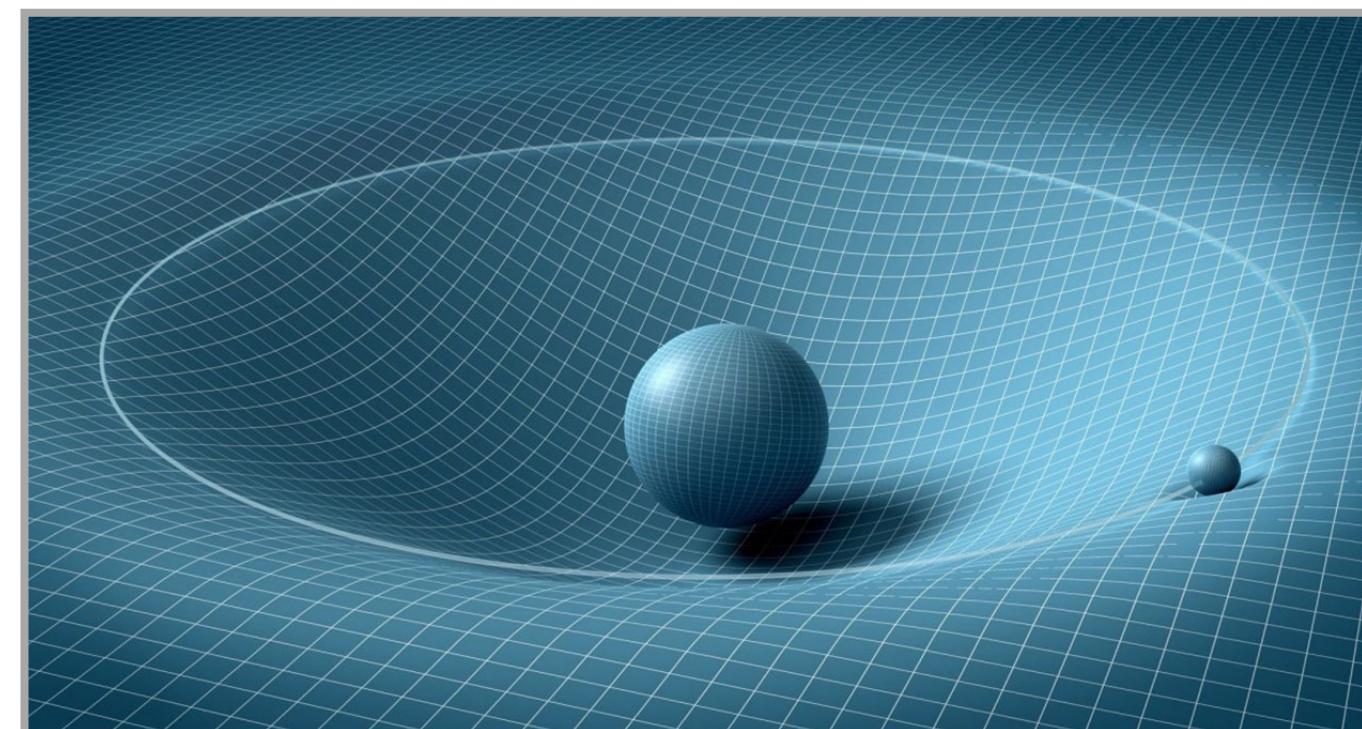
Image Credit: Davidé De Martin & ESA/ESO/NASA

Massive Dense Core  
 $M \sim 50-1000 M_{\odot}$

# THE MAIN PLAYERS



## Gravity



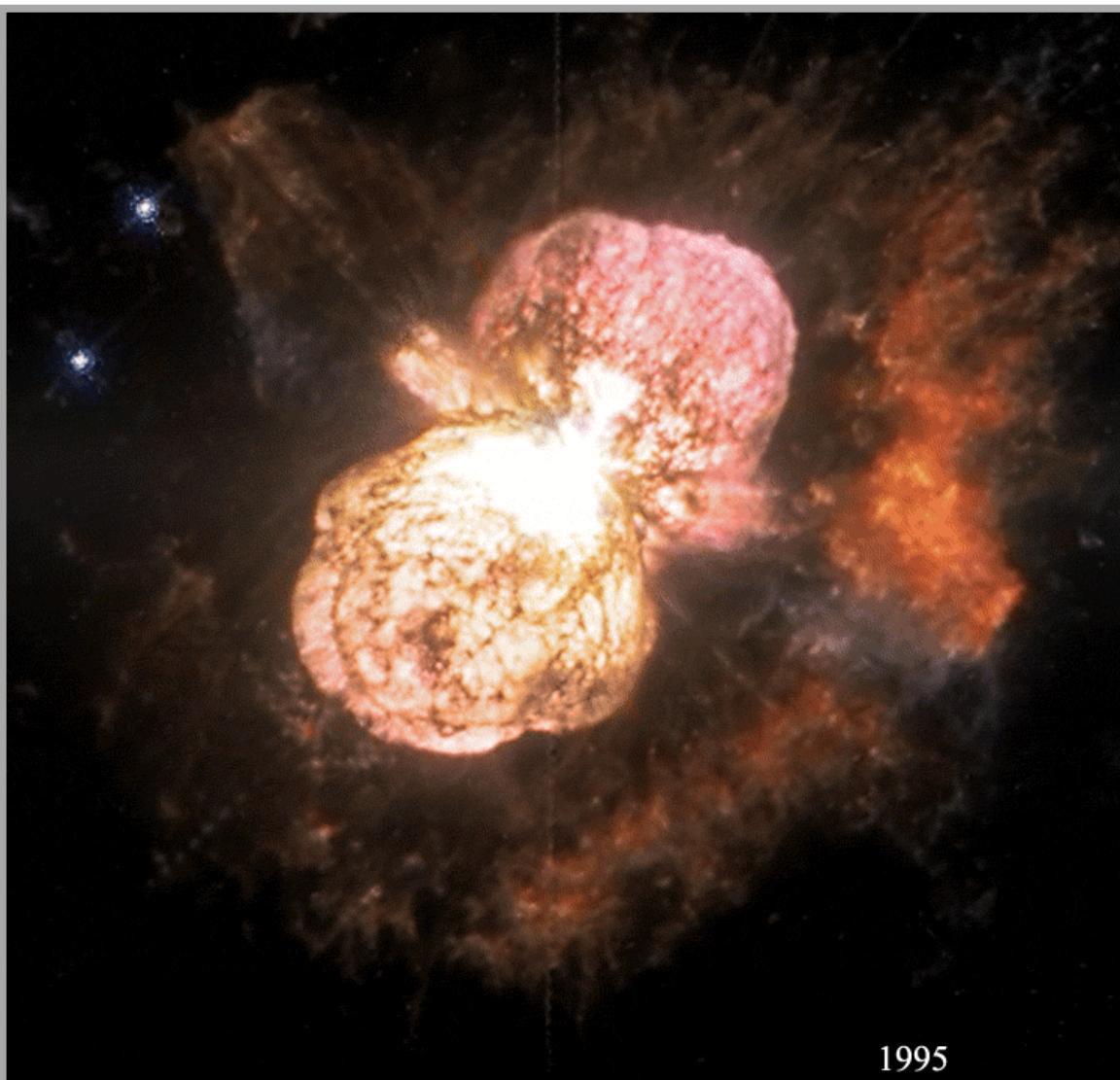
## Angular momentum



## Turbulence



## Stellar feedback



## B-fields

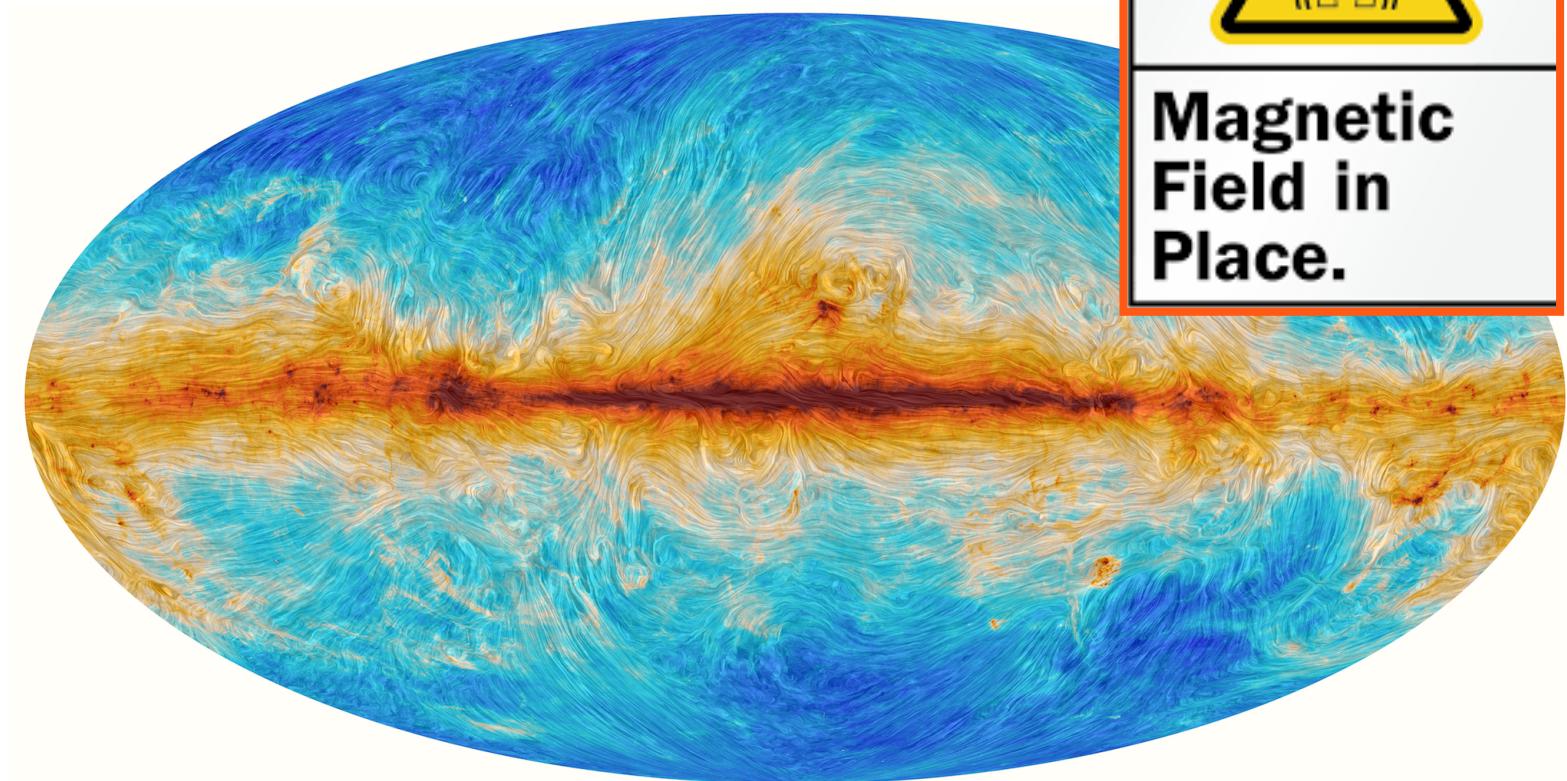


Image Credit: Planck/ESA

Image Credit: Hubble/NASA/ESA

# COLLAPSE AND FRAGMENTATION



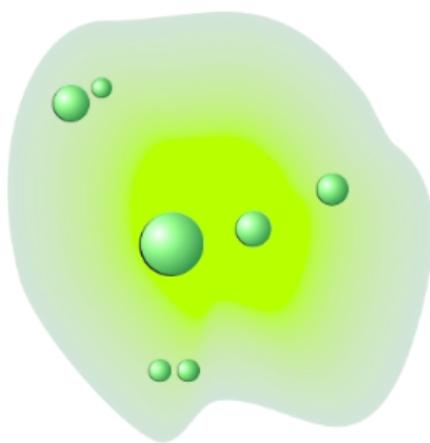
James Jeans  
(1877-1946)

- Consider an infinite static 3D medium with initial uniform density  $\rho$  and uniform isothermal sound speed  $c_s$ .
- Due to a random fluctuation a portion of this medium become slightly more dense.

Will the spherical portion become denser and condenses out due to its self-gravity?

Will the internal pressure make it to expand back to the same density as the surrounding medium?

Core: T, n



Fragment ~0.01 pc

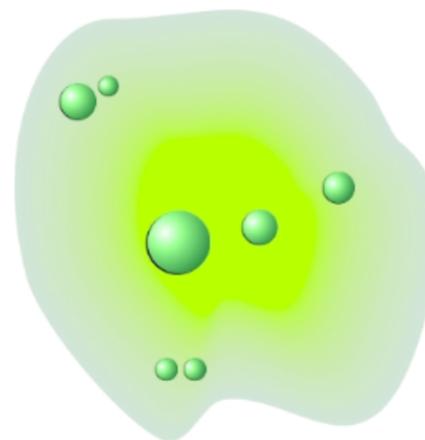
$$\left[ \frac{M_{Jeans}^{th}}{M_\odot} \right] = 0.6285 \left[ \frac{T}{10K} \right]^{3/2} \left[ \frac{n_{H_2}}{10^5 cm^{-3}} \right]^{-1/2}$$

Efficient at producing  
low-mass fragments

# CRITERION FOR FRAGMENTATION

**Jeans (1902):** A fragment will collapse if its gravitational energy overcome its thermal energy

Core: T, n



$$\left[ \frac{M_{Jeans}^{th}}{M_\odot} \right] = 0.6285 \left[ \frac{T}{10K} \right]^{3/2} \left[ \frac{n_{H_2}}{10^5 cm^{-3}} \right]^{-1/2}$$

Efficient at producing low-mass fragments

Fragment ~0.01 pc

“Generalized” Jeans criterion: include other forms of support

**TURBULENCE:**  $\left[ \frac{M_{Jeans}^{nth}}{M_\odot} \right] = 0.8225 \left[ \frac{\sigma_{1D,nth}}{0.188 km s^{-1}} \right]^3 \left[ \frac{n_{H_2}}{10^5 cm^{-3}} \right]^{-1/2}$

$M_J \sim 120 M_\odot$  ( $\sigma \sim 1 km/s$ ) naturally produces massive fragments (but only a few)

Chandrasekhar 53

**MAGNETIC FIELD:**

Bertoldi & McKee 92,  
McKee & Ostriker 07

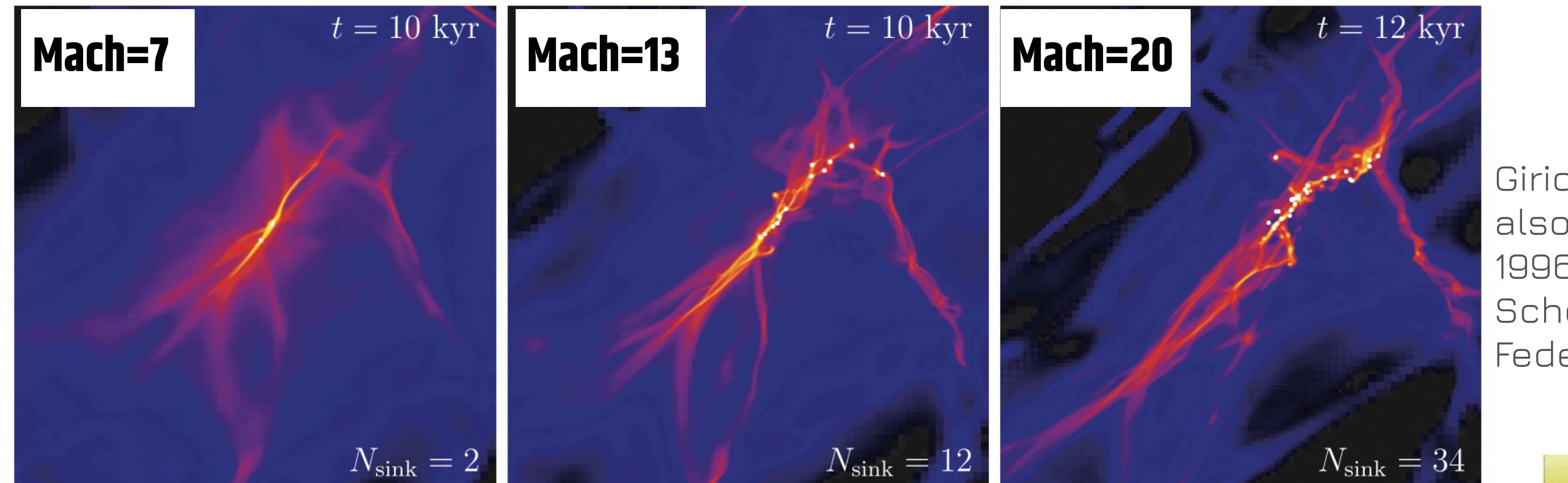
$$\left[ \frac{M_{crit}}{M_\odot} \right] = 1020 \left[ \frac{R}{Z} \right]^2 \left[ \frac{B}{30 \mu G} \right]^3 \left[ \frac{n_{H_2}}{10^3 cm^{-3}} \right]^{-2}$$

$M_{crit} \sim 150 M_\odot$   
( $0.1 \times 0.5$  pc,  $1 mG$ ,  $10^5 cm^{-3}$ ) massive fragments (but only a few)

# NUMERICAL SIMULATIONS

# TURBULENCE: initial kinetic energy

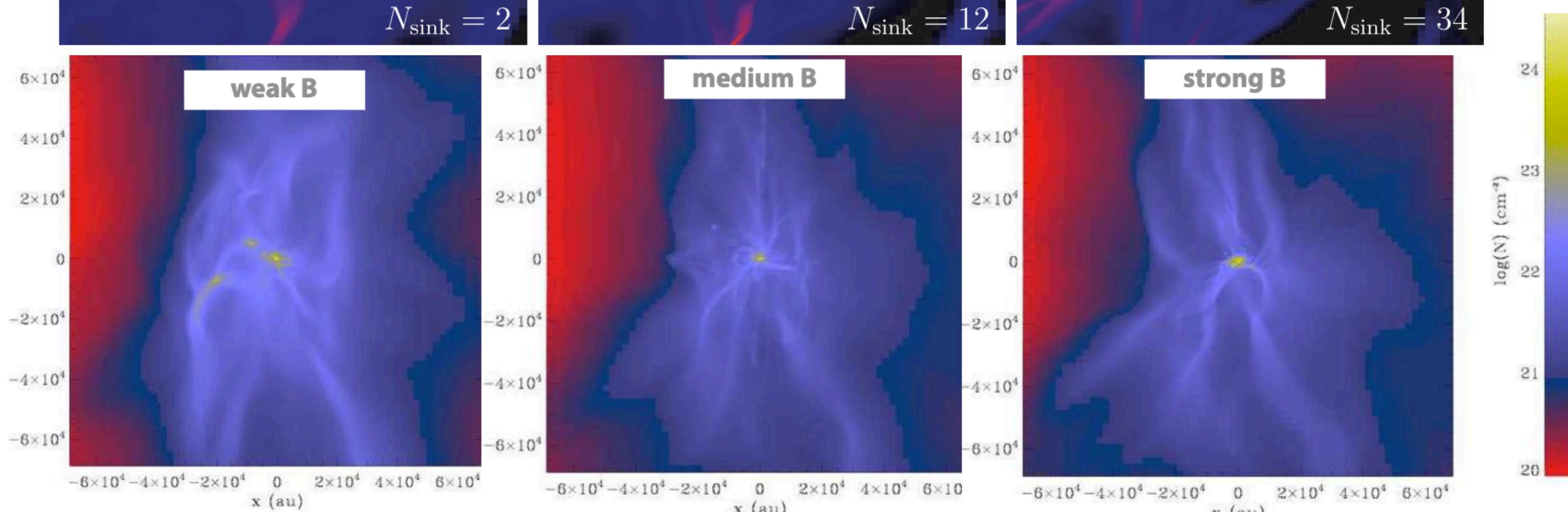
Mach number =  $\sigma_{3D,nth}/c_s$



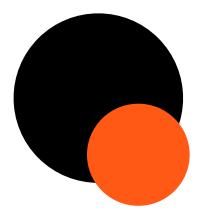
Girichidis et al. 2011;  
also Vázquez-Semadeni et al.  
1996, Padoan & Norlund 2002,  
Schema & Klessen 2004,  
Federrath et al. 2008...

# **MAGNETIC FIELD:** higher B-field suppress fragmentation

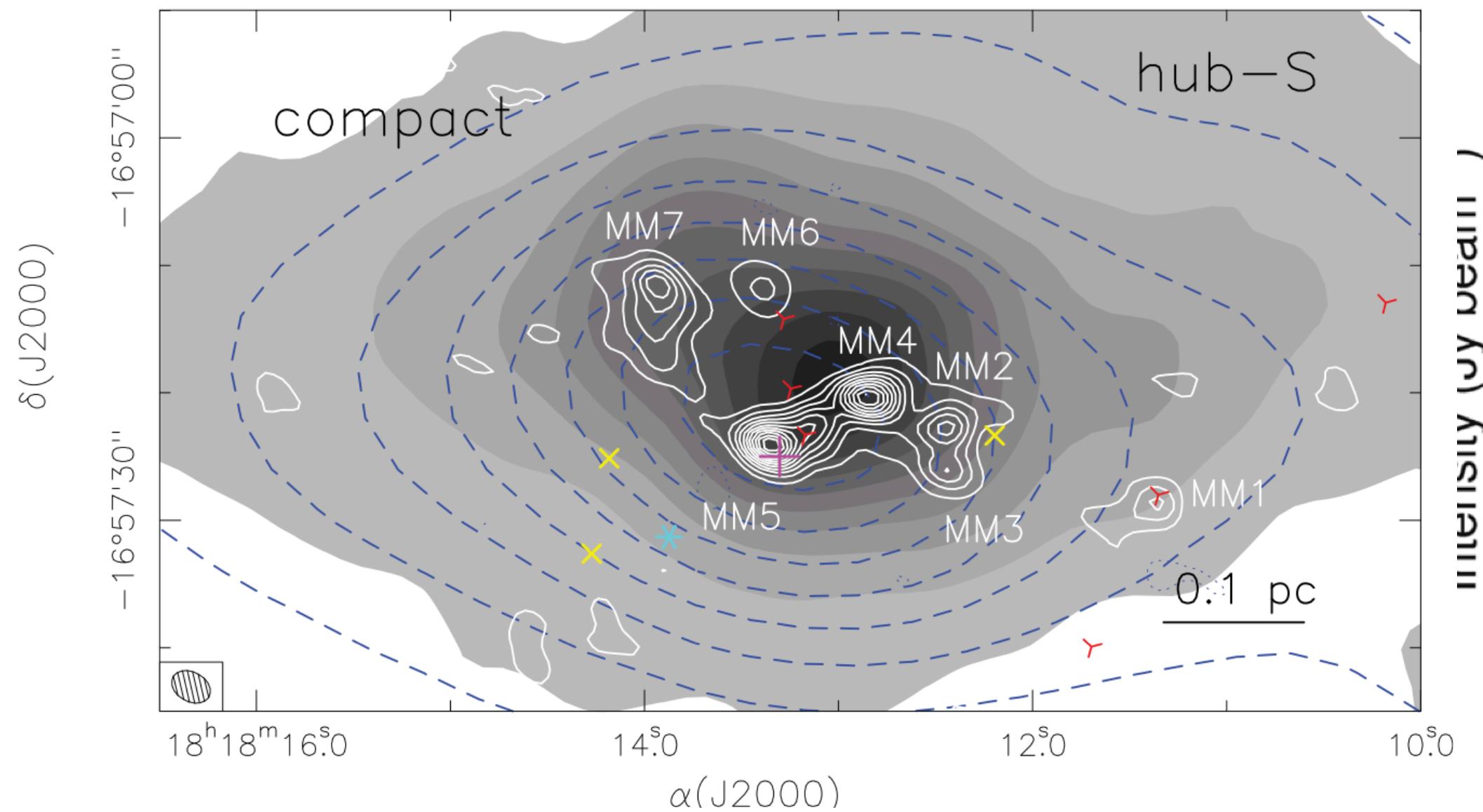
Hennebelle et al. 2011, Commerçon et al. 2011; also Vázquez-Semadeni et al. 2005, 2011, Banerjee & Pudritz 2006, Price & Bate 2007, Myers et al. 2013...



**DENSITY STRUCTURE:** higher fragmentation for flatter density profiles ( $n \sim r^{-1}$ )



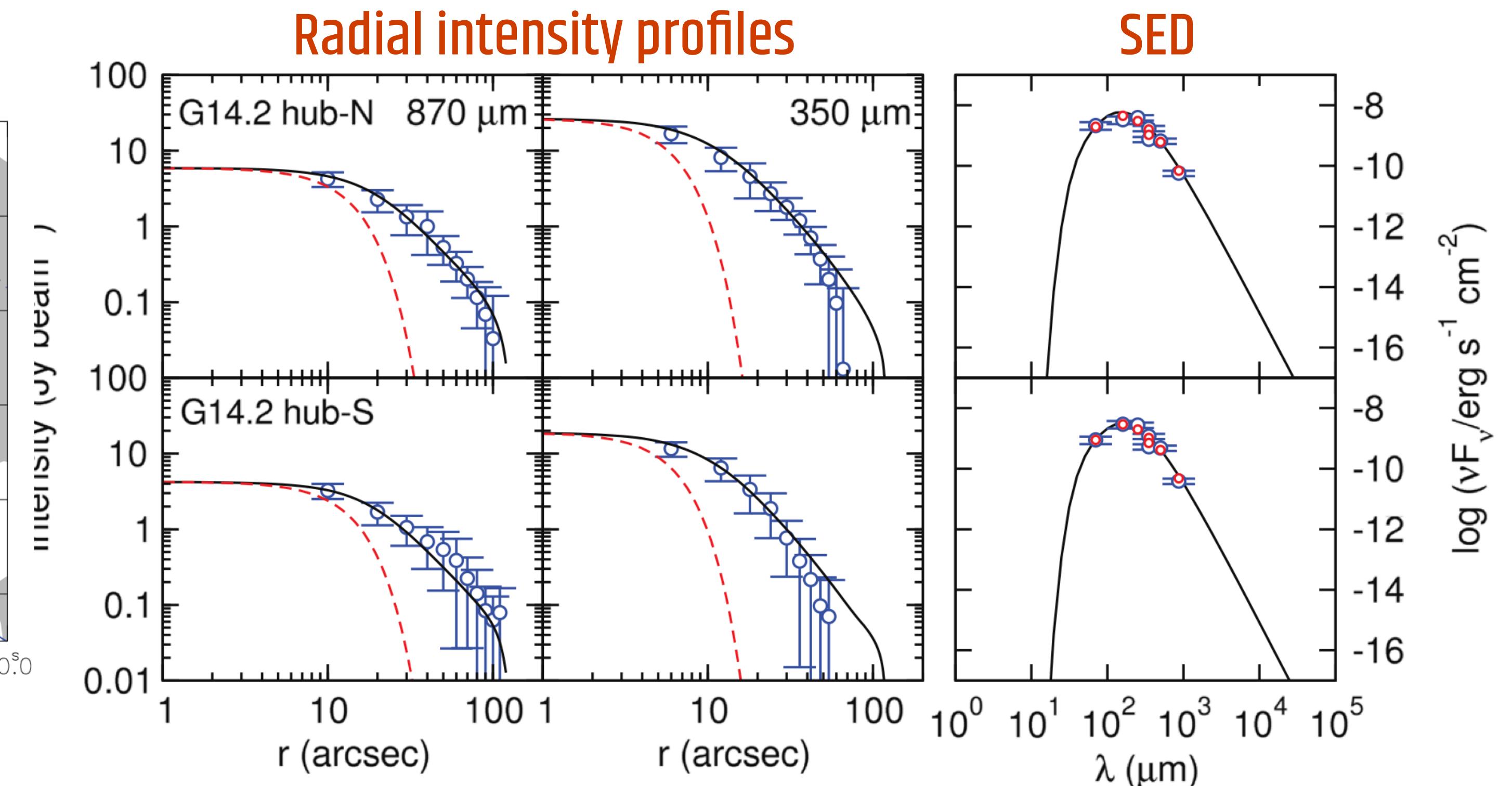
# DENSITY STRUCTURE OF MASSIVE CLUMPS



→ Density structure: Plummer-like function or a power law

$$\rho(r) = \rho_c \left[ 1 + \left( \frac{r}{r_c} \right)^2 \right]^{-p/2}$$

$$\rho_c(r) = \rho_0 (r/r_0)^{-p}$$

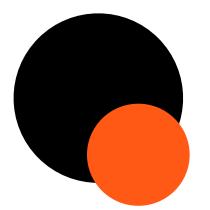


→ Temperature structure: power law function

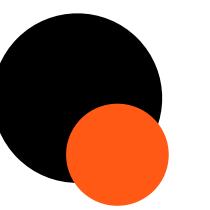
$$T(r) = T_0 (r/r_0)^{-q} \quad q = 2/(4 + \beta)$$

→ Dust opacity law:  $\kappa_\nu = \kappa_0 (\nu/\nu_0)^\beta$

$$\kappa_0 = 0.008991 \text{ cm}^2 \text{g}^{-1} \text{ at } \nu_0 = 230 \text{ GHz} \quad \text{Ossenkopf \& Henning (1994)}$$



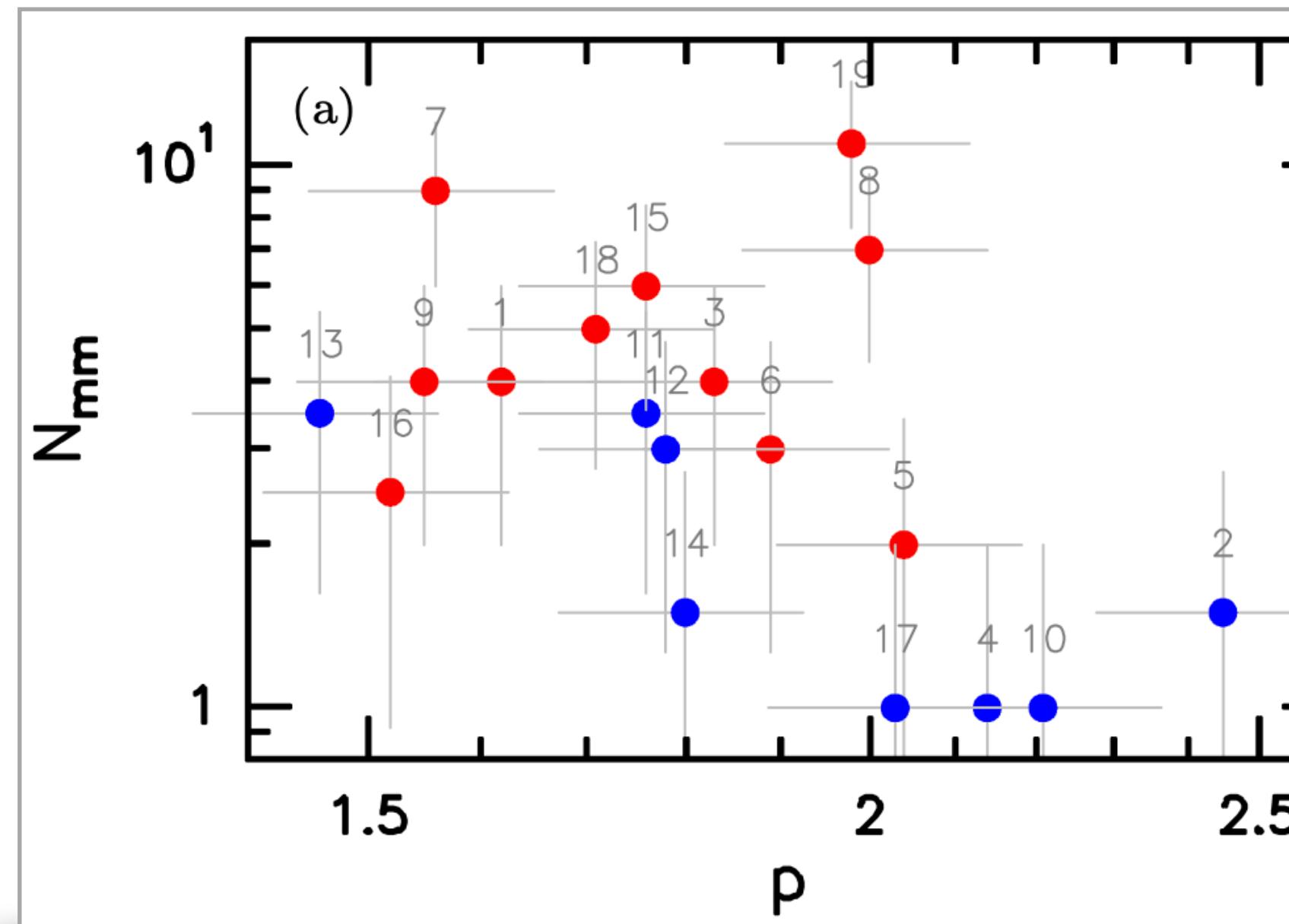
# DENSITY STRUCTURE OF MASSIVE CLUMPS



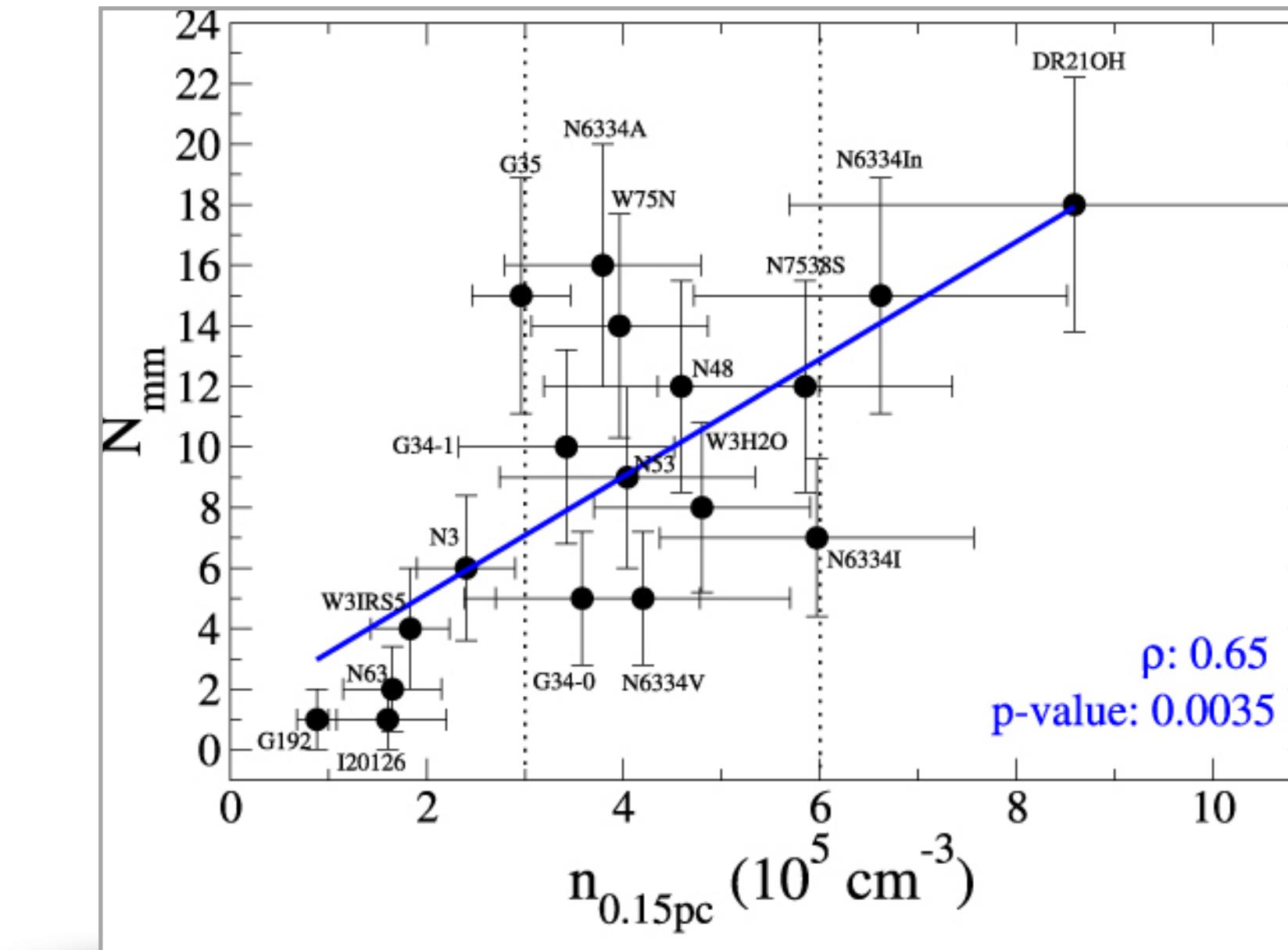
## Free parameters fitted by the model

Source	$\beta^a$	$T_0^a$ (K)	$\rho_0^a$ ( $\text{g cm}^{-3}$ )	$r_c/r_0^a$	$p^a$	$\chi_r^a$	$\rho_c^b$ ( $\text{g cm}^{-3}$ )	$q^b$
hub-N	$1.81 \pm 0.08$	$51 \pm 2$	$(1.3 \pm 0.2) \times 10^{-15}$	$21 \pm 4$	$2.24 \pm 0.04$	0.69	$(1.4 \pm 0.6) \times 10^{-18}$	0.34
hub-S	$1.89 \pm 0.08$	$45 \pm 2$	$(1.0 \pm 0.2) \times 10^{-15}$	$20 \pm 3$	$2.24 \pm 0.04$	0.76	$(1.2 \pm 0.5) \times 10^{-18}$	0.34

→ Low fragmentation levels in clumps with steeper density profiles.

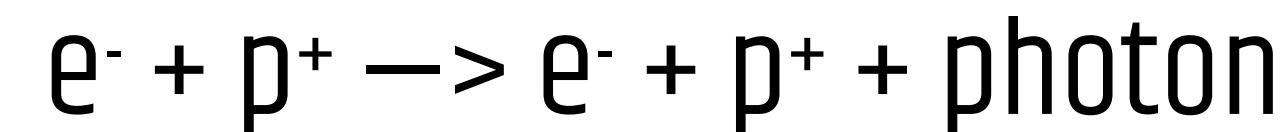


→ High fragmentation levels in clumps with higher density



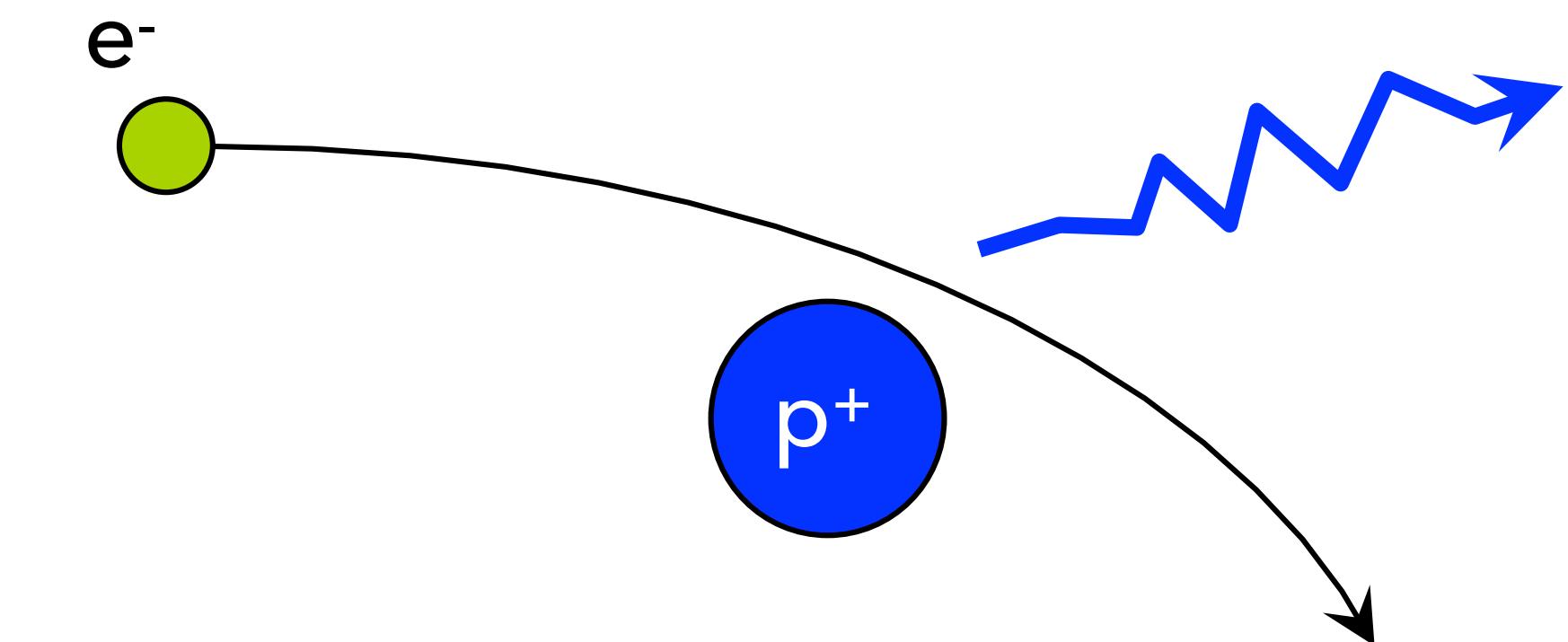
# FREE-FREE CONTAMINATION

→ **HII REGIONS**: radiation produced by the acceleration of protons and electrons in an ionised medium



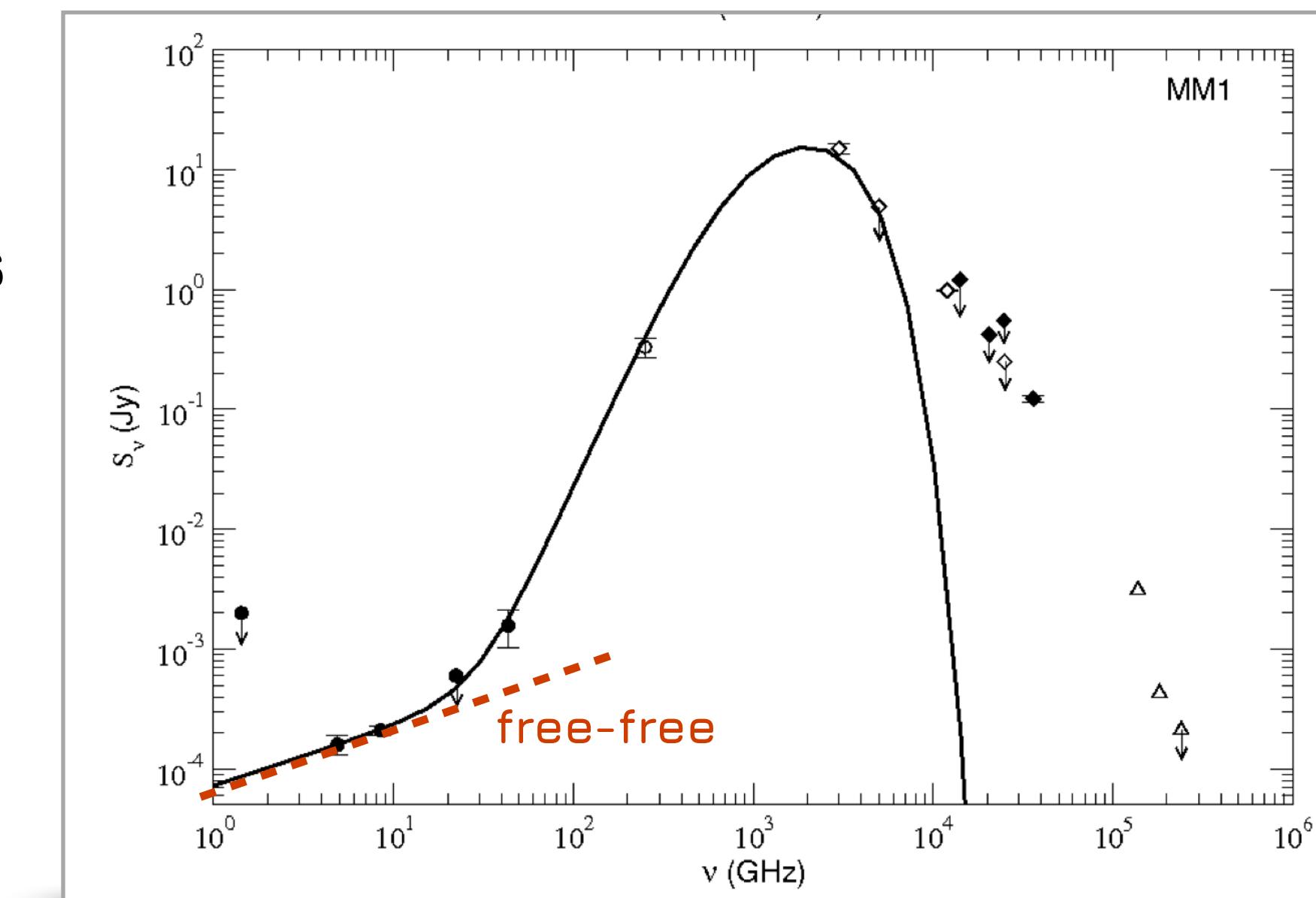
Infrared radiation: dust clouds

Optical light and Radio emission:  
hot, young stars ionise the gas

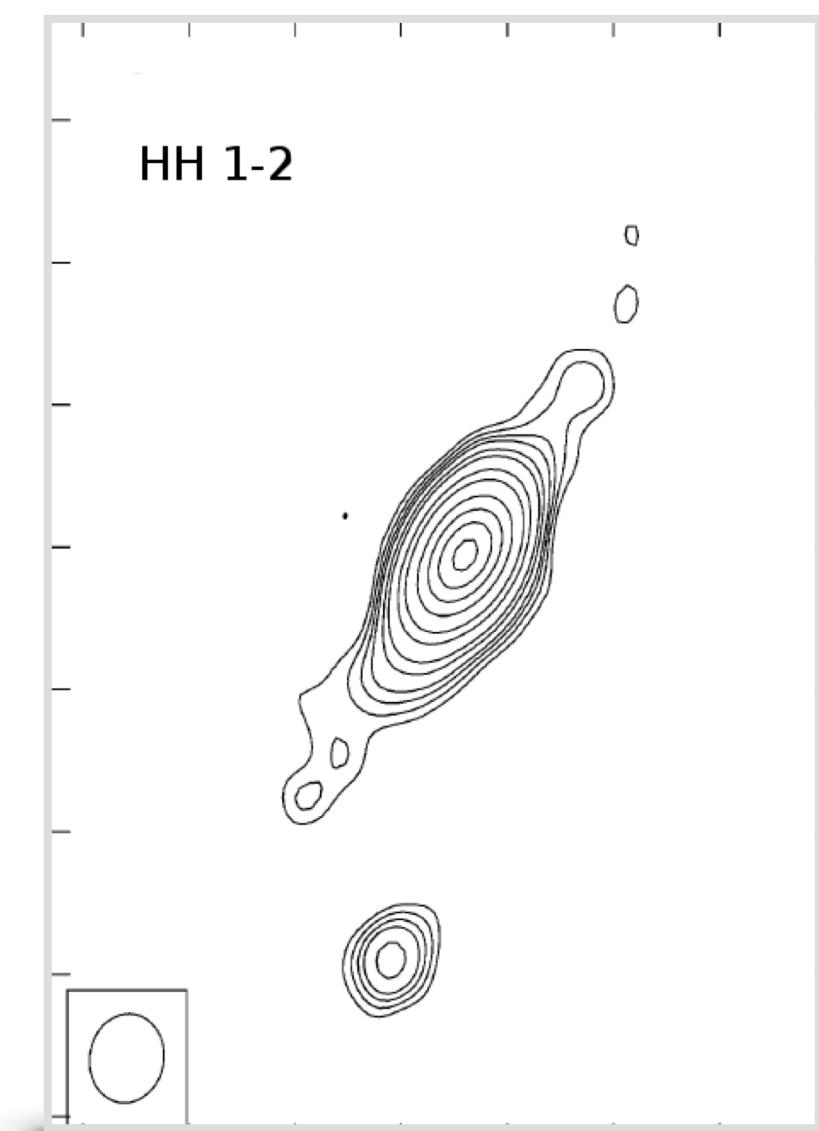


→ **THERMAL RADIO JETS**: ionised by shocks  
(see Anglada, Rodríguez, Carrasco-González (2018) for a review)

$$S_\nu \propto \nu^{0.6}$$



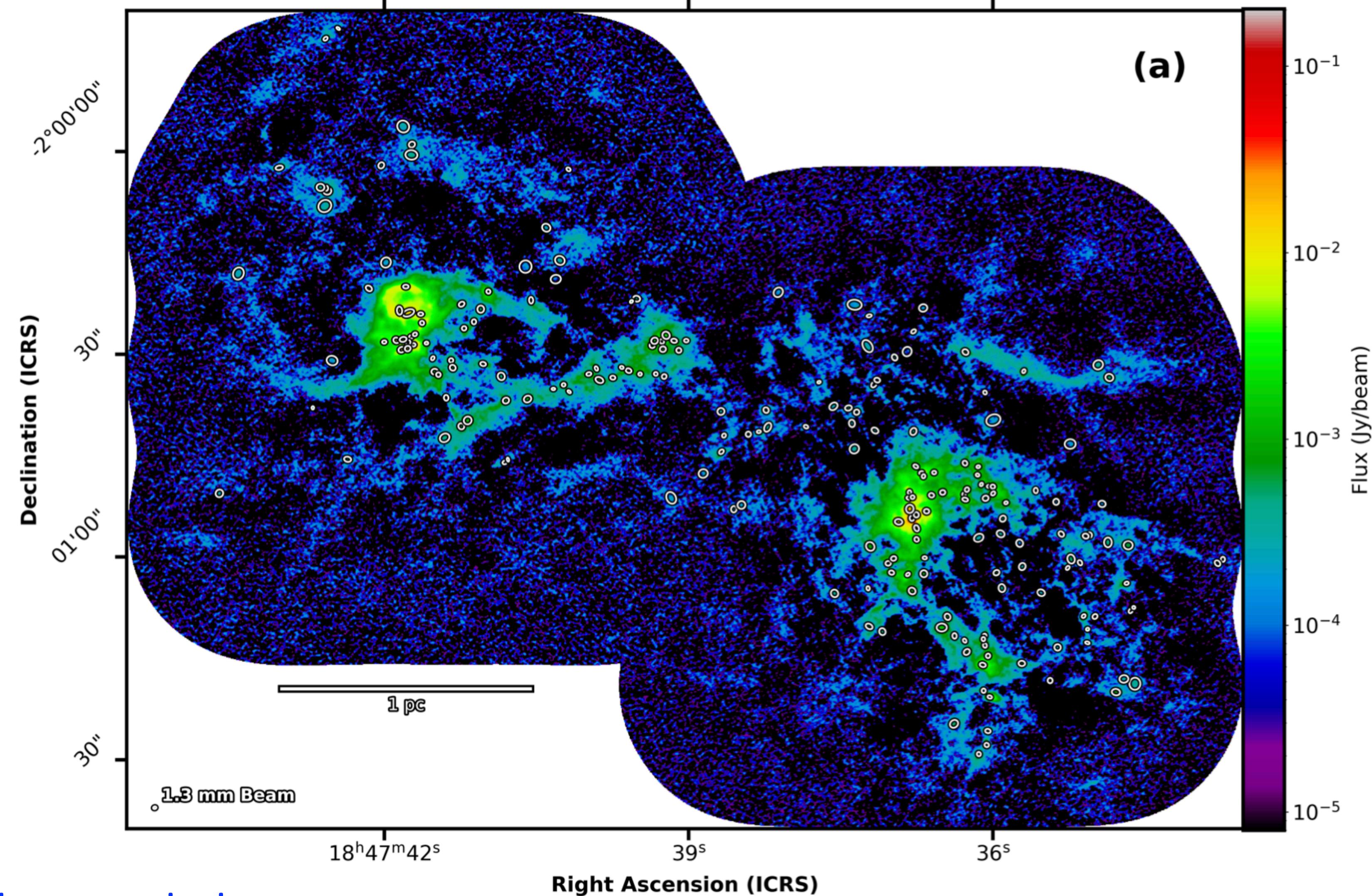
Busquet et al. (2009)



Rodríguez et al. (2000)

# FREE-FREE CONTAMINATION

ALMA 1.3 mm continuum image of the W43-MM2&MM3 protocluster cloud

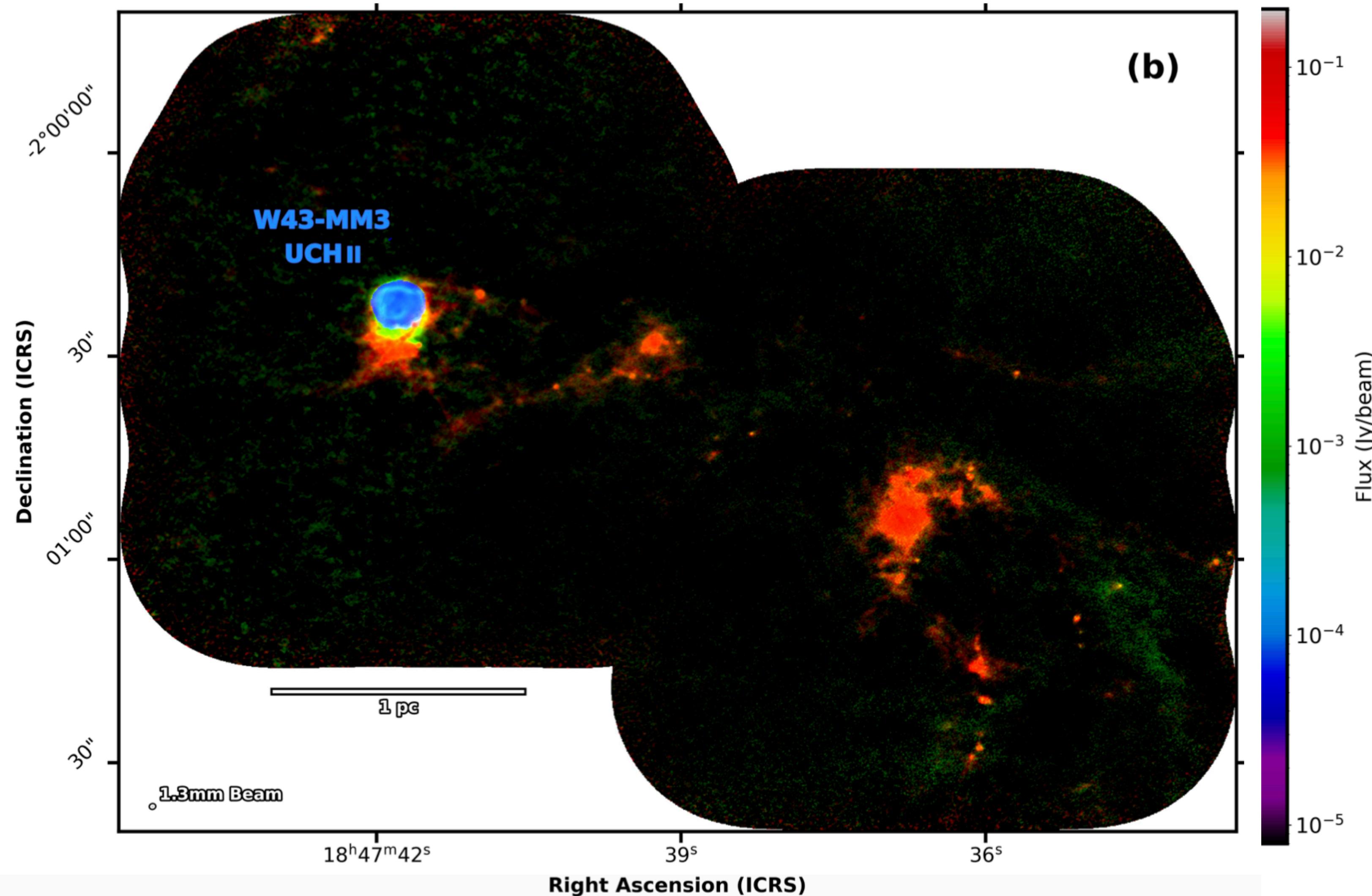


1.3mm  
3 mm  
H $\alpha$ : free-free continuum emission

Pouteau et al. (2021)

# FREE-FREE CONTAMINATION

ALMA 1.3 mm continuum image of the W43-MM2&MM3 protocluster cloud



1.3mm  
3 mm  
H41 $\alpha$ : free-free continuum emission

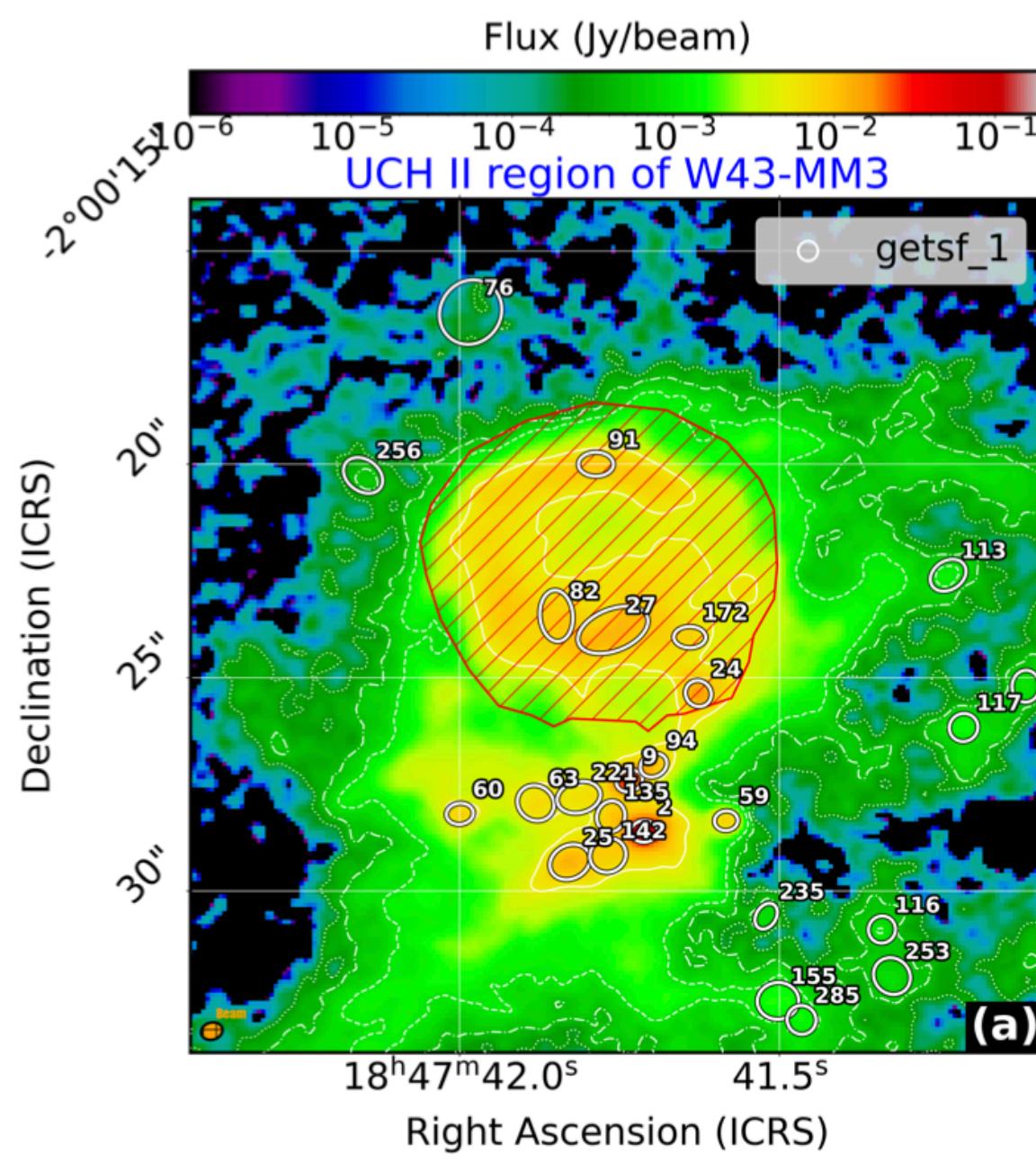
Pouteau et al. (2021)

# FREE-FREE CONTAMINATION

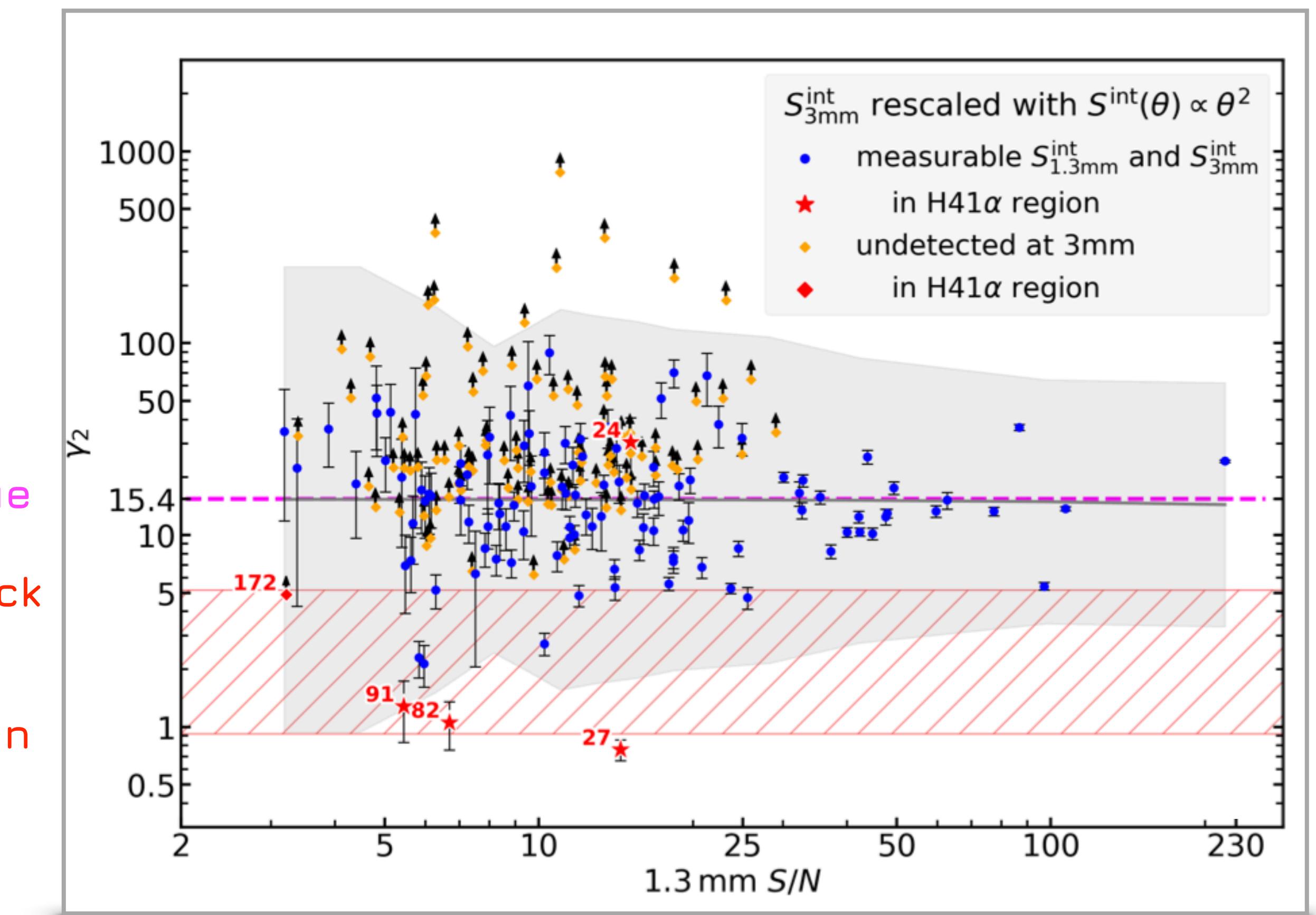
- Theoretical flux ratio of thermal dust emission assuming optically thin emission

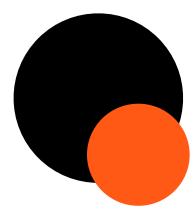
$$\gamma = \frac{S_{1.3\text{mm}}^{\text{int}}}{S_{3\text{mm}}^{\text{int}}} = \frac{\kappa_{1.3\text{mm}}}{\kappa_{3\text{mm}}} \frac{B_{1.3\text{mm}}(T)}{B_{3\text{mm}}(T)} = \frac{\kappa_{1.3\text{mm}}}{\kappa_{3\text{mm}}} \frac{\nu_{1.3\text{mm}}^3}{\nu_{3\text{mm}}^3} \frac{e^{h\nu_{1.3\text{mm}}/\kappa_B T_d} - 1}{e^{h\nu_{3\text{mm}}/\kappa_B T_d} - 1} \simeq 15.4$$

- $T_{\text{dust}}=23$  K, frequencies: 228.9 GHz and 100.7 GHz

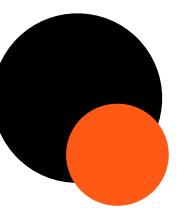


Theoretical value  
Optically thick  
Optically thin





# THE STELLAR INITIAL MASS FUNCTION



- IMF: characterizes the mass distribution of stars above  $0.01 M_{\text{Sun}}$ .
- Found to display a universal (Saltpeter 1955, Scalo 1986, see also Chabrier 2005, Bastian et al. 2010, Hopkins 2012, Kroupa et al. 2013)

$$\frac{dN}{d \log M} \propto M^{-1.35}$$

