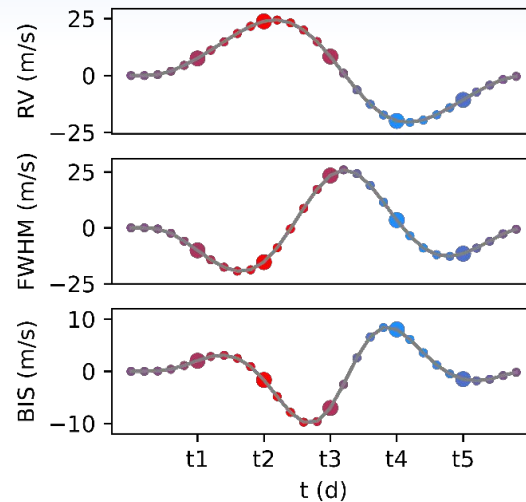
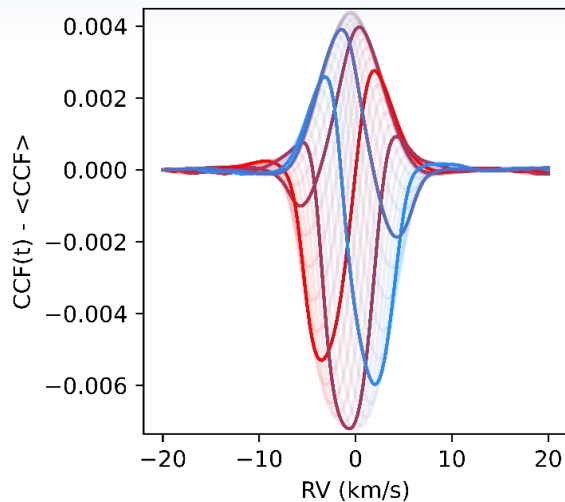
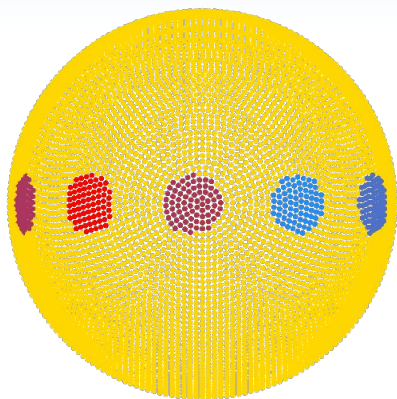


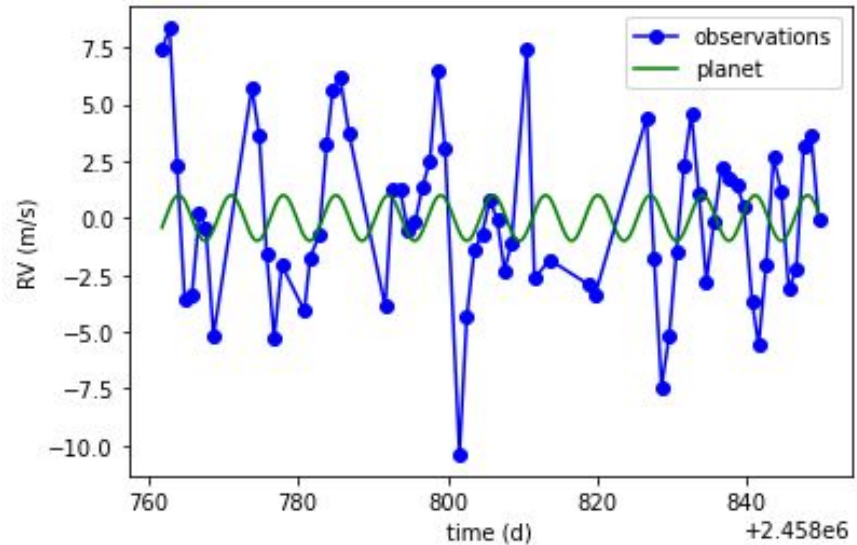
## Hand-on session: Machine Learning in radial velocity data

Jordi Blanco Pozo



# Target star: Epsilon Eridani

parameter	unit	$\epsilon$ Eridani	
		literature value	Ref.
Right ascension RA	h:m:s	03:32:55.84 $\pm$ 0.12	(1)
Declination Dec	$^{\circ}$ : $'$ : $''$	-09:27:29.739 $\pm$ 0.093	(1)
age	Myr	400 - 800	(2)
distance	pc	3.216 $\pm$ 0.002	(1)
$\mu_{\alpha}$	mas a $^{-1}$	-974.76 $\pm$ 0.16	(1)
$\mu_{\delta}$	mas a $^{-1}$	20.88 $\pm$ 0.12	(1)
$v \sin i$	km s $^{-1}$	2.4 $\pm$ 0.5	(3)
magnitude $G$	mag	3.4658 $\pm$ 0.0031	(1)
spectral type SpT	-	K2.0V	(6)
stellar mass $M_{\star}$	$M_{\odot}$	0.82 $\pm$ 0.05	(7)
		0.847 $\pm$ 0.042	(8)
stellar radius $R_{\star}$	$R_{\odot}$	0.74 $\pm$ 0.01	(7)
		0.702 $\pm$ 0.035	(8)
effective temperature $T_{\text{eff}}$	K	5076 $\pm$ 30	(10)
surface gravity $\log g$	dex	4.30 $\pm$ 0.08	(11)
metallicity $[Fe/H]$	-	-0.13 $\pm$ 0.04	(12)
inclination $i$	$^{\circ}$	60	(13)
rotation period $P_{\text{rot}}$	day	11.2	(3)
convective blueshift $CB^*$	$C B_{\odot}$	$\sim$ 0.3	(15,16)
differential rotation $d\Omega^{**}$	$d\Omega_{\odot}$	1.3	(3)
spot temperature difference $\Delta T$	K	1080 $\pm$ 670	(14)
minimum mass $M \sin i$	$M_{\oplus}$	210	(22)
orbital period	day	2671	(22)
RV semi-amplitude	m s $^{-1}$	$\sim$ 11	-



## Training Data:

**Input:**

'spec\_indices\_train.npy': (9950, 3, 66)

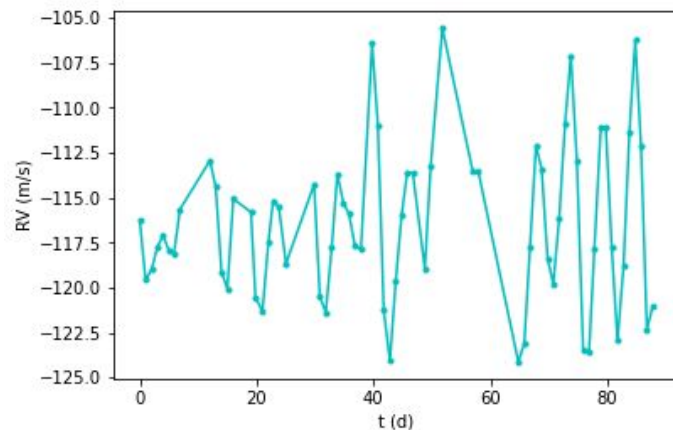
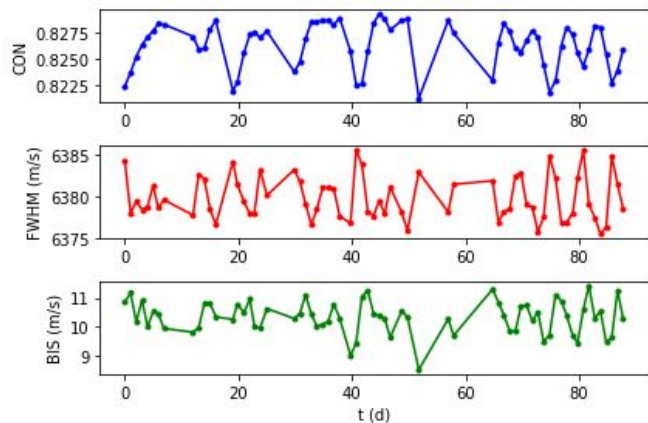
number of  
simulated stars

epochs of  
observations

**Label:**

'radial\_velocities\_train.npy': (9950, 66)

Contrast  
FWHM  
Bisector



## Problem Data:

### Input:

'problem{i}\_indices.npy': (3, 66)

### Label:

'problem{i}\_radial\_velocities.npy': (66)

### Time sampling:

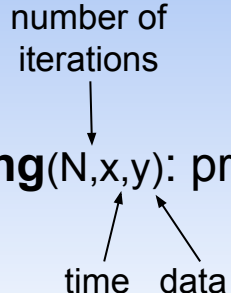
'time\_observations.npy': (66) (the same for the training data)

(i=1,2,3,4) a planet hidden in each of these problems, sorted from simpler to more complex to detect

## Write your own code!!

### Code:

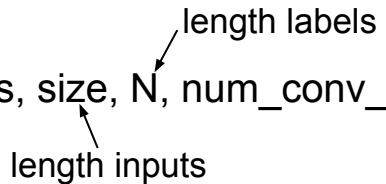
**prewhitening**(N,x,y): prewhitening of the most dominant harmonics of the data, showing the time-series and lomb-scargle periodograms



The diagram shows three annotations with arrows pointing to the function signature: 'number of iterations' points to 'N', 'time' points to 'x', and 'data' points to 'y'.

**lomb\_scargle\_periodogram**(x, y, frequency\_range, normalization='standard'): Similar to a Fourier periodogram, but for unevenly sampled data. Frequency range should be from  $0.5 \text{ d}^{-1}$  to the inverse of the time baseline of the observations

**NetGeneral**(kernel, neurons, channels, size, N, num\_conv\_layers, num\_fc\_layers)



The diagram shows two annotations with arrows pointing to the function signature: 'length labels' points to 'N' and 'length inputs' points to 'size'.

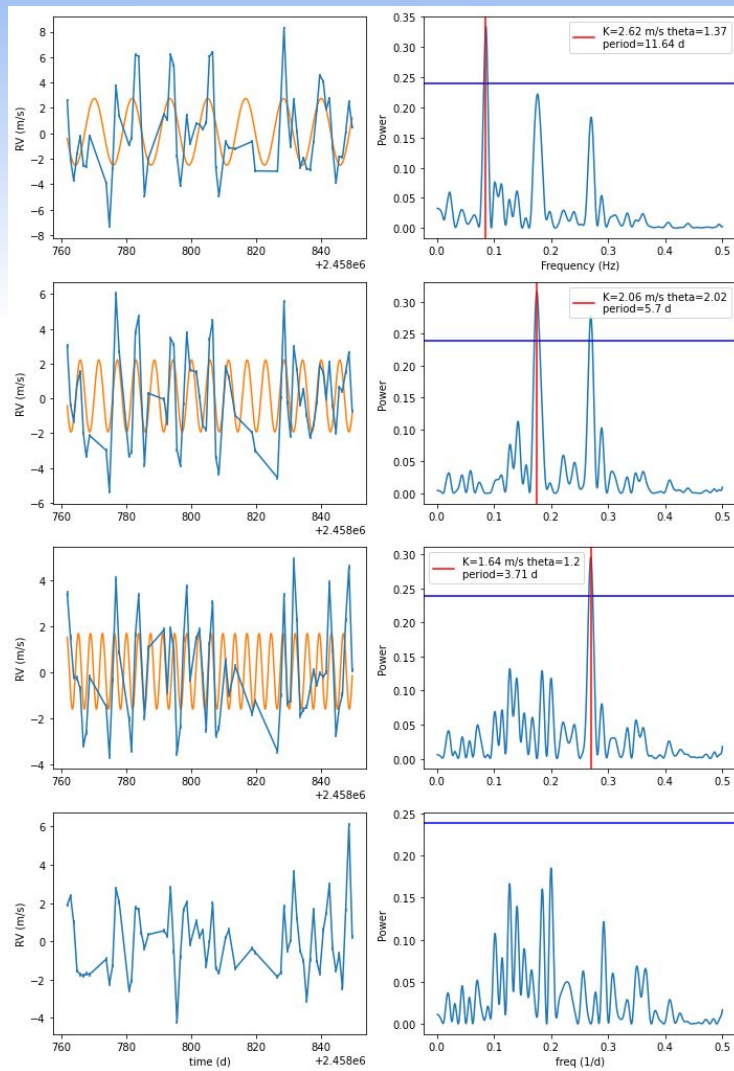
Convolutional Neural Network architecture. Modify this very basic architecture as you decide!!

$$\left(\frac{a}{AU}\right)^3 = \frac{M}{M_{\odot}} \left(\frac{P}{yr}\right)^2$$

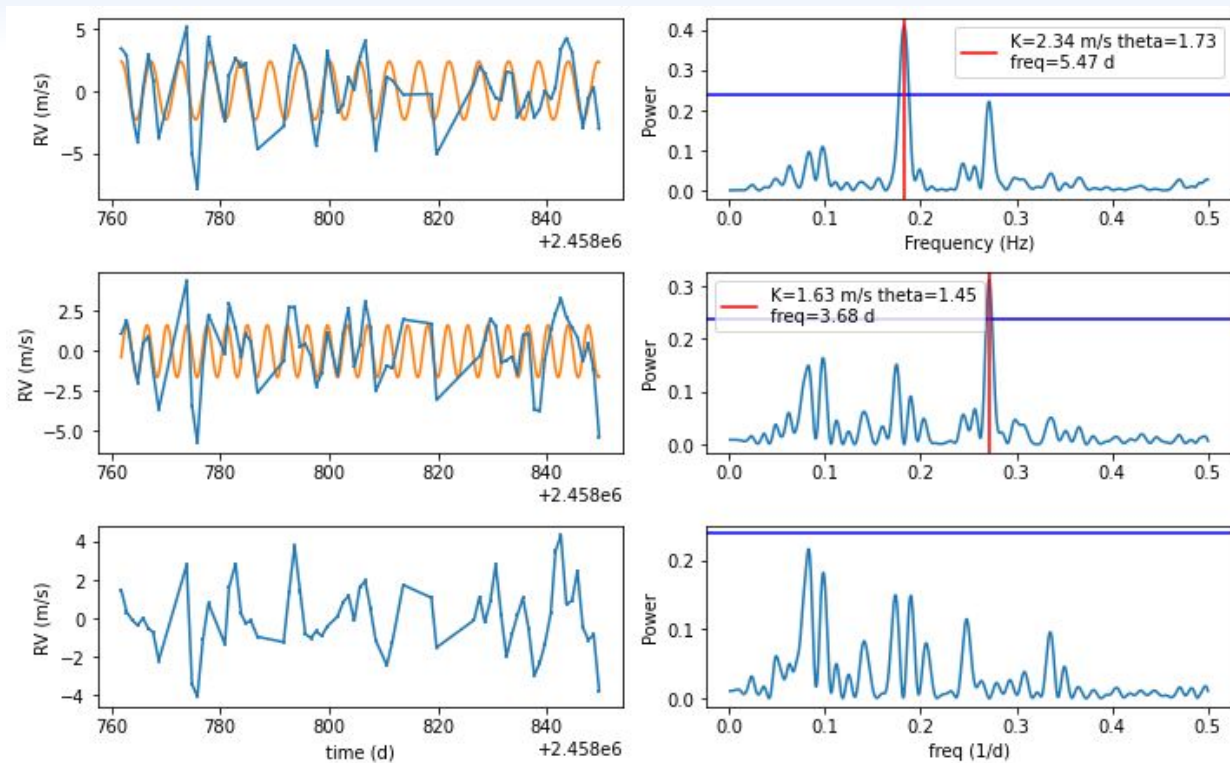
$$K = \frac{28.4329 \text{ m/s}}{\sqrt{1-e^2}} \frac{m_p \sin i}{M_{Jup}} \left(\frac{m_p + m_*}{M_{Sun}}\right)^{-2/3} \left(\frac{P}{1yr}\right)^{-1/3}$$

$$K = \frac{28.4329 \text{ m/s}}{\sqrt{1-e^2}} \frac{m_p \sin i}{M_{Jup}} \left(\frac{m_p + m_*}{M_{Sun}}\right)^{-1/2} \left(\frac{a}{1au}\right)^{-1/2}$$

# Problem 1:

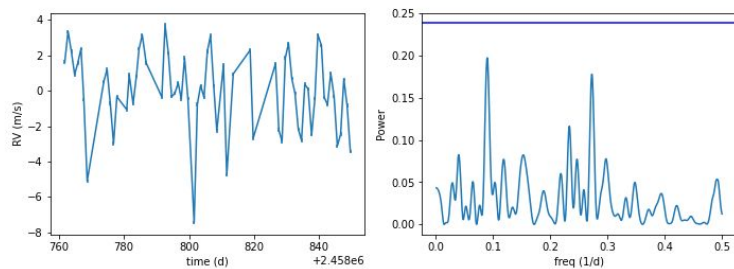
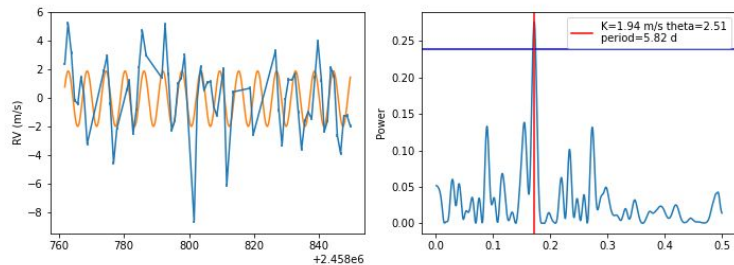
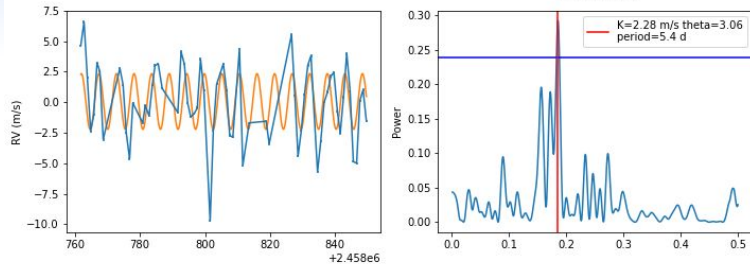
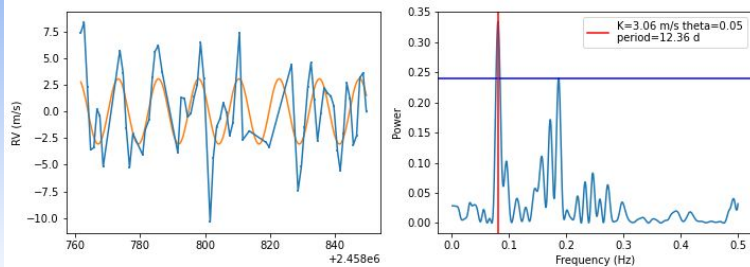


## Problem 2:





# Problem 3:



## Problem 4:

