



Gravitational-wave constraints on the neutron-star-matter Equation of State

Eemeli Annala ¹, Tyler Gorda ¹, Alekski Kurkela ², Alekski Vuorinen ¹

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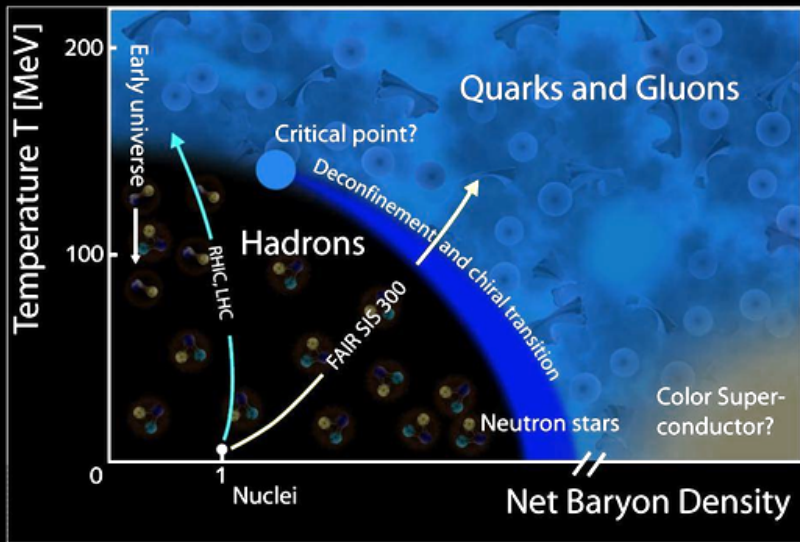
¹University of Helsinki

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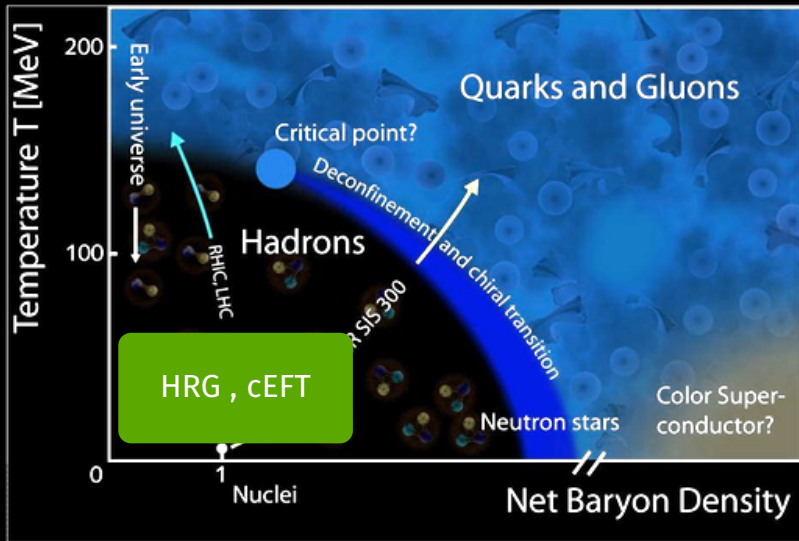
1. Matching EoSs: the idea
2. cEFT-pQCD EoS band with May 2018 LIGO/Virgo updates
Theory + Observations
3. Results: Plots

Matching: the idea

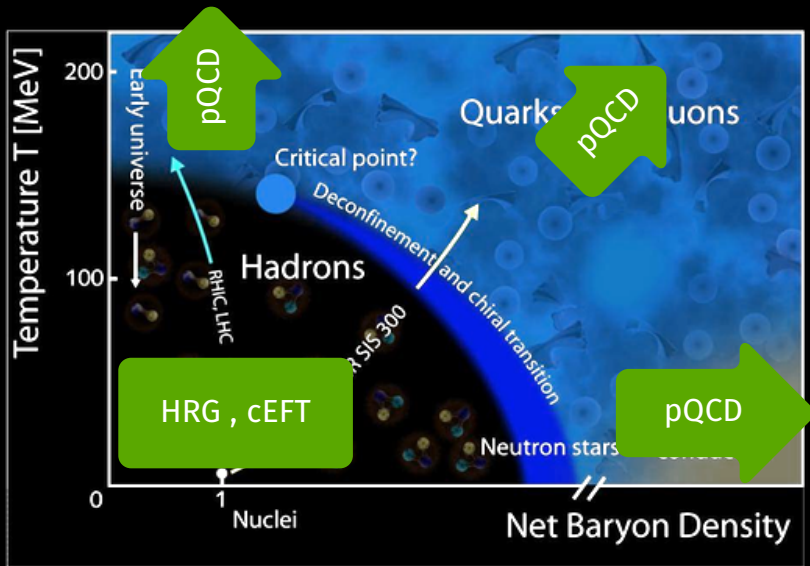
QCD MATTER



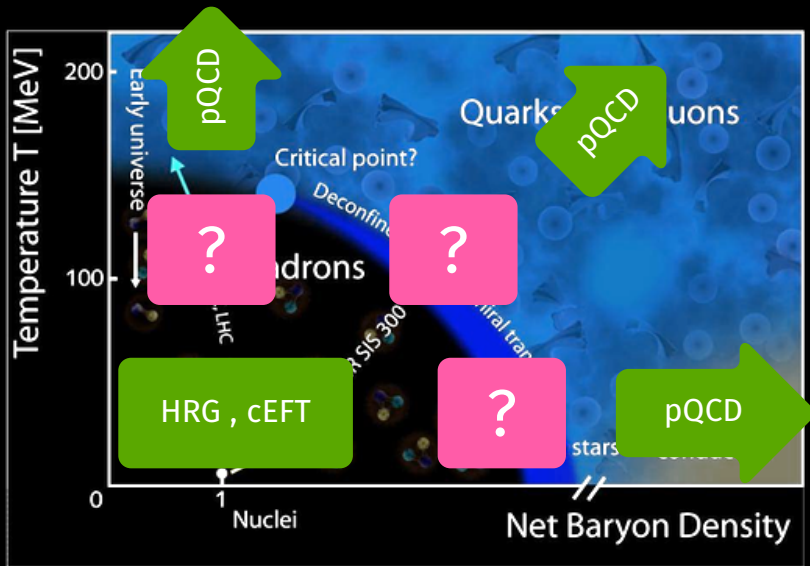
QCD MATTER



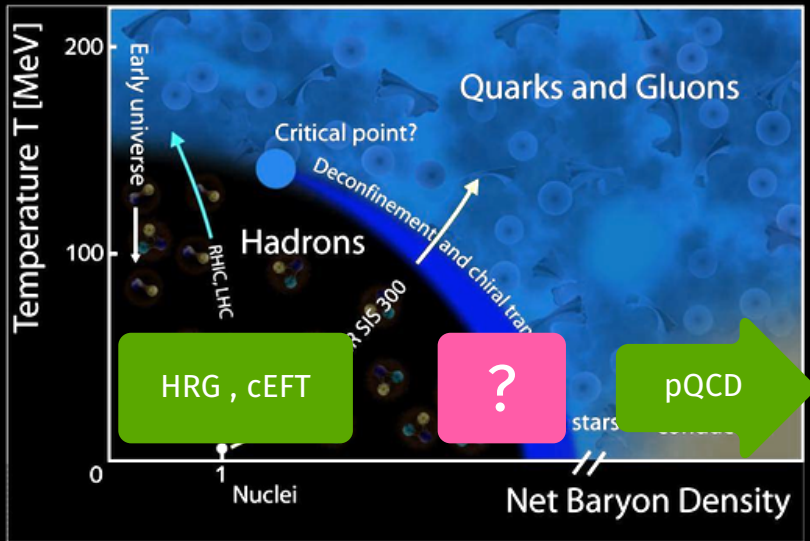
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- Matching two (controlled) **perturbative** regimes can give us information about the complex, **nonperturbative** regime in between.

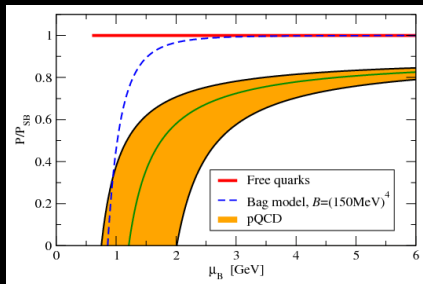
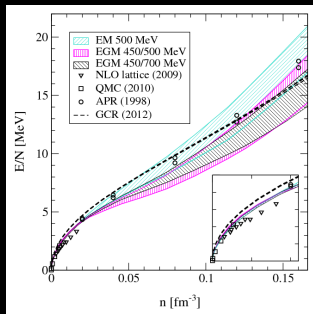
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- This philosophy, applied to the QCD phase diagram at $T = 0$ can shed light on NSs and their properties.
- Observations can further improve these conclusions.

cEFT-pQCD EoS band

cEFT-PQCD EOS BAND: THEORY

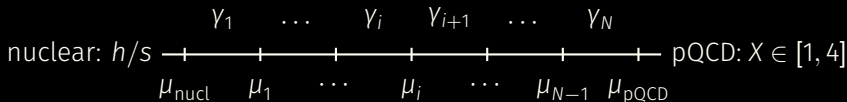
We follow Kurkela et al. 2014 and match cEFT (Tews et al. 2013) to pQCD (Fraga et al. 2014, Kurkela et al. 2010) with N interpolating polytropes: $p_i(n) = \kappa_i n^{\gamma_i}$:



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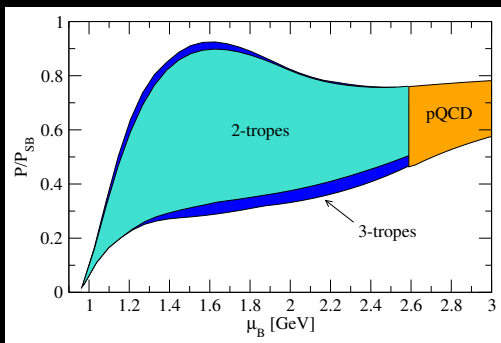


$2N - 3$ free parameters per polytropic EoS, plus nuclear & pQCD parameters.

CEFT-pQCD EOS BAND: THEORY

Thermodynamic consistency, subluminality, matching to nuclear & pQCD, place stringent constraints on values of γ_i, μ_i .

In past, $N = 2, 3$ taken to be sufficient: e.g.,



Our current procedure: Generate 90,000 3-trope and 170,000 4-trope matched EoSs that are

- thermodynamically consistent
- subluminal ($c_s^2 < 1$) everywhere

Take no constraints on the parameters ($\gamma_i \in [0, 15]$, $\mu_i \in [\mu_{\text{nucl}}, \mu_{\text{pQCD}}]$, and $X \in [1, 4]$.) \therefore effectively allow for 1st order phase transitions.

We find EoSs to be roughly uniformly distributed in γ_i , μ_i and X so the entire parameter space is satisfactorily covered.

Observations

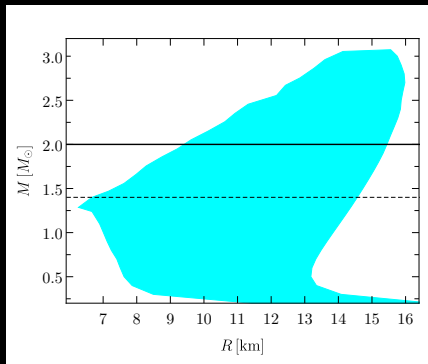
1. Old: existence of $1.97M_{\odot}$ star (Demorest et al. 2010, Antoniadis et al. 2013)
2. **New**: LIGO/Virgo GW constraint on tidal deformability:
 $\Lambda(1.4M_{\odot}) < 800$:

Observations

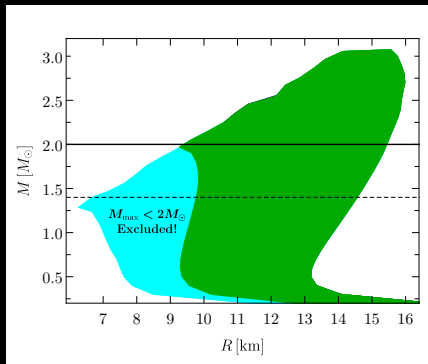
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2. **New:** LIGO/Virgo GW constraint on tidal deformability:
 $\Lambda(1.4M_{\odot}) < 800$: $70 < \Lambda(1.4M_{\odot}) < 580$ (May 2018)

Results: Plots

MASS-RADIUS CLOUD

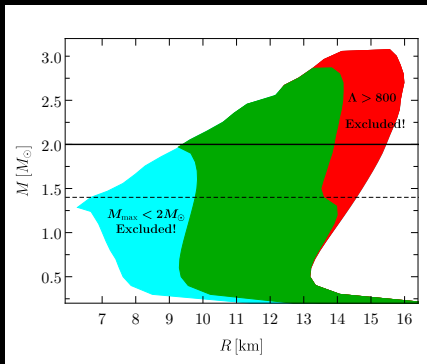


MASS-RADIUS CLOUD



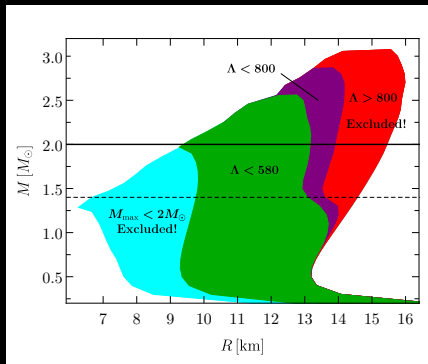
- $1.97M_{\odot}$ constraint removes small stars.

MASS-RADIUS CLOUD



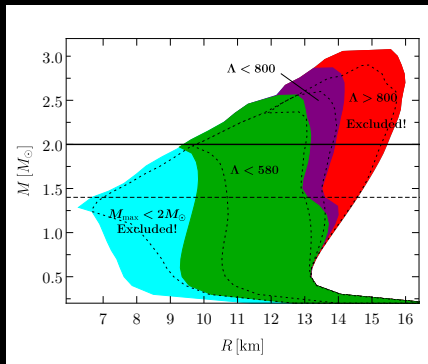
- $1.97M_{\odot}$ constraint removes small stars.
- LIGO/Virgo constraint removes largest stars.
- Bounds:
 $9.7 \text{ km} < R(1.4M_{\odot}) < 13.6 \text{ km}$
 $1.97M_{\odot} < M_{\text{max}} < 3.0M_{\odot}$

MASS-RADIUS CLOUD



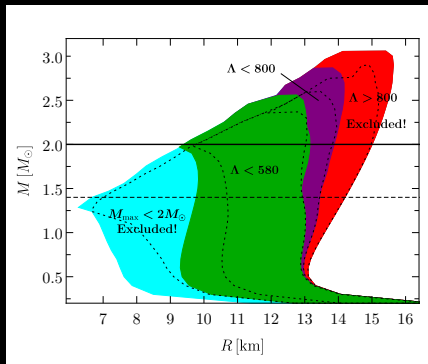
- $1.97M_{\odot}$ constraint removes small stars.
- LIGO/Virgo constraint removes largest stars.
- Bounds:
 $9.7 \text{ km} < R(1.4M_{\odot}) < 13.1 \text{ km}$
 $1.97M_{\odot} < M_{\max} < 2.7M_{\odot}$

MASS-RADIUS CLOUD



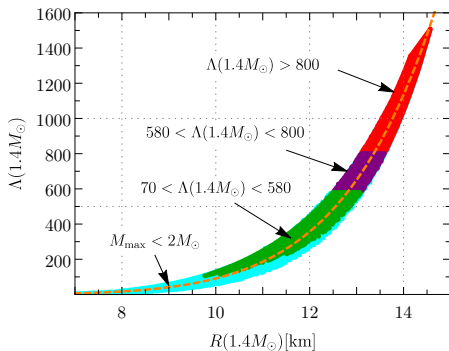
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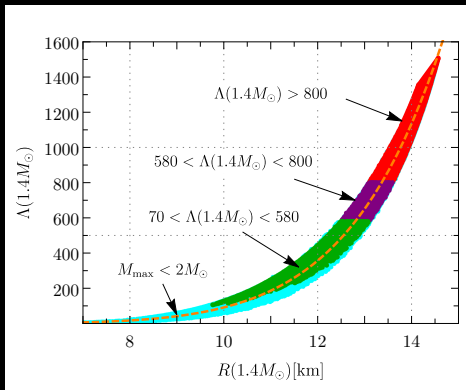


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- Constraint on $0.4 \leq \gamma_1 \leq 5.8$, if first polytrope required to last until $1.5n_s$.

TIDAL DEFORMABILITIES

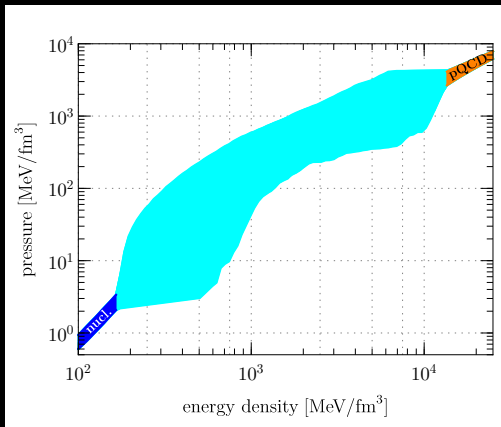


TIDAL DEFORMABILITIES

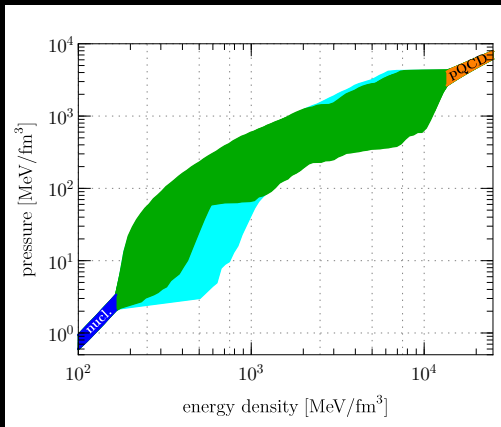


- $\Lambda(R) = 2.88 \times 10^{-6} (R/\text{km})^{7.5}$ approximates well.
- $2M_\odot$ constraint gives $\Lambda(1.4M_\odot) > 107$.

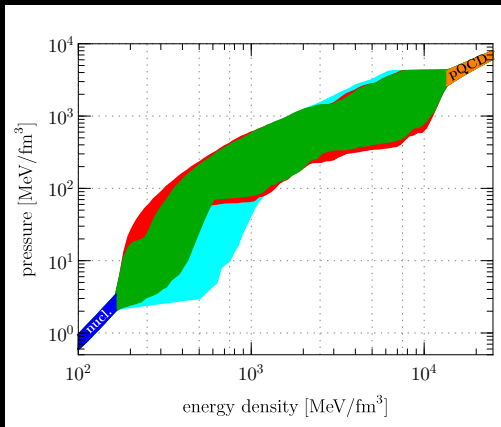
ENERGY DENSITY VS. PRESSURE



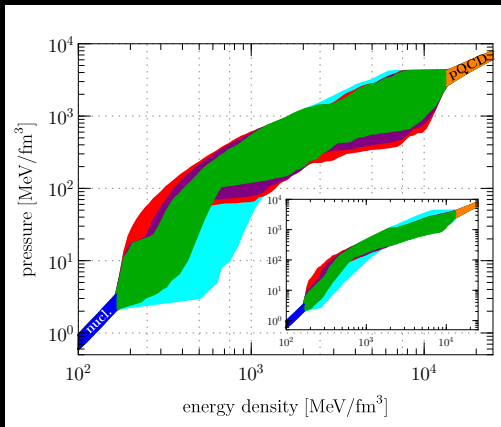
ENERGY DENSITY VS. PRESSURE



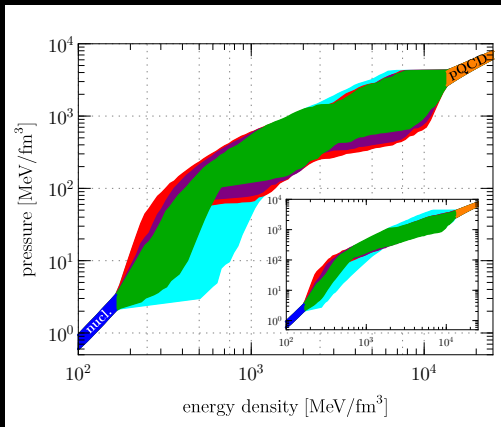
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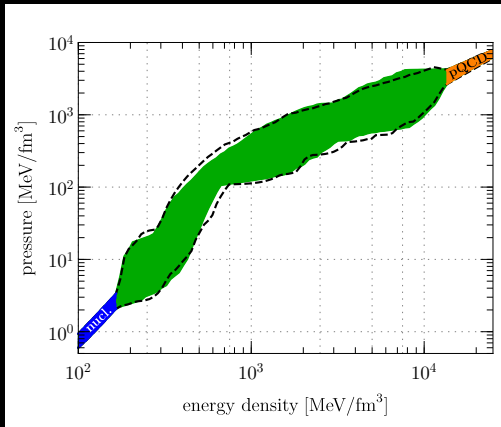


ENERGY DENSITY VS. PRESSURE



Currently working on interpolations of c_5^2 :

Currently working on interpolations of c_s^2 :



Allowed region **robust** against parametrization.

Summary

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- No **fully first-principles** approach to the QCD EoS currently exists to apply to NSs.
- Matching cEFT to pQCD + observations provides constraints

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- No **fully first-principles** approach to the QCD EoS currently exists to apply to NSs.
- Matching cEFT to pQCD + observations provides constraints
 - **Bounds from $2M_{\odot}$ and LIGO/Virgo:**
 $9.7 \text{ km} < R(1.4M_{\odot}) < 13.1 \text{ km},$
 $1.97M_{\odot} < M_{\text{max}} < 2.7M_{\odot}$
 - Region **robust**.
 - Observational astronomy now providing stringent bounds on the collective properties of dense QCD matter.

Thank you!