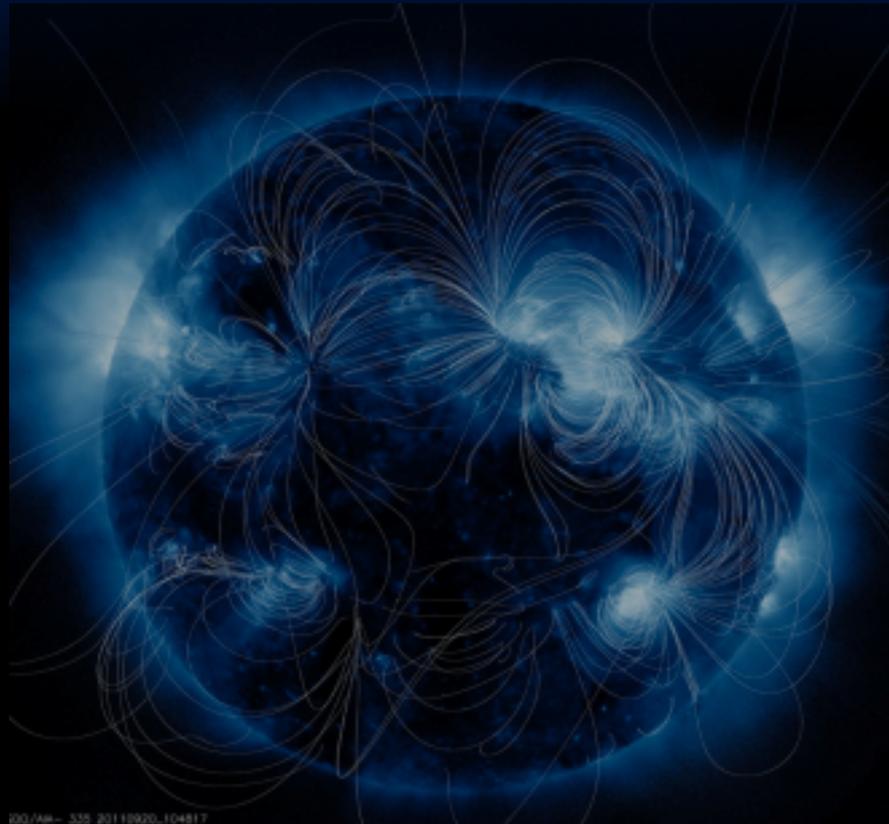


Neutron Stars

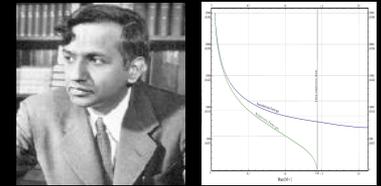


Nanda Rea

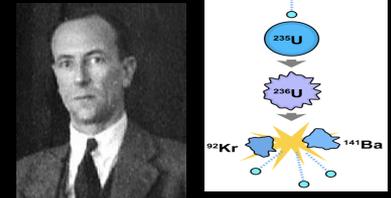
*Institute for Space Sciences (ICE), CSIC-IEEC, Barcelona, ES
Anton Pannekoek Institute, University of Amsterdam, NL*

Early history

- 1931 Chandrasekhar argued that WDs collapse at masses $> 1.4 M_{\odot}$. (Chandrasekhar 1931, ApJ)



- 1932 Chadwick discovers the neutron, recognized as a new elementary particle. (Chadwick 1932, proceedings of the RAS)



- 1934 Baade & Zwicky proposed the existence of NS, they predicted their formation due to supernova explosion and their radius of ~ 10 km. (Baade & Zwicky 1934, Proc.Nat.Acad.Sci.)



- 1939 Oppenheimer & Volkoff defined the first equation of state for a NS of mass $\sim 1.4 M_{\odot}$, a radius of ~ 10 km and a density of $\sim 10^{14}$ gr/cm³. (Oppenheimer & Volkoff, Phys.Rev)



Early history

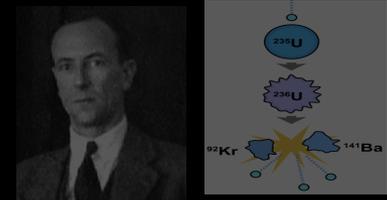
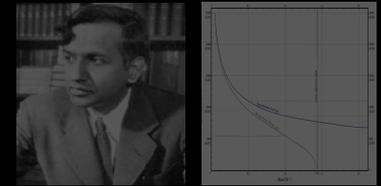
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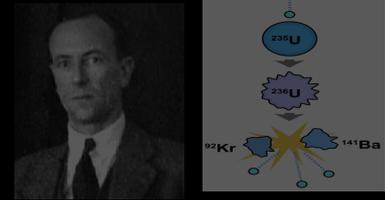
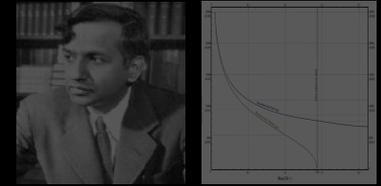
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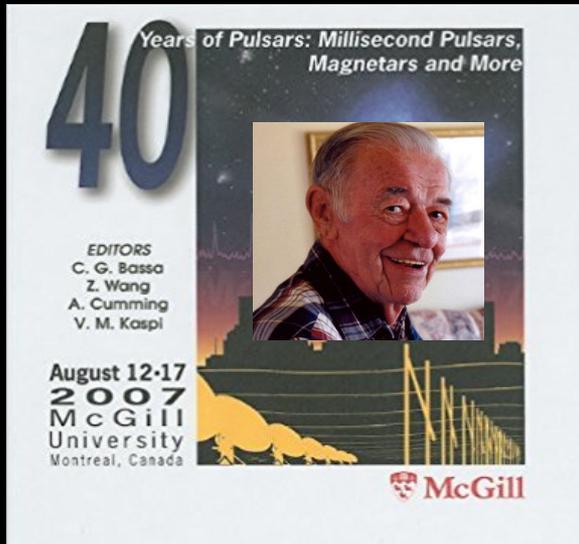


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- 1968 Hewish & Bell studying interplanetary scintillation observed a periodicity of 1.337s, discovering the first pulsar: PSR 1919+21. (Hewish et al. 1968, Nature)



Curiosity...



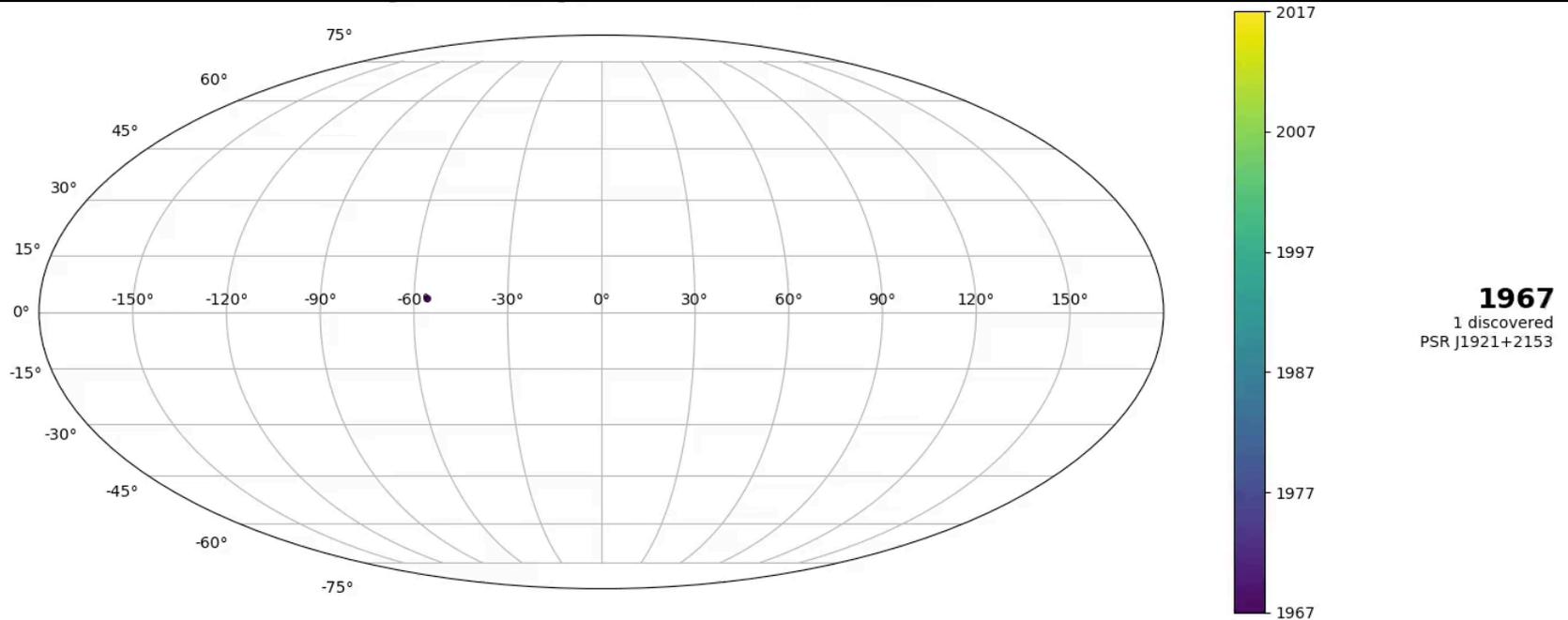
Charles Schisler 1931 – 2011
(Bluffon, South Carolina)

Independent US Navy discovery of pulsars in August 1967, and the first discovery of the Crab pulsar, with the Clear Antenna in Alaska.

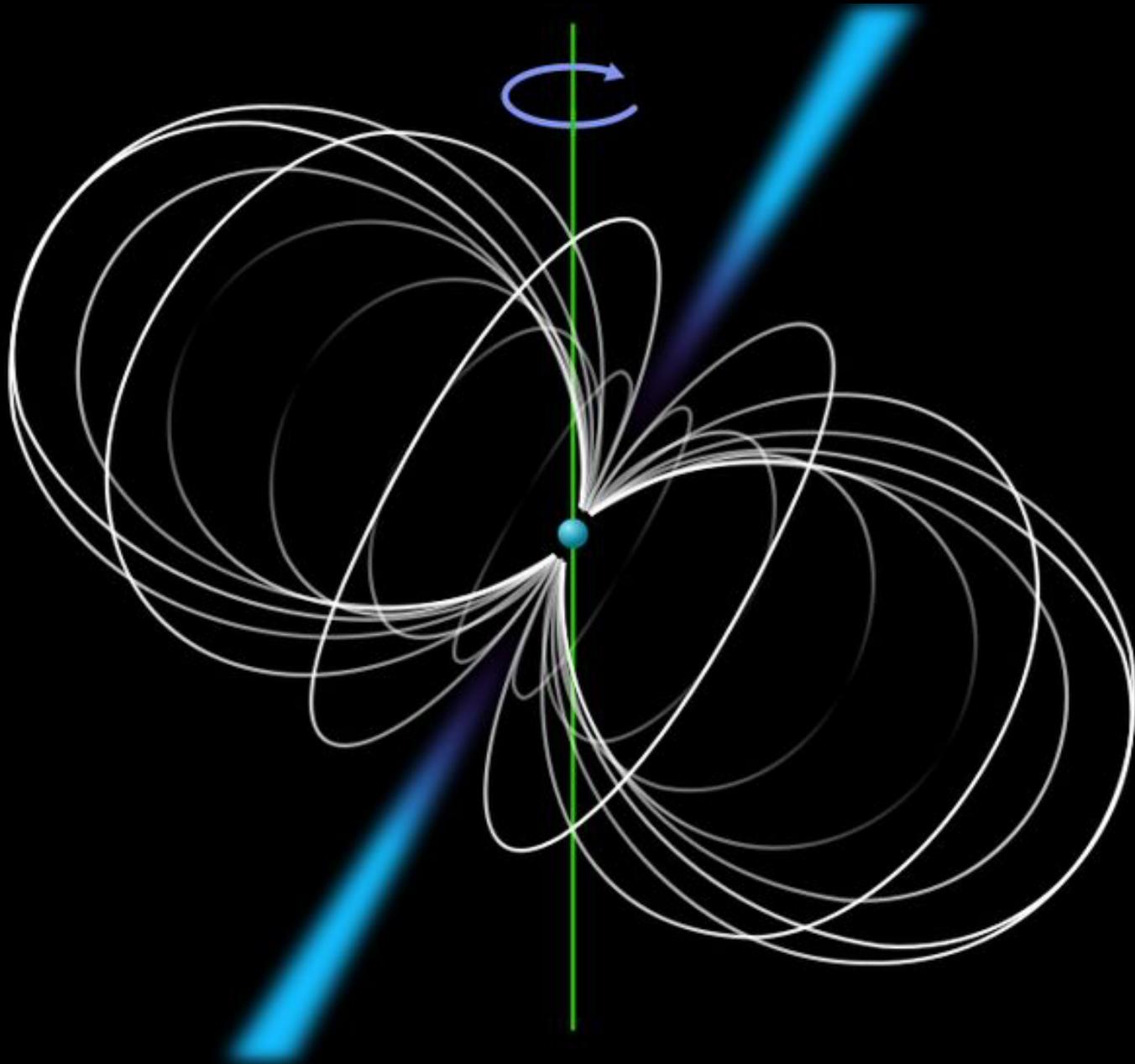
FAN PASSAGE TABLE									
Declin.	UPPER FAN			GHA deg. min.	LOWER FAN			Time difference between fans	
	Azim.	fan	GHA		Azim.	fan	GHA		
+ 30.5°	360.0	329.18°			No Show			—	
+ 30	335.8	301.17°	509°		in lower			—	
+ 29	331.2	296.08°	438°		fan			—	
+ 28	327.2	291.70°	387°	358.0	327.18°			—	
+ 27.5	325.4	289.73°	356°	344.6	310.68°			—	
+ 27	323.6	287.78°	325°	338.6	303° 00°			—	
+ 26	320.3	284.22°	294°	333.3	299.48°			61 min	
+ 25	317.1	280.88°	263°	329.4	294.28°			53 min	
+ 24	314.0	277.78°	232°	325.2	290.68°			51 min	
+ 23	311.2	274.85°	203°	321.8	287° 00'			48 min	
+ 22	308.4	272.07°	173°	318.4	283.58°			46 min	
+ 21	305.6	269.38°	144°	315.1	280.28°			44 min	
+ 20	303.0	266.80°	115°	312.1	277.28°			42 min	
+ 19	300.5	264.30°	86°	309.2	274.38°			40 min	
+ 18	297.9	261.83°	57°	306.5	271.68°			39 min	
+ 17	295.5	259.52°	28°	303.9	269.08°			38 min	
+ 16	293.0	257.22°	0°	301.4	266.58°			37 min	
+ 15	290.6	254.97°	-29°	298.9	264.08°			36 min	
+ 14	288.2	252.75°	-58°	296.4	261.68°			36 min	
+ 13	285.8	250.57°	-87°	293.3	259.33°			35 min	
+ 12	283.5	248.42°	-116°	291.0	257.18°			35 min	
+ 11	281.2	246.28°	-145°	288.7	254.88°			34 min	
+ 10	278.9	244.18°	-174°	286.5	252.68°			34 min	
+ 9	276.5	242.08°	-203°	284.4	250.58°			34 min	
+ 8	274.2	240.00°	-232°	282.0	248.48°			34 min	
+ 7	271.9	237.92°	-261°	279.1	246.23°			33 min	
+ 6	269.6	235.84°	-290°	277.0	244.18°			33 min	
+ 5	267.3	233.77°	-319°	274.9	242.05°			33 min	
+ 4	265.0	231.68°	-348°	272.8	240.00°			33 min	
+ 3	262.6	229.58°	-377°	269.9	237.88°			33 min	
+ 2	260.3	227.48°	-406°	267.7	235.78°			33 min	
+ 1	257.9	225.37°	-435°	265.5	233.68°			33 min	
0	255.5	223.26°	-464°	263.5	231.68°			34 min	
- 1	253.1	221.03°	-493°	260.7	229.58°			34 min	
- 2	250.7	218.83°	-522°	258.2	227.38°			34 min	
- 3	248.2	216.58°	-551°	256.1	225.28°			35 min	
- 4	245.7	214.28°	-580°	254.0	223.18°			36 min	
- 5	243.1	211.93°	-609°	251.8	221.08°			36 min	
- 6								37 min	
- 7	(237.8)	207.62°		246.2	216.38°			37 min	
- 8	No Show			243.9	214.08°			—	
- 9	in upper			241.5	211.68°			—	

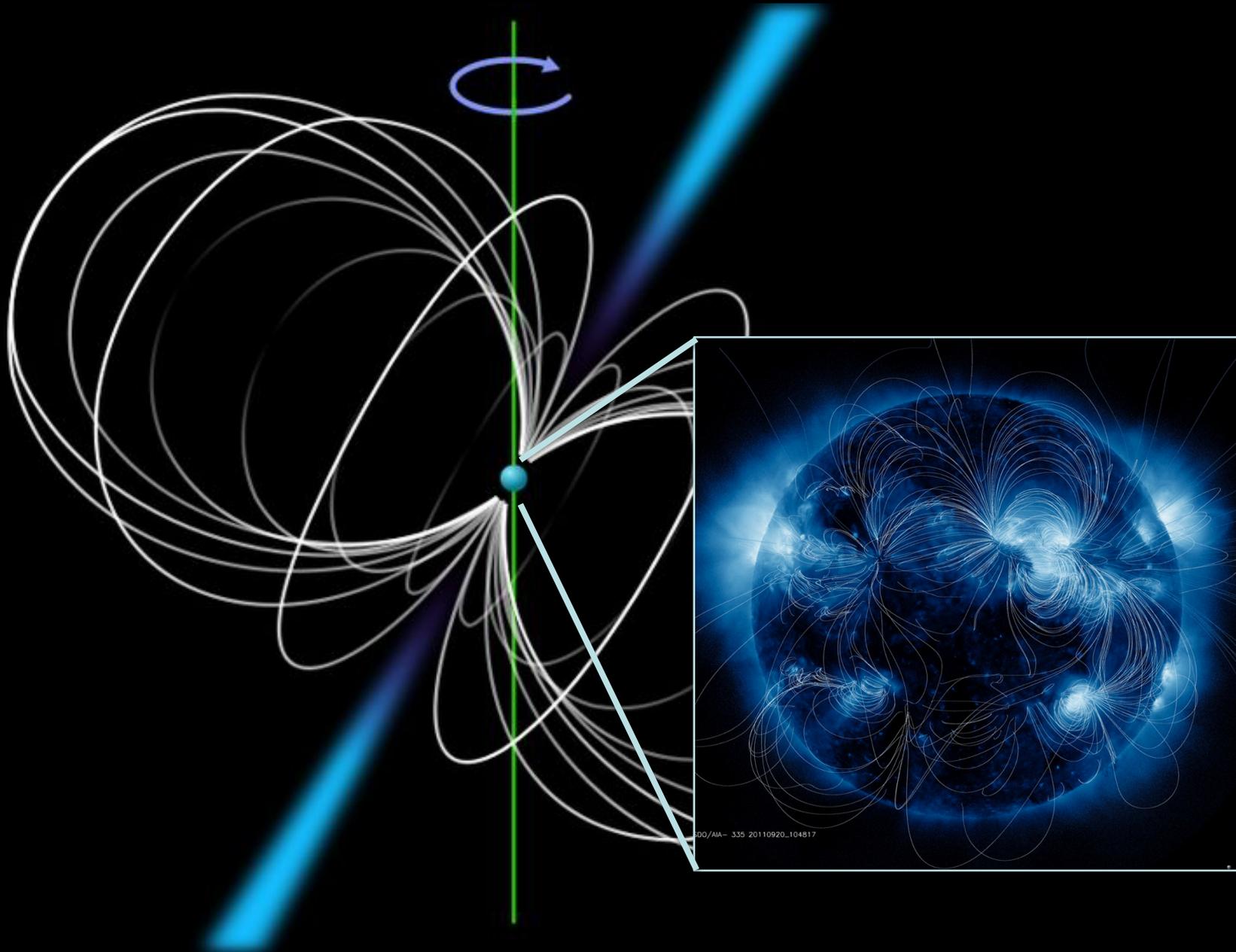
50 years of pulsars

Credit: S. Serrano Elorduy N. Rea (ICE, CSIC-IEEC)

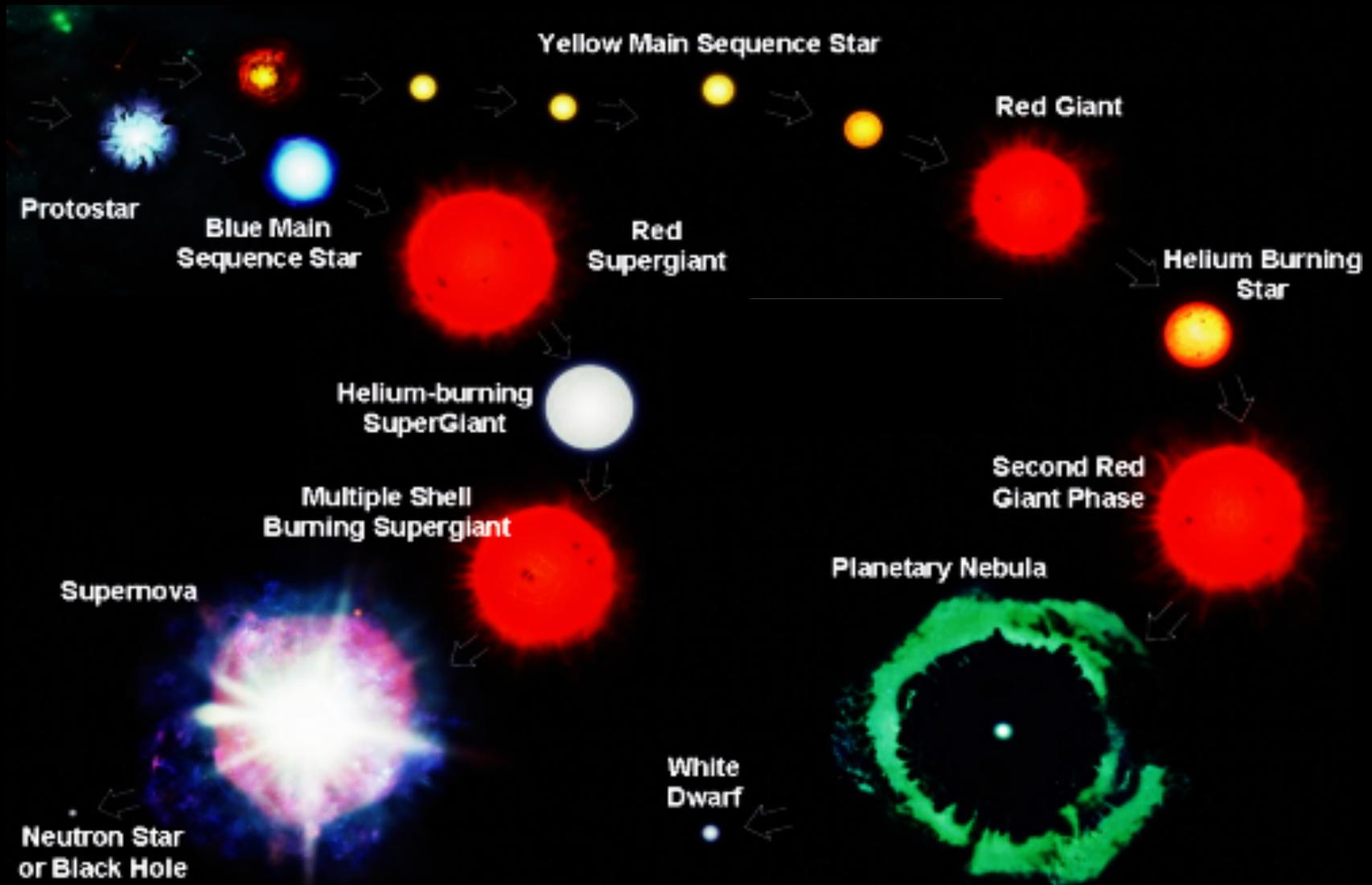


Rea 2017, Nature Astronomy, Vol. 1 p 827





Birth of a neutron star



Magnetic field formation in neutron stars

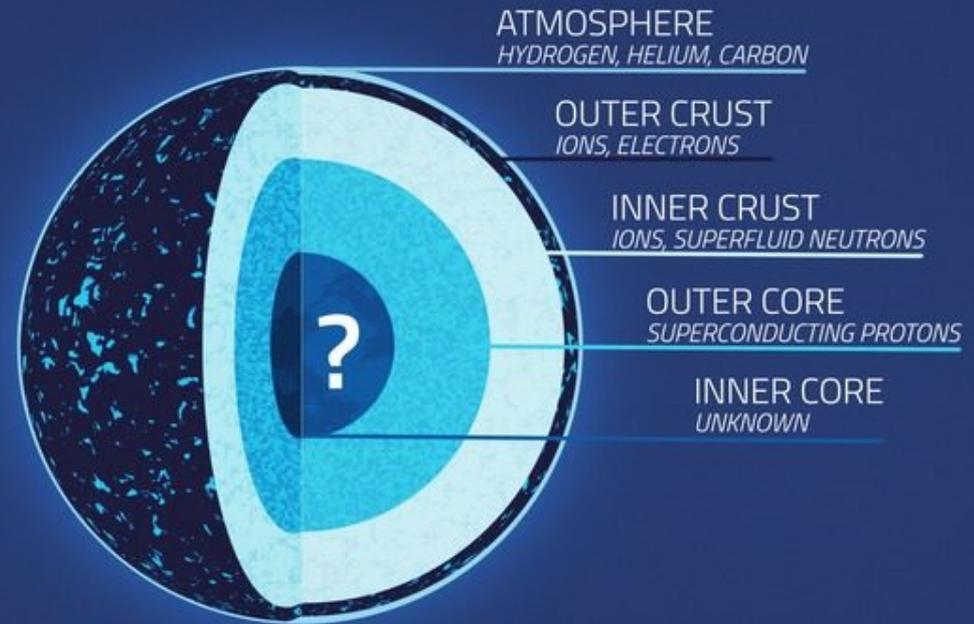
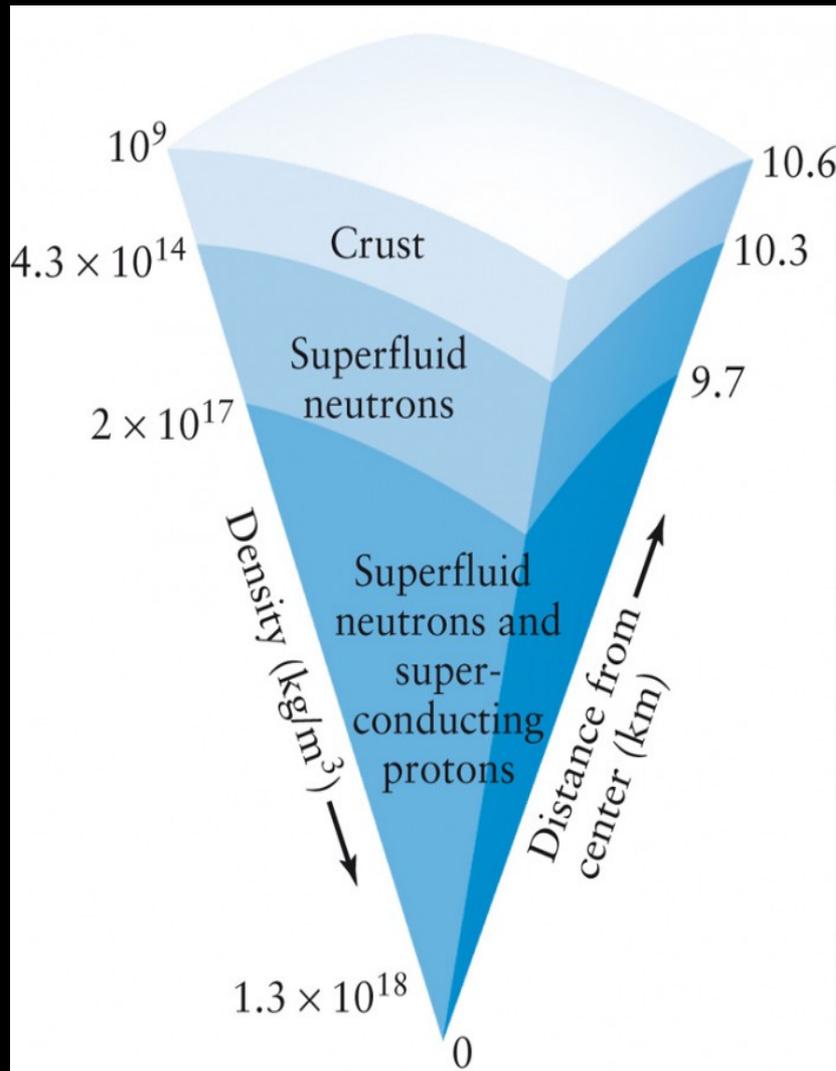
- Via **dynamos/instabilities in the stellar core**
- As **fossil fields from a magnetic progenitor**
- From **massive star binary progenitors**



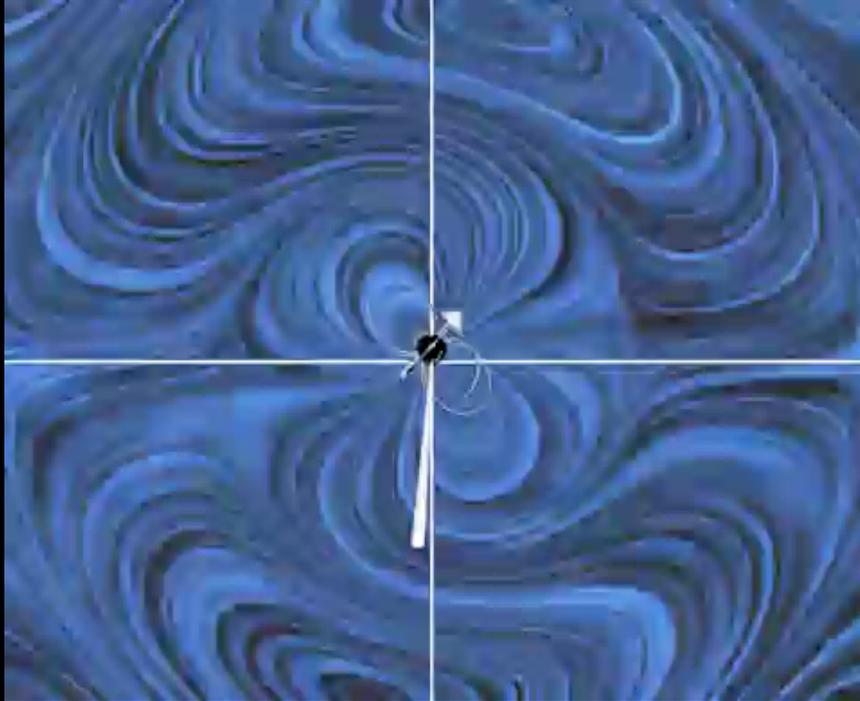
Westerlund 1

(Obergaullinger, Janka & Aloy 2015, MNRAS)

Neutron star composition



Magnetic field estimate



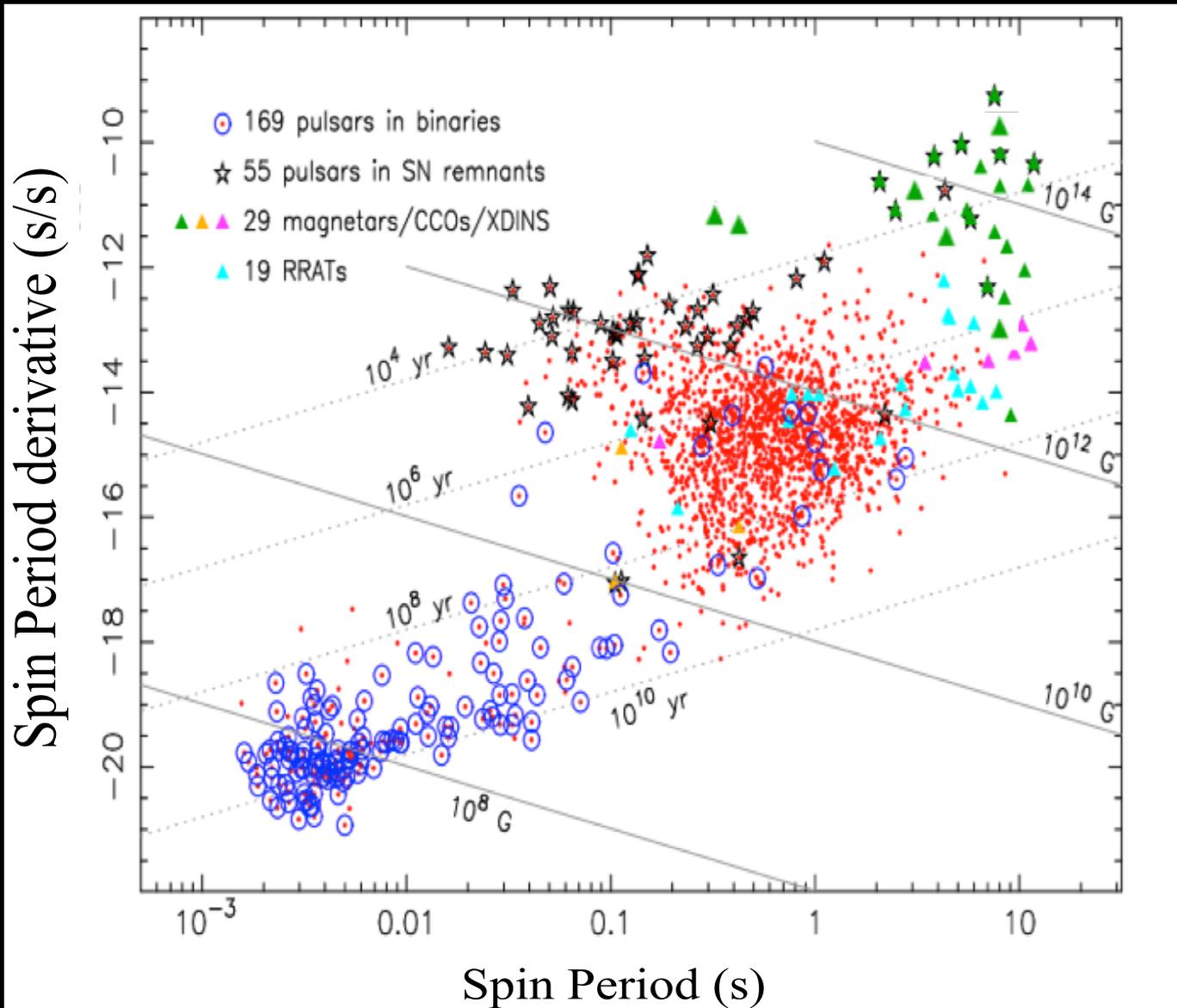
Rotating magnetic dipole

$$\dot{E}_{rot} = I_{ns} \Omega_s \dot{\Omega}_s = -\frac{4\pi^2 I_{ns} \dot{P}_s}{P_s^3}$$
$$P_{dip-rad} = -\frac{2}{3c^3} |\ddot{\mu}_d|^2 = -\frac{2(B_d R_{ns}^3 \sin(1+\alpha))^2 \left(\frac{4\pi^2}{P_s^2}\right)^2}{3c^3}$$

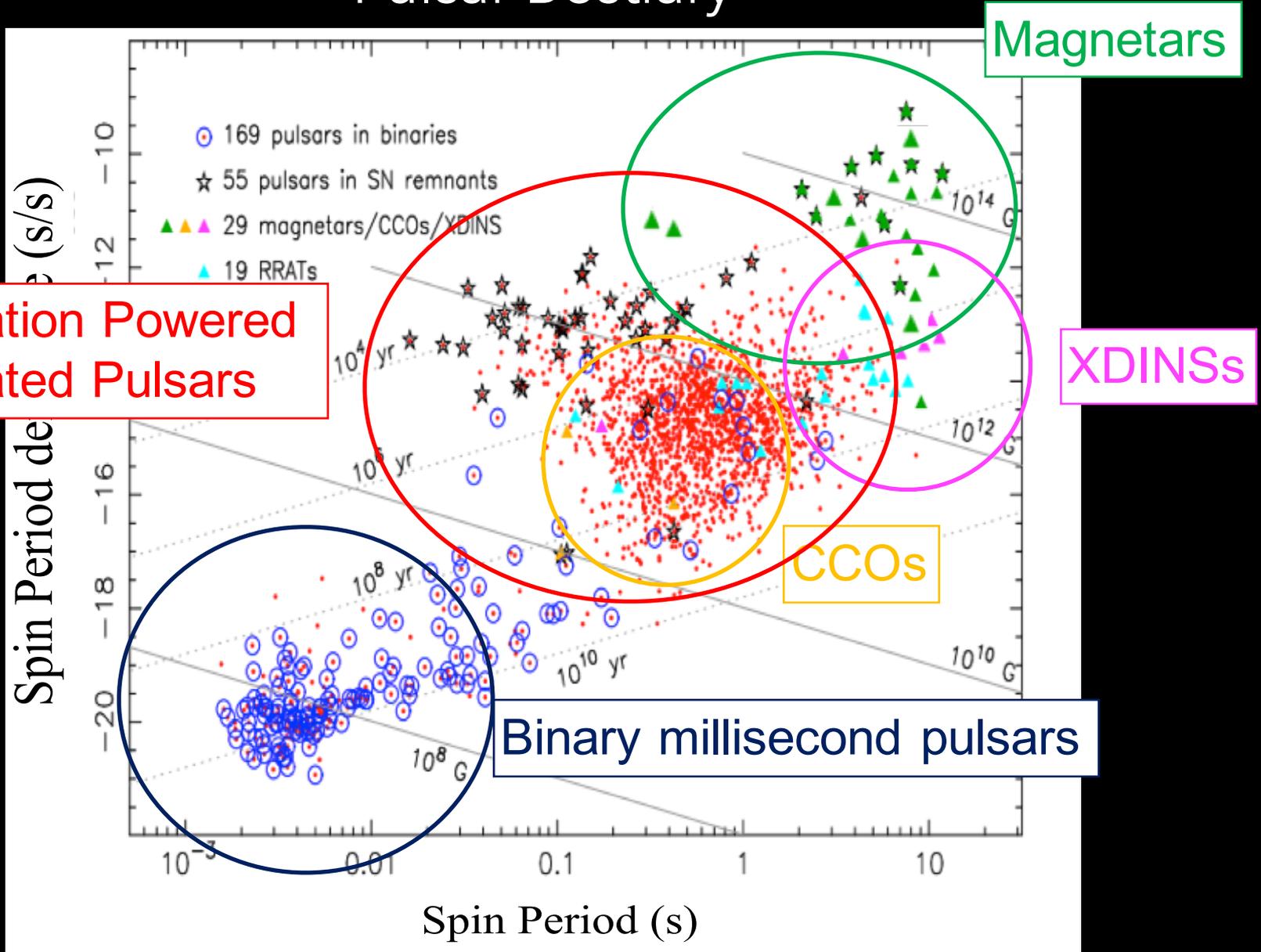


$$B = 3.2 \cdot 10^{19} \sqrt{P \dot{P}} \text{ Gauss.}$$
$$\tau = \frac{P}{2\dot{P}}$$

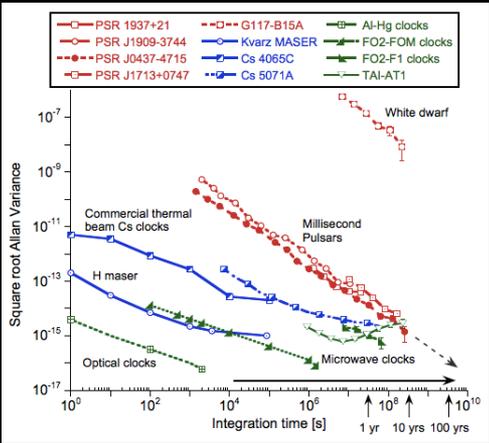
Pulsar Bestiary



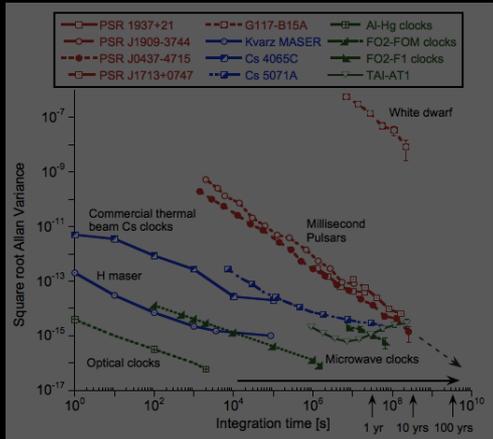
Pulsar Bestiary



The most stable clocks in the Universe:
Pulsar arrivals are so precise and stable that beats
atomic and quantum optical clocks.



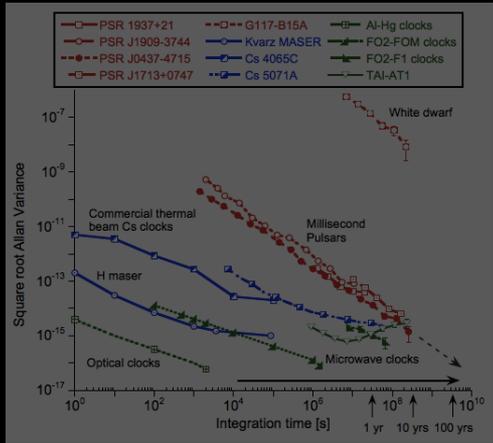
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The most magnetic objects in the Universe:
The magnetar: SGR 1806-20 has a magnetic field is 100000000 times larger than the highest B-field we can reproduce on Earth.



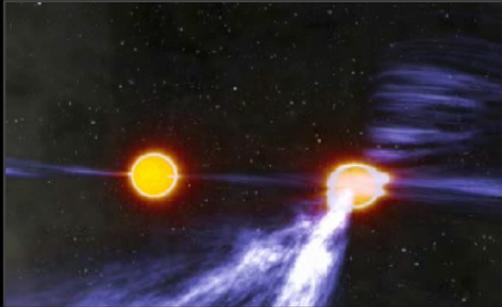
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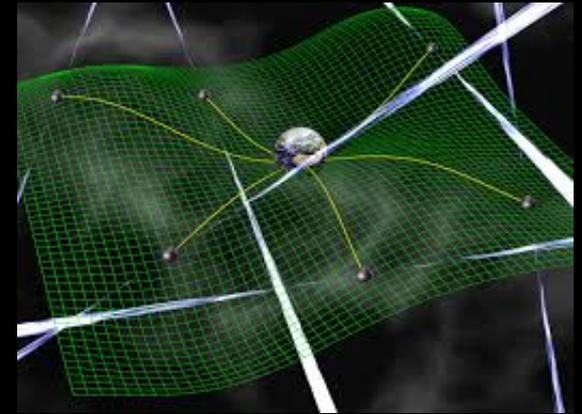
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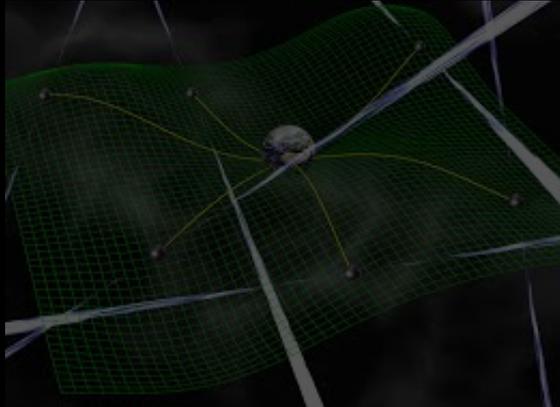
The most precise tests of General Relativity:
 Binary pulsar systems holds the Guinness for having tested GR at 0.05% confidence level. Einstein is right so far...



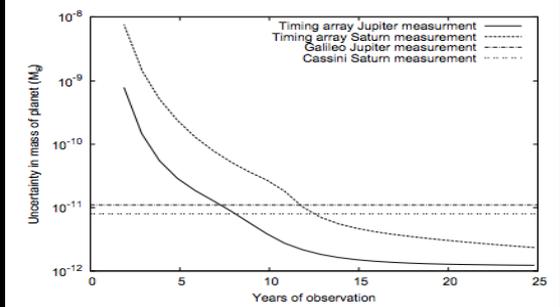
The least expensive Gravitation Waves detector:
Observing regularly millisecond pulsars we might
detect GWs (International Pulsar Timing Array).



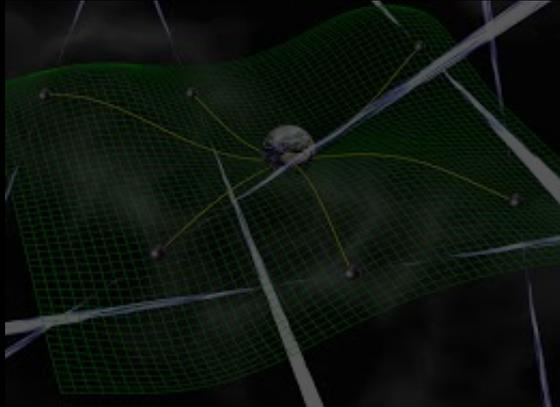
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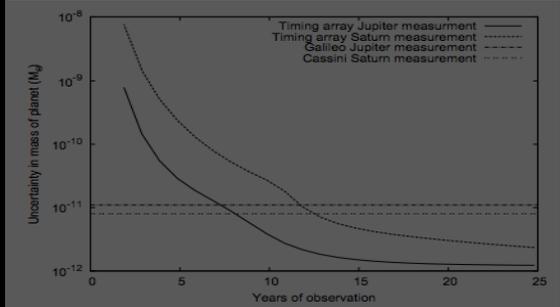
The least expensive Solar System planet mass determination:
Observing pulsars systematically planet masses are measured as precisely as dedicated satellites.



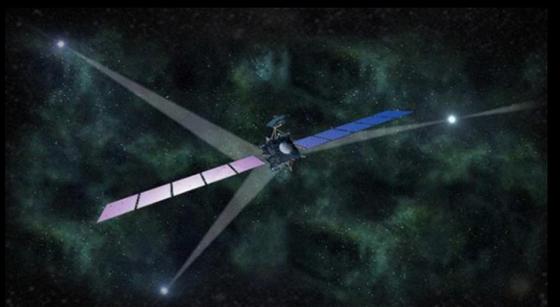
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The least expensive Solar System planet mass determination:
Observing pulsars systematically planet masses are measured as precisely as dedicated satellites.



Our future GPS in space:
Pulsar clocks are so precise that will be our unique GPS system when travelling in space with no connection with Earth.



Pulsar Timing Technique



The great potential of pulsar timing

1) Pulsar periods can be measured with extraordinary precision:

e.g. PSR J0437-4715 has a period of :

0.00575745192436238 \pm 0.000000000000000005 s

17 significant digits!

2) Exploiting an event which repeats a huge number of times in a reasonable time-span T_{obs}

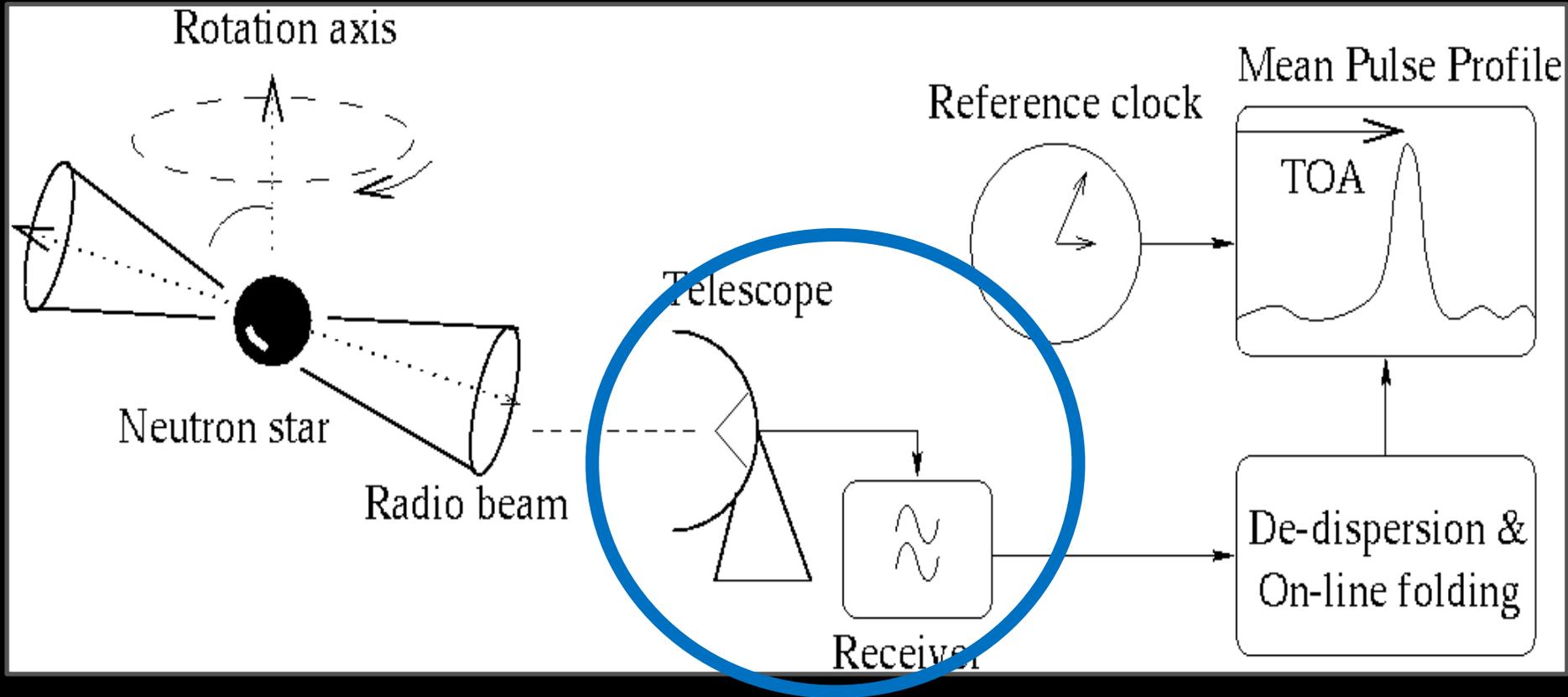
a 3-ms pulsar performs $T_{\text{obs}}/P_{\text{spin}} \sim 10^{10}$ cycles a year

by coherently counting all of them, one gets an accuracy after 1 YEAR of obs

$$\Delta P_{\text{error}}/P_{\text{spin}} = \Delta t_{\text{error}}/T_{\text{obs}} = 0.01 P_{\text{spin}}/T_{\text{obs}} = 10^{-12}$$

3) Rotational stability of some pulsars is comparable to the best artificial clocks

The great potential of pulsar timing



Acquisition of the pulsar time series

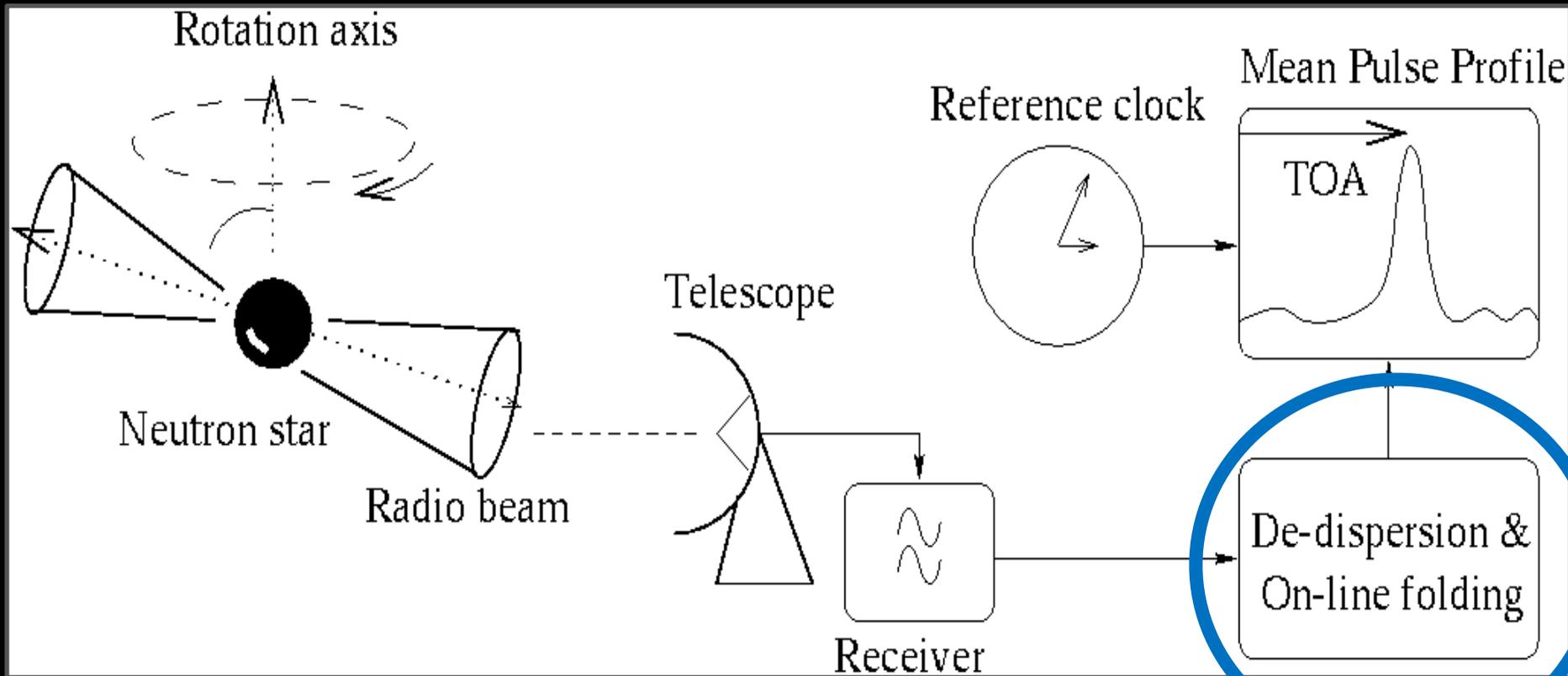


digitization @ 1 or 2 or 4 or 8 or 16 bits

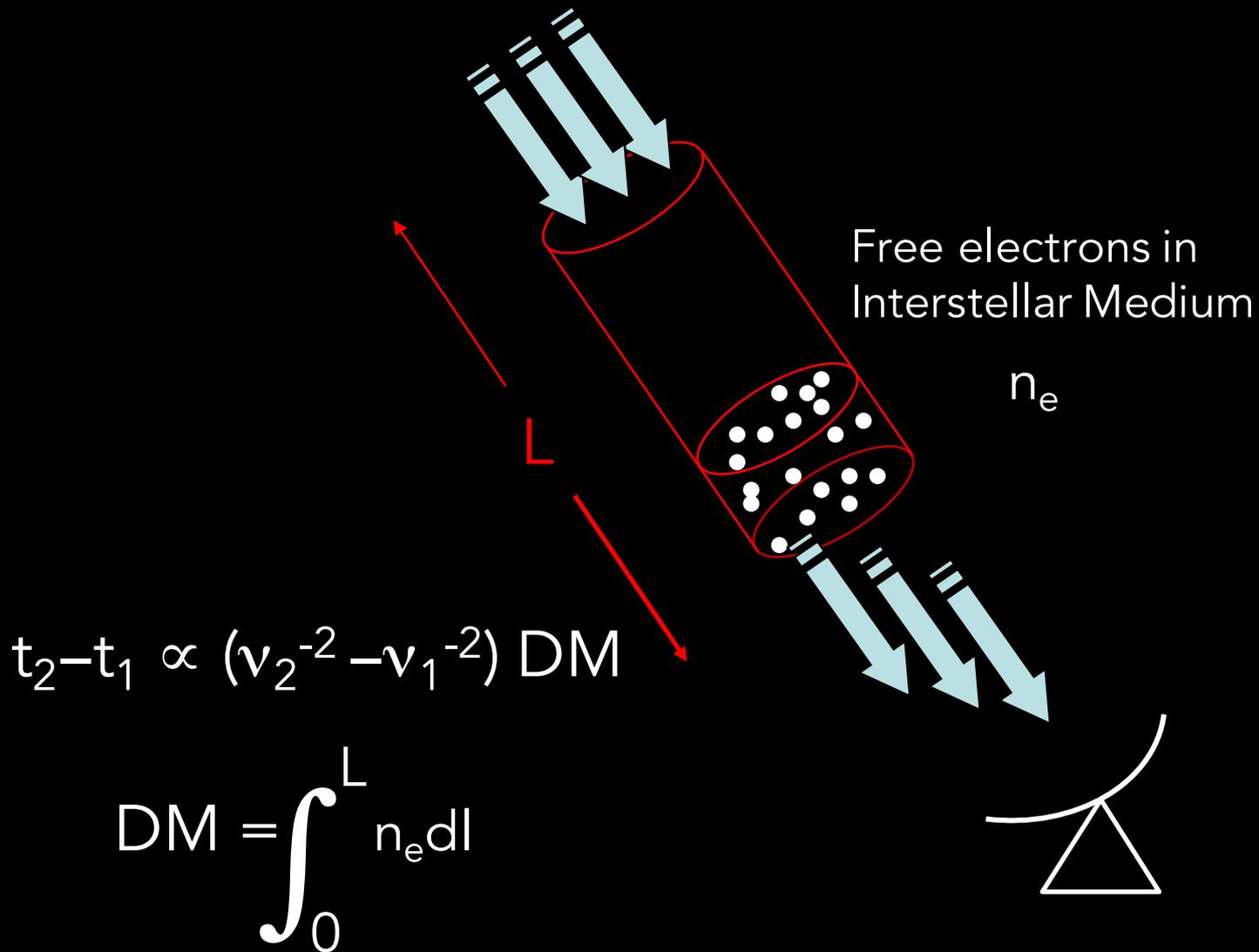


07346100374221775320153201532110233030367162

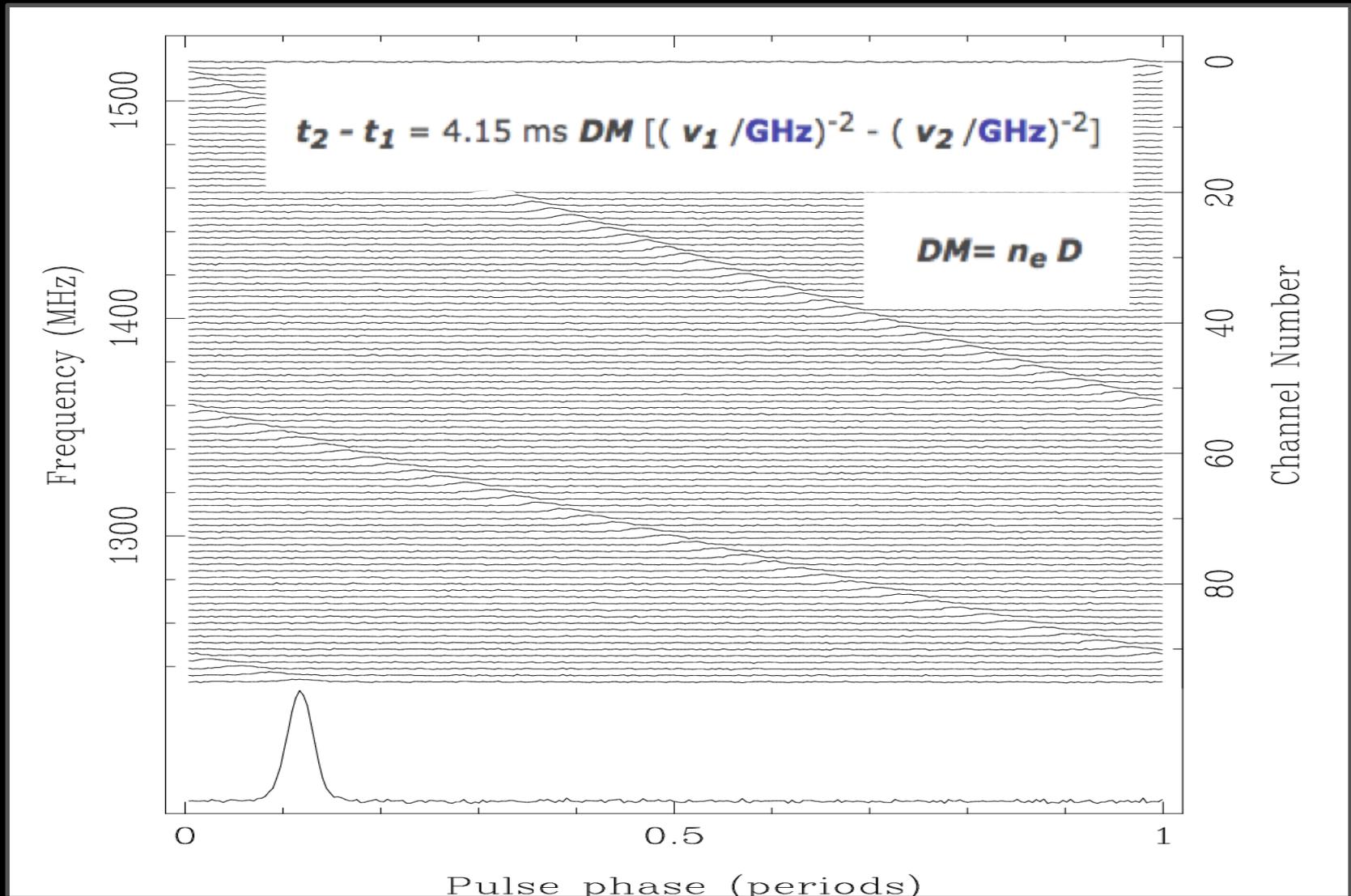
The great potential of pulsar timing



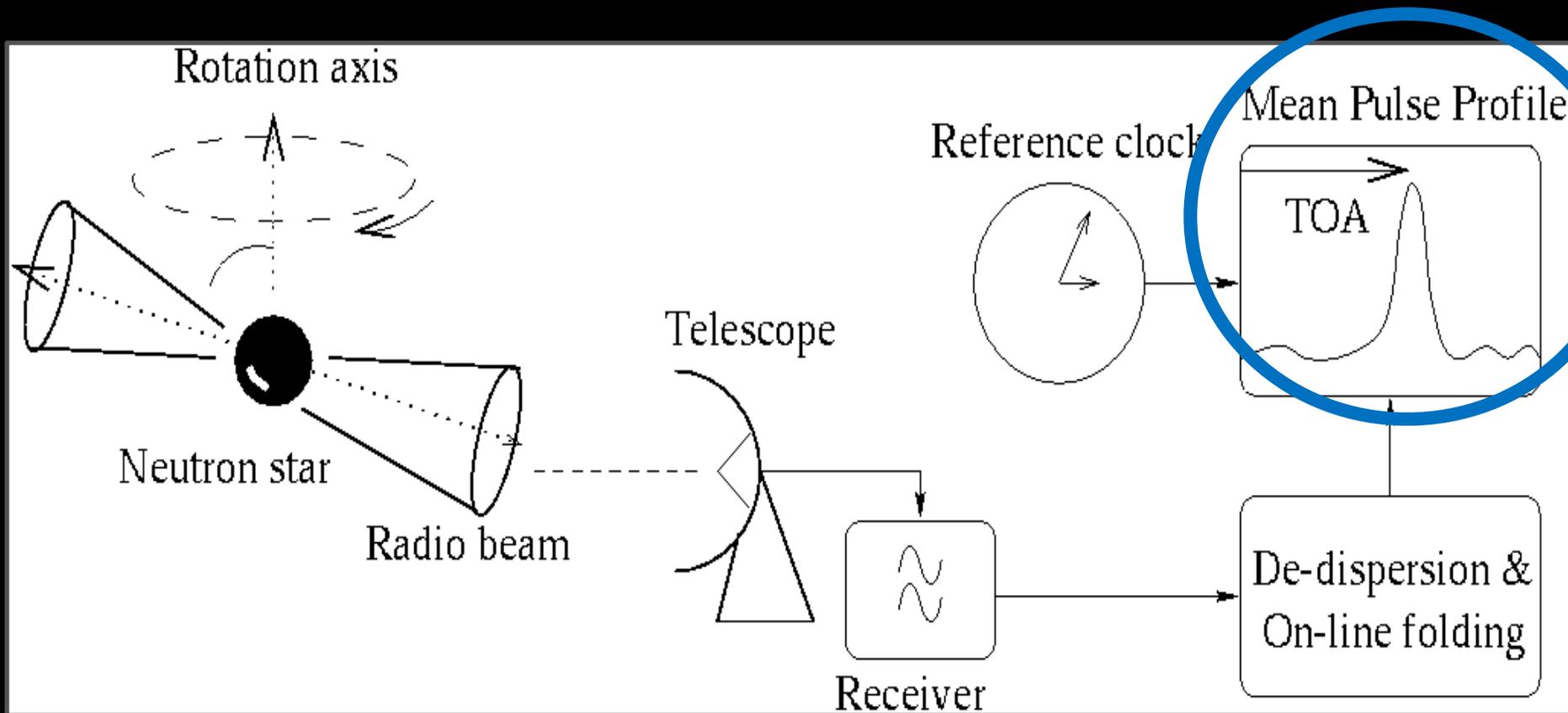
Dispersion of the radio waves due to scattering



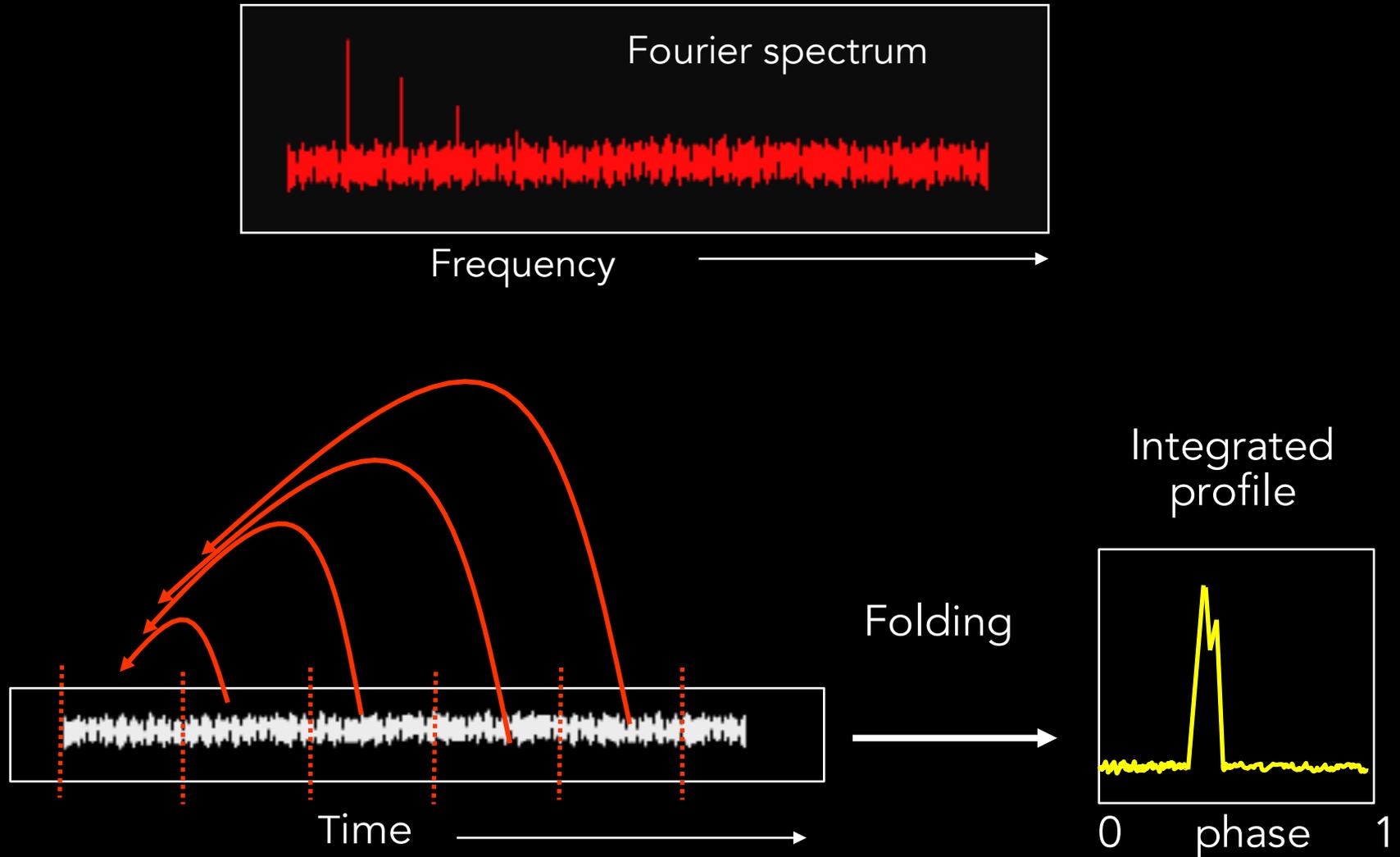
De-dispersion of the pulsar time series



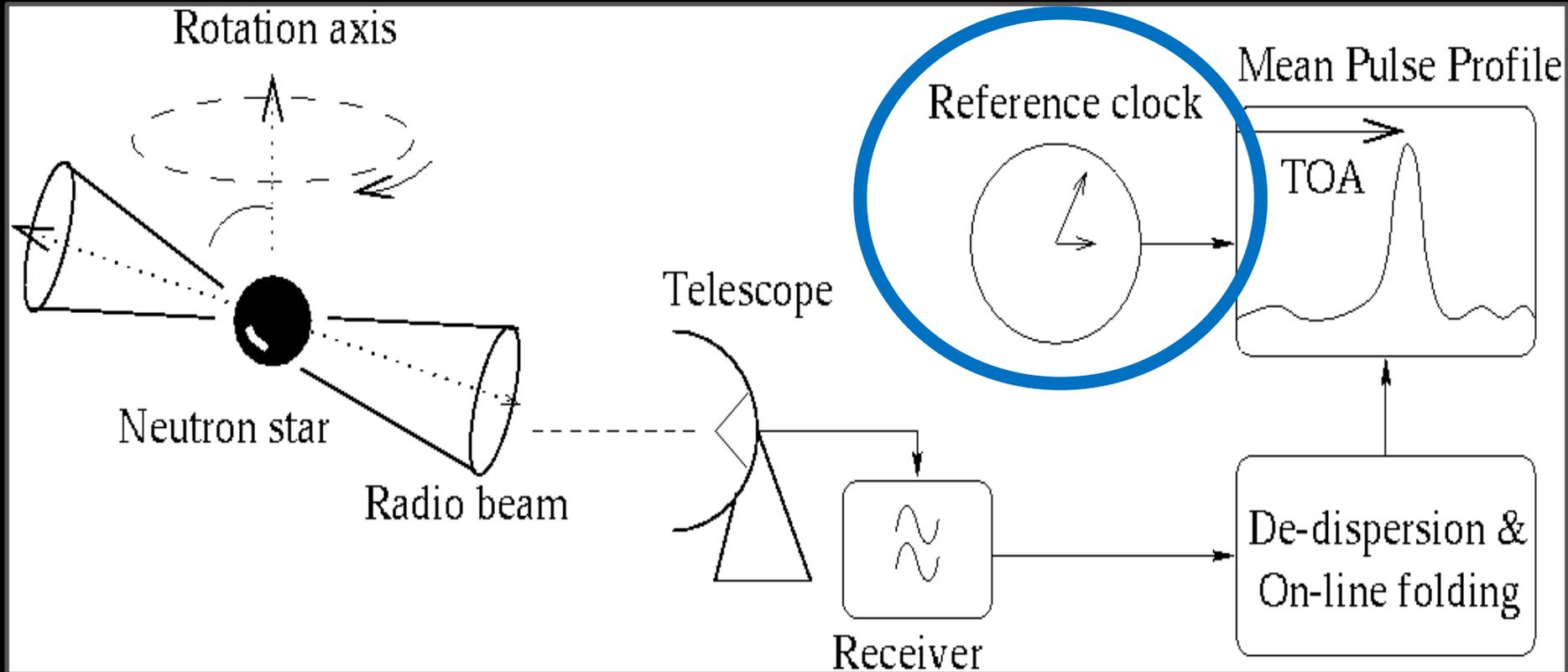
The great potential of pulsar timing



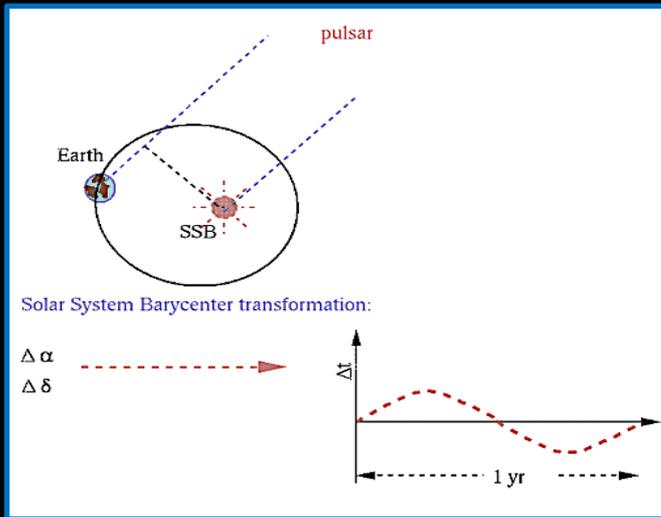
Period search and folding of the pulsar time series



The great potential of pulsar timing



Pulsar times should be reported to a stable reference clock: the Solar System Barycenter (SSB)



- t_{SSB} : Time calculated at the Solar System Barycenter
- t_{obs} : Time measure at the Radio Antenna
- t_{clk} : Observatory clock correction, usually via GPS
- D/f^2 : Dispersion Measure term
- Δ_R : Roemer delay (propagation) to SSB
- Δ_S : Shapiro delay in Solar-System
- Δ_E : Einstein delay at Earth

$$t_{SSB} = t_{obs} + t_{clk} - D/f^2 + \Delta_R + \Delta_S + \Delta_E$$

Pulsar times should be reported to a stable reference clock: the Solar System Barycenter (SSB)

$$t_{\text{SSB}} = t_{\text{obs}} + t_{\text{clk}} - D/f^2 + \Delta_R + \Delta_S + \Delta_E$$

$$D/f^2 = [DM / (2.41 \cdot 10^{-16}) \text{ s}] / f^2$$

Dispersion measure correction

$$\Delta_R = \frac{(\vec{r} \cdot \vec{n})}{c} + \frac{(\vec{r} \cdot \vec{n})^2 - |\vec{r}|^2}{2cd}$$

Earth path around the Sun with respect to the pulsar

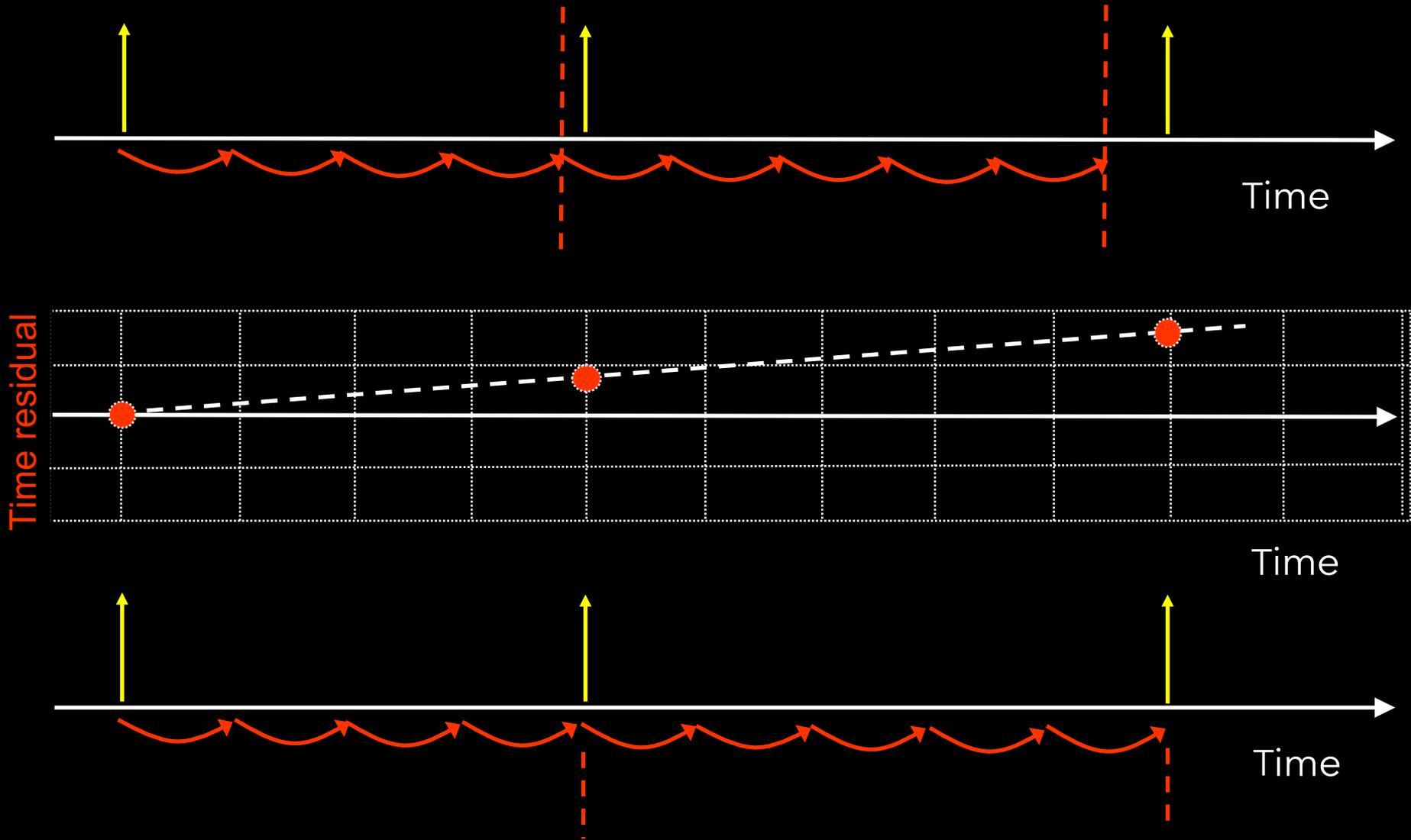
$$\Delta_S = -2 T_{\text{sun}} \log_{10}(1 + \cos \theta)$$

Solar gravitational dwell changes wave paths.

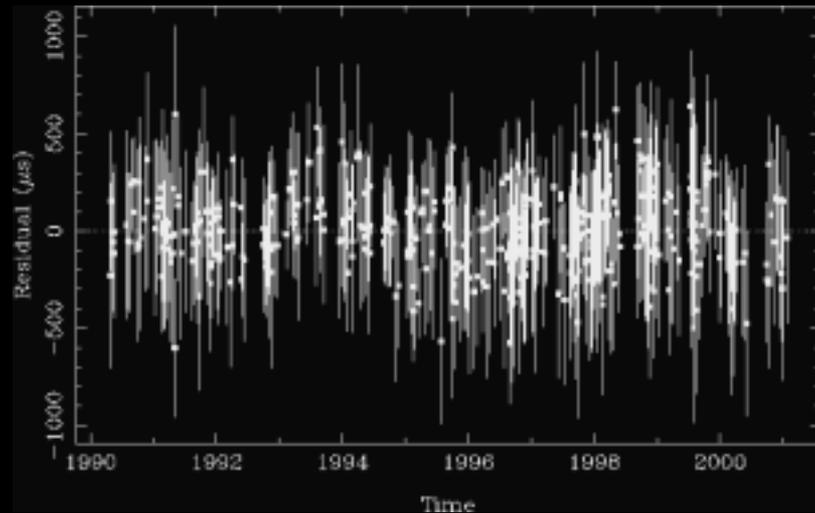
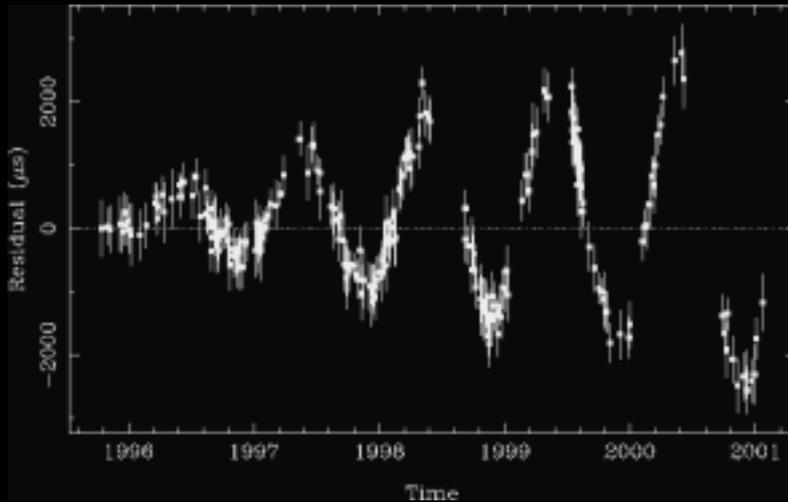
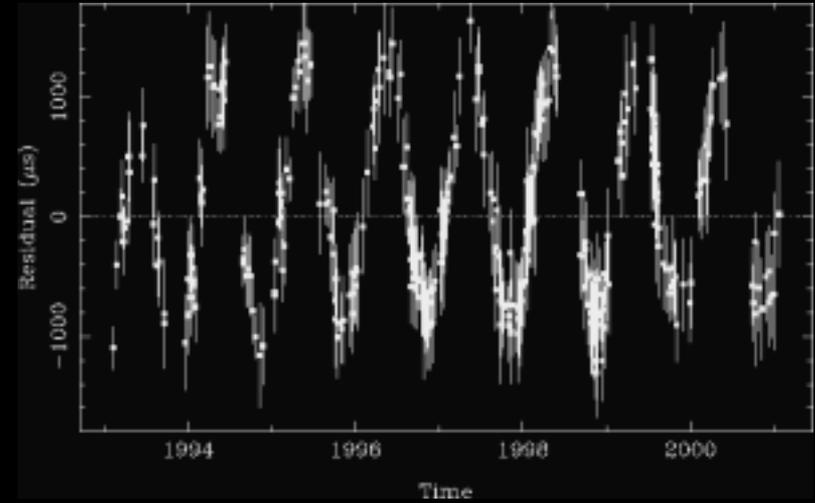
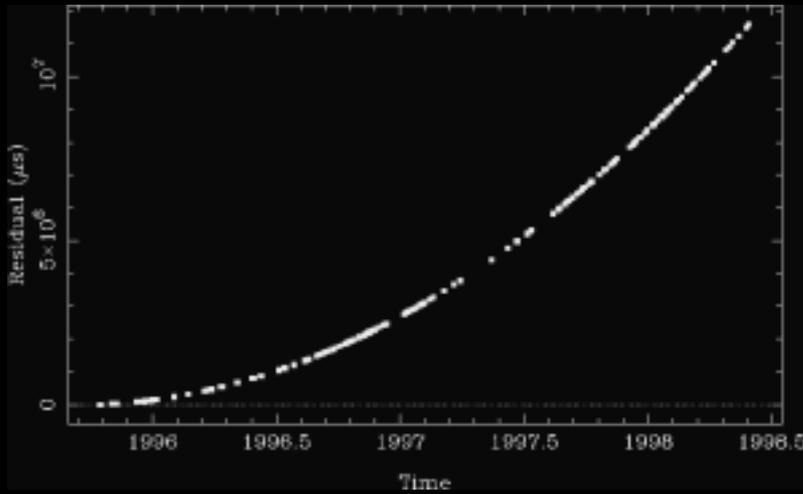
$$\frac{d\Delta_E}{dt} = \sum_i \left(\frac{G m_i}{c^2 r_i} \right) + \frac{(v_{\text{Earth-SSB}})^2}{2c^2}$$

Gravity of other planets. This is where we can measure planet masses.

Pulsar Timing modelling can now start...

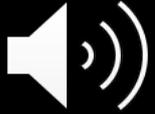


Pulsar Timing modelling can now start...

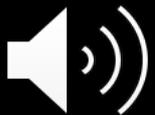


- Spin parameters: period, first derivative, second derivative...
- Astrometric parameters: position, proper motion, parallax

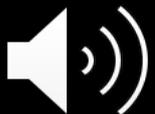
Pulsar Sound



PSR B0833-45 (Vela Pulsar): rotating with a period of 89 milliseconds or about 11 times a second



PSR B0531+21 (Crab Pulsar): rotating with a period of 33 milliseconds or about 30 times a second

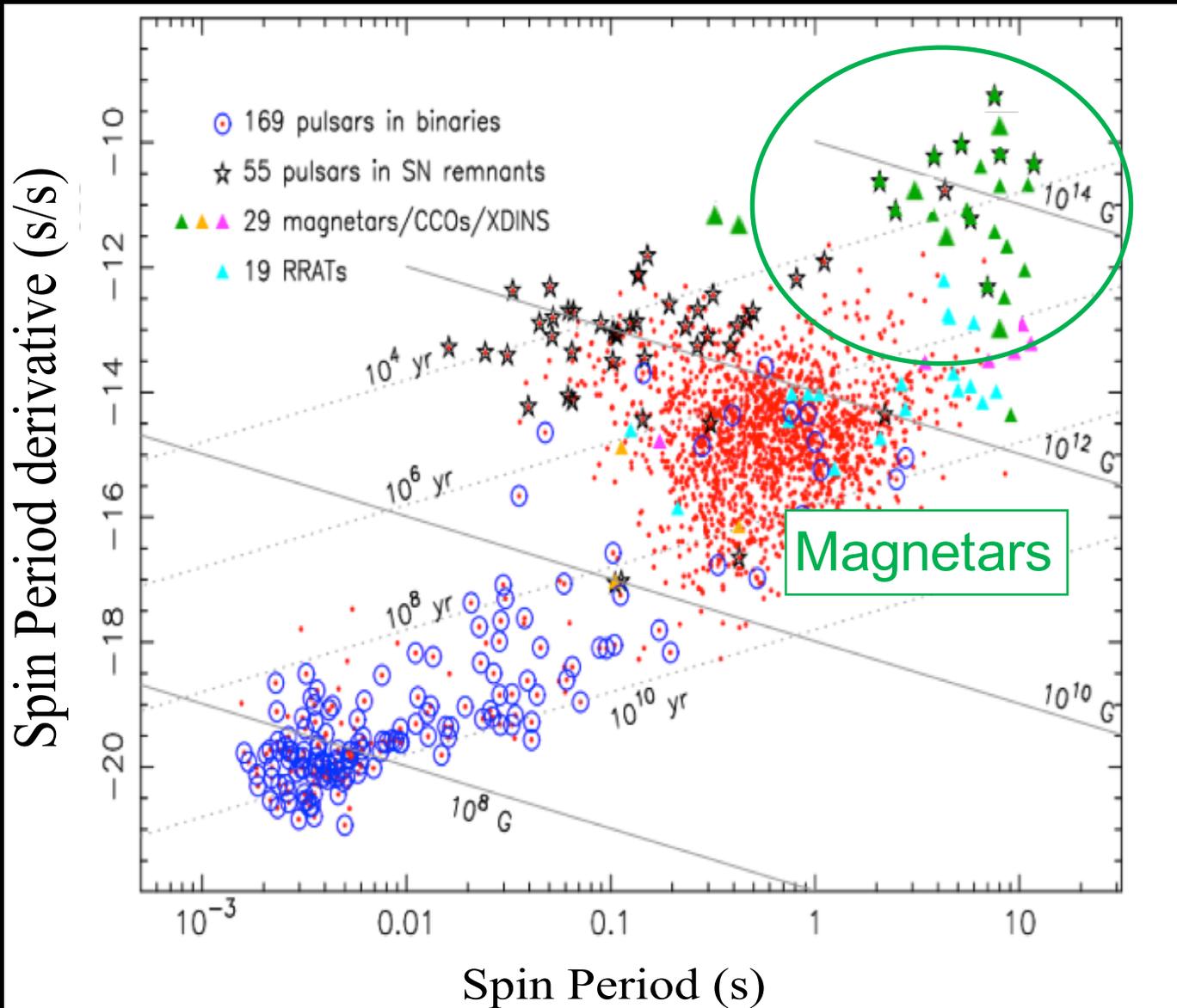


PSR J0437-4715: binary system with a pulsar rotating about 174 times a second

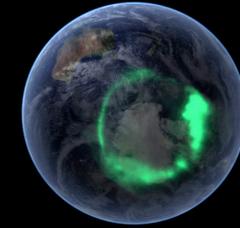


PSR B1937+21 (the F flat pulsar): rotating at 0.00155780644887275 seconds, or about 642 times a second

Pulsar Bestiary



Magnetars



1 G – The Earth magnetic field measured at the North pole

100 G – A common hand-held magnet like used to stick papers on a refrigerator



10^4 G – The magnetic field used for an MRI in the hospitals



10^7 G – The strongest man-made field ever achieved, made using focussed explosive charges, lasting only 4-8 s



10^{12} G – Typical neutron star magnetic fields

4.4×10^{13} G – Electron critical magnetic field

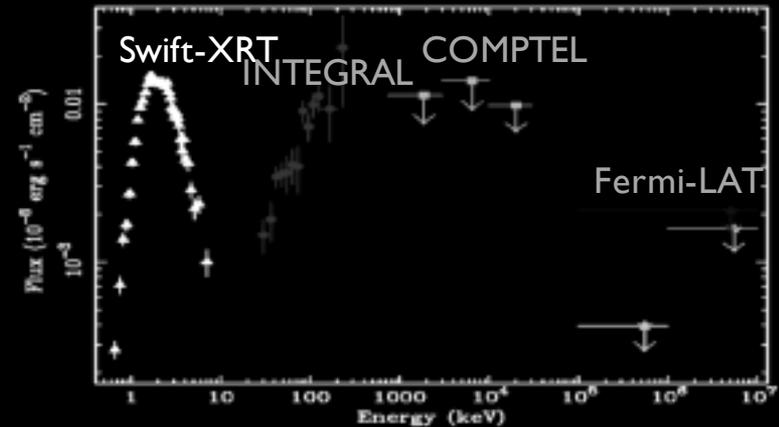
$10^{14} - 10^{15}$ G: Magnetars overtake this limit...



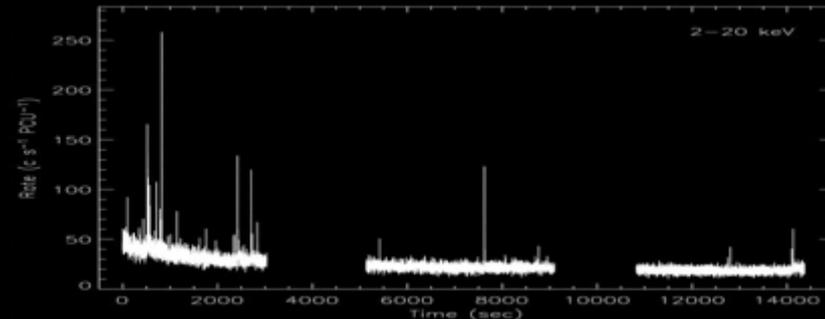
Magnetars

- About 25 X-ray pulsars with $L_x \sim 10^{33} - 10^{36} \text{ erg s}^{-1}$
- X-ray luminosity generally larger than the rotational energy loss rate
- soft and hard X-ray emission (0.5-200 keV); thermal + non-thermal spectrum
- persistent or transients
- rotating with $P \sim 0.3 - 12 \text{ s}$
- magnetic fields of $B \sim 10^{13} - 10^{15} \text{ Gauss}$
- flaring activity in soft gamma-rays ($0.01 - 10^2 \text{ s}$; $L_x \sim 10^{39} - 10^{47} \text{ erg s}^{-1}$)
- faint infrared/optical emission
- transient radio emission (in 4 cases)

Abdo et al. 2010

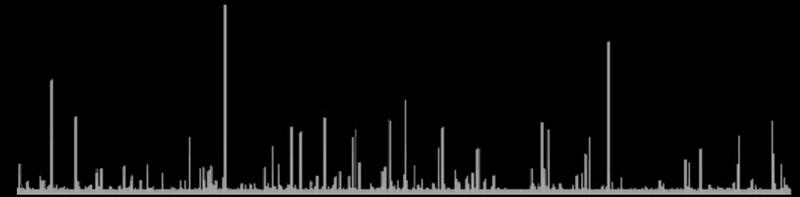


Kaspi et al. 2003



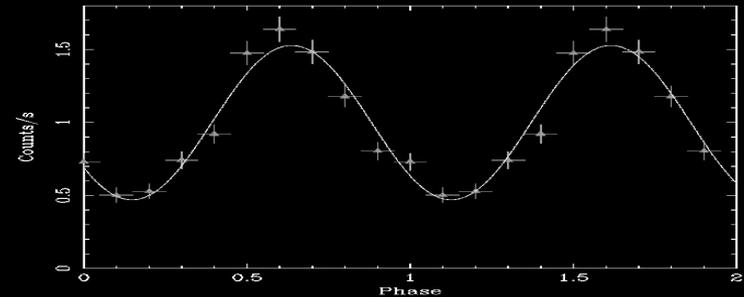
How do we discover new magnetars?

Short X/gamma-ray bursts (at the beginning thought to be GRBs)



Soft Gamma Repeaters

Bright X-ray pulsars with 0.5-10keV spectra modelled by a thermal plus a non-thermal component



Anomalous X-ray Pulsars

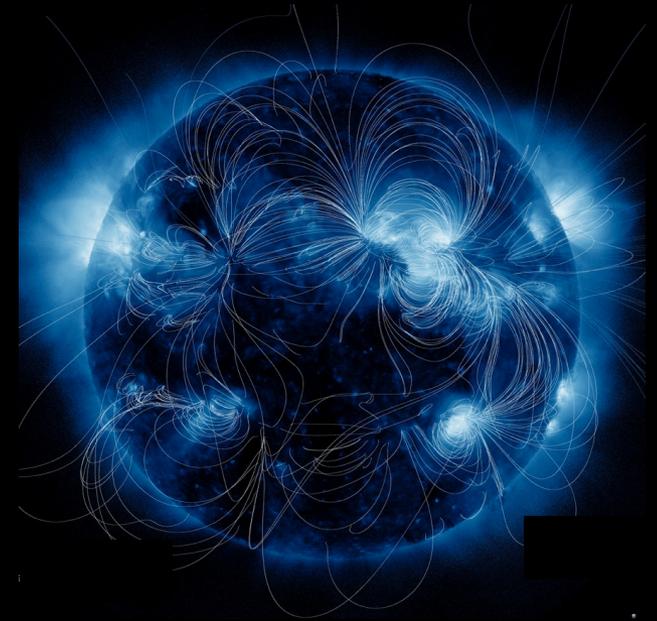
Bright X-ray transients!



Transients magnetars

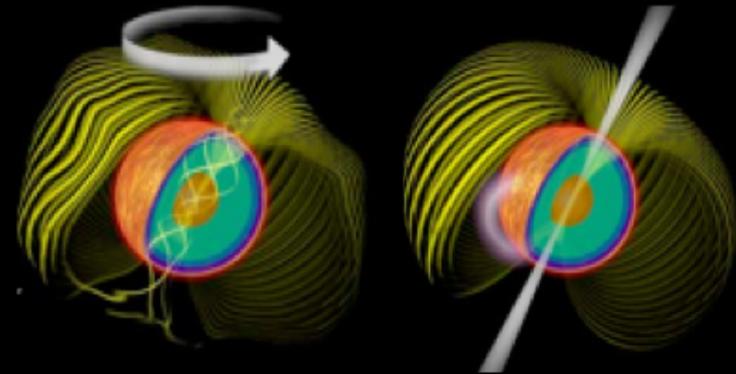
Magnetars

- magnetars have highly twisted and complex magnetic field morphologies, both inside and outside the star.
- magnetar magnetospheres are filled by charged particles trapped in the twisted field lines, interacting with the surface thermal emission through resonant cyclotron scattering.
- twisted magnetic fields might locally (or globally) stress the crust (either from the inside or from the outside). Plastic motions and/or returning currents convert into crustal heating causing large outbursts.



Magnetars

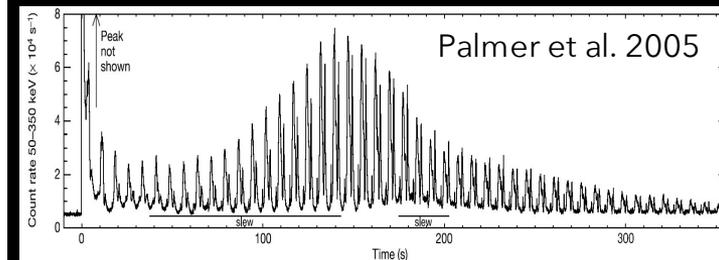
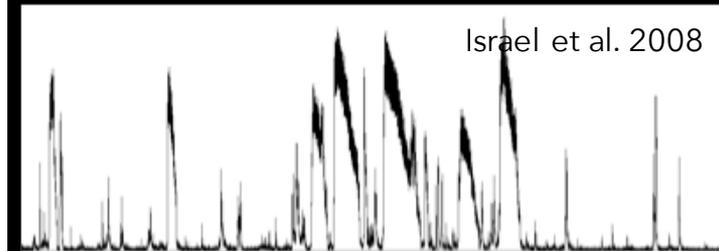
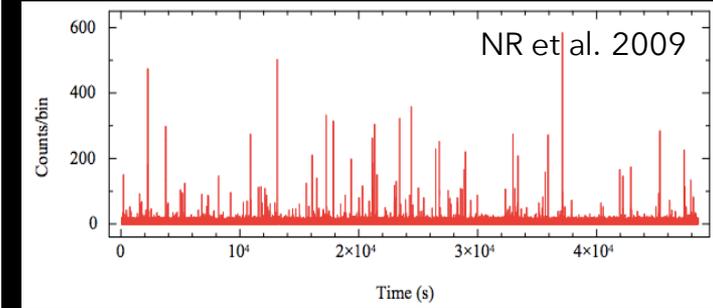
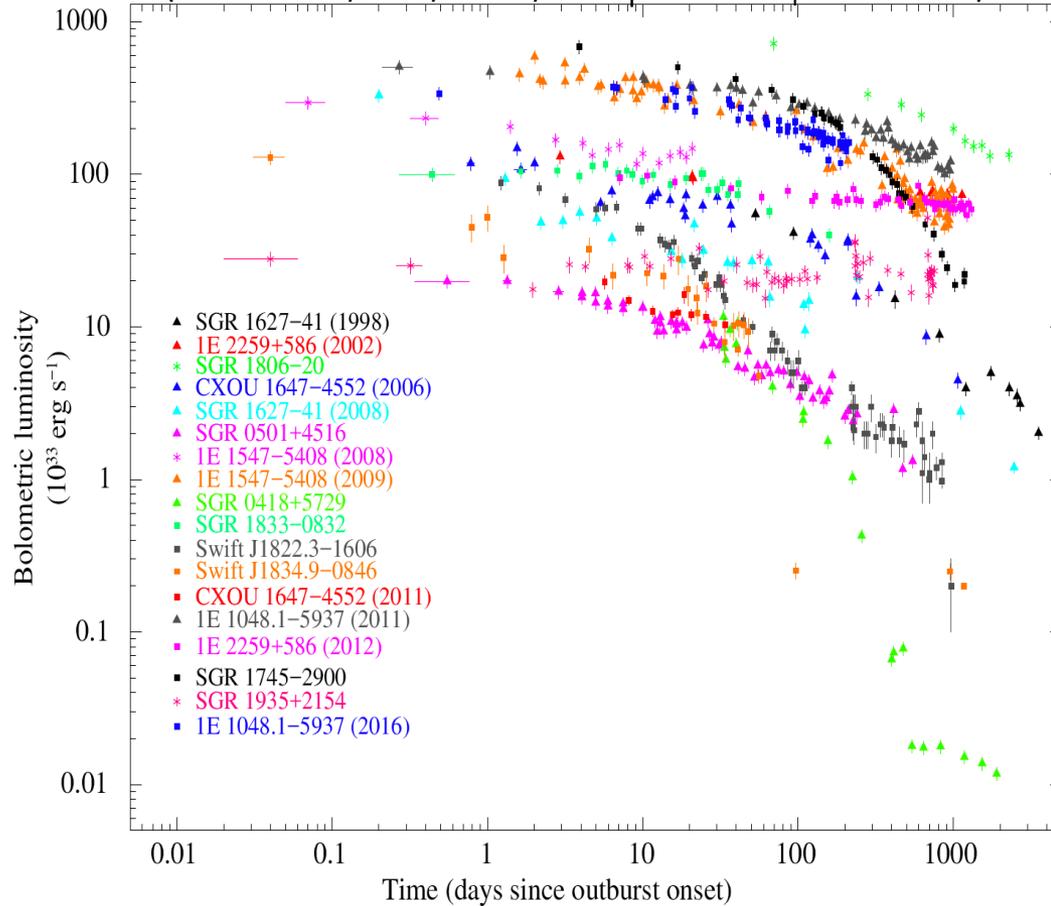
Normal Pulsars



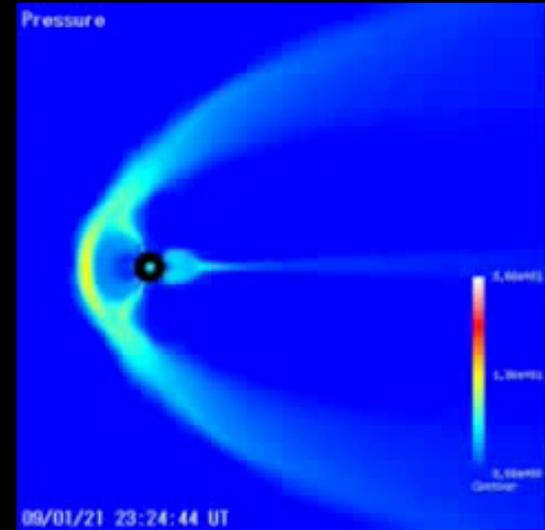
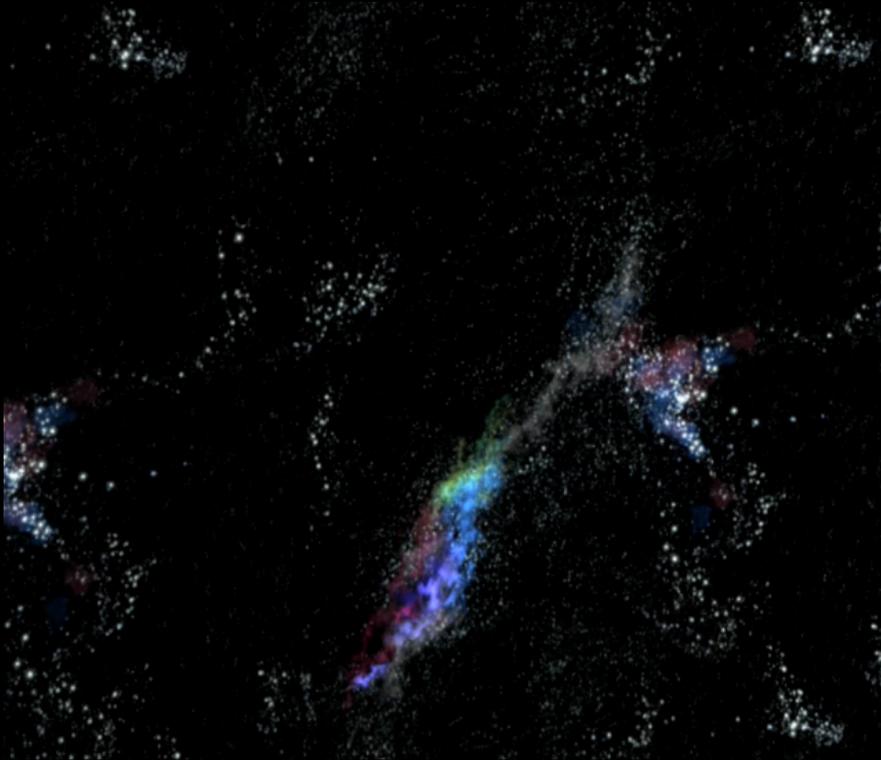
(Rea & Esposito 2011; Kaspi & Beloborodov 2017)

Magnetars' flaring activity

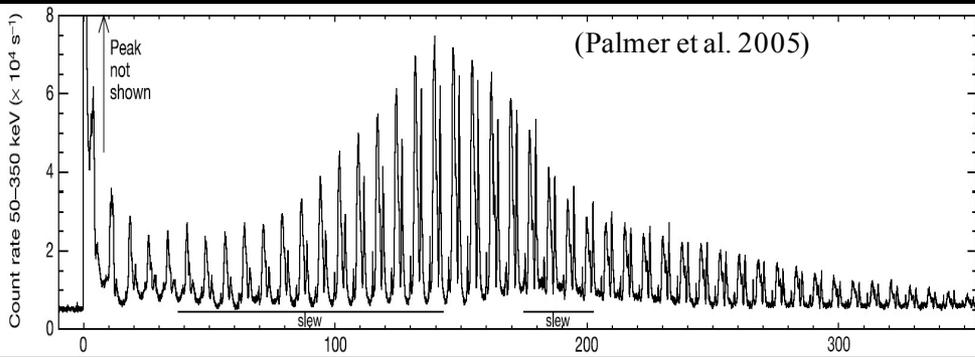
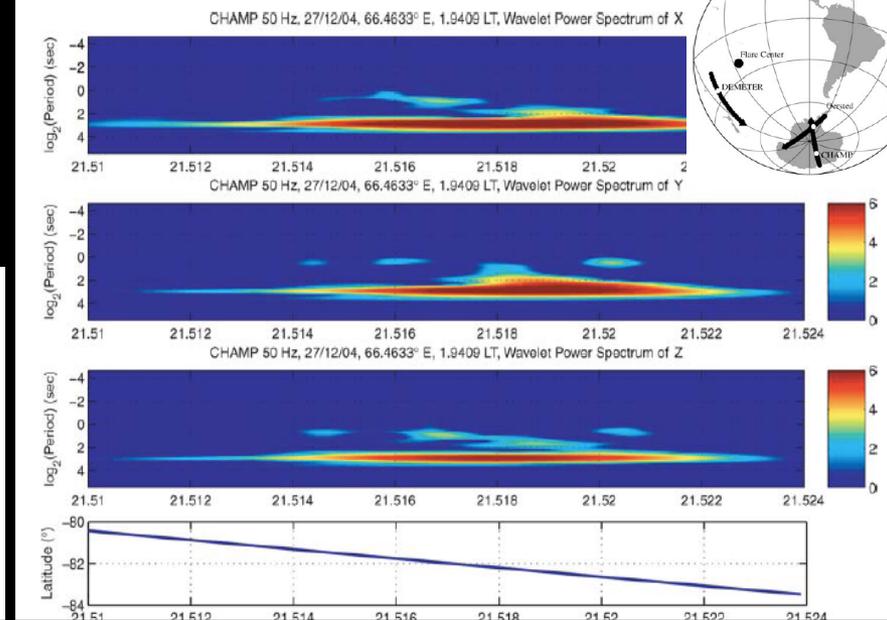
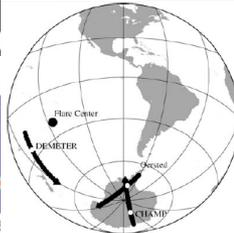
(Coti Zelati, Rea, Pons, Campana & Esposito 2017)



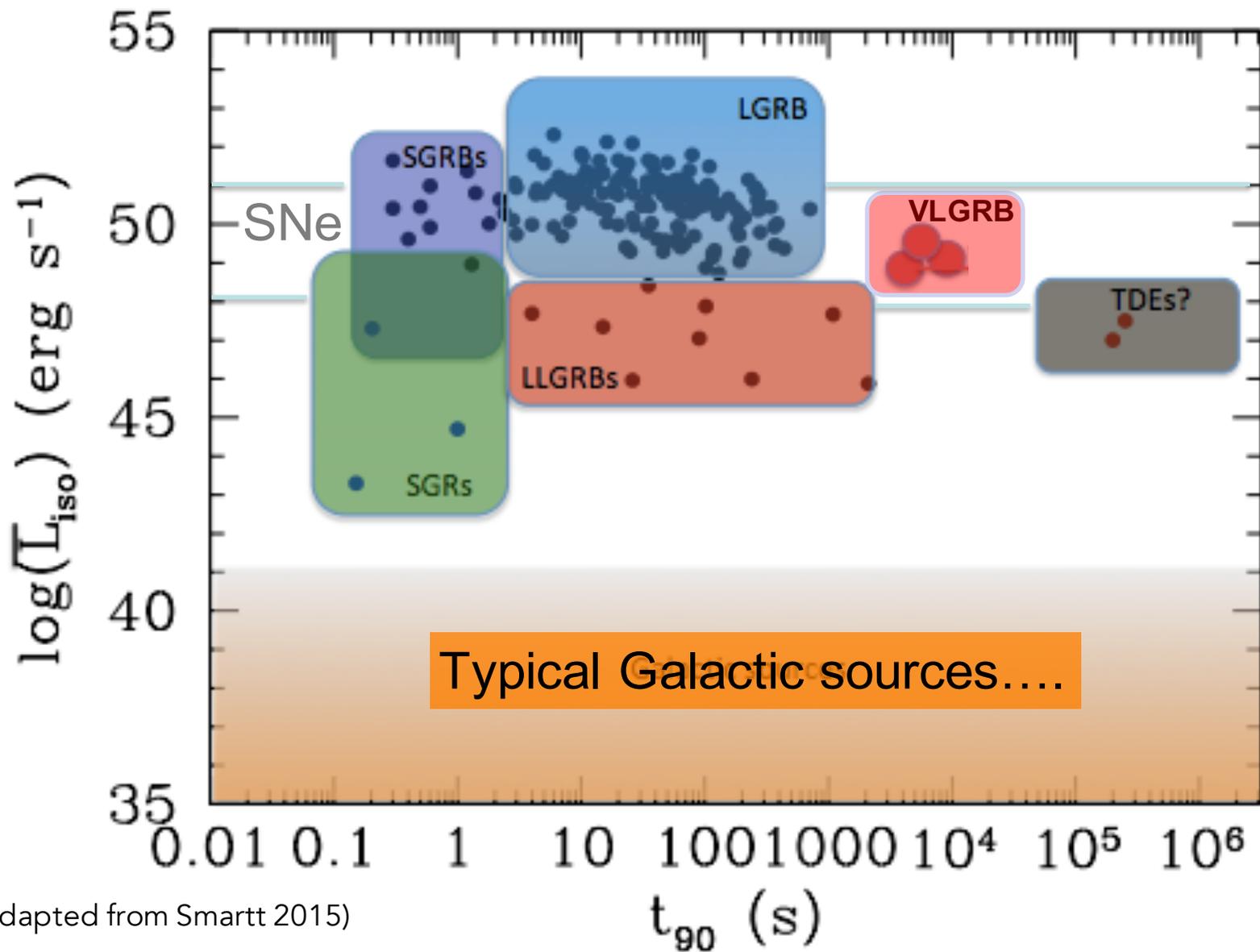
Magnetar giant flares: the Earth perspective



(Manda & Balais 2006, Geophysical Journal)

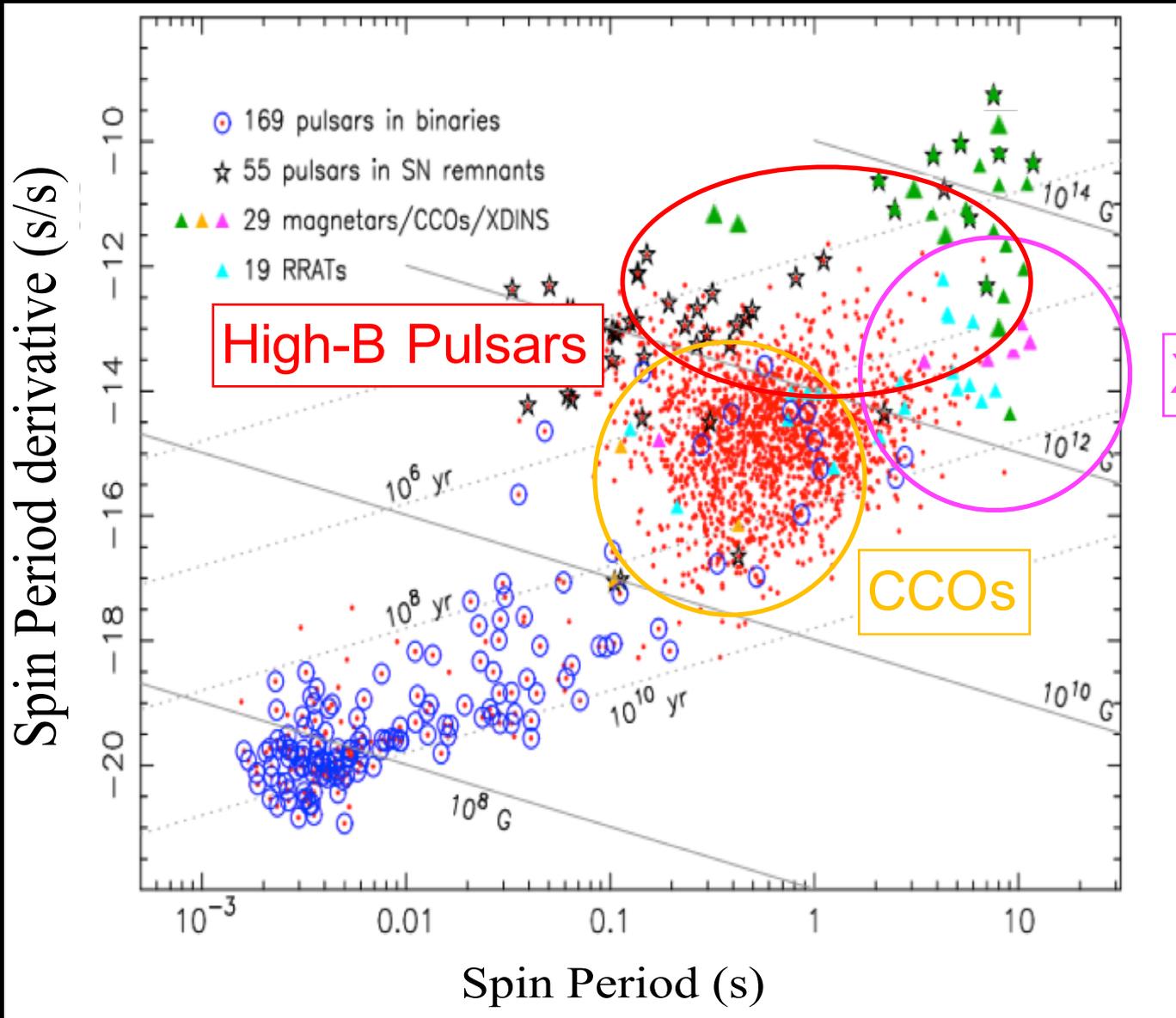


Comparison with other energetic transients

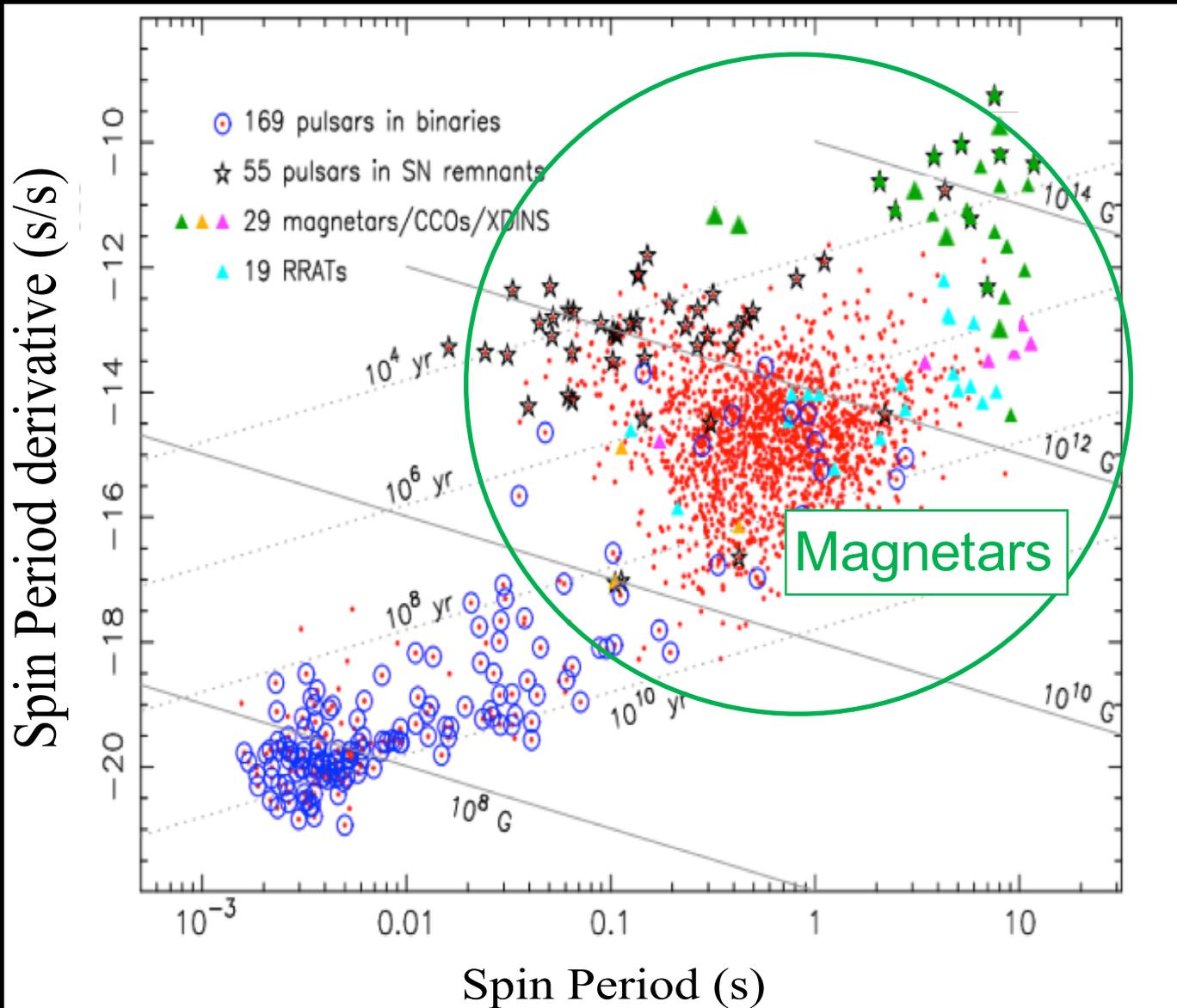


(adapted from Smartt 2015)

Pulsar Bestiary



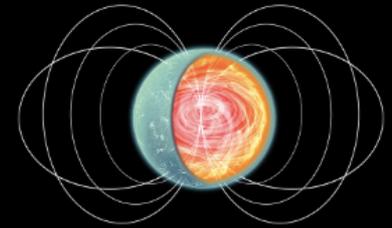
Pulsar Bestiary



Other Magnetar-like sources

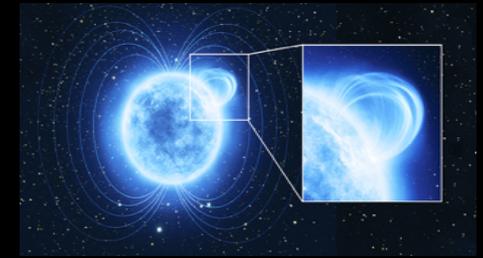
1. Magnetars were discovered having also low dipolar B-fields and strong magnetic structures.

(Rea et al. 2010, 2012, 2014, Tiengo et al. 2013)



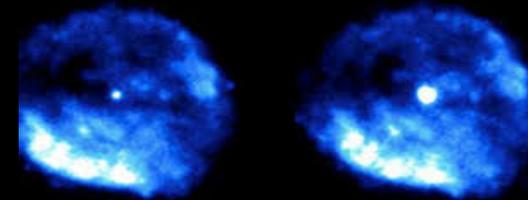
2. Two X-ray Dim Isolated NSs show evidence of strong magnetic structures

(Borghese et al. 2015, 2017)



3. A central compact object (CCO) with a 6.4hr period showed magnetar-like activity.

(Rea et al. 2016; D’Ai et al. 2016)

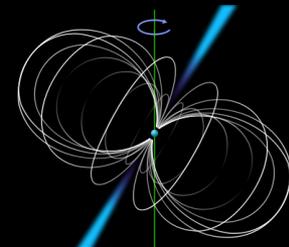


quiescence

outburst

4. Two young rotational powered pulsars showed magnetar activity.

(Gavriil et al. 2008; Kumar & Safi-Harb, 2008; Archibald et al. 2016, Gogus et al. 2016)



Magnetic field evolution in neutron stars

We need to solve the thermal and magnetic evolution of a neutron star over $> \text{Myr}$ timescales...

Thermal evolution: energy balance equation

Specific heat Thermal conductivity Neutrino emissivity

$$C_v e^{\Phi(r)} \frac{\partial T}{\partial t} + \vec{\nabla} \cdot (-\hat{\kappa} \cdot \vec{\nabla} (e^{\Phi(r)} T)) = e^{2\Phi(r)} Q$$

Magnetic evolution: Hall induction equation

$$\frac{\partial \mathbf{B}}{\partial t} = -\nabla \times \left\{ \eta \nabla \times (e^\nu \mathbf{B}) + \frac{c}{4\pi e n_e} [\nabla \times (e^\nu \mathbf{B})] \times \mathbf{B} \right\}$$

Hall induction

Electrical resistivity: strongly depends on T

(Aguilera et al. 2008; Pons et al. 2009; Vigano', NR, Pons, Perna, Aguilera & Miralles 2013)

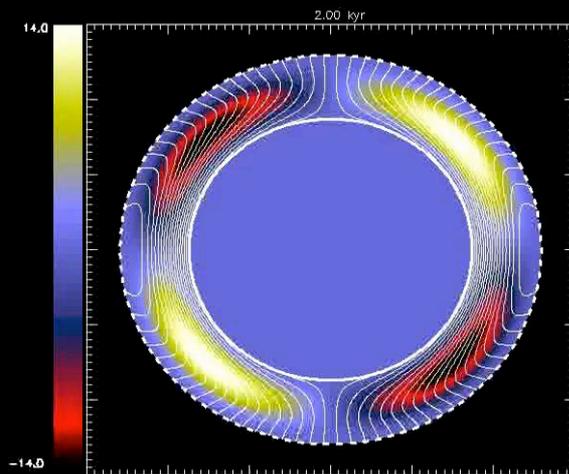
Strong non-dipolar fields are expected in all NSs

Relatively Magnetic Pulsar

Initial conditions:

$B_{\text{dip}} \sim 10^{13}$ G (white lines)

$B_{\text{int}} \sim 10^{14}$ G (colors)

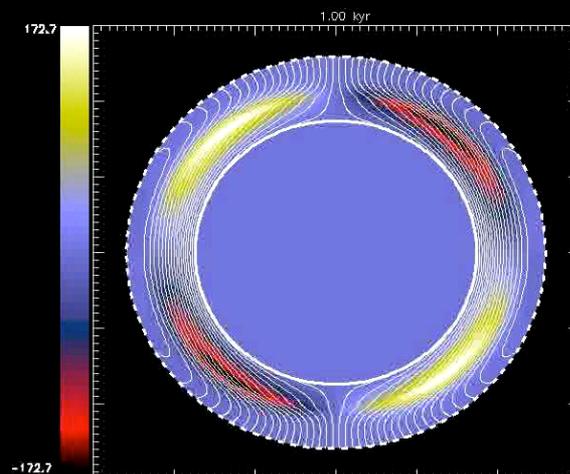


Very Magnetic Pulsar

Initial conditions:

$B_{\text{dip}} \sim 10^{14}$ G (white lines)

$B_{\text{int}} \sim 10^{15}$ G (colors)

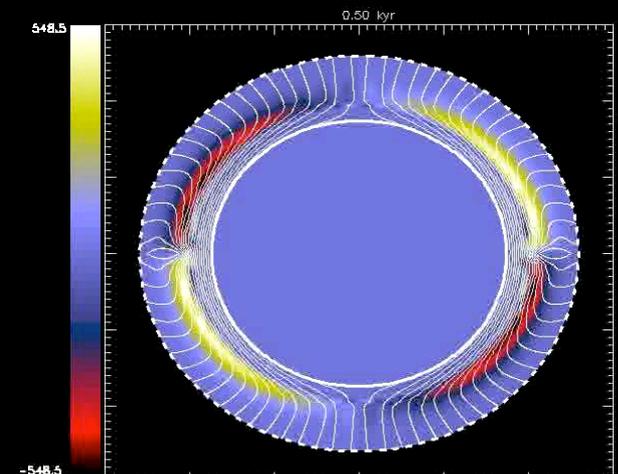


Extremely Magnetic Pulsar

Initial conditions:

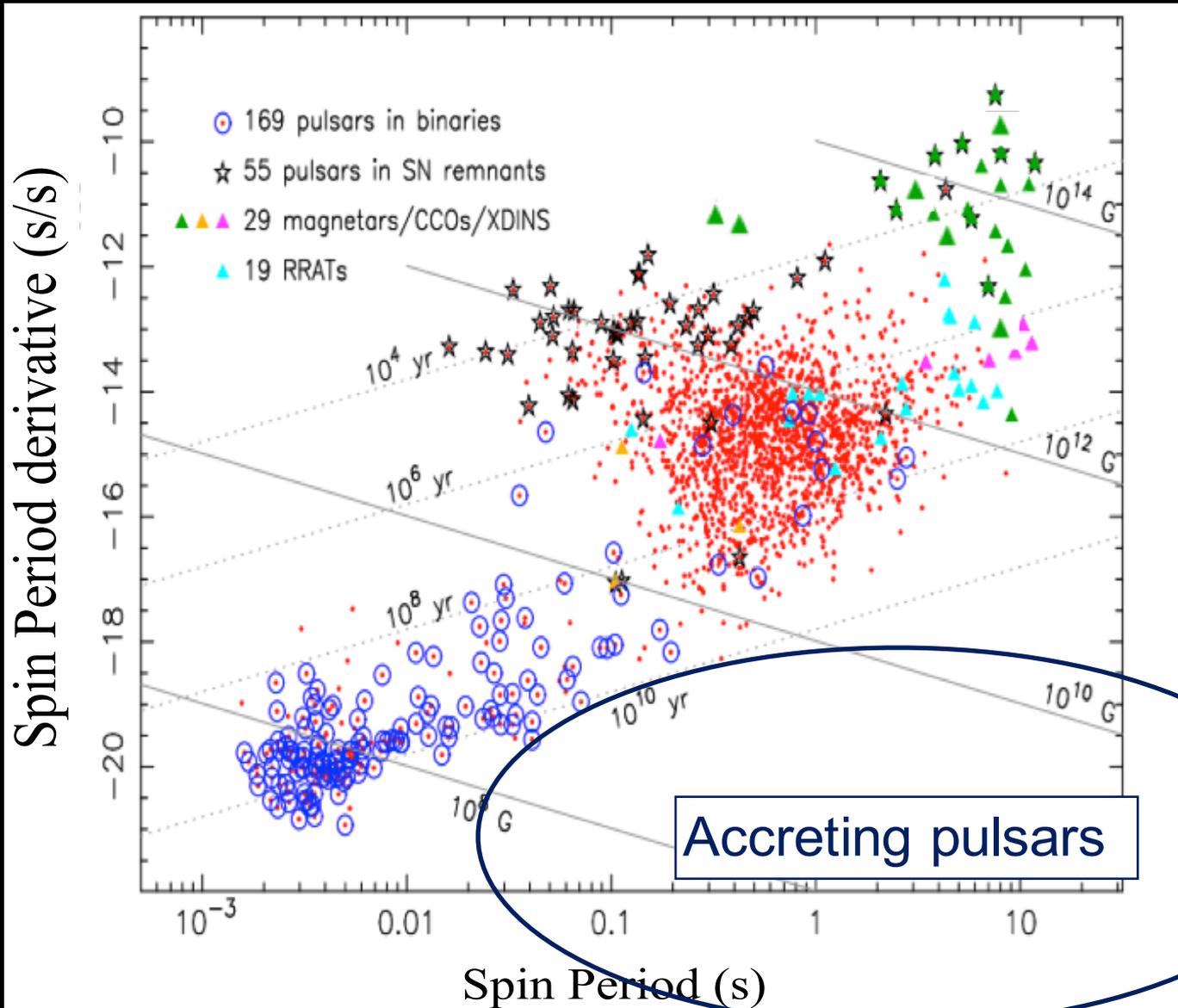
$B_{\text{dip}} \sim 10^{15}$ G (white lines)

$B_{\text{int}} \sim 10^{16}$ G (colors)

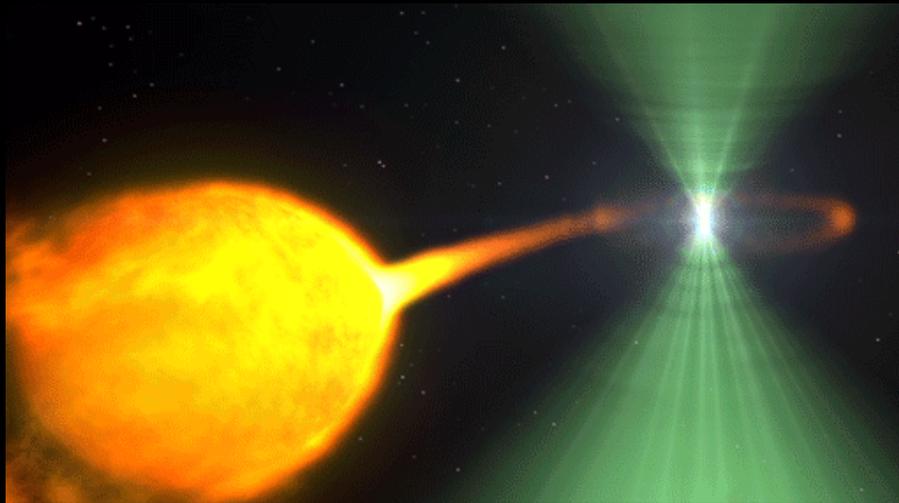
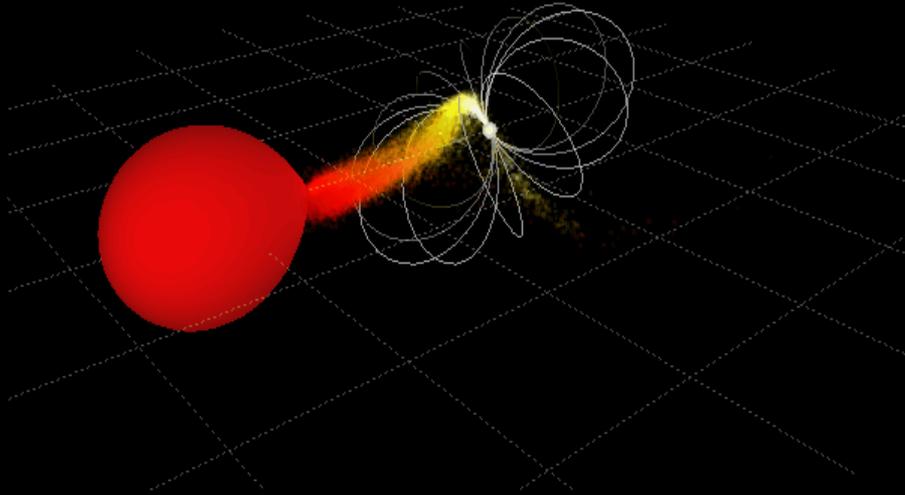


(Vigano', Rea, Pons, Perna, & Miralles 2013; Elfritz, Pons, Rea & Glampedakis 2017)

Pulsar Bestiary



Accreting neutron stars



Transitional systems

Pulsar accretion phases

Roughly speaking, X-rays arise from the release of gravitational potential energy as the accreting gas falls into the deep gravitational potential of the NS. e.g. A proton dropped radially onto a NS with $M=1.4M_{\odot}$ and $R=10\text{km}$, loses potential energy equal to:

$$\Delta U = \frac{GM_{ns}m_p}{R} = 195\text{MeV} \approx 0.21m_p c^2$$

The energy released by the gas infalling onto the NS surface goes in part to heat the stellar surface, and in part is re-emitted in the X-ray band.

Pulsar accretion phases

Neutron Star → {
Magnetic pressure:
repulsive
Gravitational force:
attractive
Centrifugal force:
repulsive

$$P_{magn} \propto \frac{B(r)^2}{8\pi}$$

$$F_{grav} \propto \frac{GMm}{r^2}$$

$$F_{cen} \propto m\Omega^2 r$$

Infalling matter → {
Ram pressure:
Depends on the
density of the matter
falling down onto the
neutron star

$$P_{ram} \propto \rho(r)v_{ff}^2(r)$$

Pulsar accretion phases

Magnetospheric radius: The magnetic pressure of the neutron star equals the ram pressure of the infalling material:

$$R_{magn} = \left(\frac{\mu^4}{2GM\dot{M}^2} \right)^{1/7}$$

$$\frac{B(r_m)^2}{8\pi} = \rho v_{ff}^2(r_m)$$

Corotation radius: At this radius the matter corotates with the star in keplerian motion: inside win the gravitational force and outside win the centrifugal repulsion:

$$R_{cor} = \left(\frac{GM\dot{M}^2}{4\pi^2} \right)^{1/3}$$

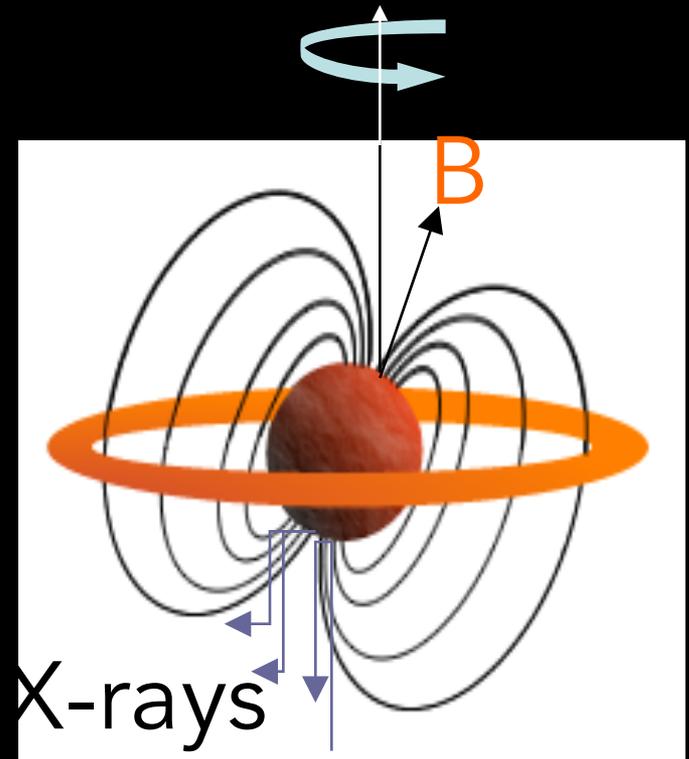
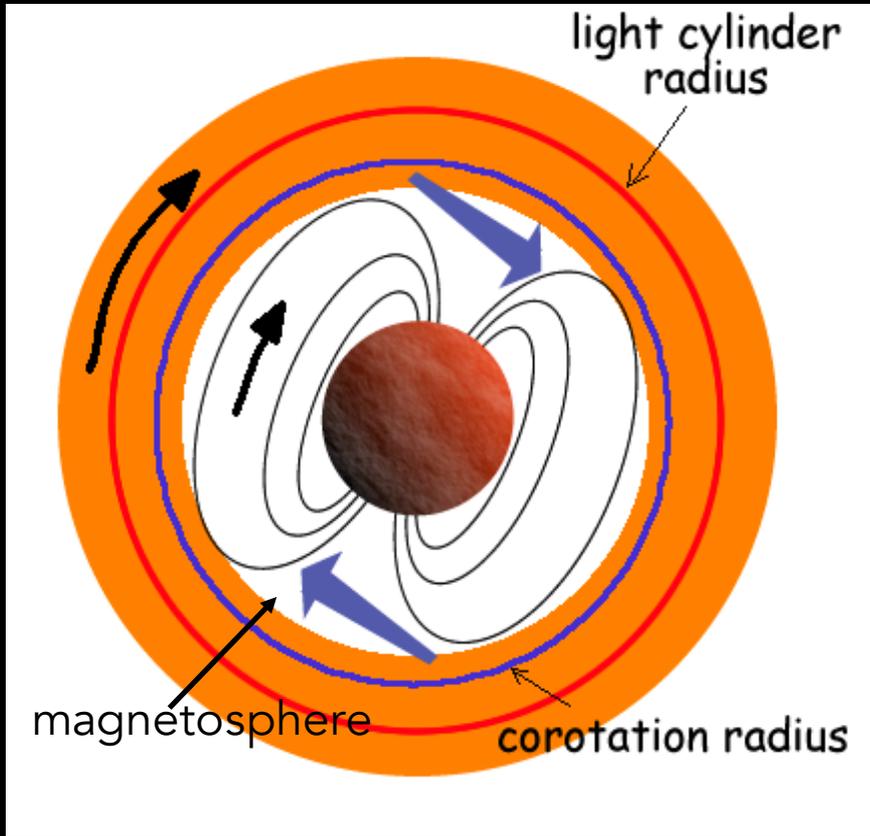
$$\frac{GMm}{r_{co}^2} = m\Omega^2 r_{co}$$

Light cylinder radius: The magnetic field lines break because the tangential velocity become greater than c:

$$R_{lc} = \frac{cP}{2\pi}$$

$$v_t = \Omega r_{lc} = c$$

Pulsar accretion phases



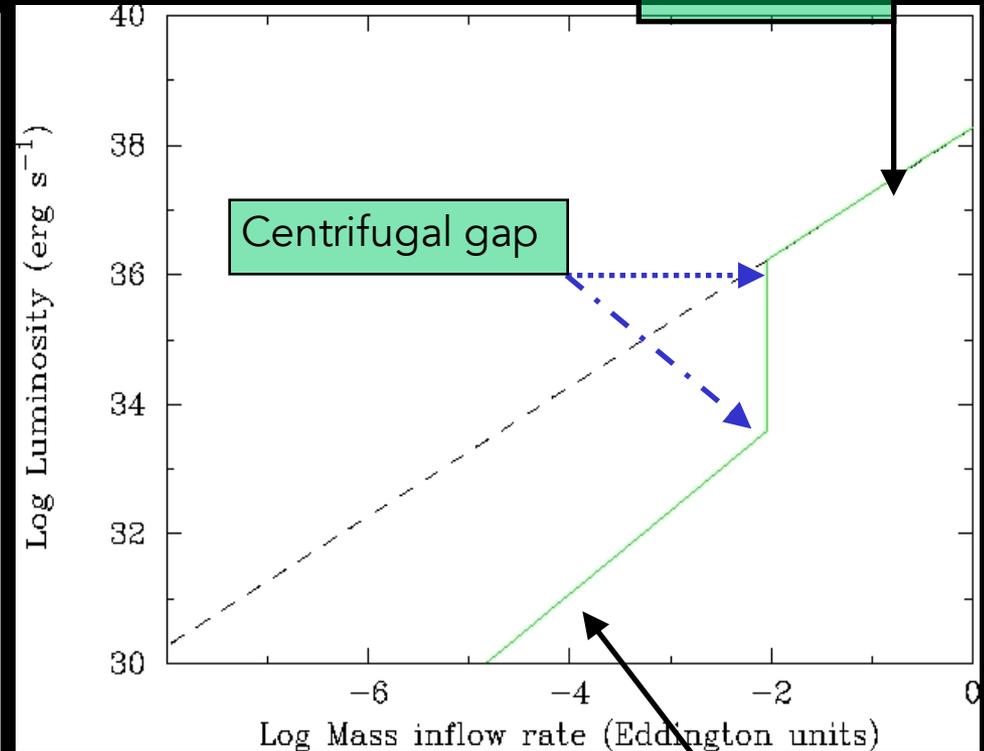
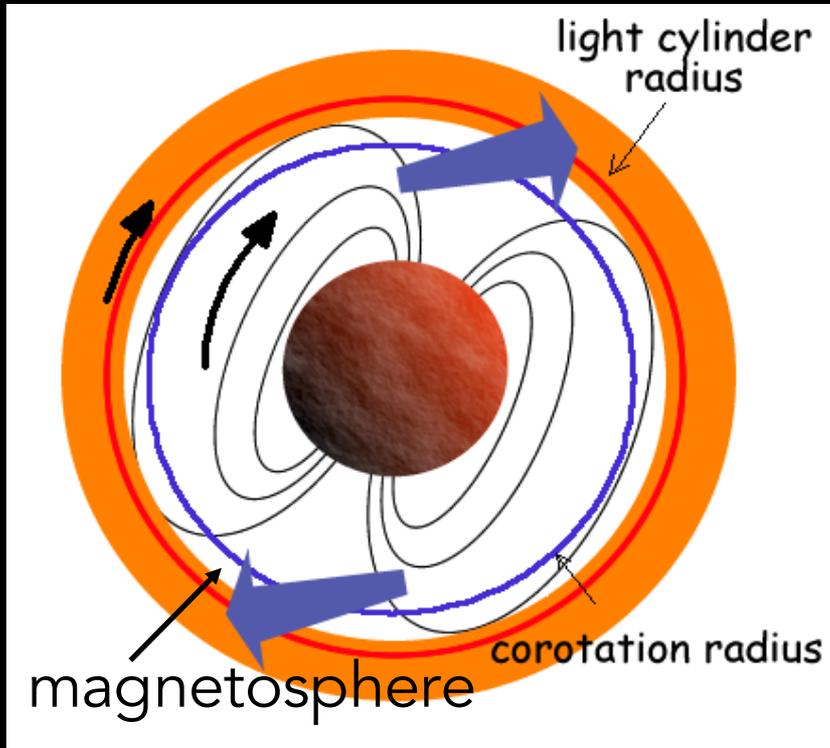
Part of the X-ray emission is modulated by the spin period: lighthouse effect

$$R(m) < R(\text{cor}) < R(\text{lc})$$

$$L_{\text{acc}} = \frac{GM \dot{M}}{R_*}$$

High \dot{M}

Pulsar accretion phases



$$R(\text{cor}) < R(\text{m}) < R(\text{lc})$$

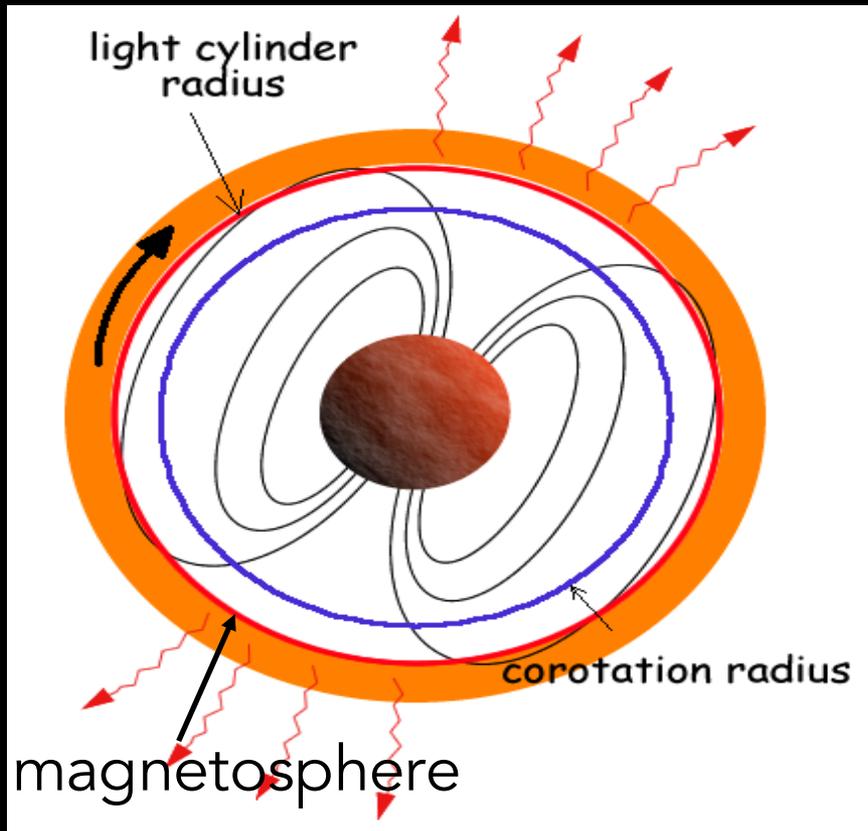
decrease \dot{M}

Propeller

$$L = G\dot{M}/r_m$$

$$\propto \dot{M}^{9/7}$$

Pulsar accretion phases

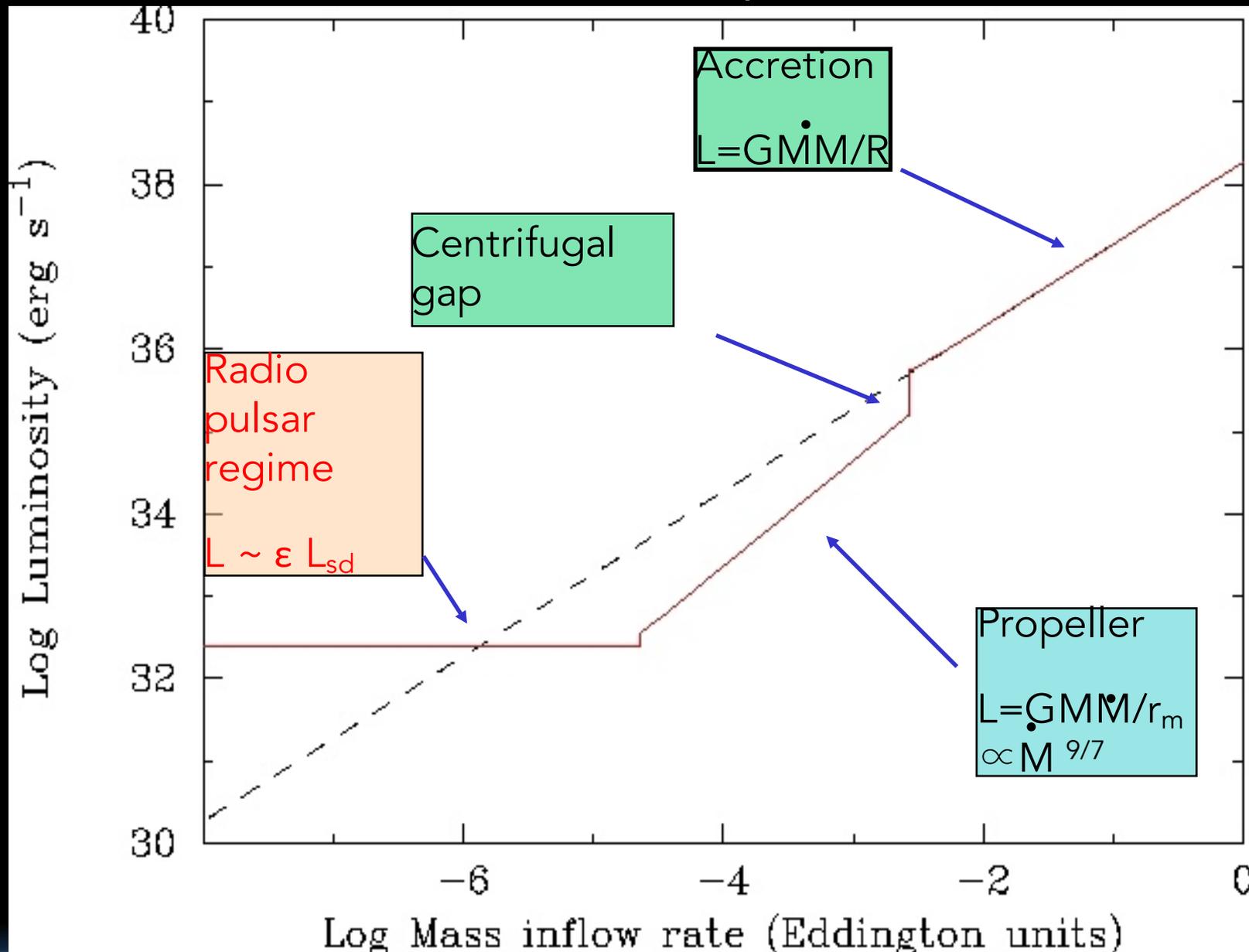


The centrifugal barrier is closed.
The matter cannot reach the NS surface.

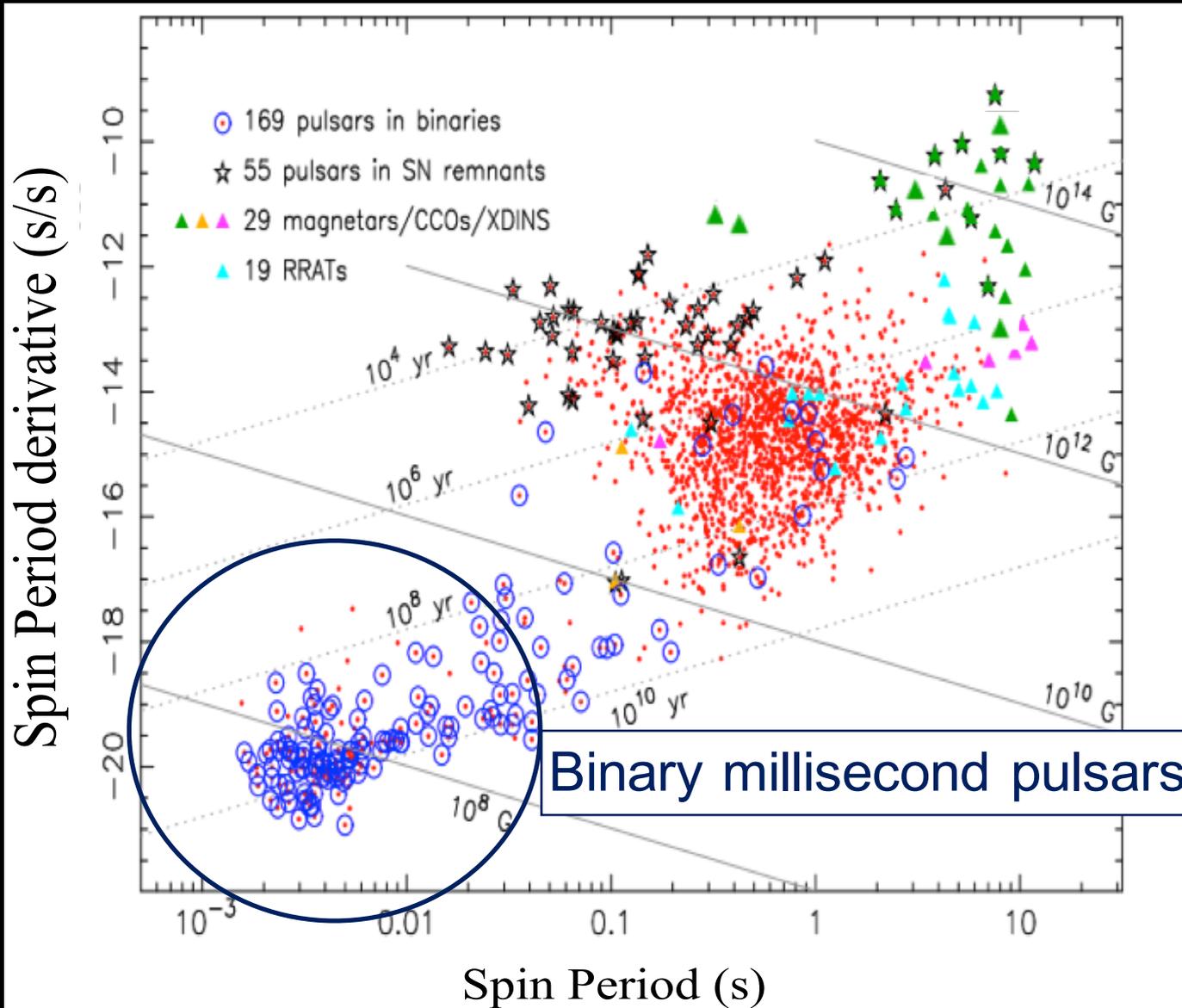
Pulsations might appear in Radio due to particles emission, not due anymore to the shock caused by the matter falling onto the magnetic poles.

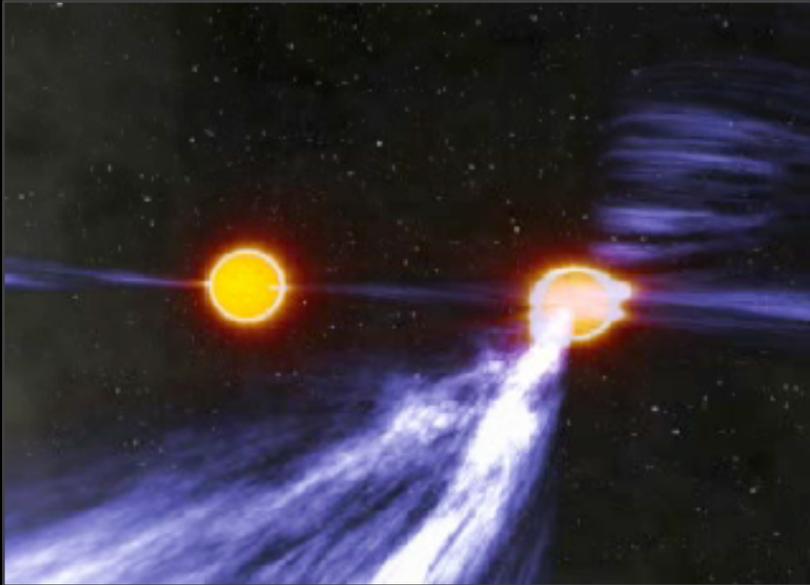
$$R(\text{cor}) < R(\text{lc}) < R(\text{m})$$

Pulsar accretion phases



Pulsar Bestiary



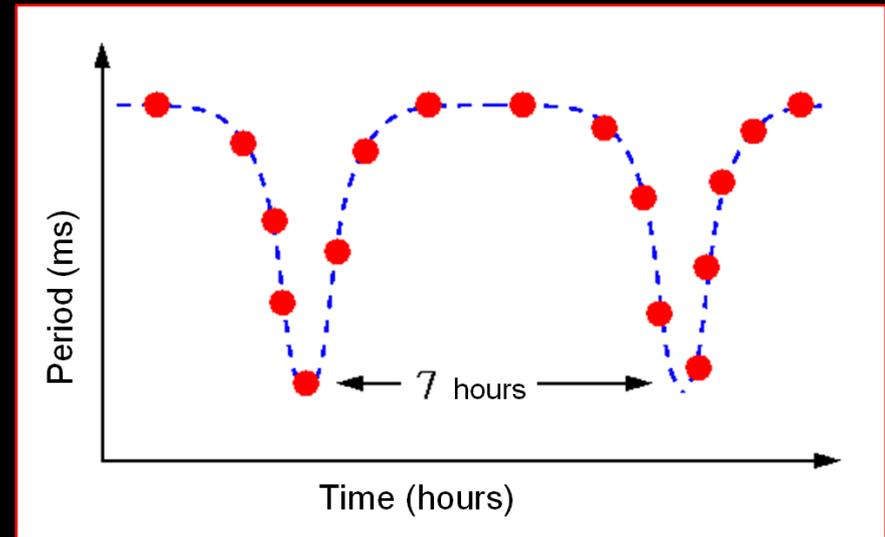
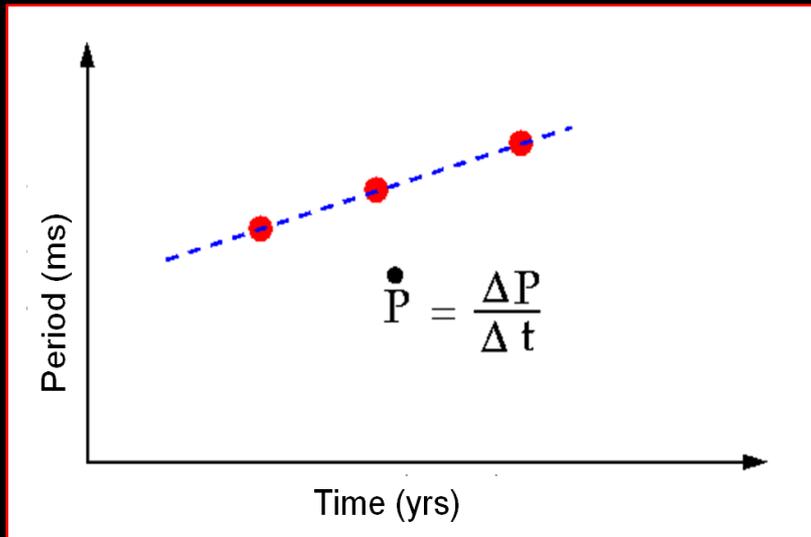


Double neutron stars



Neutron star plus a low mass companion star

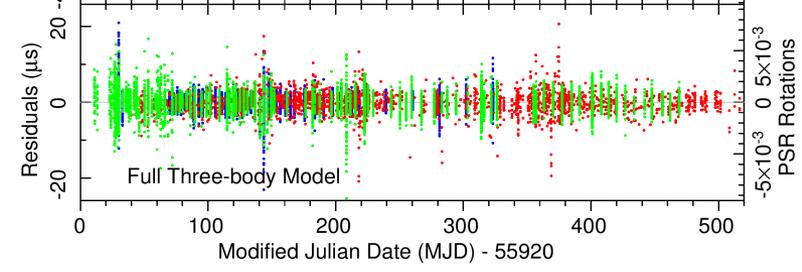
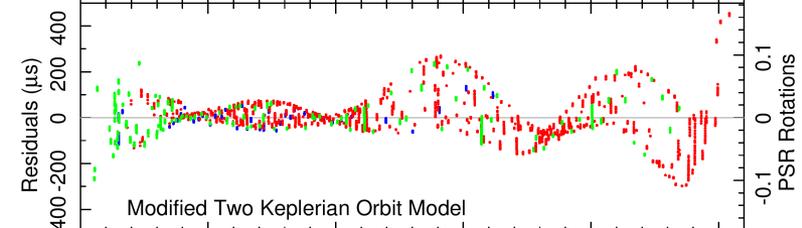
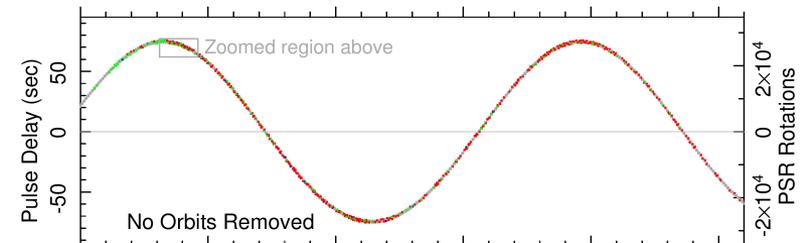
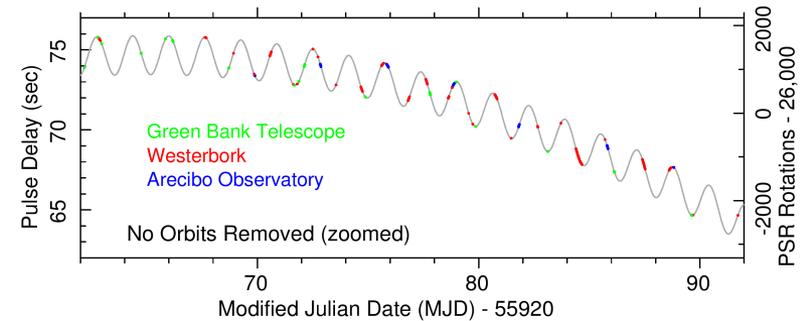
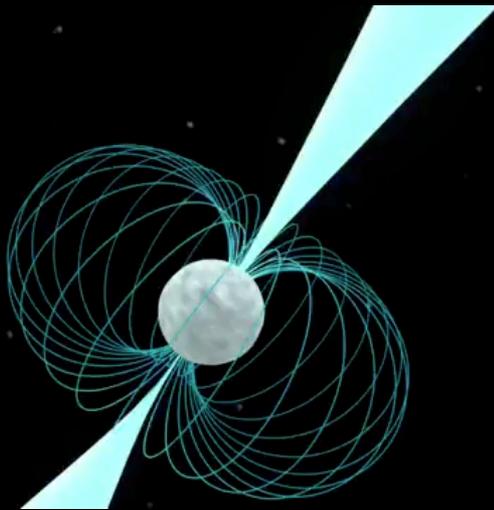
Binary millisecond pulsars



The discovery of the binary pulsar PSR B1913+16 with a period of 59ms and an orbit of 7hr (Hulse & Taylor 1979)

$$t_{PSR-BARY} = T_{psr} + \Delta_R + \Delta_E + \Delta_S + \Delta_A$$

Triple System: PSR J0337+1715

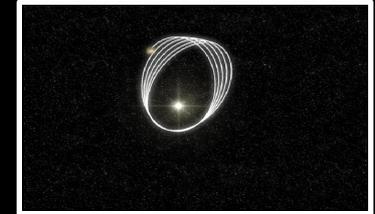


(Ransom et al. 2014, Nature)

Binary millisecond pulsars and GR tests

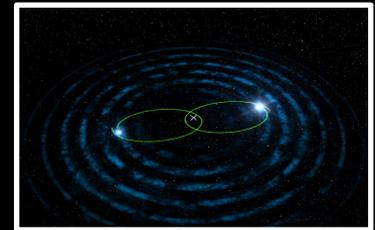
periastron precession

The modification in the shape of the orbit



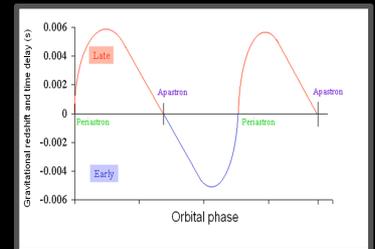
orbital decay

The modification in the shape of the orbit



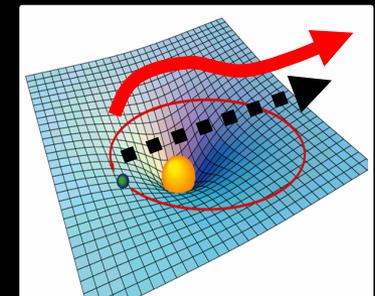
gravitational redshift and time dilation

The modification in the time of arrival of the pulses



Shapiro delay

The modification in the time of arrival of the pulses



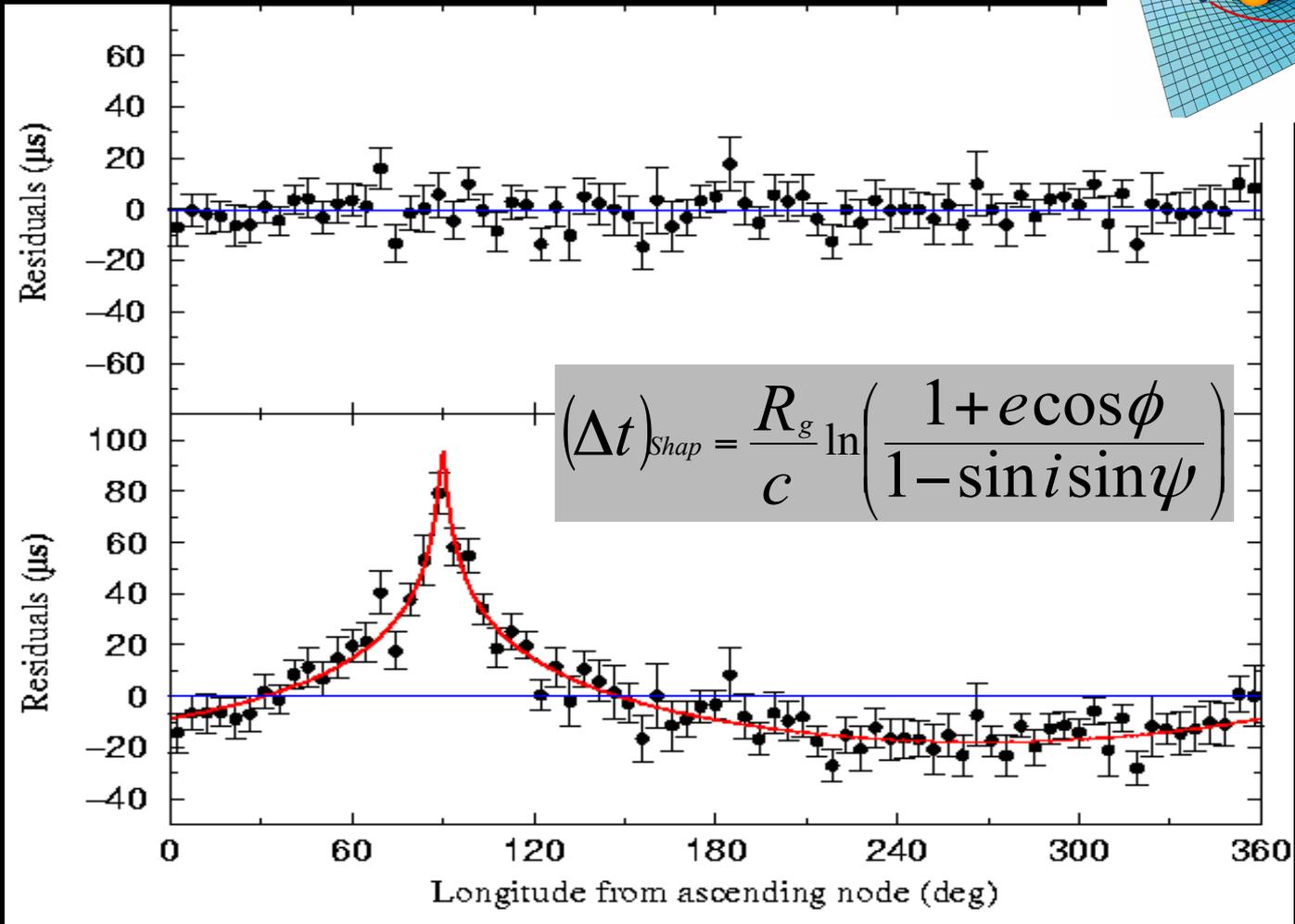
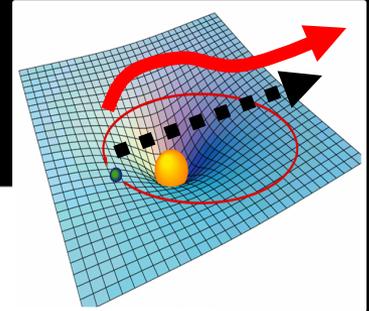
Binary millisecond pulsars and GR tests

$$\begin{aligned}\dot{\omega} &= 3 \left(\frac{P_b}{2\pi} \right)^{-5/3} (T_\odot M)^{2/3} (1 - e^2)^{-1}, && \text{Periastron precession} \\ \gamma &= e \left(\frac{P_b}{2\pi} \right)^{1/3} T_\odot^{2/3} M^{-4/3} m_c (m_p + 2m_c), && \text{Time dilation \& gravitational redshift} \\ \dot{P}_b &= -\frac{192\pi}{5} \left(\frac{P_b}{2\pi} \right)^{-5/3} \left(1 + \frac{73}{24}e^2 + \frac{37}{96}e^4 \right) (1 - e^2)^{-7/2} T_\odot^{5/3} m_p m_c M^{-1/3}, && \text{Orbital period decay} \\ r &= T_\odot m_c, && \text{Shapiro delay (amplitude)} \\ s &= x \left(\frac{P_b}{2\pi} \right)^{-2/3} T_\odot^{-1/3} M^{2/3} m_c^{-1}. && \text{Shapiro delay (shape)}\end{aligned}$$



GR tests!

Shapiro delay in the data of a binary pulsar

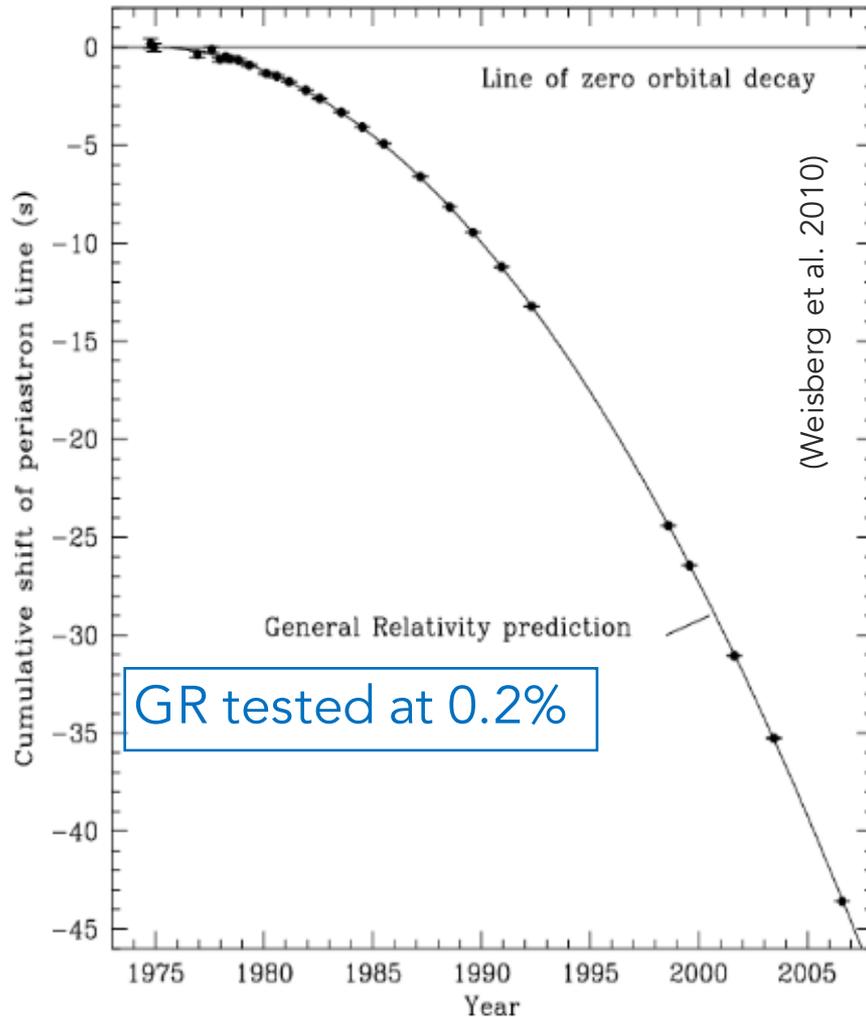


[Lyne, Burgay, Kramer, Possenti et al. 2004]

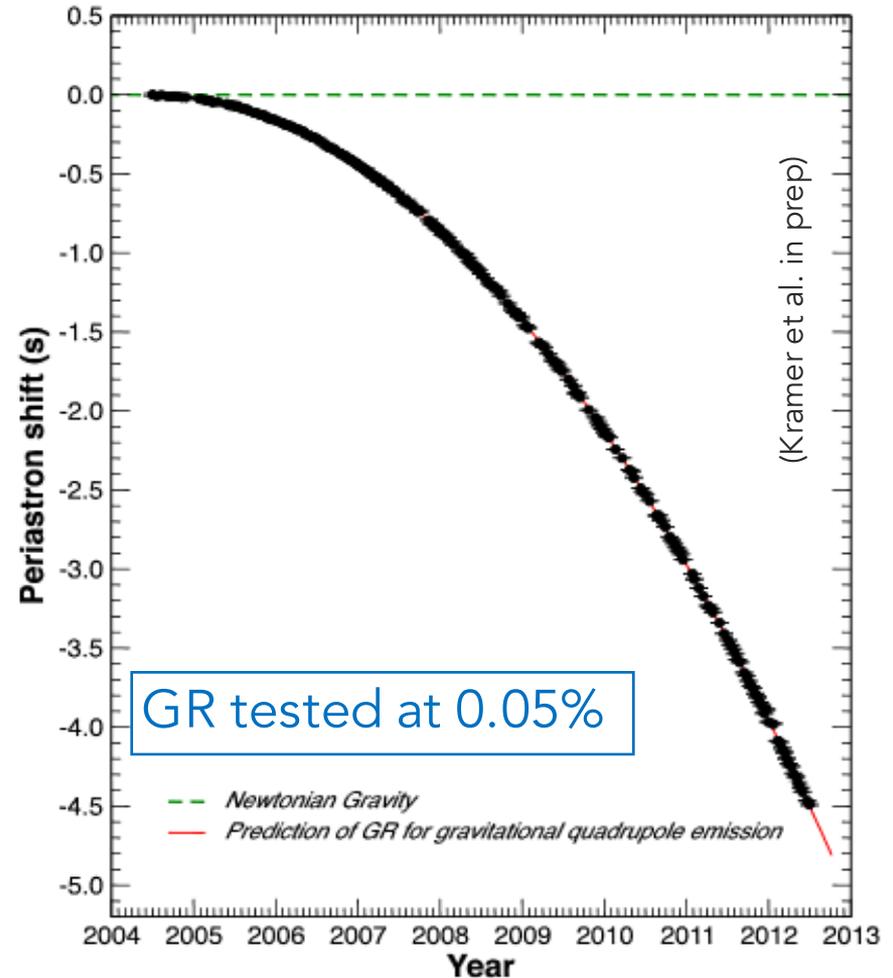
Binary millisecond pulsars and GR tests

Nobel Prize 1993 to Hulse & Taylor!

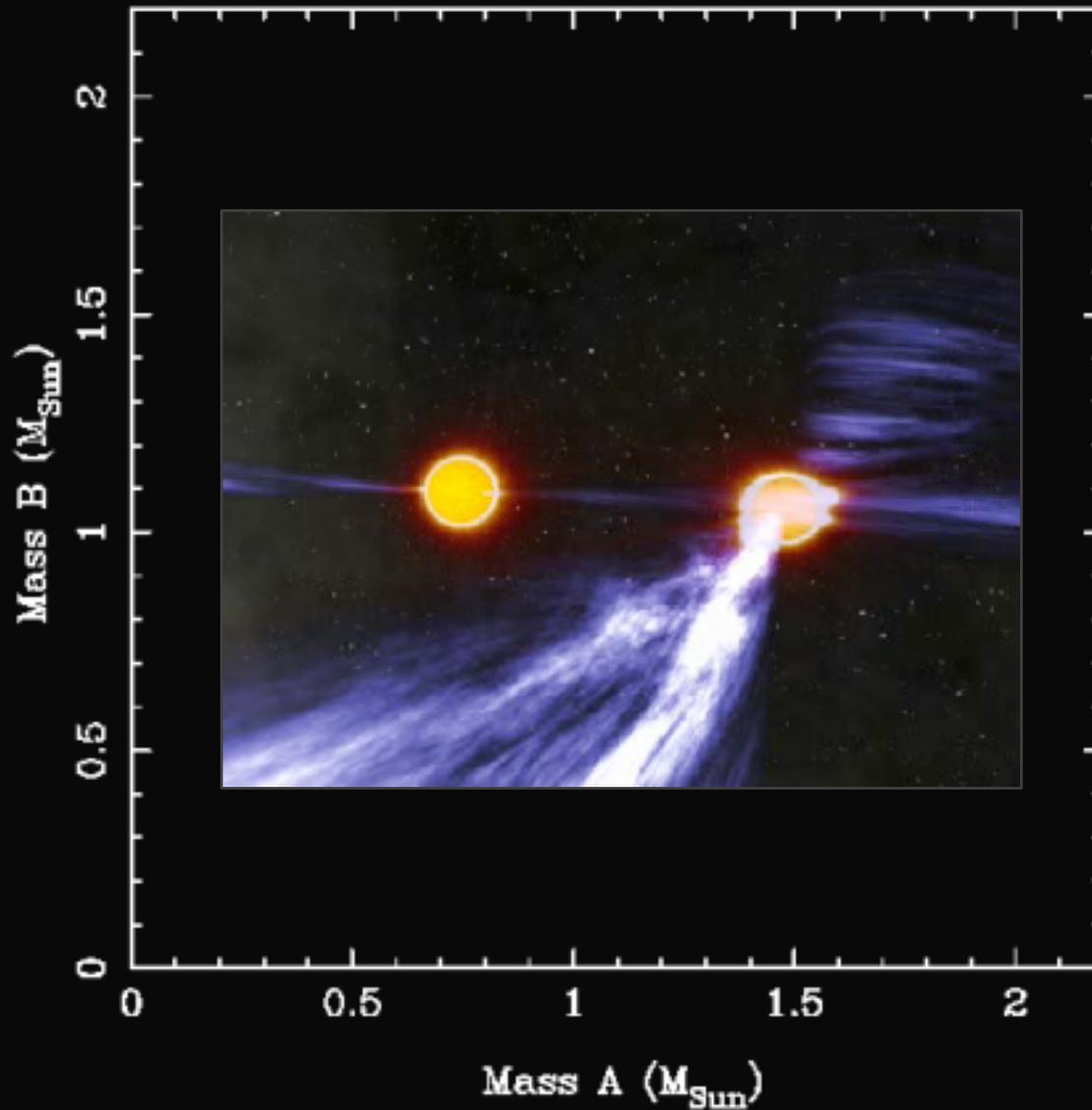
PSR B1913+16



PSR J0737-3039



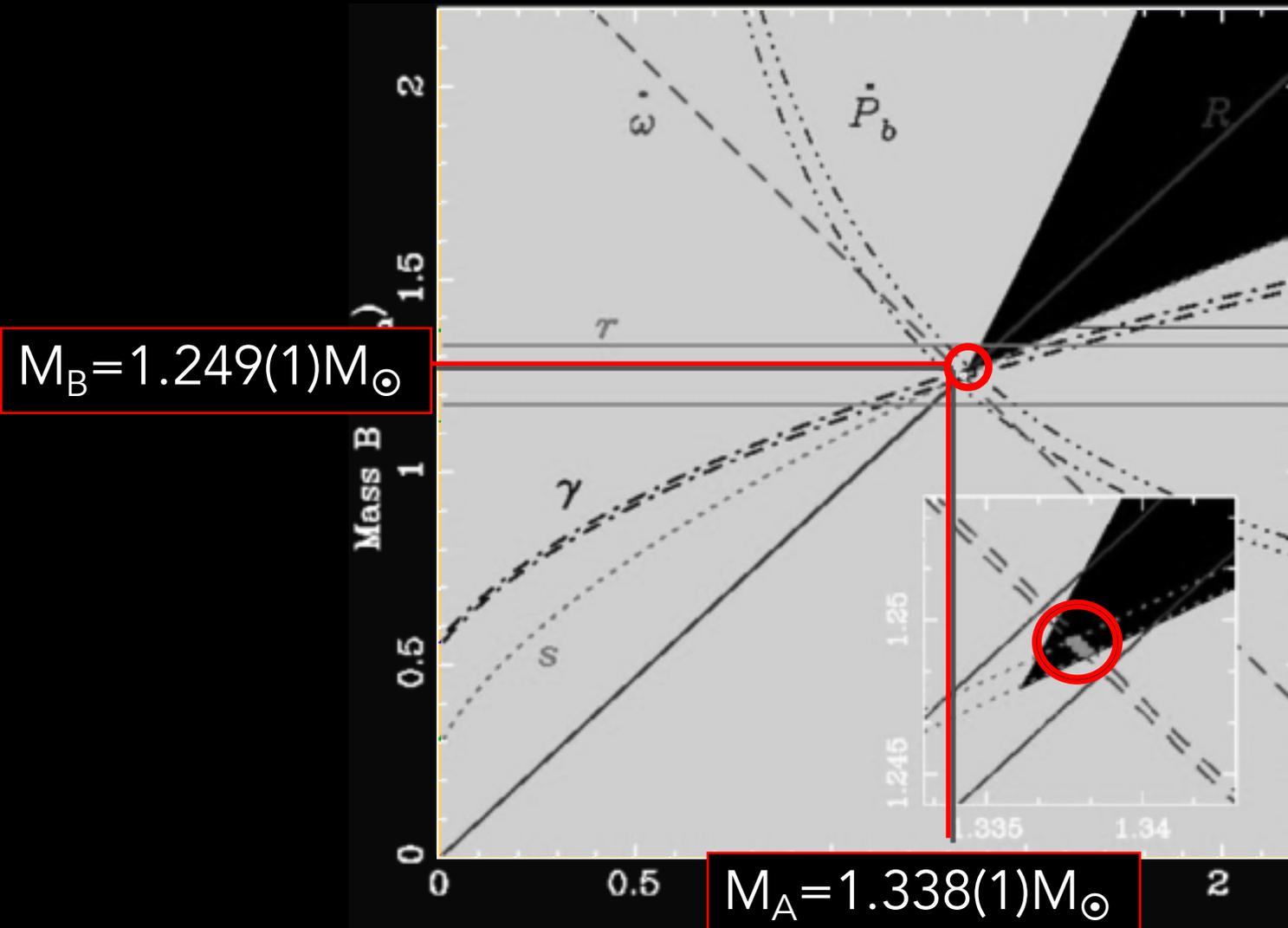
The masses of the double pulsar PSR J0737-3039



(Burgay et al. 2003; Lyne et al. 2004)

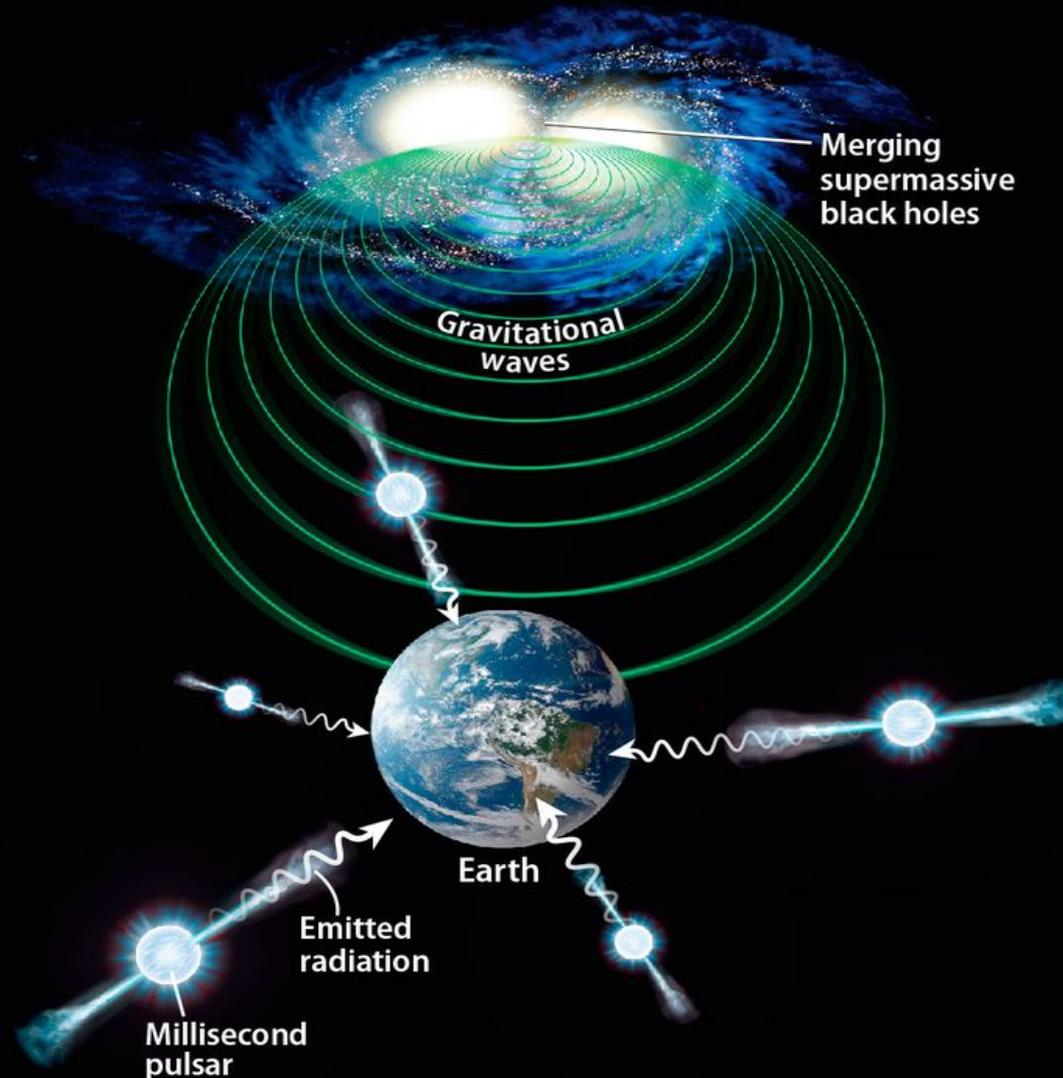
The masses of the double pulsar PSR J0737-3039

4 independent tests of GR!

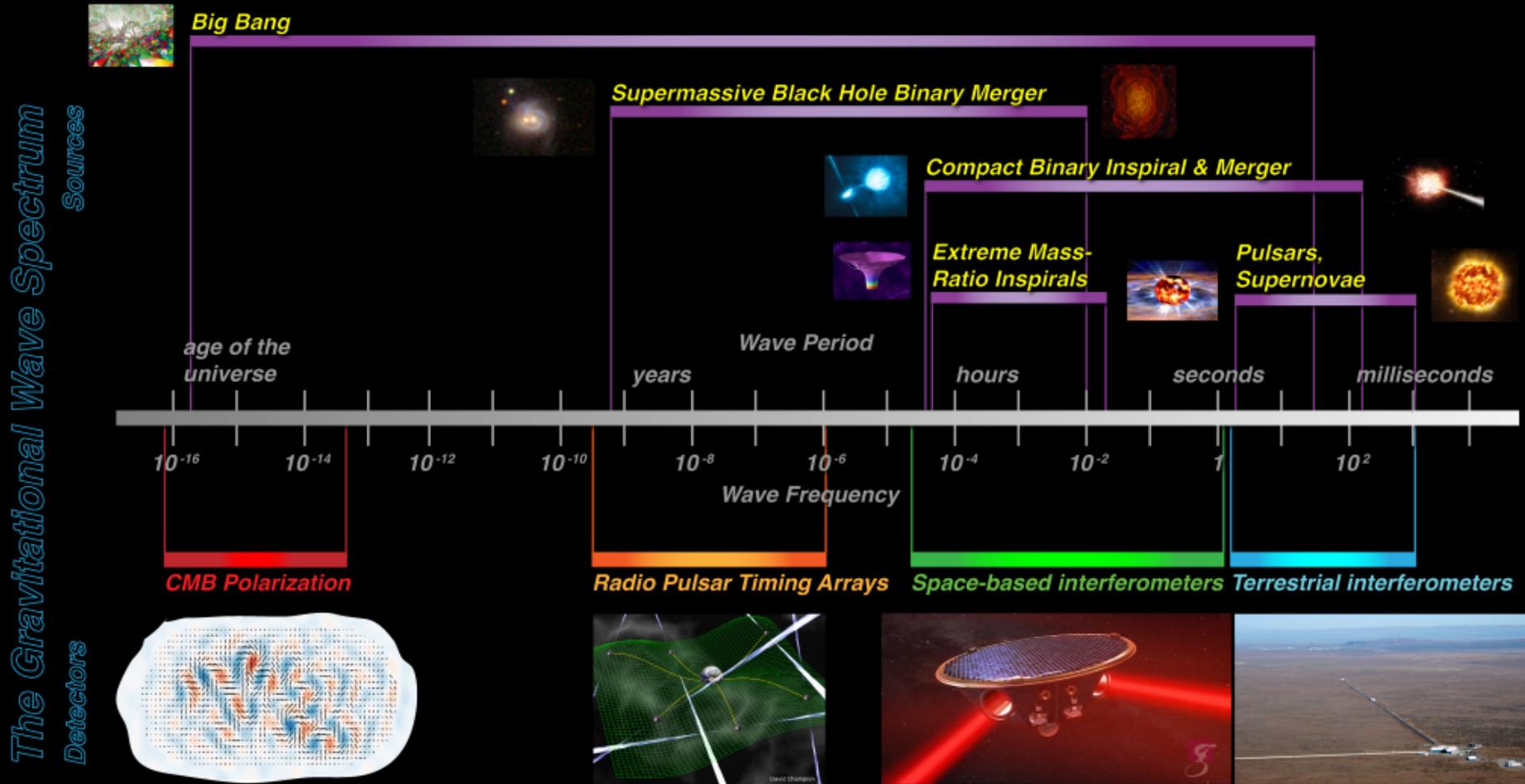


(Kramer et al 2006; Stairs et al. 2010)

The International Pulsar Timing Array (PTA, EPTA, NanoGRAV)

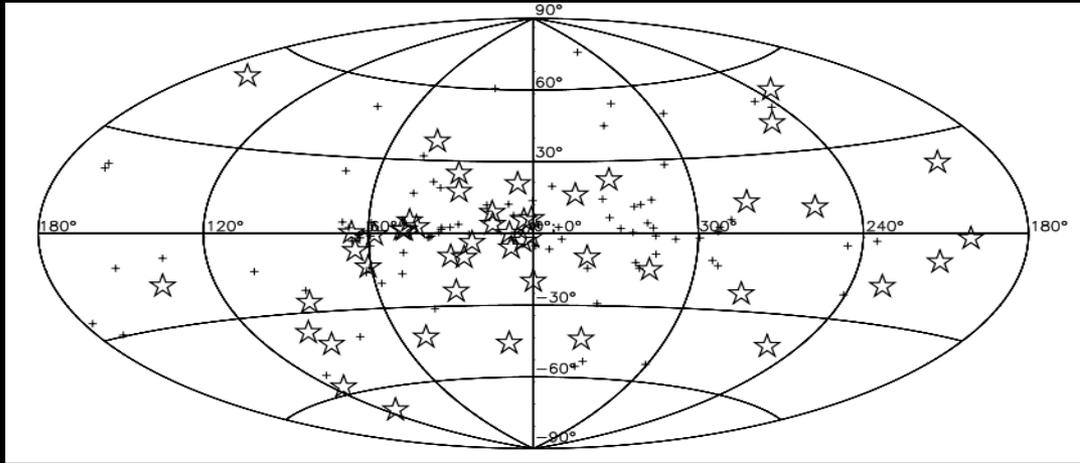


The International Pulsar Timing Array (PTA, EPTA, NanoGRAV)



The International Pulsar Timing Array

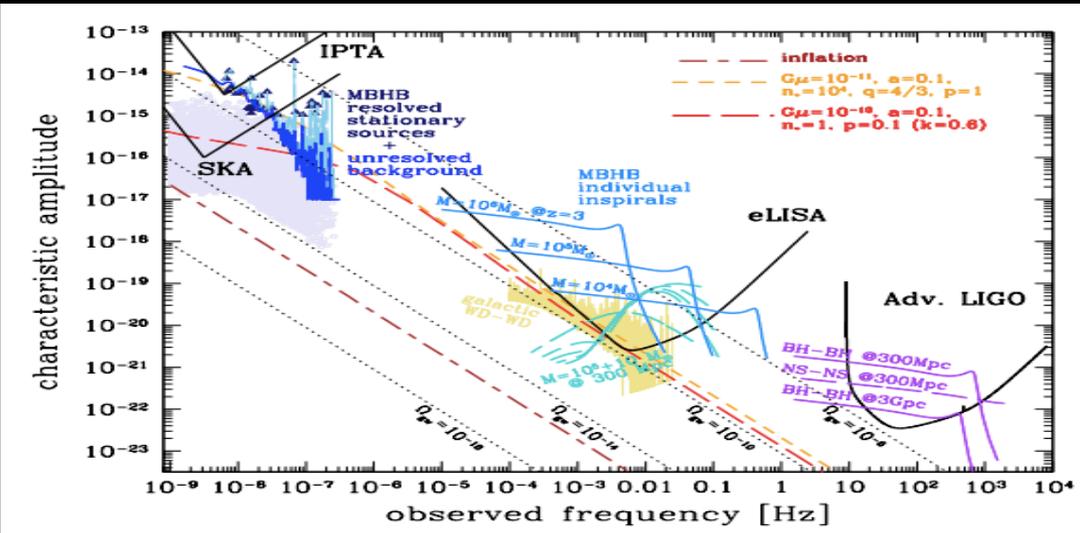
(PPTA, EPTA, NanoGRAV)



EPTA: Effelsberg, Nancay, Jodrell, Westerborg: 42 millisecond pulsar for 7-18 years (Desvignes et al. 2016)

PPTA : Parkes: 24 millisecond pulsar for 8-25 years (Reardon et al. 2016)

NanoGRAV : Arecibo, GBT, VLA: 59 millisecond pulsar for 9 years (Arzoumanian et al. 2016)



Pulsars as deep space GPS

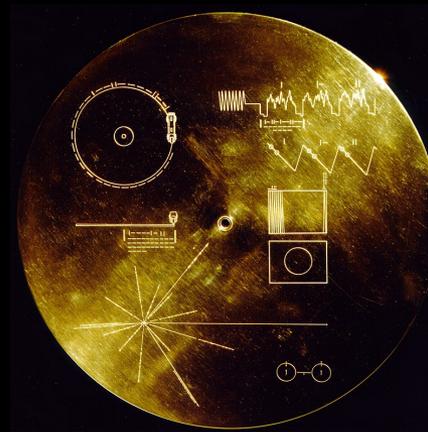
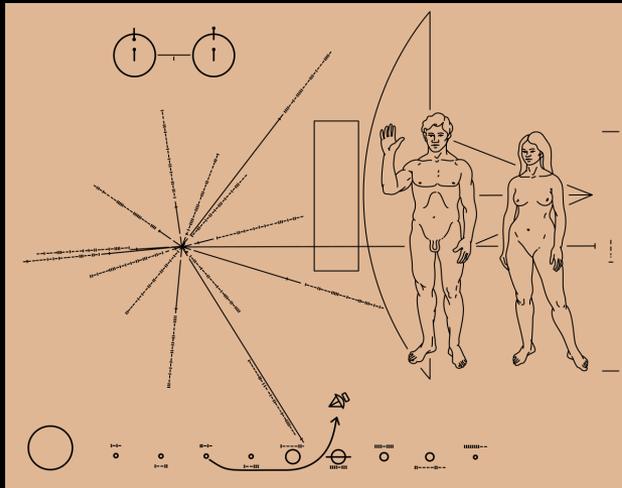
**X-RAY
NAVIGATION**
PULSARS: THE GPS OF THE UNIVERSE



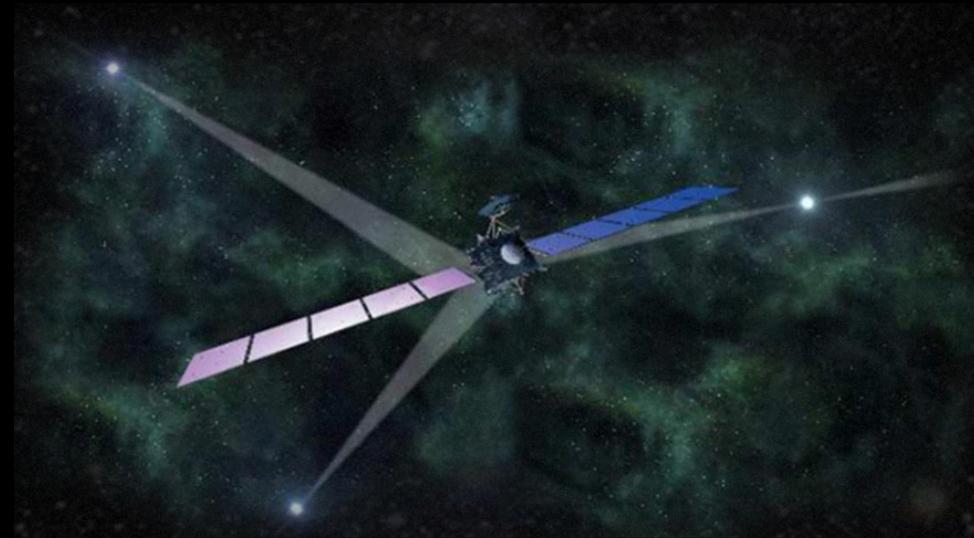
Pulsars GPS idea already flying...

The Pioneer plaques are a pair of aluminium plaques which were placed on board the 1972 Pioneer 10, 1973 *Pioneer 11* spacecrafts, featuring a pictorial image in case either *Pioneer 10* or *11* is intercepted by extraterrestrial life.

NASA's Voyager 1, launched 35 years ago with various messages from the Earth, is on the verge of moving into interstellar space. It has a Golden Record on-board in case it will be intercepted by extraterrestrial life



Pulsars as deep space GPS



On January 2018 the first test of this pulsar GPS system has been successfully performed using the SEXTANT instrument onboard NICER, hosted by the International Space Station that orbits around Earth at slightly more than 17,500 mph. Within eight hours of starting the X-ray pulsar timing experiment, via timing 14 X-ray millisecond pulsars, the algorithm converged on a location with an error of 10 miles.

(NICER collaboration, Nature 2018)

Pulsars are Cosmic gifts.

Taking their beats we can probe:

- Dense matter within the neutron stars
- The most extreme magnetic fields
- The electron density in the Galaxy
- Plasma studies at high densities and gravity in accreting systems
- General Relativity and test alternative theories
- Use them as Gravitational Wave Detectors
- Use them as GPS for deep space travels

